Problem Link:-

https://www.hackerearth.com/problem/algorithm/ballgame/

Basic Idea:-

One can guess from the constraits that complexity of the algorithm should be either O(nm + q) or O(qm). And there is a solution with the second one.

Let's try to solve the reversed problem — answer what position some number will be at after all the operations. Check the impact of some operation on position pos. Let the operation be on some segment [I, r]. If pos is outside this segment then you can skip it. Otherwise reverse will swap a_{pos} and $a_{r-(pos-I)}$, shift will swap a_{pos} and a_{pos-1} (if pos = I then it will be r instead of (pos - 1)).

This task can be translated to the given one just by reversing the operation list.

Overall complexity: O(qm).

Ideal Solution:-

```
#include<bits/stdc++.h>
#define II long long
#define fastlo ios base::sync with stdio(0);cin.tie(0);cout.tie(0);
#define endl "\n"
using namespace std;
int main(){
       fastlo
       II n,q,m;
       cin>>n>>q>>m;
       vector<II> a(n);
       for(II i=0;i<n;i++)
               cin>>a[i];
       vector<vector<ll>> v(q,vector<ll>(3));
       for(II i=0;i<q;i++) cin>>v[i][0]>>v[i][1]>>v[i][2];
       for(II i=0;i<m;i++){
               ll x;
               cin>>x;
               x=x-1;
               for(|| j=q-1;j>=0;j--){
                      if(x>=1 \&\& x<=r){}
                              if(v[j][0]==1){
                                     if(x==1) x=r;
                                     else x=x-1;
                              }
                              else{
                                     x=(1+r-x)%n;
                              }
                      }
               }
               cout<<a[x]<<" ";
       }
  return 0;
}
```