# Assignment 3 Reinforcement Learning

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# Question 1

	classmate
	Date Page
Austran 2 - Exercise 5.4	and the second
Monte Corlo ES, for estimating	η π ≈ π•
	J.
Initialize	
T(s) & Acs > (arbitralynily) + ses	
U(s,a) ER (anbifurily), + ses,	aeA(2)
((S,a) =0 + SES, a ∈ A(S)	
loop preven (for each episode):	
(hoose 50€ 5, Ao € A (50), vandom	w such Makall lains have a
Comerate an enizade tras Son . 1	g som mar are pass have p
Chemate an episode from So, Ao, for	MUSING A : 30/MORT, St-1, AT
loop for each stop of episode, t=	-EI T-2 0.
Cr < XC1 + R+1	2 1 1 1 1
Unless the pair Se, A+ appea	
Rossado Cas to	
Q(St, At) & QCS.	(A+) + 1 (G - OCSE, AE )+1 C(SE, AE)+1
C(SuA+) + C(SuA+	)+1 C(Se(ae)+1
T(St) = argmax	d(s+,a)
The changes made in the code are	to compete the value
the state-value pairs incrementally	-
QCSE(AE) = anerage	Henry (Stiff)
in the ineffi	
average (Behrns (St. A)	2) arroles ) Megnel = ((+
where length (Returns (SEIA) or the world	.)) is represented as
( (SE, A+) or the work	son of times the starte-
pair has been first - u	isited
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	If we shone the average (network (De,At)) for a C(Se,At) = t as Q(Se,At), we can represent
	(C(S+,A+)=t as Q(S+,A+), we can represent
	a (St,At) this as
	Q (S+, A+) M) = sum (& lawons (S+, A+))
	((S+, A+) + ) +
	2 + ( *(+41+2 & xww.del) mus =
	CCS+AL) + P
	123A = 223 % (2,21)
	= ((St, At) D (St, At) + C)
	CCSe(Ne) +1
	Q(SEIAE)*1 = Q(SEIAE) +((C) - Q(SEIAE)
	(CC, A. ).
<b>/</b>	Hence we an represent the update using suit the mean and a counter variable
-	just the mean and a counter variable
+	1 1 2 0 2 m some of al com a k realful
	of other of more of
	to the state of th
+	(1146,000) 701 000000
	12. 20 2 renty 2 - 2 (= 2) Th
1	
	the state of constant and a
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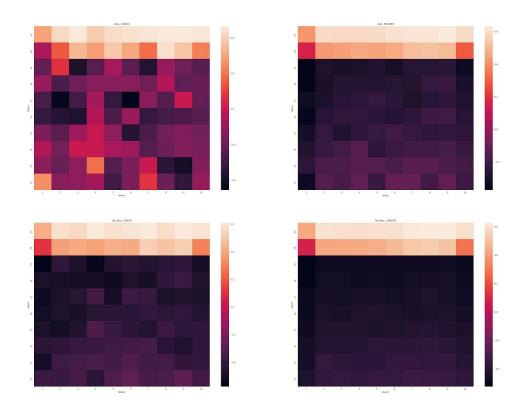
Question 3.

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03.	(quation analogous to (5-6) for action values $Q(s, a)$ instead of $V(s)$ , given returns
	& (s, a) instead of U(s), given returns
	generaled using b
	(S.G) -) - U(s) = Exercip Pett(.
	VOS) = { + +100) Pt: T(+)-1 (nt
	EL MES, PE:TLE) -1
_	911 (SIA) = E [PEHIT-1 CAT   SE=SIAE= a]
2.4	97 (3/a) = E [ Y = 41: T-1 (N+   3+= 3  H == a
	Q (Sia) = Etercial Petrital Get
	ELETRAS PENTITY
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#### Question 4

# Blackjack Game

# Figure 5.1

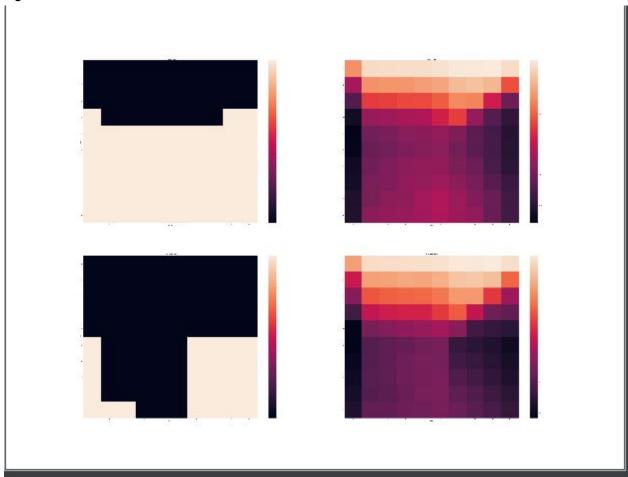


Here the figures from left to right, top to bottom are:

- a) 10,000 episodes and with usable ace.
- b) 500,000 episodes and a usable ace
- c) 10,000 episodes and no usable ace
- d) 500,000 episodes and no usable ac

The X axis of each figure is the dealer's showing, and the y axis is the player sum.

Figure 5.2

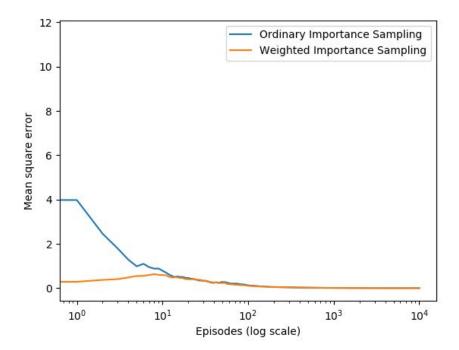


The figures from left to right, top to bottom are:

- a) Policy (black for stick, white for hit) for a usable ace
- b) Value function for a usable ace
- c) Policy for no usable ace
- d) Value function for a usable ace

As above, the X axis represents the dealer showing and Y axis shows player turn. The difference in the figures generated here and in the book is simply that this graph starts at 12 and not 11 like in the book. As the decision making starts at 11, i.e. policy is known always for 11 (as mentioned in the book as well), this does not change the information represented.

Figure 5.3

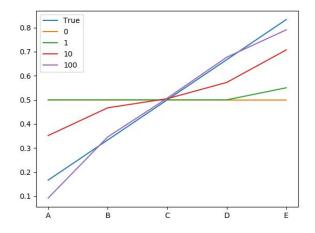


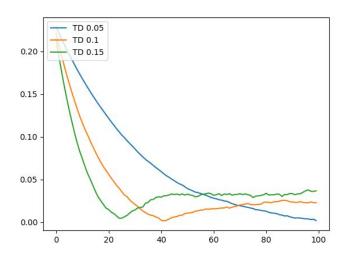
The code is explained with the help of comments.

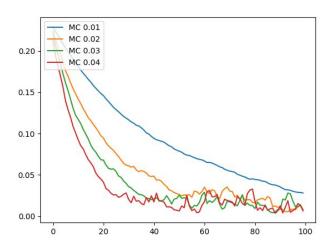
#### Question 5.

Exercise 6.2: Due to the bootstrapping and online learning nature of TD, it will be more efficient that MC methods. It uses the prior information we have. If we have a sequence of states  $S_1$ , ...  $S_T$  which we have estimates on, then we can use this in TD for the sequence  $S_0$ ,  $S_1$ ,... as TD uses bootstrapping i.e.set the values of the next state as the target, which we can initialize to the good estimates that we have. For example, many states are the same once the highway comes, and hence the value estimates we have should result in faster convergence when used as targets. On the other hand, MC methods need multiple entire episodes to learn about a state.

### Question 6.





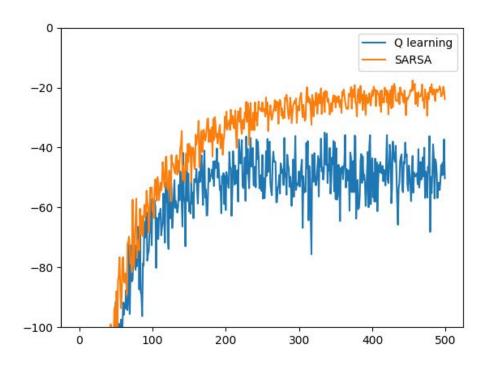


Exercise 6.3: The first episode results in a change only in V(A) because initially, all the states had the same values and the terminal states had value 0. Therefore TD(0) updates do nothing to states which have non-terminal transitions. In the first run, the agent terminated on the left, therefore the value of the state with a terminal transition, i.e. A, changes, while the rest do not. It changed by  $alpha*(reward+V(left\_terminal)-V(A)) = 0.1*(-0.5)=-0.05$ 

Exercise 6.4: The benefits of TD prediction methods (in section 6.2) are independent of the alpha parameter. Keeping a lower alpha will allow more precise convergence at the cost of a slower convergence and higher alpha would increase the curve. The width of the range here shows us the general trend which is suitable for making decisions.

Exercise 6.5: At first, the values for the outer states change and hence the error reduces. We have initialized the value of C to its true value, so when the changes propagate to C, it is moved from its ideal value and hence the error increases, proportional to the alpha parameter. Later as we converge to the true value again, the error decreases. If it was not initialized at its true value, this may not have occurred but initial error would have been higher.

#### Question 7.



### Question 8.

Exercise 6.12: Yes in this case they would be the same. On policy is a special case of off policy learning when both the policies are the same.