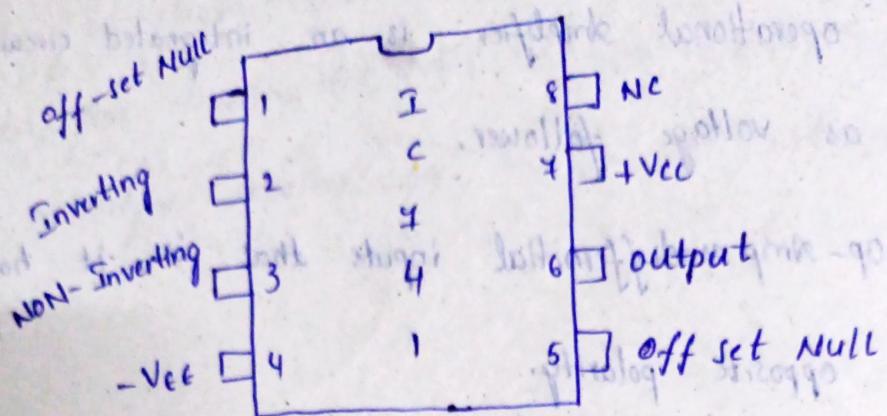


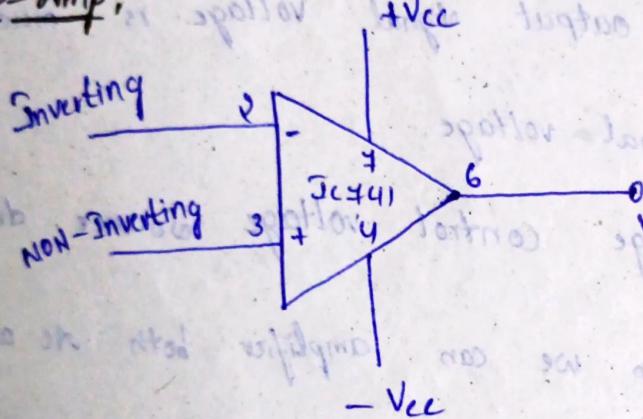
## Operational Amplifier

- An operational amplifier is an integrated circuit.
- Operates as voltage follower.
- An op-Amp has differential inputs that is because it has two inputs of opposite polarity.
- An op-amp as a single output and very high gain which means the output signal voltage is much higher than the input signal voltage.
- It is a voltage control voltage source device.
- By using op-amp we can amplify both AC and DC signals.
- Each amplifier are called operational amplifiers because they are initially design for effective devices to perform arithmetic operations in an analog circuits.
- The op-amp has many other applications in signal processing, measurement and instrumentation.

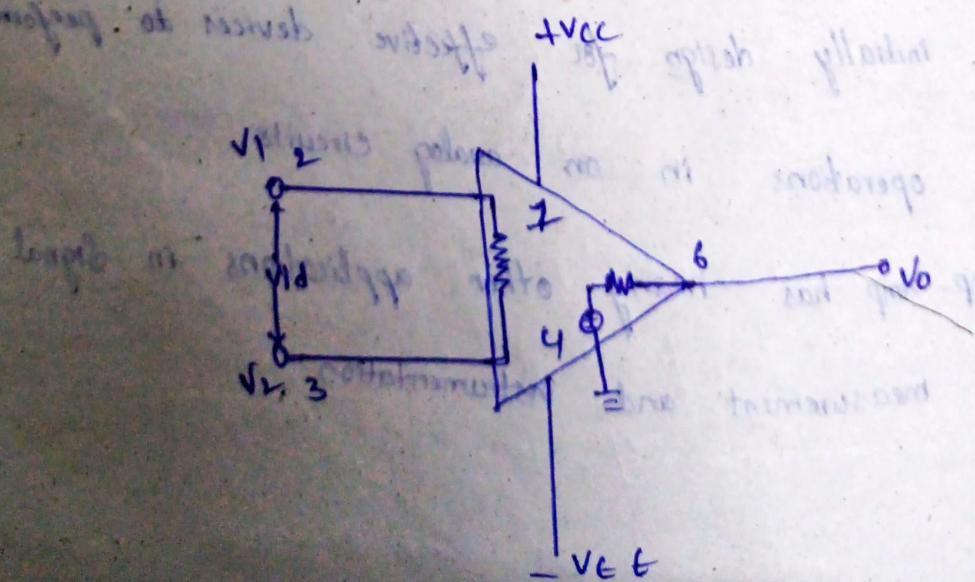
Pin diagram of IC 741 op-amp! -



Ideal op-amp!



equivalent circuit of op-amp!



$$\text{Gain (A)} = \frac{\text{Output voltage}}{\text{Input voltage}}$$

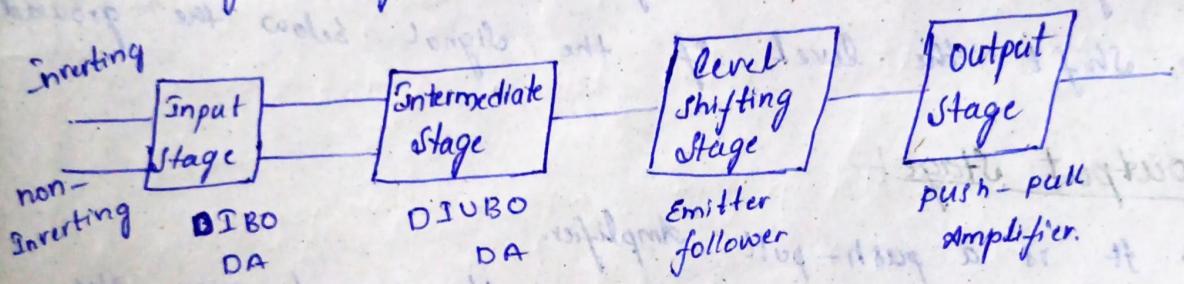
$$V_{id} = V_2 - V_1$$

$$A = \frac{V_o}{V_2 - V_1}$$

$$A = \frac{V_o}{V_{id}}$$

$$V_o = A \cdot V_{id}$$

Block diagram of op-Amp:



### Input Stage

- the input stage is a dual input balanced output and differential amplifier.
- It can amplify the difference b/w the input sources.
- It provides the most of the voltage gain of the amplifier and also establishes input resistance of amplifiers op-amp.

### Intermediate Stage

- It is a dual input unbalanced output

differential amplifier. It is driven by the output of the first stage.

- It can amplify the output of the input stage.
- Because of the Direct-coupling is used, DC voltage at the output of intermediate stage is well above the ground potential.

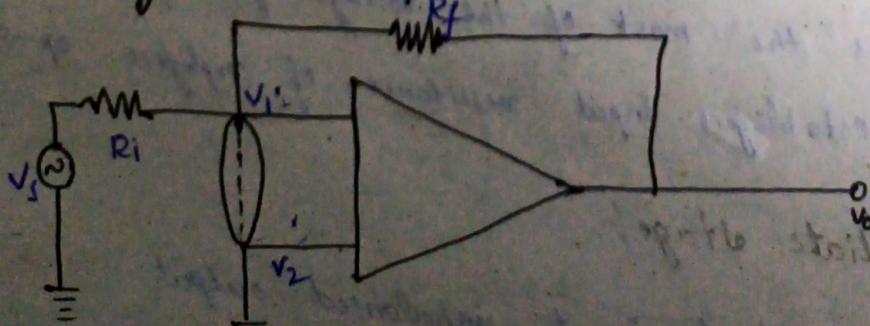
### Level Shifting Stage:-

- It is an emitter follower.
- It will follow the same output only it will change the DC level of the input signal.
- Shift the level of the signal below the ground.

### Output Stage:-

- It is a push-pull amplifier.
- It increases the output voltages and gives the current capabilities of Op-Amp.
- Supplying
- This stage also provides low output resistance.

### Virtual ground concept:-



there  
 $R_i$  = input resistance.  
 $R_f$  = feed back resistance  
 $V_i$  = Inverting voltage  
 $V_2$  = NON-Inverting voltage.

- physically inverting and non-inverting terminals are not connected but virtually they are connected.
- voltage at non-inverting terminal is equal to '0' ( $V_2 = 0$ ).
- from virtual ground concept  $V_i = V_2$  so,  $V_i = 0$
- the currents at the inverting and non-inverting terminals are equal to '0'.

$$\text{Gain} = \frac{V_o}{V_{id}}$$

$$V_{id} = V_2 - V_i \quad (\text{where } V_2 = 0 \text{ & } V_i = 0)$$

$$V_{id} = 0$$

$$\text{Gain} = \frac{V_o}{0}$$

$$\boxed{A = \infty}$$

### Op-Amp parameters:

- i) Input Bias Current
- ii) Input offset current
- iii) Input offset voltage
- iv) Output offset voltage
- v) Slew Rate
- vi) CMRR.

ii) Input Bias current:-  
→ practically average of input currents is called  
as input bias current

$$I_B = \frac{I_1 + I_2}{2}$$

iii) Input offset current:-

→ the algebraic difference b/w currents of inverting and non-inverting are referred as input offset current.

$$I_{IO} = |I_2 - I_1|$$

→ Ideal value of the input offset current is zero but practically in the order of nano amperes.

iv) Input offset voltage:-

→ To make the output voltage is zero some source voltage is applied at the input side then the voltage is called as input offset voltage.

→ for ideal op-amp both inputs are connected to ground then output voltage is equal to zero But practically op-amp voltage is not equal to zero because some source voltage is applied at the input terminals.

v) Output offset voltage:-

→ the difference b/w the inverting and non-inverting

terminals voltage are equal to zero.

$$V_{id} = V_2 - V_1 = 0.$$

- Infinite band width so that the frequency signal '0' to infinite Hz can be amplified
- Infinite CMRR so that output common mode noise voltage is 'zero'
- Infinite slew rate so that output voltage changes simultaneously with input voltage.

5) Slew rate:-

- the rate of change of the output voltage w.r.t time is called as slew rate.
- It indicates the how fast op-amp reacts when input changes

$$SR = \frac{dv_o}{dt}$$

- Units of slew rate is Volts/micro seconds.

6) (CMRR)

- CMRR means common mode rejection ratio.
- It can reject the common mode signals and allow the difference signals.

$$CMRR = \frac{A_{dm}}{A_{cm}}$$

# Characteristics of Op-Amp!-

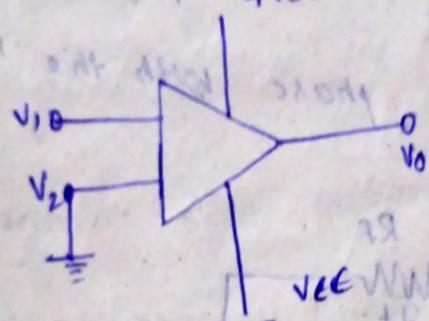
- Infinite voltage gain.
- Input resistance is infinite.
- Zero output resistance so that output can drive infinite no. of other devices.
- zero output voltage when the input voltage is zero.
- Infinite band width so that at any frequency signals zero to infinite Hz can be amplified
- et finuation.
- Infinite CMRR so that output common noise voltage is zero.
- Infinite slew rate so that output voltage changes simultaneously with input voltages.

Parameter	Ideal Value	Practical Value
→ open loop gain	infinite	$10^6$
→ Input resistance	infinite	1 Mega $\Omega$ to 2 mega $\Omega$
→ Output resistance	0	50 $\Omega$ to 100 $\Omega$
→ Band width	infinite	1 mega Hz
→ CMRR	infinite	90 decimal (db)
→ Slew rate	infinite	-
→ off set voltage	0	less than 10 milli volts
→ off set current	0	10 nano amperes.

## Inverting op-amp:-

→ In inverting ideal op-amp voltage source is connected to the inverting terminal and non-inverting terminal is connected to the ground. Inverting op-amp.

## open loop inverting op-amp:-



→ from virtual ground concept of the ideal op-amp. the inverting terminal voltage is equal to non-inverting terminal voltage.

→ the non-inverting terminal voltage  $V_2$  is connected to ground so  $V_2 = 0$

$$V_1 = V_2$$

$$V_1 = 0$$

$$V_1 - V_2 = 0$$

$$V_{id} = V_2 - V_1$$

$$= 0$$

NOW

$$\text{gain } A = \frac{V_0}{V_{id}}$$

$$A = \frac{V_o}{V_i}$$

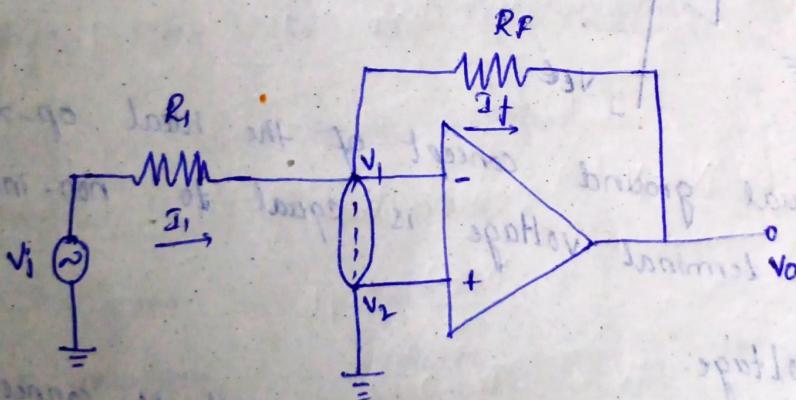
$$A = \infty$$

→ for ideal open loop inverting op-amp its open loop gain is equal to infinite  $A = \infty$

closed loop inverting op-amp:

→ for amplification purpose the resistors are connected at the feed back path.

→ An op-amp circuit provides amplified output signal that is  $180^\circ$  out of phase with the input signal.



from virtual ground concept  $V_1 = V_2$

$$V_2 = 0$$

$$V_1 = 0$$

Apply KCL on the voltage source node  $V_1 = 0$ .

$$I_1 = I_F$$

$$S_I = \frac{V_I - V_1}{R_1}$$

Here  $S_I$  is current of bottommost node in bottom part of bridge circuit. In top part of bridge circuit,  $S_F = 0$  because  $V_1 = 0$ . Now if bottom node is at  $V$ , then top node will be  $V + S_F$ . So  $S_I = S_F$ . Now  $\frac{V_I - V_0}{R_F} = \frac{0 - V_0}{R_F}$

$$\frac{V_I - 0}{R_F} = \frac{0 - V_0}{R_F}$$

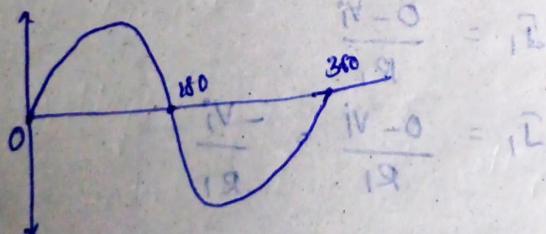
$$\frac{V_I}{R_F} = \frac{-V_0}{R_F}$$

$$\frac{V_0}{V_I} = \frac{-R_F}{R_F}$$

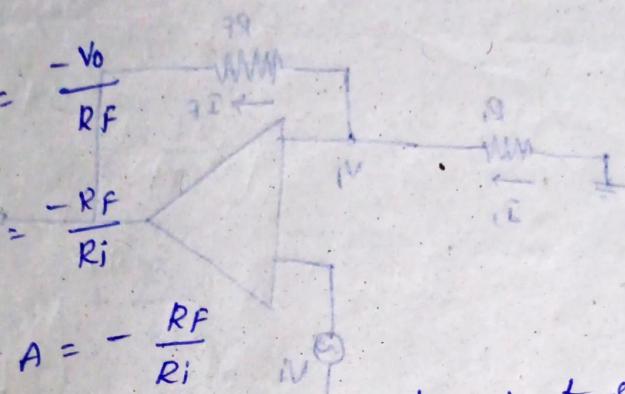
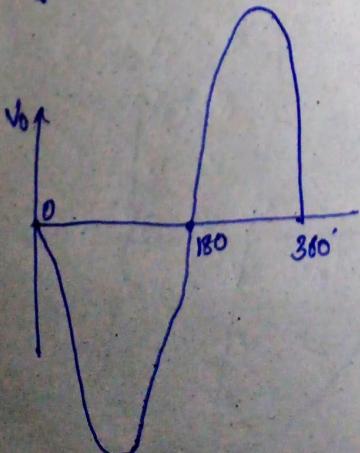
$$\text{Now gain } A = -\frac{R_F}{R_F}$$

→ '-' negative sign indicates inverting input signal with  $180^\circ$  out of phase.

Input:-



Output:-



$$0 \leftarrow 90^\circ = 12$$

$$\frac{V - 0}{12} = 12$$

$$\frac{V - 0}{12} = 12$$

$$\frac{0V - V}{90} = 12$$

$$\frac{0V - -V}{90} = 12$$

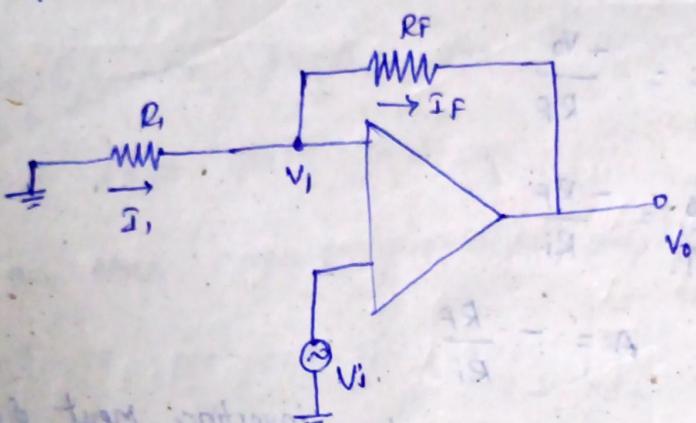
$$90 = 12$$

Q mark. well

## NON-Inverting op-Amp :-

- Inverting terminal is connected to the ground and non-inverting terminal is connected to the voltage source. Then it is called as NON-Inverting op-Amp.
- the phase difference b/w input signal and output signal is  $0^\circ$ .

Circuit :-



Apply KCL at the node  $V_1$

$$I_1 = I_F \rightarrow ①$$

from virtual ground concept  $V_1 = V_i$

$$I_1 = \frac{0 - V_i}{R_1}$$

$$I_1 = \frac{0 - V_i}{R_1} = \frac{-V_i}{R_1}$$

And

$$I_F = \frac{V_i - V_o}{R_F}$$

$$I_1 = \frac{V_i - V_o}{R_F}$$

Now from ①

$$I_1 = I_F$$

$$\frac{-V_i}{R_1} = \frac{V_i - V_o}{R_F}$$

$$\frac{-V_i}{R_1} = \frac{V_i - V_o}{R_F}$$

$$\frac{V_o}{R_F} = \frac{V_i}{R_1} + \frac{V_i}{R_F}$$

$$\frac{V_o}{R_F} = V_i \left( \frac{1}{R_F} + \frac{1}{R_1} \right)$$

$$\frac{V_o}{V_i} = 1 + \frac{R_F}{R_1}$$

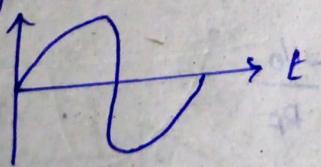
$$A = 1 + \frac{R_F}{R_1}$$

$$V_o = V_i \left[ 1 + \frac{R_F}{R_1} \right]$$

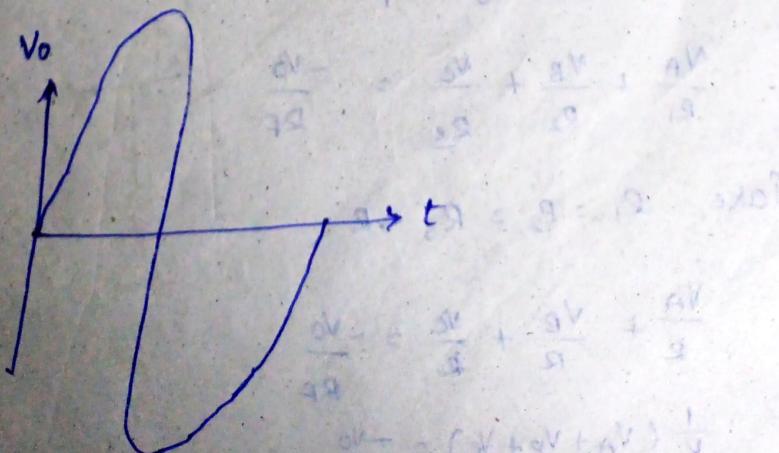
→ the phase difference b/w input signal and output

Signal is '0'. that means the gain is in positive.

Input:-

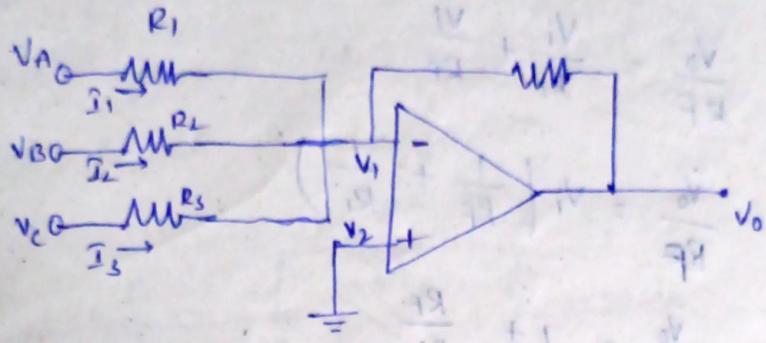


Output:-



Op-amp as a adder (or) summing amplifier :-

→ Op-amp as an adder circuit provides an output voltage is equal to the sum of the input voltages.



from virtual ground concept  $V_1 = V_2 = 0$

Apply KCL at Node  $V_1 = I_1 + I_2 + I_3 = I_f$

$$\text{Now } I_1 = \frac{V_A - V_1}{R_1} = \frac{V_A}{R_1}$$

$$[\because \text{Where } V_1 = 0] \quad I_2 = \frac{V_B - V_1}{R_2} = \frac{V_B}{R_2}$$

$$I_3 = \frac{V_C - V_1}{R_3} = \frac{V_C}{R_3}$$

$$\text{and } I_f = \frac{V_1 - V_o}{R_f} = -\frac{V_o}{R_f}$$

$$\text{Now } I_1 + I_2 + I_3 = I_f$$

$$\frac{V_A}{R_1} + \frac{V_B}{R_2} + \frac{V_C}{R_3} = -\frac{V_o}{R_f}$$

$$\text{Take } R_1 = R_2 = R_3 = R$$

$$\frac{V_A}{R} + \frac{V_B}{R} + \frac{V_C}{R} = -\frac{V_o}{R_f}$$

$$\frac{1}{R} (V_A + V_B + V_C) = -\frac{V_o}{R_f}$$

$$\therefore V_o = -\frac{R_f}{R} (V_A + V_B + V_c)$$

Take if  $R_f = R$  then

$$\therefore V_o = -(V_A + V_B + V_c)$$

$\therefore$  there negatives indicate the op-amp is inverting.

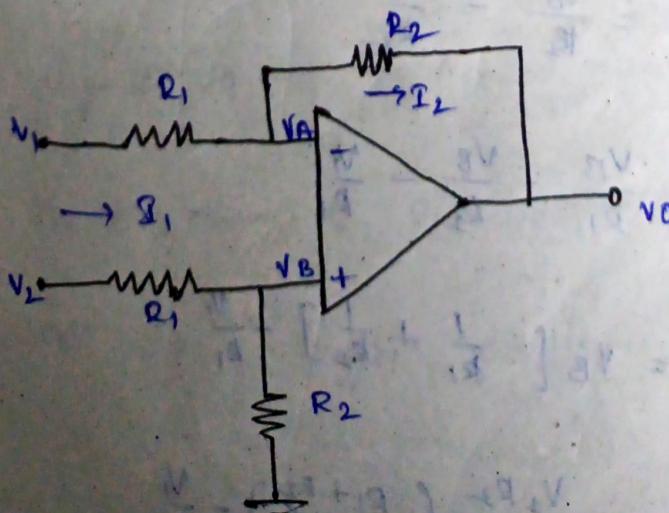
→ the output voltage is equal to the summation of the input voltage.

→ adder op-amp also called as summing amplifier.

Op-Amp as a Subtractor:-

→ Op-Amp is an subtractor circuit provides an output voltage is equal to the subtraction of the input voltages.

→ Subtractor op-amp is also a difference amplifier.



from virtual ground concept  $V_A = V_B$

from voltage division rule  $I = \frac{\text{total voltage}}{\text{total resistance}}$  (M)

$$V_B = \frac{V_2 R_2}{R_1 + R_2}$$

equivalent circuit diagram with resistors and voltages

apply KCL at node  $V_A$

$$I_1 = I_2$$

$$\text{Now } I_1 = \frac{V_1 - V_A}{R_1}$$

$$I_1 = \frac{V_1 - V_B}{R_1}$$

$$I_2 = \frac{V_A - V_O}{R_2}$$

$$I_2 = \frac{V_B - V_O}{R_2}$$

$$\text{Now } I_1 = I_2$$

$$\frac{V_1 - V_B}{R_1} = \frac{V_B - V_O}{R_2}$$

$$\frac{V_1}{R_1} - \frac{V_B}{R_1} = \frac{V_B}{R_2} - \frac{V_O}{R_2}$$

$$\frac{V_O}{R_2} = \frac{V_B}{R_1} + \frac{V_B}{R_2} - \frac{V_1}{R_1}$$

$$\frac{V_O}{R_2} = V_B \left[ \frac{1}{R_1} + \frac{1}{R_2} \right] - \frac{V_1}{R_1}$$

$$\frac{V_O}{R_2} = \frac{V_2 R_2}{R_1 + R_2} \left( \frac{R_1 + R_2}{R_1 R_2} \right) - \frac{V_1}{R_1}$$

$$\frac{V_O}{R_2} = \frac{V_2}{R_1} - \frac{V_1}{R_1}$$

$$\frac{V_0}{R_2} > \frac{1}{R_1} (V_2 - V_1)$$

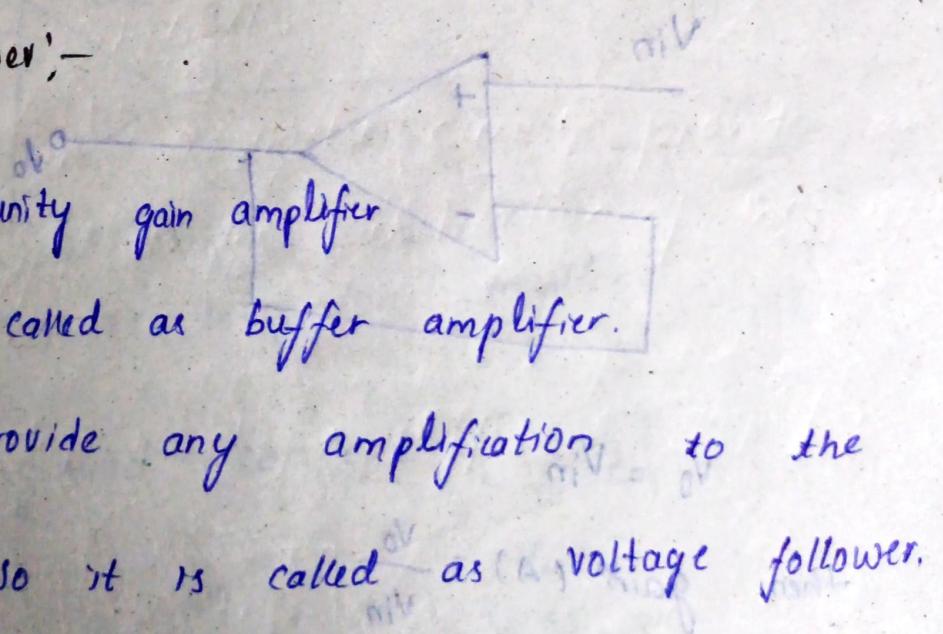
$$V_0 = \frac{R_2}{R_1} (V_2 - V_1)$$

if take  $R_2 = R_1$  then

$$V_0 = (V_2 - V_1)$$

→ the output voltage is equal to the subtraction of input voltages so it is called as difference amplifier.

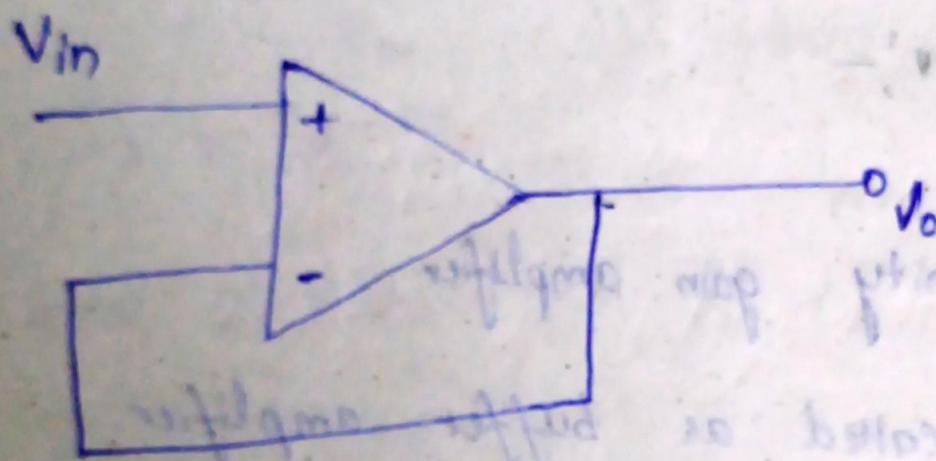
### Voltage follower:-



- If is a unity gain amplifier
- It is also called as buffer amplifier.
- If doesn't provide any amplification to the input signal. So it is called as voltage follower.
- If  $V_{id} = 0$  then  $V_o = V_i$ . So voltage follower

is called as buffer amplifier.

Op-Amp as a voltage follower:-



$$V_o = V_{in}$$

then gain ( $A$ ) =  $\frac{V_o}{V_{in}}$

$$A = \frac{V_o}{V_{in}}$$

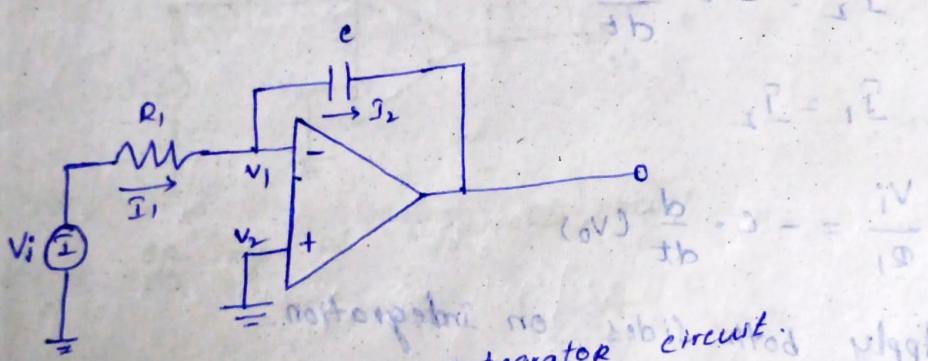
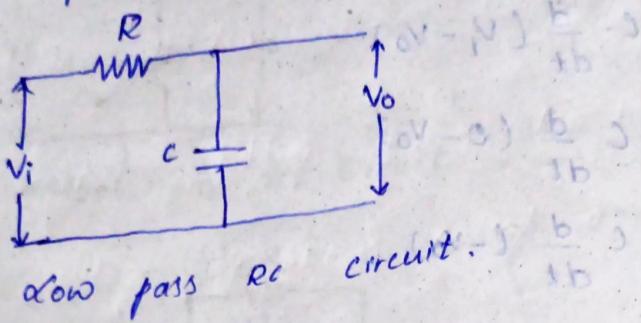
$$\boxed{A = 1}$$

Op-Amp as a Integrator:-

- Low pass RC circuit act as an integrator
- In integrator the output voltage is directly

proportional to the integration of input voltage.

→ In integrator circuit resistor is connected at the series path and capacitor is connected at the feed back path



from virtual ground concept  $V_1 = V_2$

$$V_2 = 0$$

$$V_1 = V_2 = 0$$

$$Q = CV$$

$$I = \frac{Q}{t}$$

$$I = C \cdot \frac{dV}{dt}$$
 (current flowing through capacitor).

Apply KCL at Node  $V_1$

$$I_1 = I_2$$

$$I_1 = \frac{V_i - V_o}{R_1}$$

$$\begin{aligned} & V_i = 0 \\ & I_1 = \frac{V_i}{R_1} \\ & = \frac{V_i}{R_1} \end{aligned}$$

$$I_2 = C \cdot \frac{d}{dt} (V_i - V_o)$$

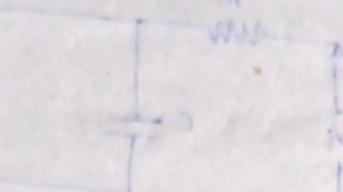
$$= C \frac{d}{dt} (0 - V_o)$$

$$= C \frac{d}{dt} (-V_o)$$

$$I_2 = -C \frac{dV_o}{dt}$$

$$I_1 = I_2$$

$$\frac{V_i}{R_1} = -C \cdot \frac{d}{dt} (V_o)$$



Apply both sides on integration.

$$\int \frac{V_i}{R_1} dt = \int C \cdot \frac{d}{dt} (V_o) dt$$

$$V_o = -\frac{1}{R_1 C} \int V_i dt$$

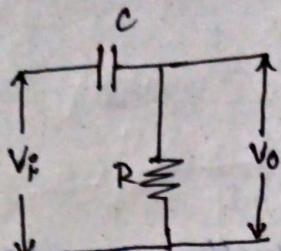
$$V_o \propto \int V_i dt$$

Op-Amp as differentiator:-

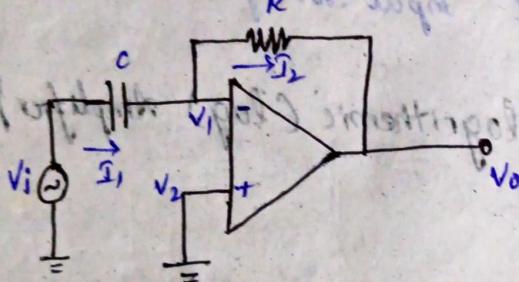
→ High pass RC circuit acts as a differentiator.

→ In differentiator the output voltage is directly proportional to the differentiation of Input Voltage.

→ In differentiation circuit capacitor is connected at the series path and resistor is connected at the feedback path.



at ~~for low frequency~~ points of High pass RC circuit.



op-amp as differentiator circuit

from virtual ground concept  $V_1 = V_2$

$$V_1 = V_2 = 0$$

Applying KCL at node  $V_1$  -  $I_1 = I_2$

$$I_1 = C \cdot \frac{d}{dt} (V_i - V_1)$$

$$= C \cdot \frac{dV_i}{dt}$$

$$I_2 = V_1 - V_o$$

$$(1 \rightarrow \text{in}) \text{ or } R \text{ or } C$$

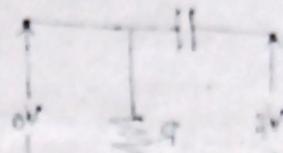
$$I_2 = -\frac{V_o}{R}$$

$$I_1 = I_2$$

$$\text{c} \frac{dV_i}{dt} = -\frac{V_o}{R}$$

$$V_o = -RC \frac{dV_i}{dt}$$

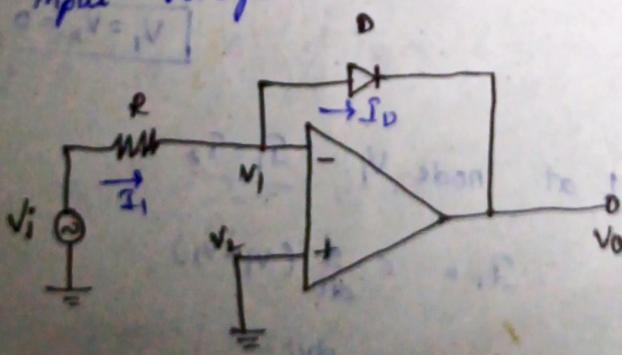
$$V_o \propto \frac{dV_i}{dt}$$



the output voltage is directly proportional to the differentiation of input voltage.

Op-Amp as a logarithmic (log) Amplifier with Diode:-

→ In op-Amp as a logarithmic amplifier the output voltage is directly proportional to the logarithm of the input voltage.



op-Amp as a logAmplifier circuit.

$$\text{Diode equation} = I_D = I_{D0} (e^{\frac{V}{nV_T}} - 1)$$

from virtual ground concept  $V_2 = 0$

$$\text{so, } V_1 = V_2 = 0$$

Apply KCL at node 1.  $I = I_D$

$$I = \frac{V_i - V_1}{R}$$

$$I = \frac{V_i}{R}$$

NOW,  $I_D = I_0 (e^{\frac{V_i - V_0}{nV_T}} - 1)$

$$I_D = I_0 \left[ e^{\frac{V_i - V_0}{nV_T}} - 1 \right]$$

$$I_D = I_0 \left[ e^{-\frac{V_0}{nV_T}} - 1 \right]$$

$$\frac{V_i}{R} = I_0 \left[ e^{-\frac{V_0}{nV_T}} - 1 \right]$$

Neglect ' $I$ '

$$\frac{V_i}{I_0 R} = \left[ e^{-\frac{V_0}{nV_T}} \right]$$

Apply log on both sides.

$$\log \left[ \frac{V_i}{I_0 R} \right] = \log \left[ e^{-\frac{V_0}{nV_T}} \right]$$

$$\log \left[ \frac{V_i}{I_0 R} \right] = -\frac{V_0}{nV_T}$$

$$V_0 = -nV_T \log \left( \frac{V_i}{I_0 R} \right)$$

$$V_0 \propto \log(V_i)$$