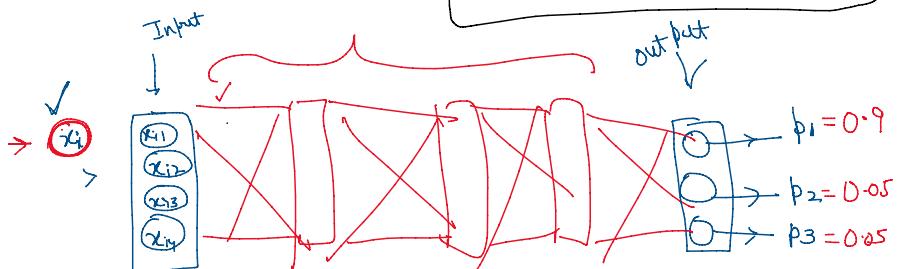


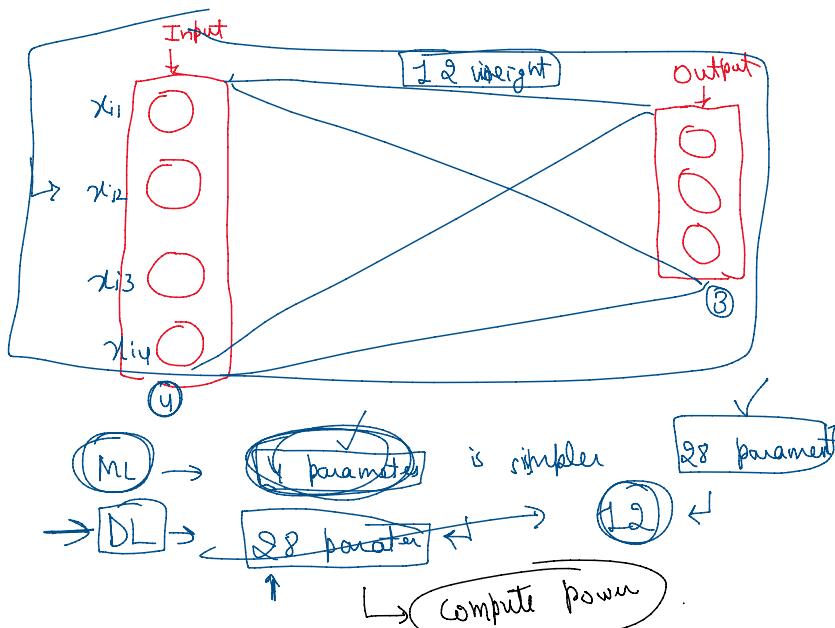
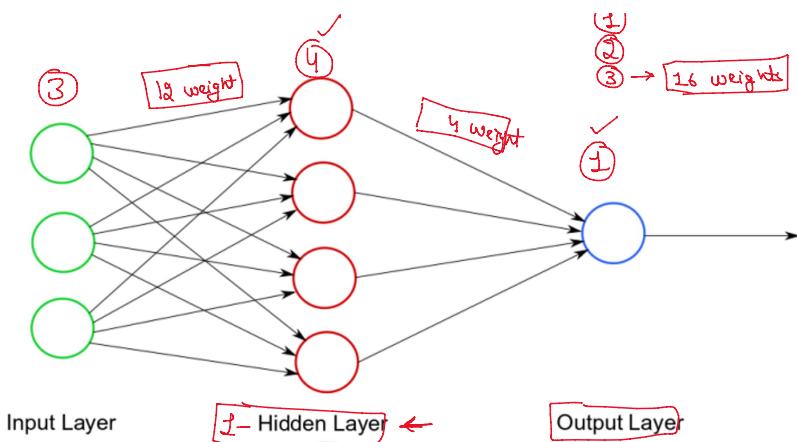
SPECIFICATIONS

- **Graph** → **edges** → **Inter Connections**
- **nodes** → **Artificial Neuron**
- **Input layer** → **No. of nodes = No. of cols**
 $\{ \text{if no feature eng is done} \}$
- **Output layer** →
 - If **Regression Task** → **No. of nodes = 1**
 - If **Classification Tasks** → **No. of nodes = No. of classes in target variable**



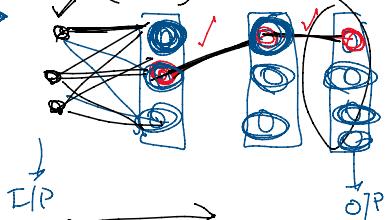
- Each interconnection (edge) is going to have a weight associated with itself
- Each Neuron (node) is going to have an Activation function
- Topology → Structure





Assumptions to simplify the architecture of NN

- ① Neurons (Nodes) are arranged in layer



- ② Multiple layers of neurons will exist & these layers are arranged sequentially

- ③ Neurons that belong to the same layer will never interact (no interconnections)

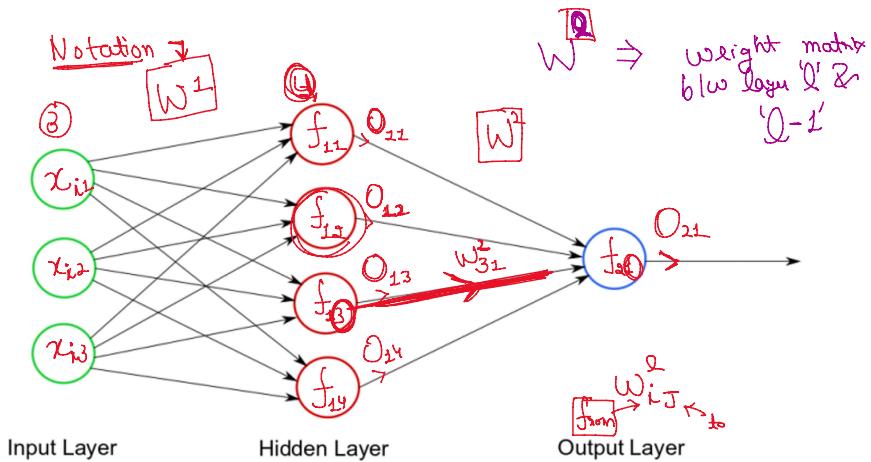
- ④ Neurons are densely connected with the adjacent layer neurons only.

- ⑤ Every edge (interconnection) will have weights associated with it.

- ⑥ { All neurons in Hidden layers will have same }

⑥ { All neurons in Hidden layers will have Same activation function }

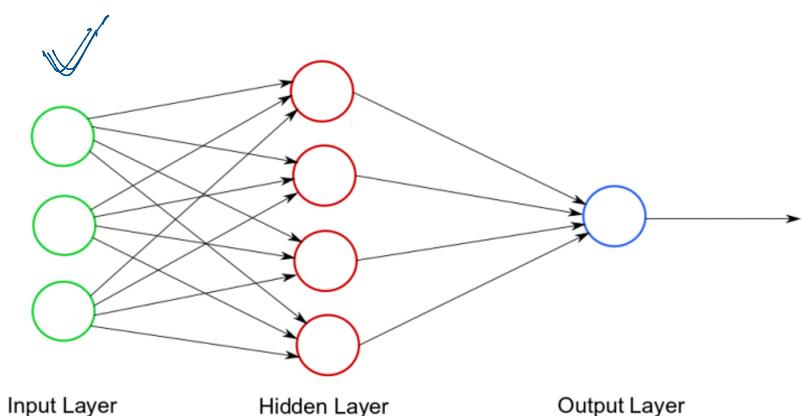
05:15 BREAK



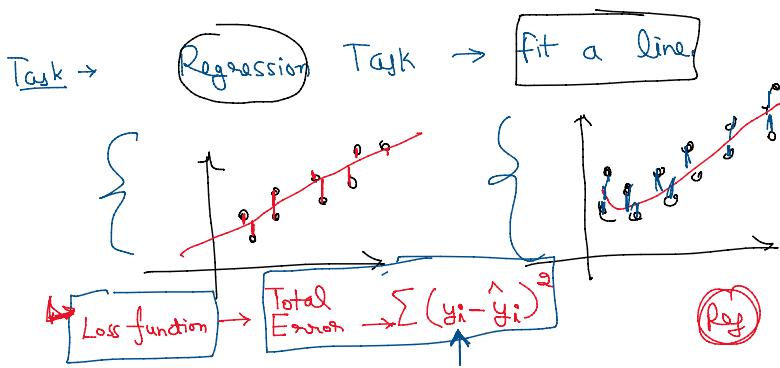
$$\boxed{W^1} = \begin{bmatrix} w_{11}^1 & w_{12}^1 & w_{13}^1 & w_{14}^1 \\ w_{21}^1 & w_{22}^1 & w_{23}^1 & w_{24}^1 \\ w_{31}^1 & w_{32}^1 & w_{33}^1 & w_{34}^1 \end{bmatrix}_{3 \times 4}$$

$$\boxed{W^2} = \begin{bmatrix} w_{11}^2 \\ w_{21}^2 \\ w_{31}^2 \\ w_{41}^2 \end{bmatrix}_{4 \times 1}$$

16 weights



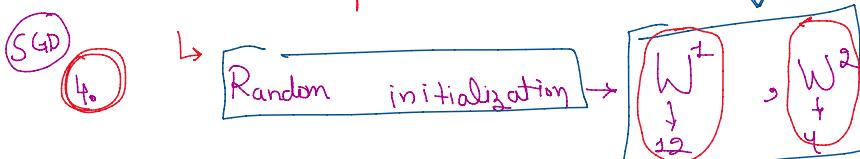
T_{uk} \rightarrow Regression T_{ajk} \rightarrow fit a line



1. Define the Loss function
mean squared errors
2. Pose an optimization problem.
 $\rightarrow \omega^* = \arg \min_{\omega} \sum_N (y_i - \omega^T x_i)^2$

3. Solve this optimization Problem → SGD

$$W^1 = [\quad]_{3 \times 4} \Rightarrow \omega^1 = [\quad]_{4 \times 1}$$



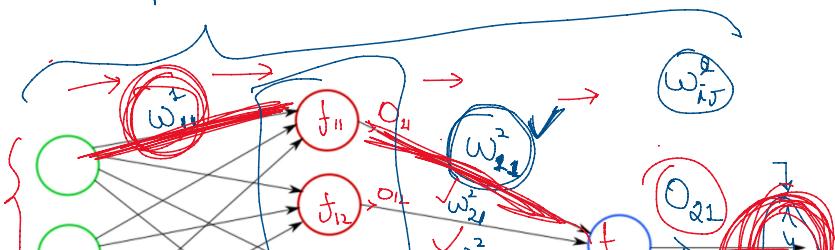
5. Pick a point x_i from dataset

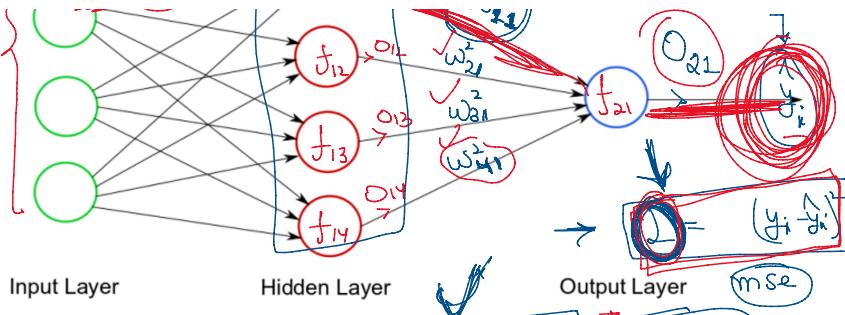
- Forward Propagation of a data point
- a. Feed forward i^{th} data point through the network
 - b. Compute the loss of i^{th} data point → $(y_i - \hat{y}_i)^2$

- Backward propagation
- c. Compute all the derivatives using chain rule of differentiation and memoization
 - d. Update the weights

$$(w_{ij}^l)_{\text{new}} = (w_{ij}^l)_{\text{old}} - \alpha \frac{\partial L}{\partial (w_{ij}^l)_{\text{old}}}$$

6. Repeat Step 5 until convergence.





$$W^2 \quad (\omega_{12}^2)_{\text{new}} = (\omega_{12}^2)_{\text{old}} - \frac{\partial L}{\partial (\omega_{12}^2)_{\text{old}}} \quad \checkmark$$

$$\rightarrow (\omega_{12}^1)_{\text{new}} = (\omega_{12}^1)_{\text{old}} - \frac{\partial L}{\partial (\omega_{12}^1)_{\text{old}}} \quad \checkmark$$

$$\rightarrow \begin{cases} (\omega_{11}^1)_{\text{new}} = (\omega_{11}^1)_{\text{old}} - \frac{\partial L}{\partial (\omega_{11}^1)_{\text{old}}} \\ (\omega_{11}^2)_{\text{new}} = (\omega_{11}^2)_{\text{old}} - \frac{\partial L}{\partial (\omega_{11}^2)_{\text{old}}} \end{cases}$$

Starting @ 4:10 PM Sloped tangent

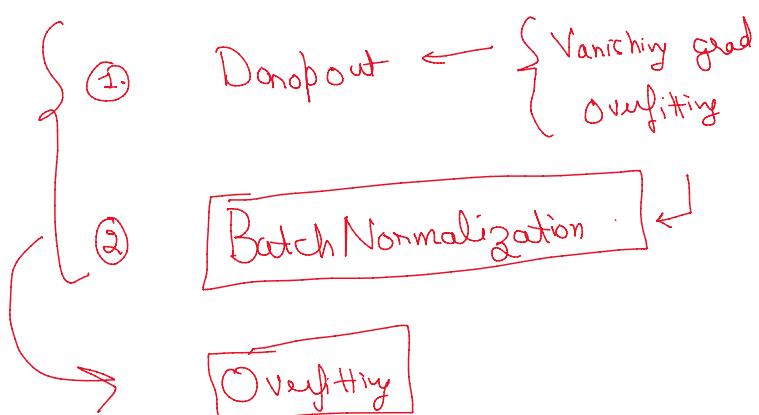
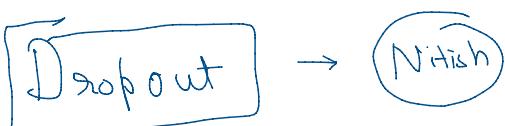
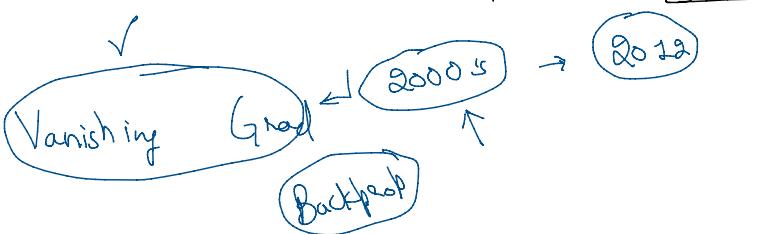
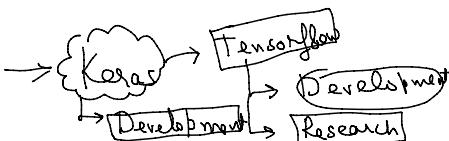
Topic

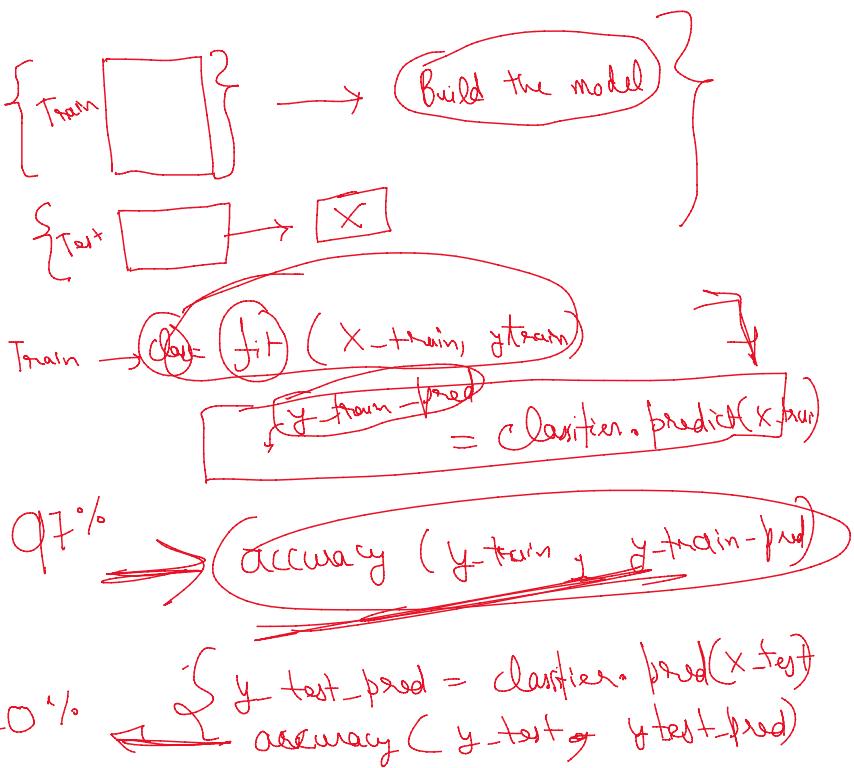
$$\frac{\partial L}{\partial \omega_{11}^1} = \frac{\partial L}{\partial O_{21}} + \frac{\partial O_{21}}{\partial \omega_{11}^1} \cdot \frac{\partial O_{21}}{\partial \omega_{11}^1}$$

- Training deep neural networks

- Regularization

- Coding





How to train Deep Neural Networks

1. Preprocess the Data → Data Normalization → Train-test split } ✓
2. Input layer → # of nodes = No. of columns in the dataset ($X\text{-train}$)
3. Hidden layer →
 - Choose no. of Hidden Layers.
 - Choose no. of neurons in each hidden layer.
 - Choose an activation function → **ReLU**
 - Randomly initialize the weights
If activation function is:
→ Sigmoid/tanh — Use glorot normal
→ ReLU — Use he normal
 - Regularization
 - Batch Normalization
 - Dropout
4. Output layer → No. of neurons:

For classification task = No. of classes

For regression task = 1

5. For Regression →

- Activation function = Linear
in output layer
- Loss = mean squared error
- Metric = mean absolute error

For Classification →

- Activation function = Softmax
in output layer
- Loss = Categorical cross entropy
- Metric = Accuracy

6. Choose an Optimizer

↳ Adam

5:19 - 5:25

