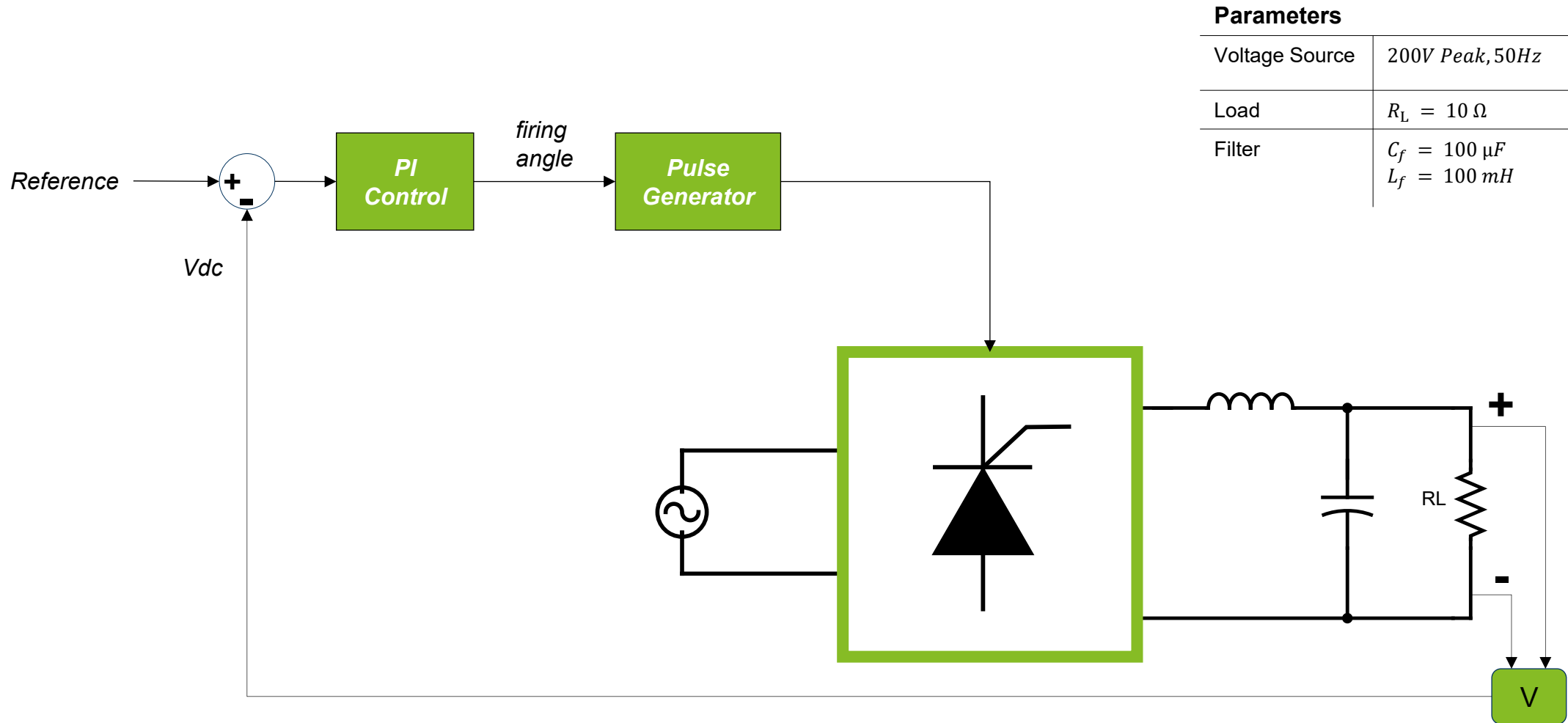


# DC Voltage Controller

# Block diagram of DC Voltage Control

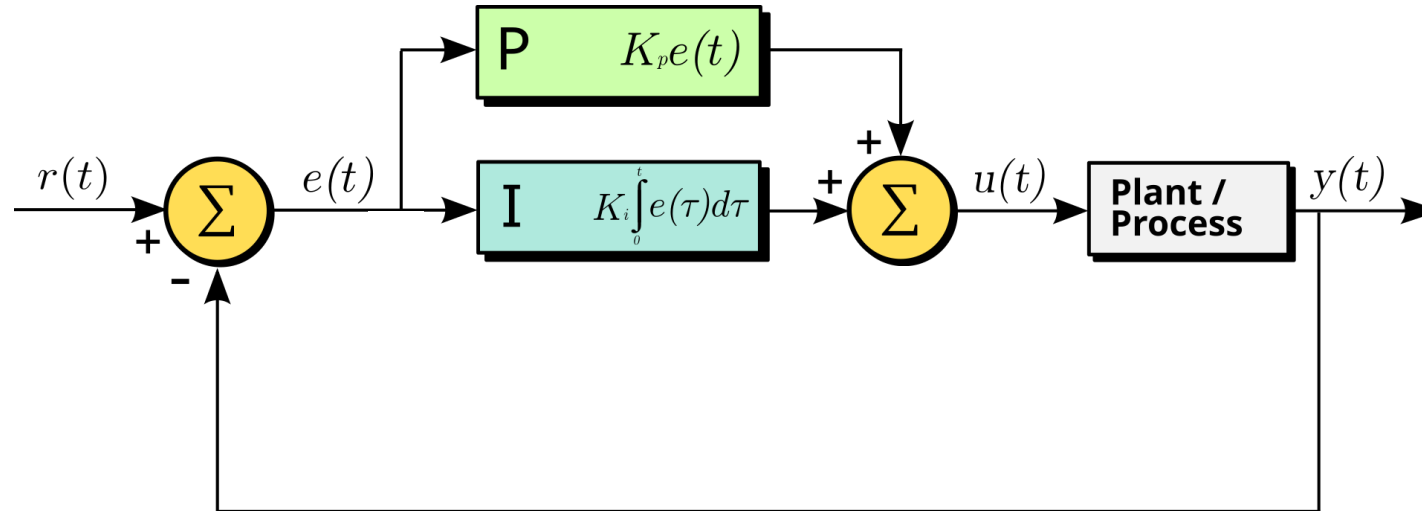


## Parameters

Voltage Source	200V Peak, 50Hz
Load	$R_L = 10 \Omega$
Filter	$C_f = 100 \mu F$ $L_f = 100 mH$

# PI Control

PI control is a feedback based control loop.



- **Proportional (P):** Responds to the error and producing an output that is directly proportional to the magnitude of the error.
  - As error approaches zero then Proportional will reach zero
- **Integral (I):** Cumulative sum of past errors and holds the required magnitude out control signal.
  - Responsible for reducing error

# Properties

Proportional Gain  $K_p$ , Integral Gain  $K_i$

## Proportional Gain

- Increases **responsiveness** → higher  $K_p$  makes system react faster.
- **Reduces steady-state error** but cannot eliminate it completely.
- Too high  $K_p$  → causes **oscillations** or even instability.
- Too low  $K_p$  → system becomes sluggish.
- Affects **rise time** (lower rise time with higher  $K_p$ ).

## Integral Gain

- **Eliminates steady-state error** completely (good for accuracy).
- Improves **tracking performance** for constant references.
- Increases **overshoot** and **oscillations** if too high.
- **Slows down** the system response (increases settling time if not tuned properly).

$$V_{dc} = \frac{V_m}{2\pi} (1 + \cos \alpha) \rightarrow \text{Firing angle}$$

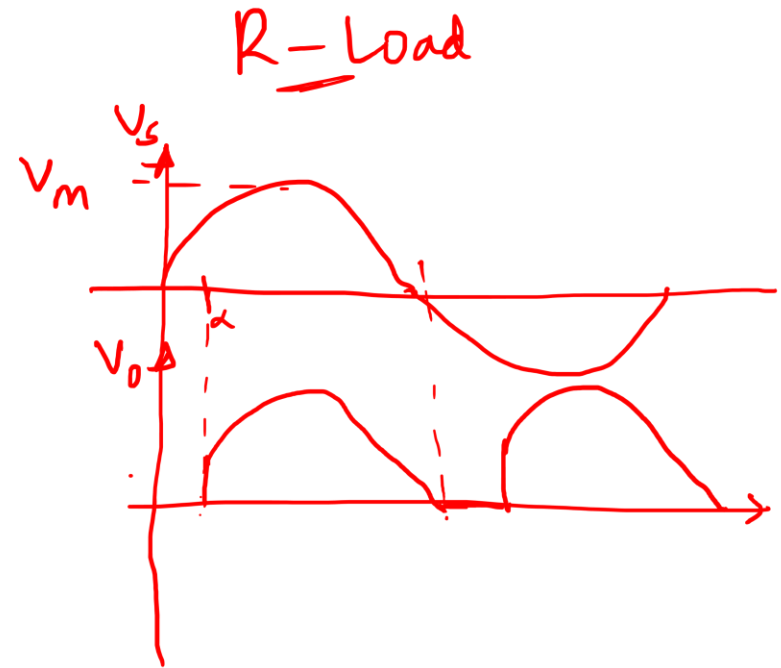
$$\alpha = 0^\circ \Rightarrow V_{dc} = \frac{V_m}{2\pi} (1+1) = \frac{V_m}{\pi}$$

$$\alpha = 90^\circ \Rightarrow V_{dc} = \frac{V_m}{2\pi} (1+0) = \frac{V_m}{2\pi}$$

$$\alpha = 180^\circ \Rightarrow V_{dc} = \frac{V_m}{2\pi} (1-1) = 0$$

$\Rightarrow$  As Firing Angle increases

Output dc voltage decreases





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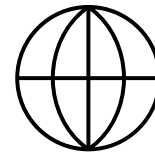
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