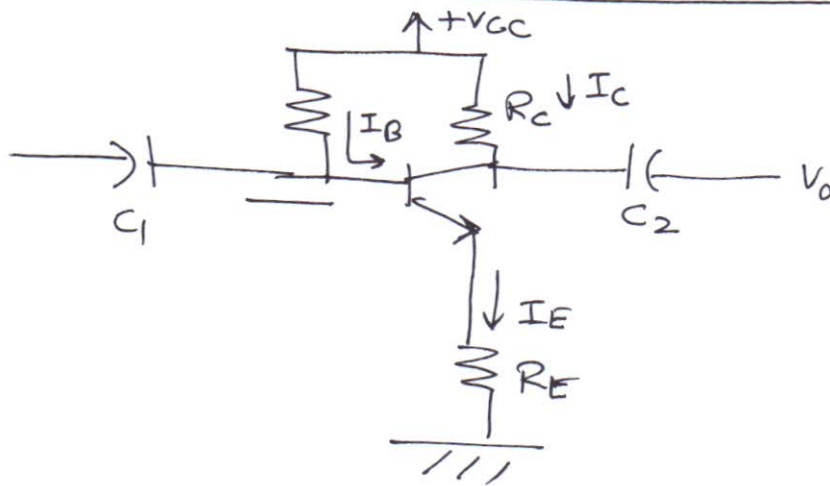


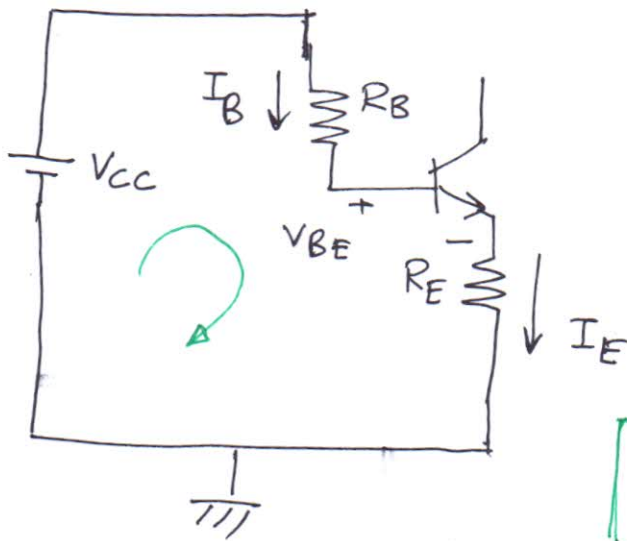
## Emitter Stabilized Bias ckt

①



## BJT Bias ckt with Emitter resistor

### Base Emitter Loop



$$-V_{CC} + I_B R_B + V_{BE}$$

$$+ I_E R_E = 0 \quad (1)$$

$$I_E = I_C + I_B$$
$$= (\beta + 1) I_B \quad (2)$$

Substitute  $I_E = (\beta + 1) I_B$

$$I_B R_B + (\beta + 1) I_B R_E = V_{CC} - V_{BE} \quad (3)$$

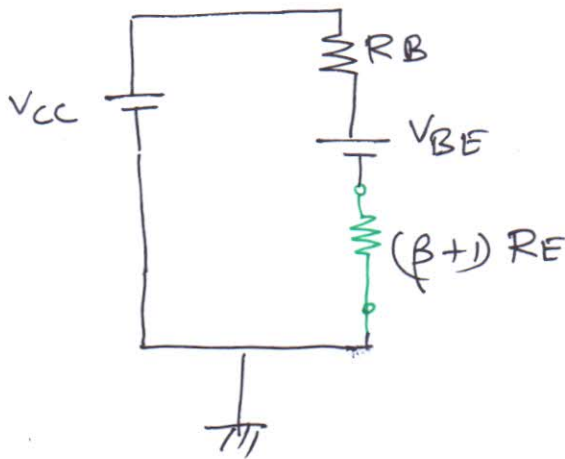
$$I_B = \frac{V_{CC} - V_{BE}}{R_B + (\beta + 1) R_E}$$

This term is new here.

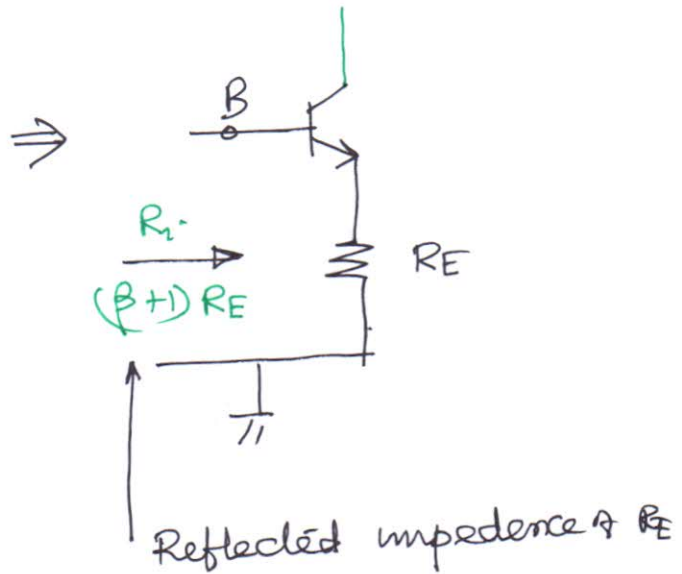
Note: The Difference w.r.t. Fixed bias is the inclusion of term  $(\beta + 1) R_E$ .

(2)

$$I_B = \frac{V_{CC} - V_{BE}}{R_B + (\beta + 1)R_E} \quad \text{--- (4)}$$



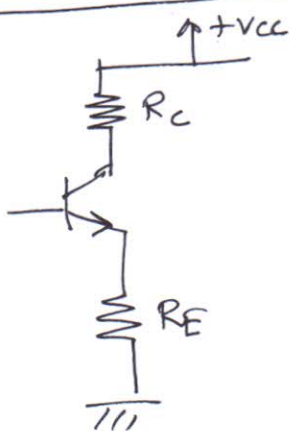
Equivalent network  
of Eqn (4)



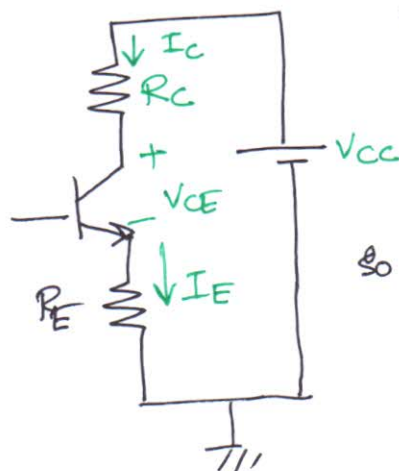
The emitter resistance  $R_E$  which is part of the collector emitter loop 'appears as'  $(\beta + 1)R_E$  in the base emitter loop.

$$R_i = (\beta + 1)R_E \quad \text{--- (5)}$$

Collector Emitter Loop



$\Rightarrow$



$$-V_{CC} + I_C R_C + V_{CE} + I_E R_E = 0$$

$$I_E \approx I_C$$

$$\text{So } V_{CC} - V_{CE} = I_C (R_C + R_E) \quad \text{--- (6)}$$

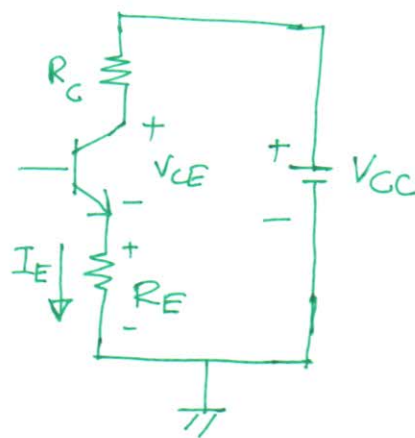
$$V_{CE} = V_{CC} - I_C(R_C + R_E) \quad \dots \quad (6)$$

$$V_E = I_E R_E = I_E R_E$$

$$V_{CE} = V_C - V_E$$

$$V_C = V_{CC} - I_C R_C$$

$$V_C = V_{CE} + V_E$$



voltage at the base w.r.t ground

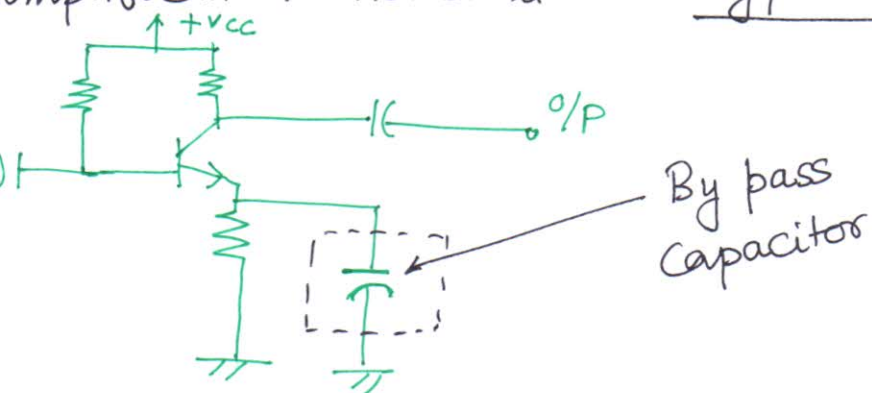
$$V_B = V_{CC} - I_B R_B$$

$$V_B = V_{BE} + V_E$$

The d.c. resistance  $R_E$  improves the stability

But it reduces the voltage gain for small a.c. signal.

Thus the resistance  $R_E$  is desired for d.c. bias (to improve stability) but not desired for AC amplification. Hence it is bypassed by a Capacitor

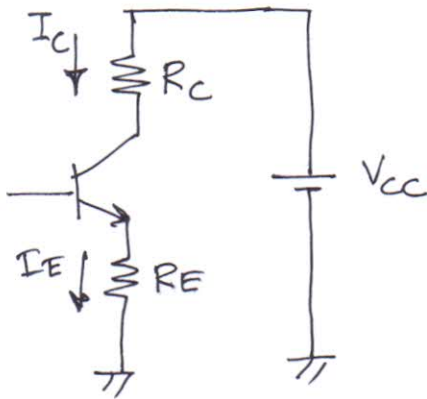


For Emitter stabilized Bias ckt

we obtained

$$I_B = \frac{V_{CC} - V_{BE}}{R_B + (\beta + 1)R_E}$$

$$\approx \frac{V_{CC}}{R_B + \beta R_E}$$



$$-V_{CC} + I_C R_C + V_{CE} + I_E R_E = 0$$

$$V_{CC} - V_{CE} = I_C R_C + (I_C + I_B) R_E$$

$$I_E = I_C + I_B$$

⇒ For input base emitter loop

$$V_{CC} - V_{BE} = I_B (R_B + R_E) + I_E R_E$$

$$\text{or } 0 = \frac{dI_B}{dI_C} (R_B + R_E) + R_E$$

$$\text{or } \boxed{\frac{dI_B}{dI_C} = - \frac{R_E}{R_B + R_E}}$$

$$I_C = \beta I_B + (\beta + 1) I_{C0}$$

$$1 = \beta \frac{dI_B}{dI_C} + (\beta + 1) \frac{dI_{C0}}{dI_C}$$

$$\frac{dI_C}{dI_{C0}} = S$$

$$= \beta \frac{dI_B}{dI_C} + \frac{(\beta + 1)}{S}$$

$$\text{or } \boxed{S = \frac{(\beta + 1)}{1 - \beta \frac{dI_B}{dI_C}} = \frac{(\beta + 1)}{1 + \beta \frac{R_E}{R_B + R_E}}}$$



8

Stability Factor for Emitter resistor ckt

$$S(I_{co}) = \frac{(\beta + 1)}{1 + \beta \cdot \frac{R_E}{(R_B + R_E)}}$$

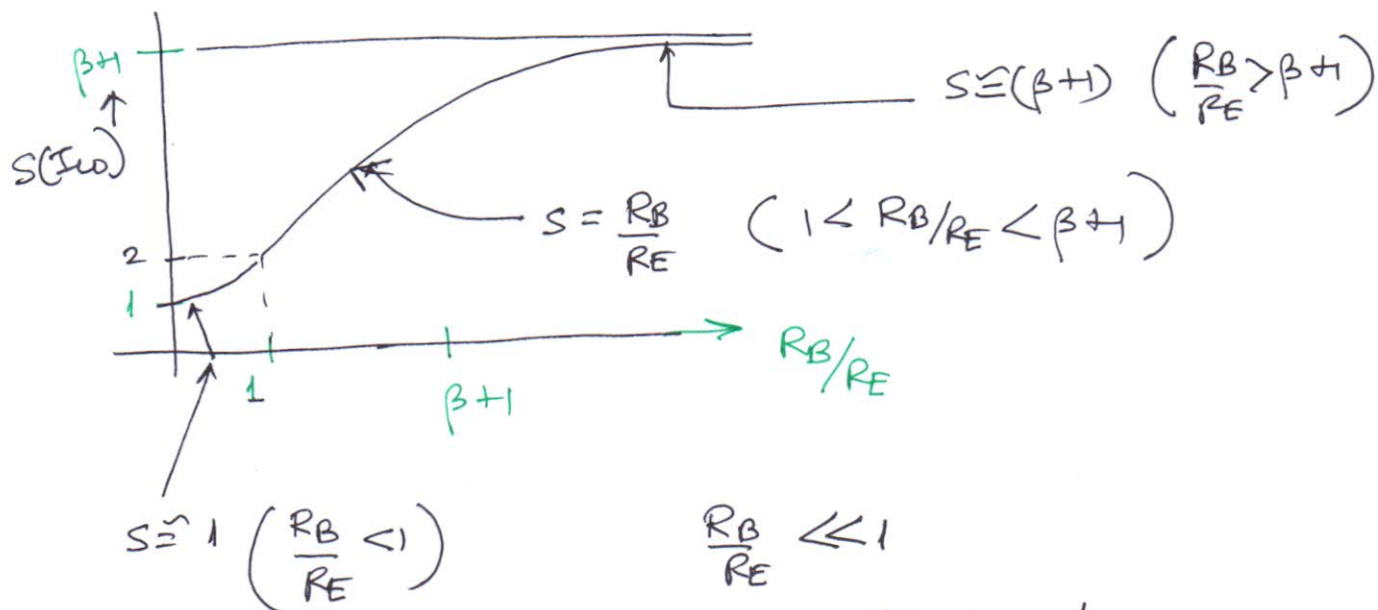
$$= (\beta + 1) \cdot \frac{R_B + R_E}{R_B + (\beta + 1)R_E}$$

$$= (\beta + 1) \left[ \frac{1 + R_B/R_E}{(1 + \beta) + R_B/R_E} \right]$$

$$\frac{R_B}{R_E} \gg (\beta + 1)$$

$$S(I_{co}) = (\beta + 1)$$

Same as fixed bias



$$\frac{R_B}{R_E} \ll 1$$

$$S(I_{co}) = (\beta + 1) \cdot \frac{1}{(\beta + 1)} \approx 1$$

$$I_B = \frac{V_{CC} - V_{BE}}{R_B + (\beta + 1)R_E}$$

$$I_C = \beta I_B + I_{CEO}$$

$$\begin{aligned} S(V_{BE}) &= \frac{\partial I_C}{\partial V_{BE}} \\ &= -\beta \left( \frac{1}{R_B + (\beta + 1)R_E} \right) \\ &= -\frac{\beta/R_E}{\frac{R_B}{R_E} + (\beta + 1)} \end{aligned}$$

$$\begin{aligned} (\beta + 1) \gg \frac{R_B}{R_E} &= -\frac{\beta/R_E}{(\beta + 1)} \cong -\frac{\beta}{R_E \cdot \beta} \\ &\cong -\frac{1}{R_E} \end{aligned}$$

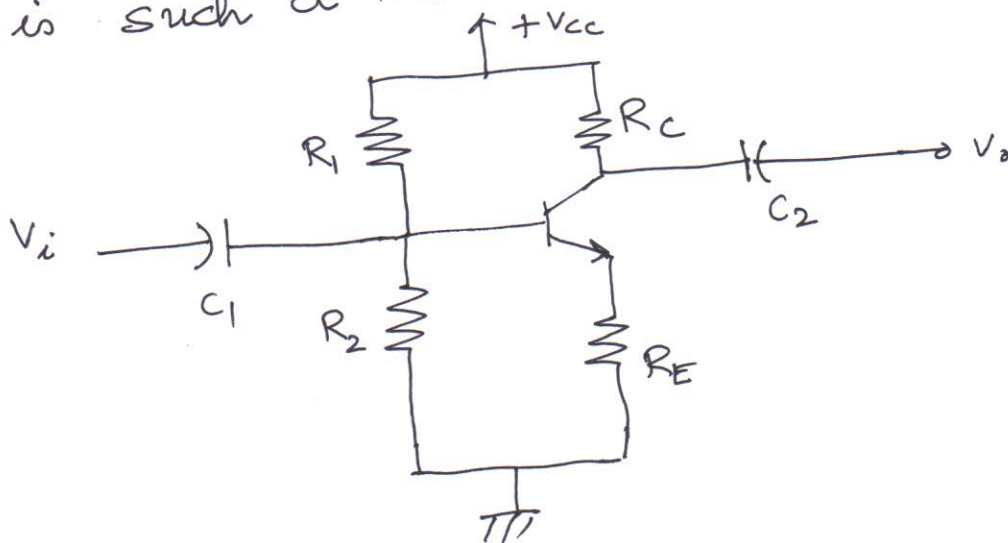
$$S(V_{BE}) = -1/R_E$$

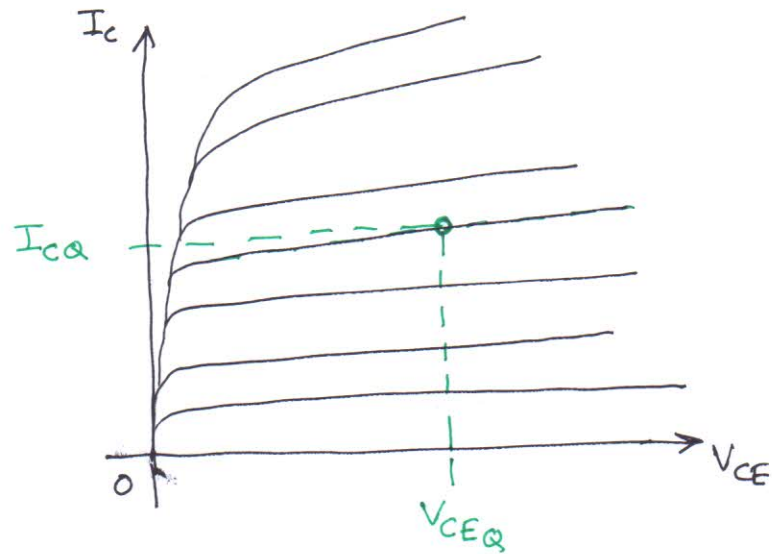
Larger ' $R_E$ ' will ensure higher stability.

## Voltage Divider Bias

- In the previous configurations, the bias  $I_{CQ}$  and voltage  $V_{CEQ}$  were a function of current gain ( $\beta$ ) of the transistor.
- However, since  $\beta$  is temperature sensitive, particularly for Si transistors and actual value of  $\beta$  is not usually well defined, it would be desirable to develop a bias ckt that is less dependent, or in fact, independent of transistor  $\beta$ .

The voltage-divider bias config of Fig below is such a network.



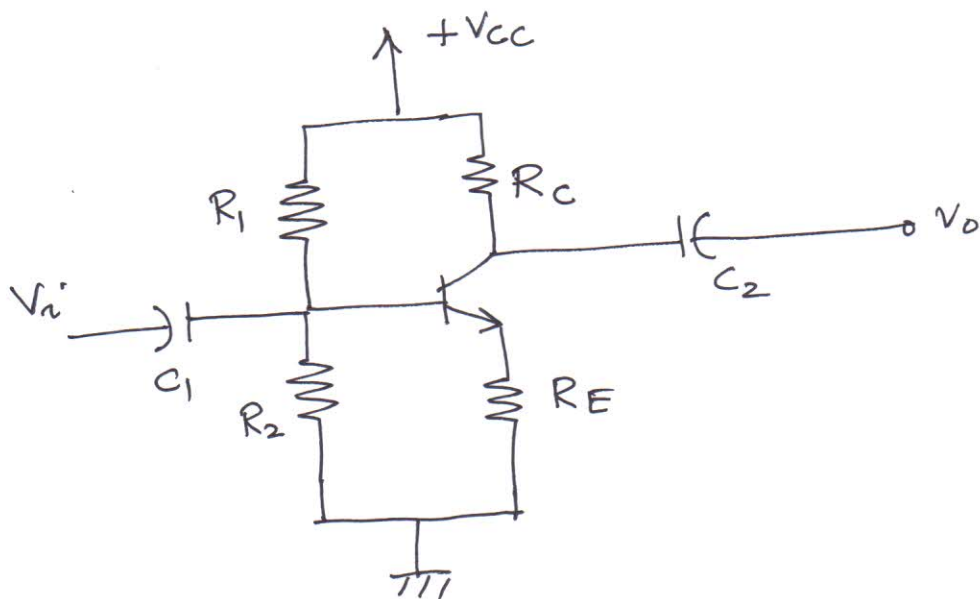


Sensitivity to changes in  $\beta$  is small

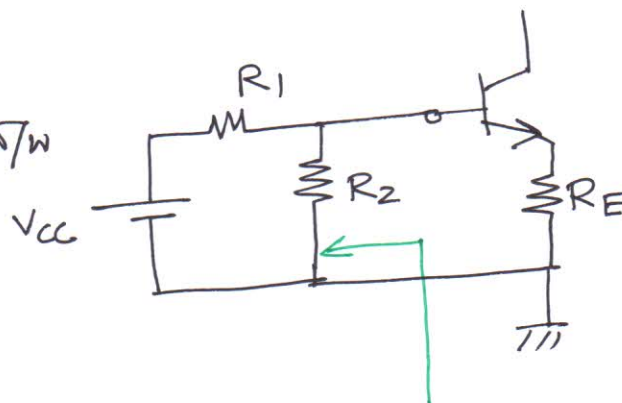
By proper choice of circuit parameters, resulting level of  $I_{CQ}$  and  $V_{CEQ}$  can be made totally independent of  $\beta$ .

The level of  $I_{BQ}$  will change with change in  $\beta$ , but the operating point on the characteristics defined by  $I_{CQ}$  and  $V_{CEQ}$  can remain fixed.





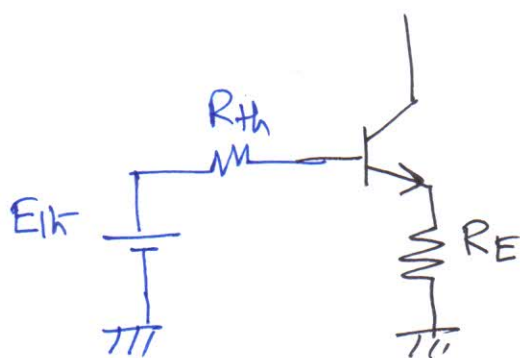
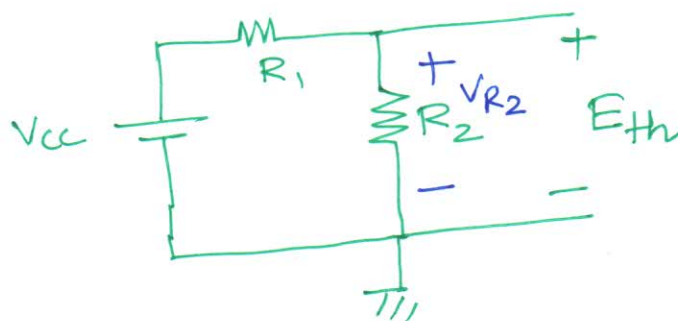
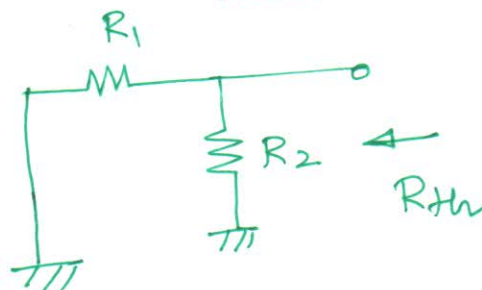
i/p side of the  $n/w$



Thevenin

$$R_{th} = R_1 \parallel R_2$$

$$E_{th} = V_{R_2} = \frac{V_{cc} \cdot R_2}{(R_1 + R_2)}$$



$$I_E = (\beta + 1) I_B$$

$$-E_{th} + I_B R_{th} + V_{BE} + I_E R_E = 0$$

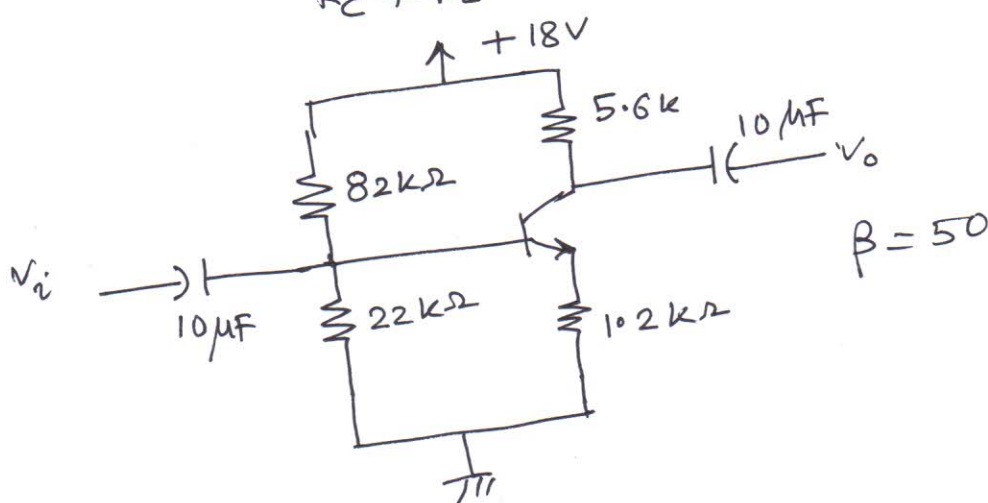
$$I_B = \frac{E_{th} - V_{BE}}{R_{th} + (\beta + 1) R_E}$$

Once  $I_B$  is known, the remaining quantities of the network can be found in the same manner as developed for the emitter-bias config.

$$V_{CE} = V_{CC} - I_C (R_C + R_E)$$

$$\text{or } I_C = \frac{V_{CC} - V_{CE}}{R_C + R_E}$$

Example



$$R_{Th} = R_1 \parallel R_2 = 82 \parallel 22 = 17.35 \text{ k}\Omega$$

$$E_{Th} = \frac{18 \times 22}{82 + 22} = 3.81 \text{ V}$$

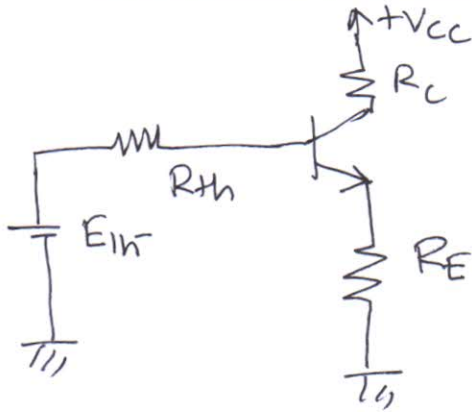
$$I_B = \frac{E_{Th} - V_{BE}}{R_{Th} + R_E (1 + \beta)} = \frac{3.81 - 0.7}{17.35 + 1.2 \times 51} = 39.6 \mu\text{A}$$

$$I_{CQ} = \beta I_B = 50 \times 39.6 \mu\text{A} = 1.98 \text{ mA}$$

$$V_{CEQ} = V_{CC} - I_C (R_C + R_E) \\ = 18 - 1.98 (5.6 + 1.2) = 4.54 \text{ V}$$

## Voltage Divider Bias

### Equivalent ckt.



Following the same approach of Emitter stabilized Bias ckt, we obtain

$$S(I_{CO}) = (\beta + 1) \frac{(1 + R_{Th}/R_E)}{(\beta + 1) + R_{Th}/R_E}$$

Now for Emitter stabilized Bias, we have greatest stability when  $\frac{R_B}{R_E} < 1$  or  $R_E > R_B$   $S \approx 1$

Similarly here  $S \approx 1$  when  $R_E > R_{Th}$

For voltage divider bias,  $R_{Th}$  can be much less than the corresponding  $R_B$  of the emitter-bias configuration, and still have an effective design.

$$I_B = \frac{E_{Th} - V_{BE}}{R_{Th} + (\beta + 1)R_E}$$

$$I_C = \beta I_B + I_{CEO}$$

$$S(V_{BE}) = \frac{\partial I_C}{\partial V_{BE}}$$

$$= \beta \left( -\frac{1}{R_{Th} + (\beta + 1)R_E} \right)$$

$$= -\frac{\beta/R_E}{\frac{R_{Th}}{R_E} + (\beta + 1)}$$

$$\frac{R_{Th}}{R_E} \ll (\beta + 1)$$

$$\text{or } (\beta + 1) \gg \frac{R_{Th}}{R_E}$$

$$= -\frac{\beta/R_E}{(\beta + 1)}$$

$$= -\frac{\beta/R_E}{\beta} = -1/R_E$$

$$\boxed{S(V_{BE}) = -1/R_E}$$

Larger the resistance  $R_E$ , Lower the stability factor, and more stable the system.