

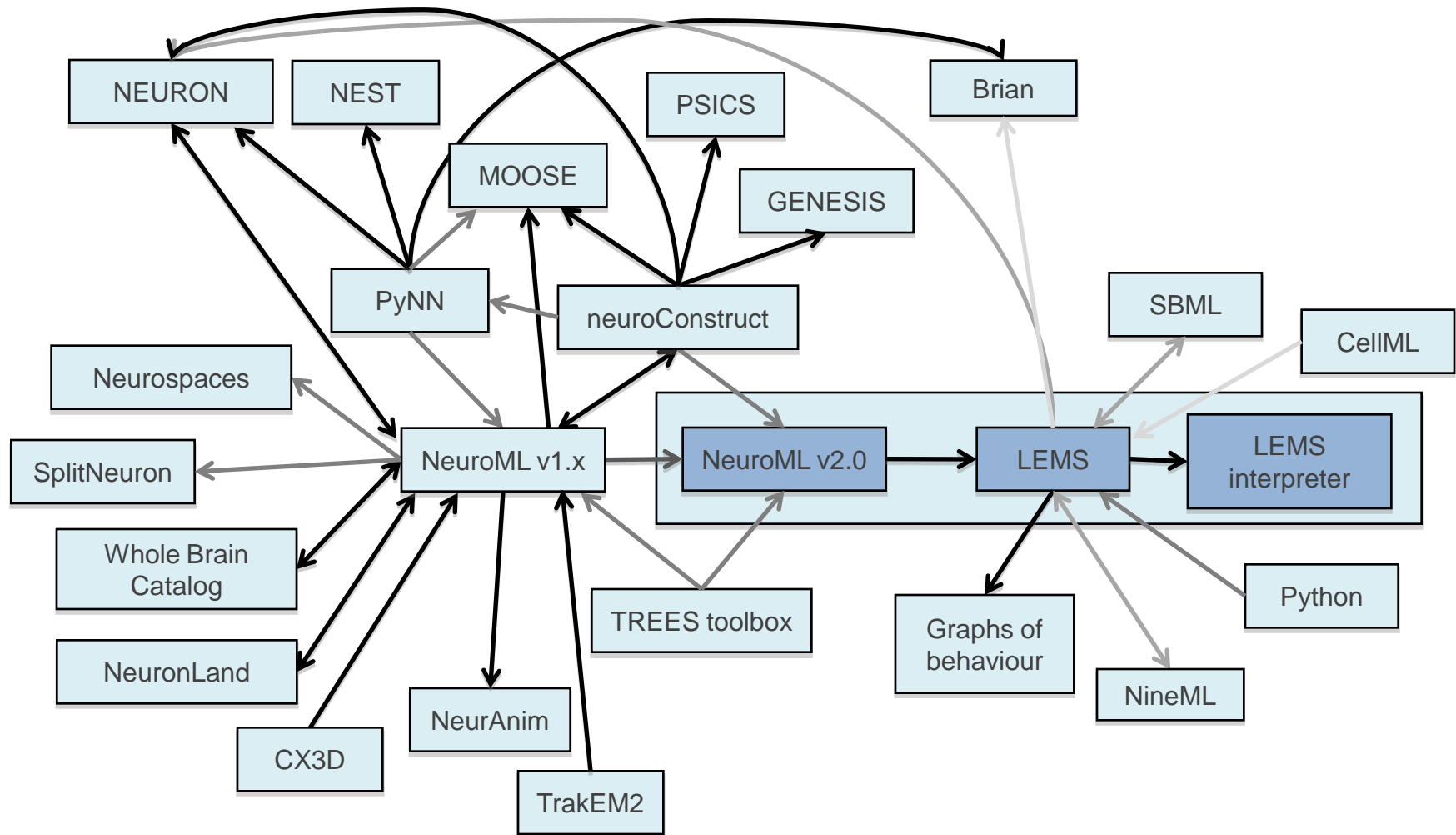
Transforming LEMS/NeuroML v2.0 models to & from other formats

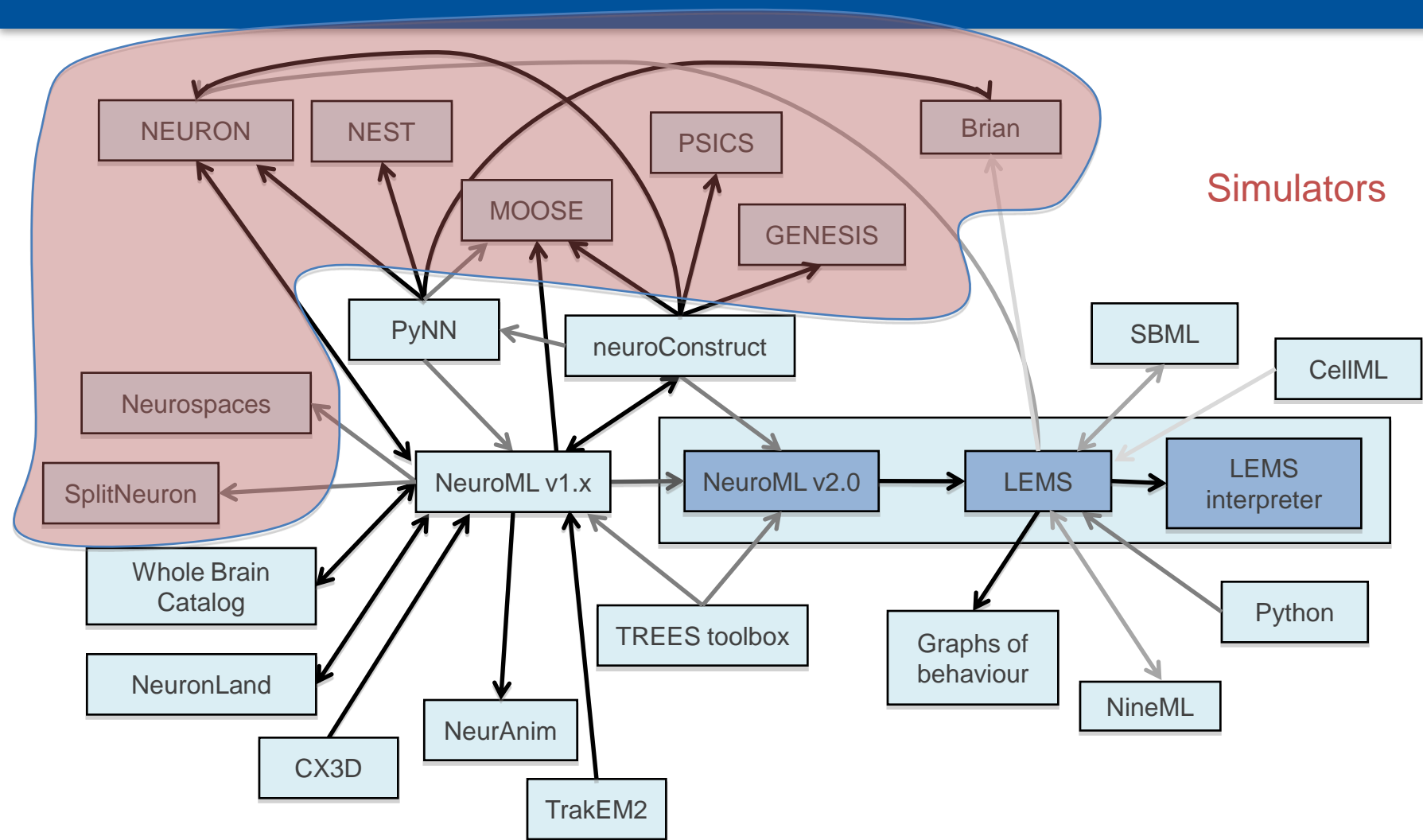
Padraig Gleeson

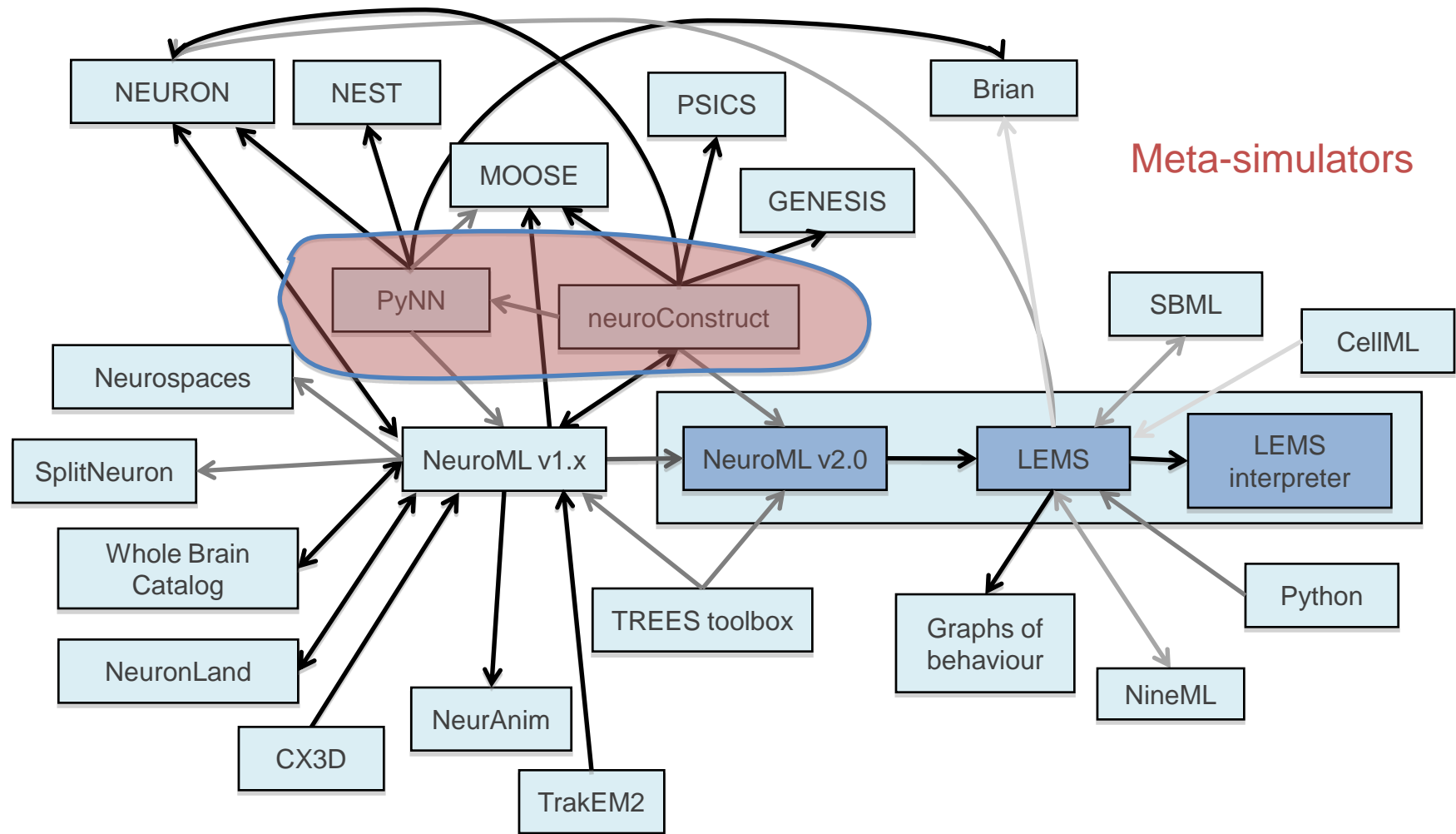
Lab of Prof. R. Angus Silver

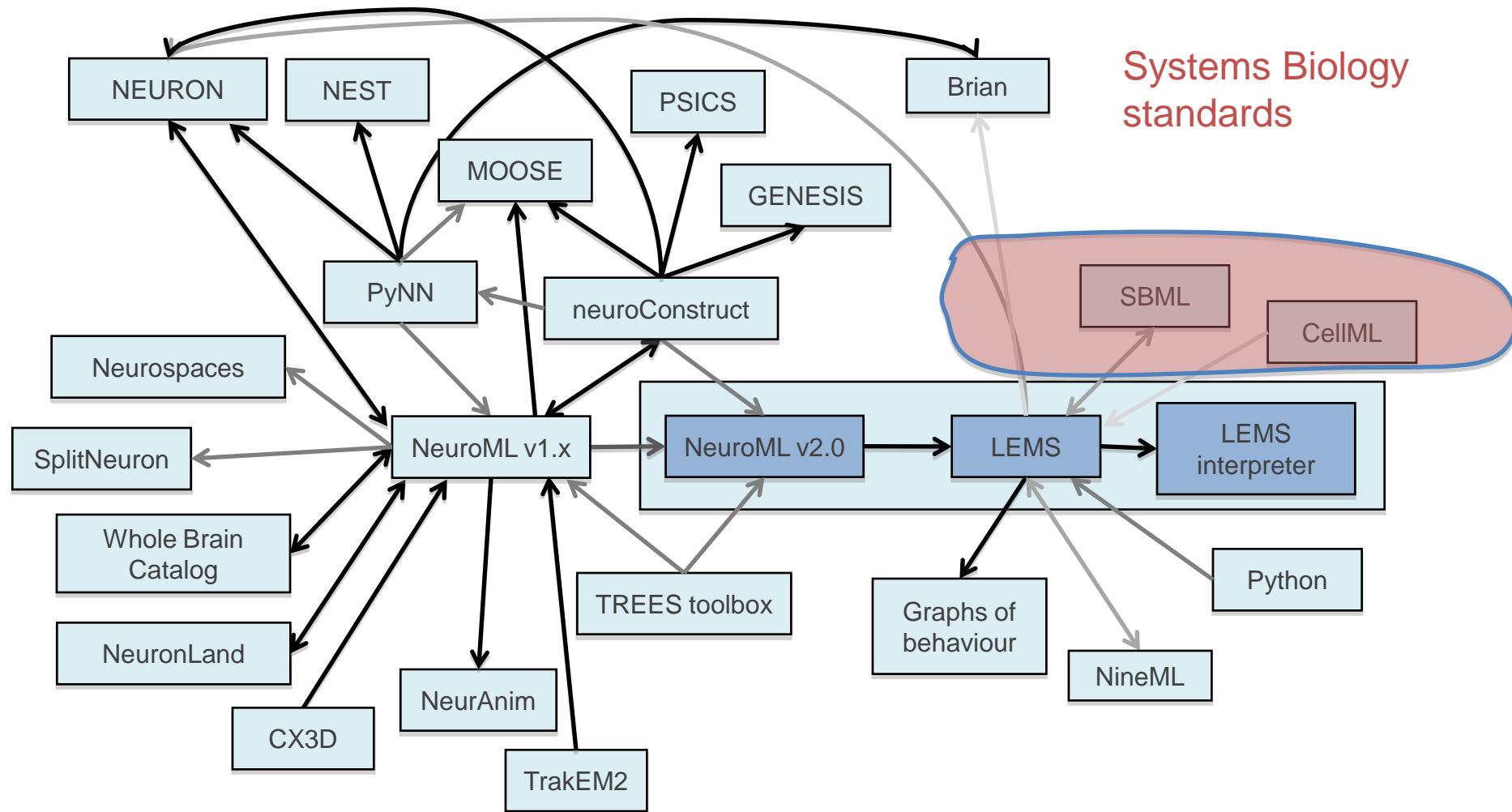
Department of Neuroscience, Physiology and Pharmacology

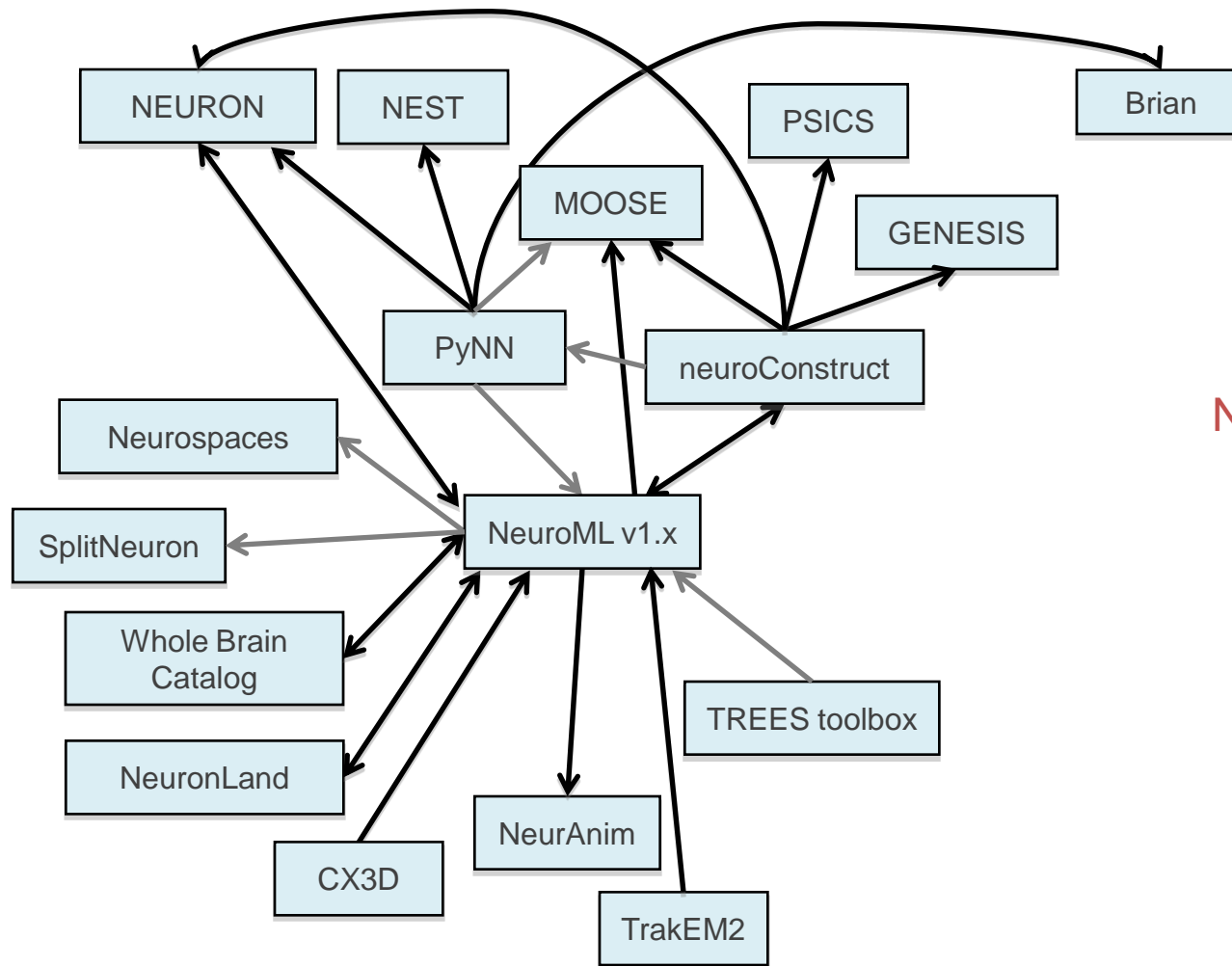
University College London



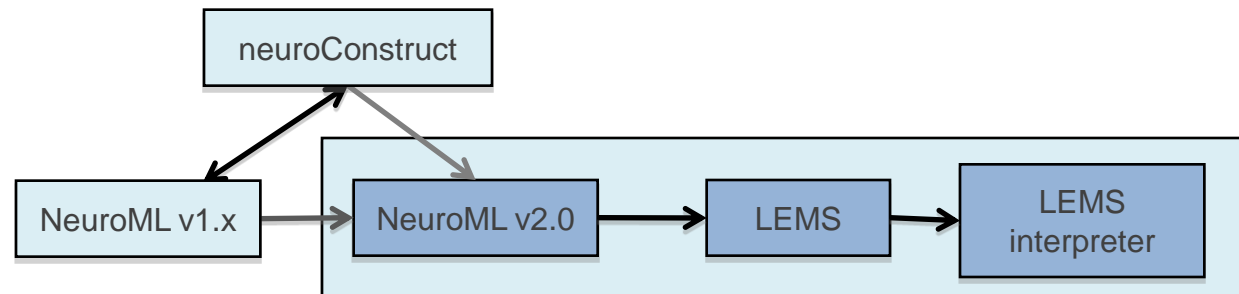


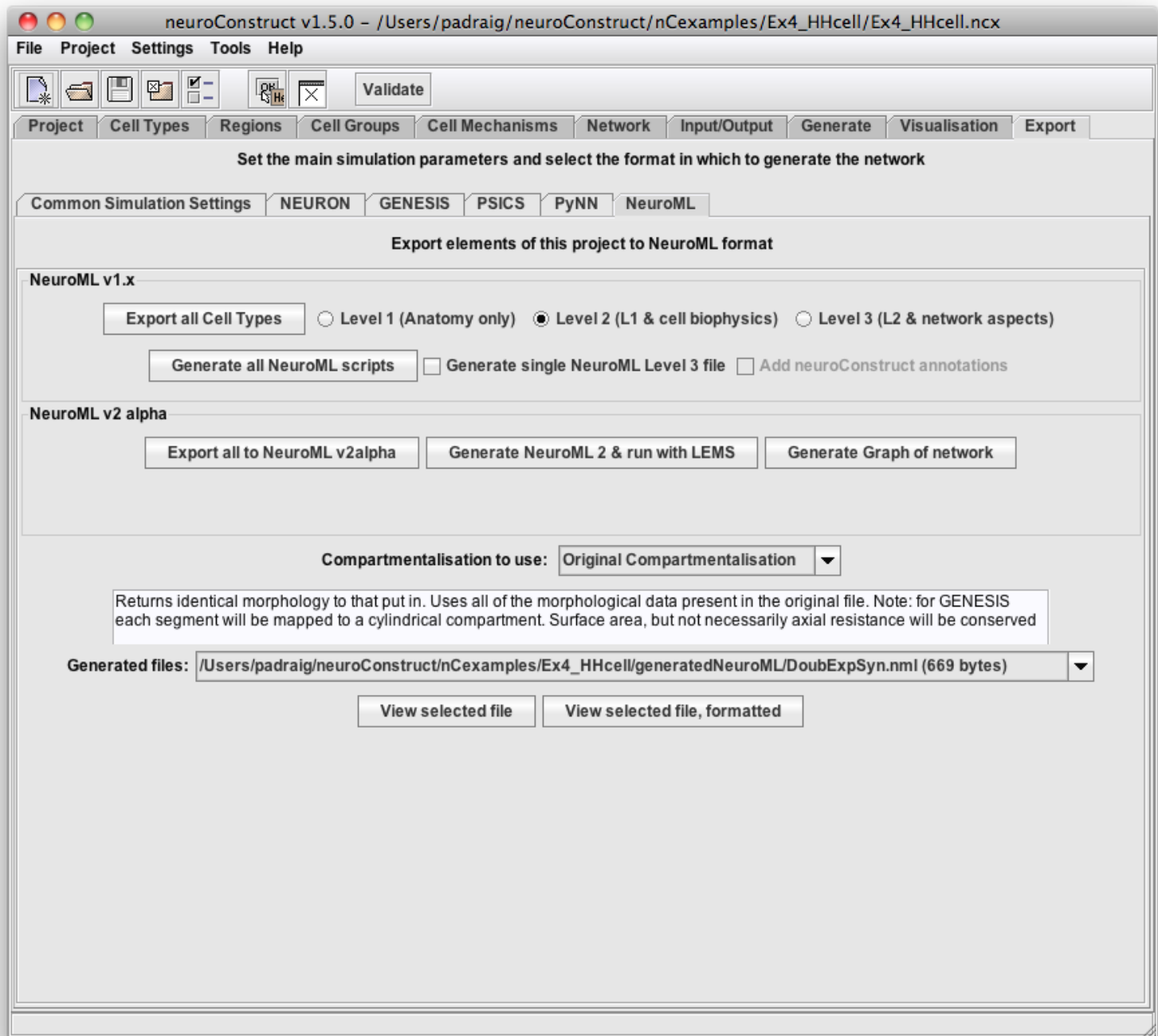






NeuroML version 1.x
tool support






```

<neuroml xmlns= "http://www.neuroml.org/schema/neuroml2" xmlns:xsi= "http://www.w3.org/2001/XMLSchema-instance" xsi:schemaLocation = "http:

<include href = "NaConductance.nml"/>

<include href = "LeakConductance.nml"/>

<include href = "KConductance.nml"/>

<cell id = "TestCell_ChannelML">

  <notes>A Simple cell with HH channels specified in ChannelML</notes>

  <morphology id = "morphology_TestCell_ChannelML">

    <segment id = "0" name = "Soma">
      <proximal x = "0.0" y = "0.0" z = "0.0" diameter = "16.0"/>
      <distal x = "0.0" y = "0.0" z = "0.0" diameter = "16.0"/>
    </segment>

    <segmentGroup id = "Soma">
      <member segment = "0"/>
    </segmentGroup>

    <segmentGroup id = "all">
      <include segmentGroup = "Soma"/>
    </segmentGroup>

    <segmentGroup id = "soma_group">
      <include segmentGroup = "Soma"/>
    </segmentGroup>

  </morphology>

  <!-- Adding the biophysical parameters -->

  <biophysicalProperties id = "biophys">

    <membraneProperties>

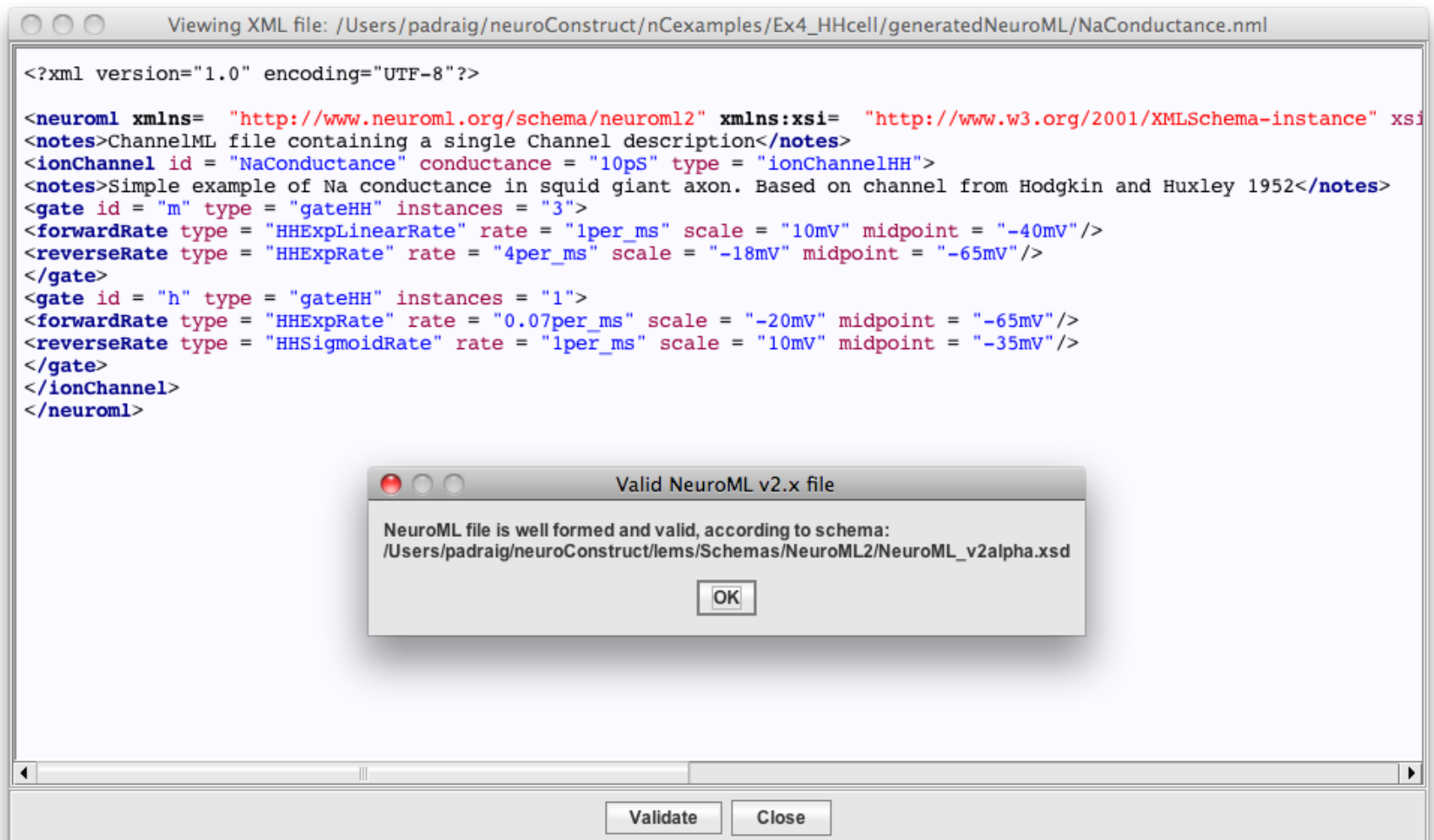
      <channelDensity id = "NaConductance_all" ionChannel = "NaConductance" condDensity = "120.0 mS_per_cm2" erev = "50.0 mV"/>
      <channelDensity id = "LeakConductance_all" ionChannel = "LeakConductance" condDensity = "0.3 mS_per_cm2" erev = "-54.3 mV"/>
      <channelDensity id = "KConductance_all" ionChannel = "KConductance" condDensity = "36.0 mS_per_cm2" erev = "-77.0 mV"/>
      <spikeThresh value = "0 mV"/>
      <specificCapacitance value = "1.0 uF_per_cm2"/>
      <initMembPotential value = "-60.0 mV"/>

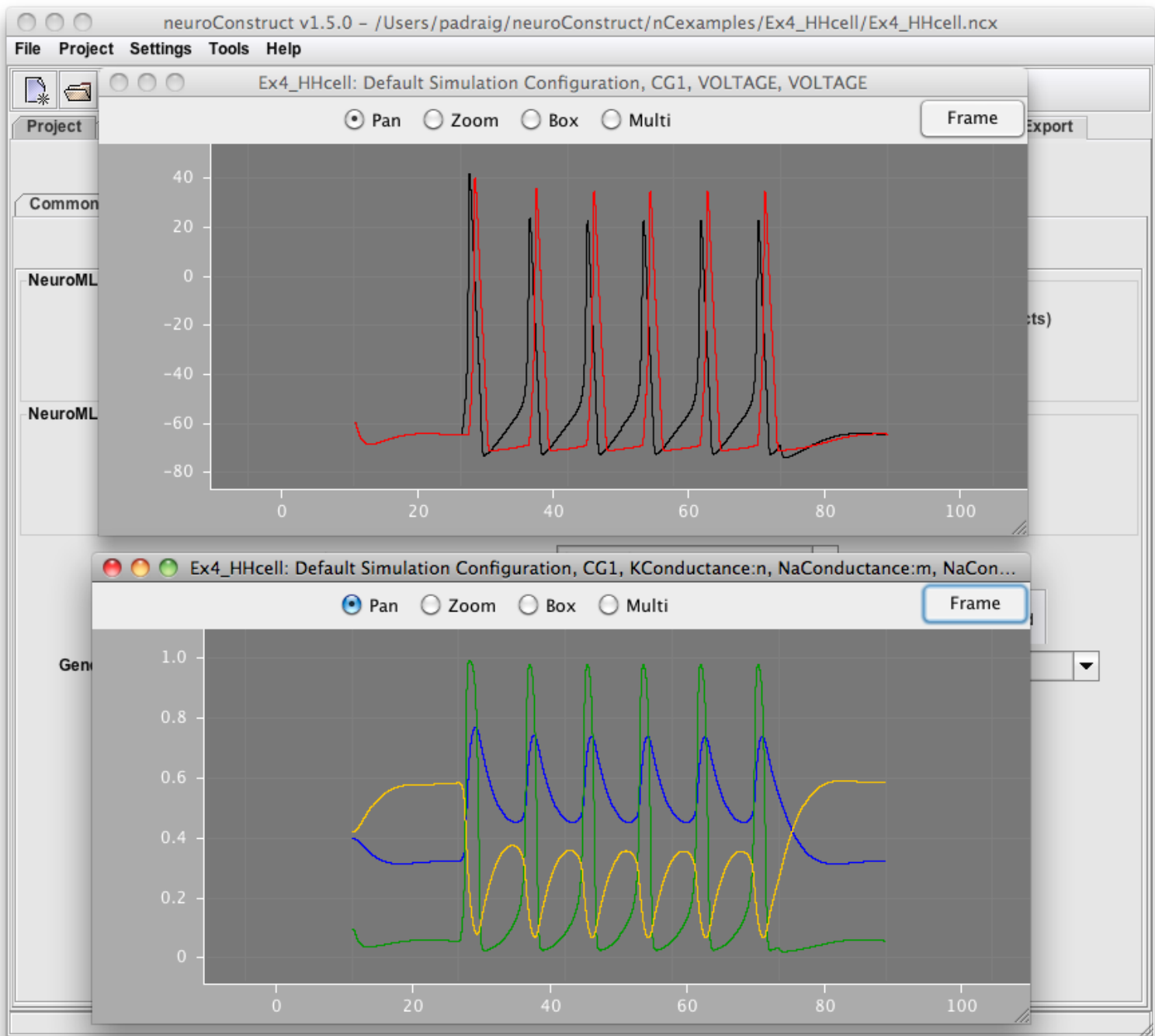
    </membraneProperties>

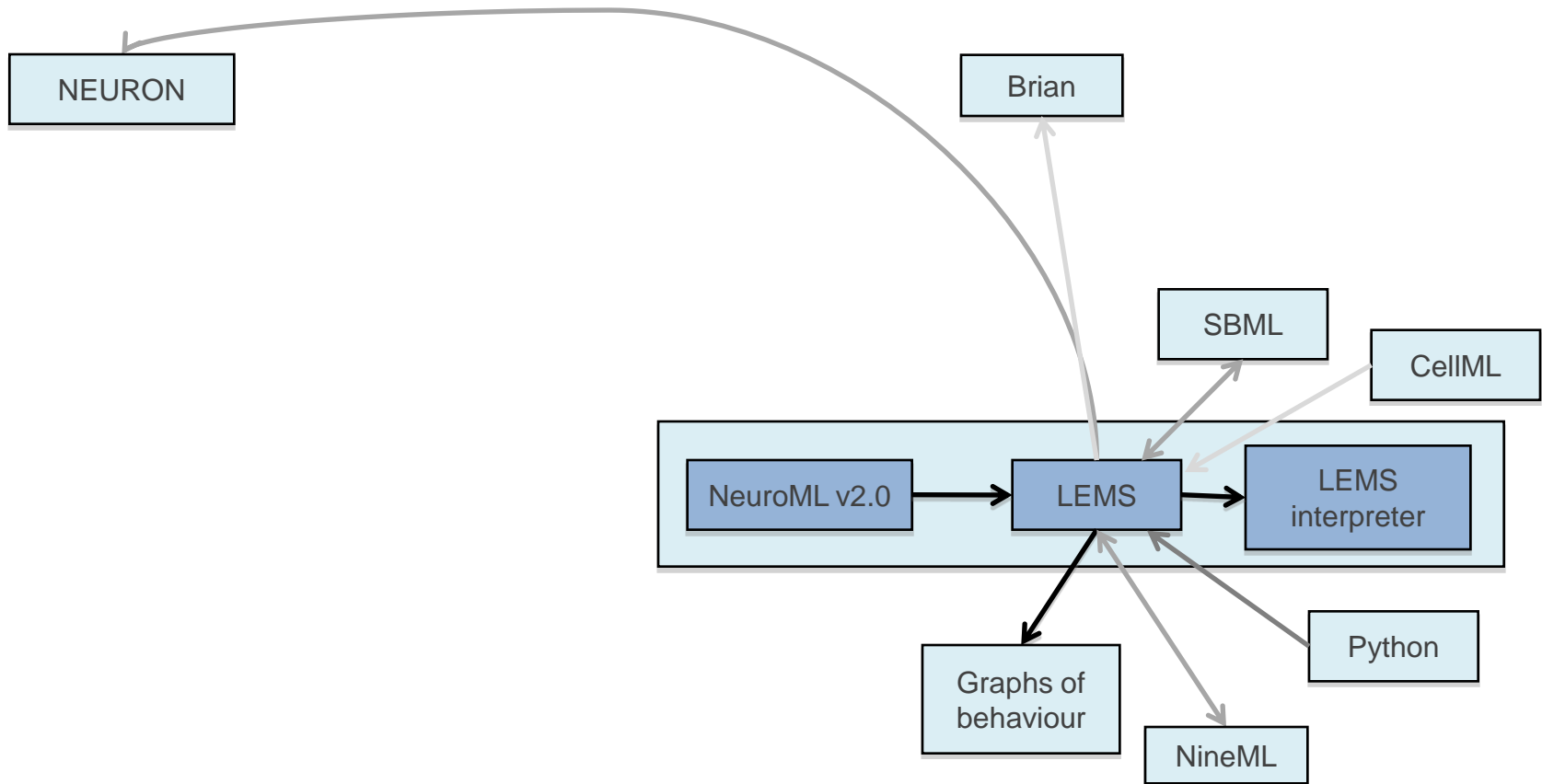
```

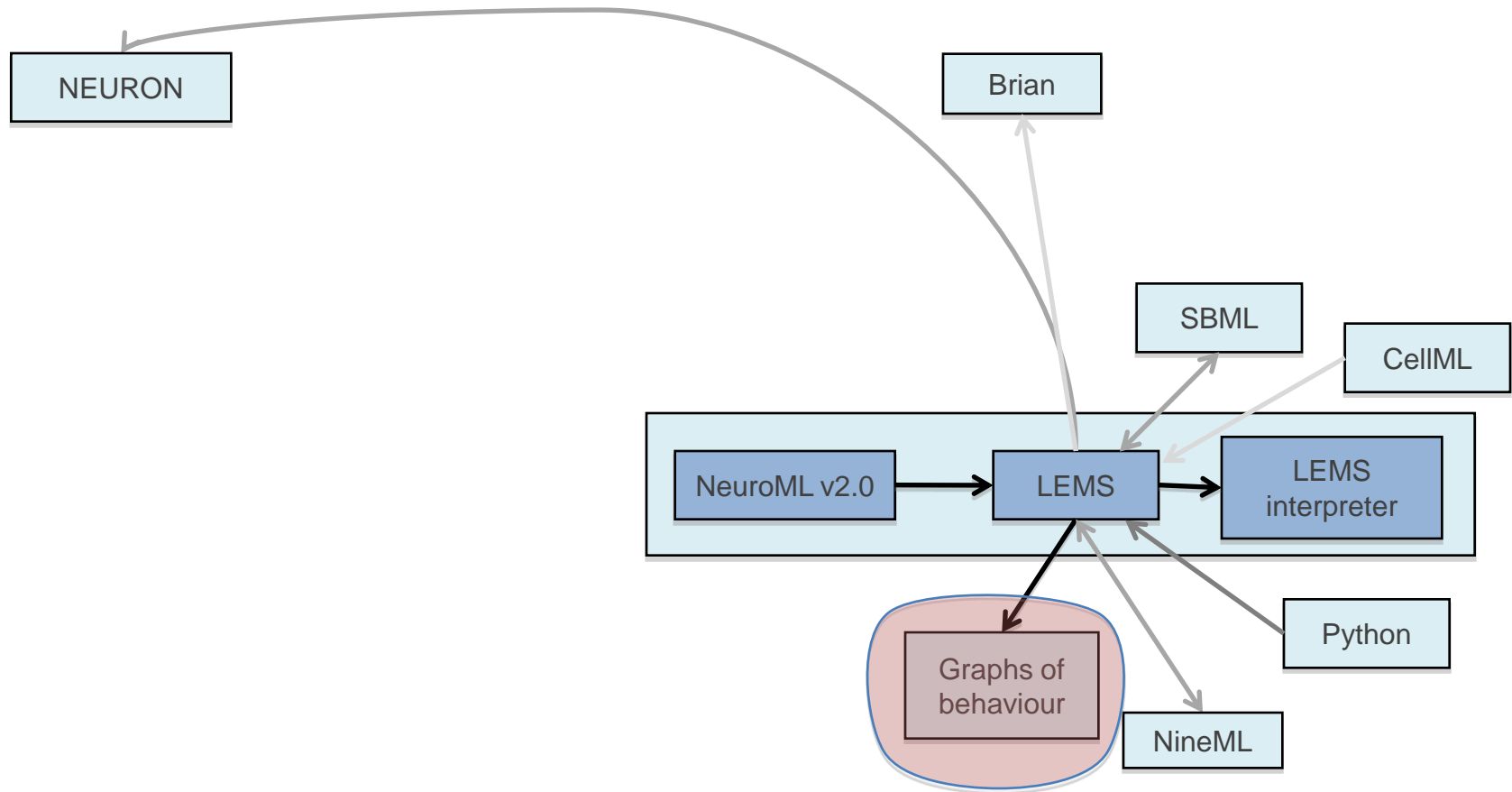
lems/ChannelMLConvert/ChannelML2NeuroML2.xsl

enables mapping ChannelML -> NeuroML 2 for (simple) channels & synapses









Adaptive Exponential Integrate & Fire neuron

- Brette & Gernstner 2005

$$C \frac{dV}{dt} = -g_L(V - E_L) + g_L \Delta_T \exp\left(\frac{V - V_T}{\Delta_T}\right) - g_e(t)(V - E_e) - g_i(t)(V - E_i) - w$$

$$\tau_w \frac{dw}{dt} = a(V - E_L) - w$$

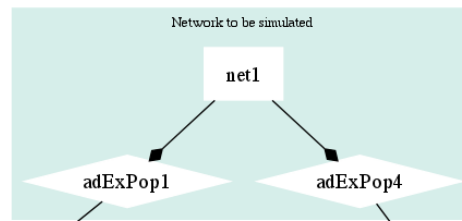
At spike time ($V > 20$ mV): $V \rightarrow E_L$
 $w \rightarrow w + b$

Example network in NeuroML 2.0

```
<adExIaFCell id="adExBurst2"      C="281pF" gL="30nS" EL="-70.6mV" reset="-48.5mV" VT = "-50.4mV"
  thresh = "-40.4mV" delT="2mV" tauw="40ms" a = "4nS" b = "0.08nA"
  Iamp="0.8nA" Idel="0ms" Idur="2000ms"/>

<adExIaFCell id="adExRebound"     C="281pF" gL="30nS" EL="-60mV" reset="-51mV" VT = "-54mV"
  thresh = "-30mV" delT="2mV" tauw="150ms" a = "200nS" b = "0.1nA"
  Iamp="-0.5nA" Idel="150ms" Idur="50ms"/>

<network id="net1">
  <population id="adExPop1" component="adExBurst2" size="1"/>
  <population id="adExPop4" component="adExRebound" size="1"/>
</network>
```



Components

adExIaFCCell (id = adExBurst2)

$C = 2.81\text{E-}10$ F, $g_L = 3.0\text{E-}8$ S, $E_L = -0.0706$ V,
 $V_T = -0.0504$ V, $\text{thresh} = -0.0404$ V, $\text{reset} = -0.0485$ V,
 $\text{delT} = 0.0020$ V, $\text{tauw} = 0.04$ s, $\text{Iamp} = 8.0\text{E-}10$ A,
 $\text{Idel} = 0$ s, $\text{Idur} = 2$ s, $a = 4.0\text{E-}9$ S,
 $b = 8.0\text{E-}11$ A

adExIaFCCell (id = adExRebound)

$C = 2.81\text{E-}10$ F, $g_L = 3.0\text{E-}8$ S, $E_L = -0.06$ V,
 $V_T = -0.054$ V, $\text{thresh} = -0.03$ V, $\text{reset} = -0.051$ V,
 $\text{delT} = 0.0020$ V, $\text{tauw} = 0.15$ s, $\text{Iamp} = -5.0\text{E-}10$ A,
 $\text{Idel} = 0.15$ s, $\text{Idur} = 0.05$ s, $a = 2.0\text{E-}7$ S,
 $b = 1.0\text{E-}10$ A

Component Types

adExIaFCCell

w (current)
 I (current)
 v (voltage)

C (capacitance), *gL* (conductance), *EL* (voltage),
VT (voltage), *thresh* (voltage), *reset* (voltage),
delT (voltage), *tauw* (time), *Iamp* (current),
Idel (time), *Idur* (time), *a* (conductance),
b (current)

Isyn = *synapses*[*]/*i* (REDUCE: add)

$v' = (-1 * g_L * (v - E_L) + g_L * \text{delT} * \exp((v - V_T) / \text{delT}) - w + I + \text{Isyn}) / C$
 $w' = (a * (v - E_L) - w) / \text{tauw}$
 IF ($v > \text{thresh}$) THEN
 ($v = \text{reset}$ AND ($w = w + b$))
 IF (($t > \text{Idel}$) AND ($t < (\text{Idel} + \text{Idur})$)) THEN
 ($I = \text{Iamp}$)
 IF ($t > (\text{Idel} + \text{Idur})$) THEN
 ($I = 0$)

abstractCellMembPot

v (voltage)

abstractCell

C (membrane capacitance)

281 pF

gL (leak conductance)

30 nS

EL (leak reversal potential)

-70.6 mV

VT (spike threshold)

-50.4 mV

Δ_T (slope factor)

2 mV

τ_w (adaptation time constant)

144 ms

a (subthreshold adaptation)

4 nS

b (spike-triggered adaptation)

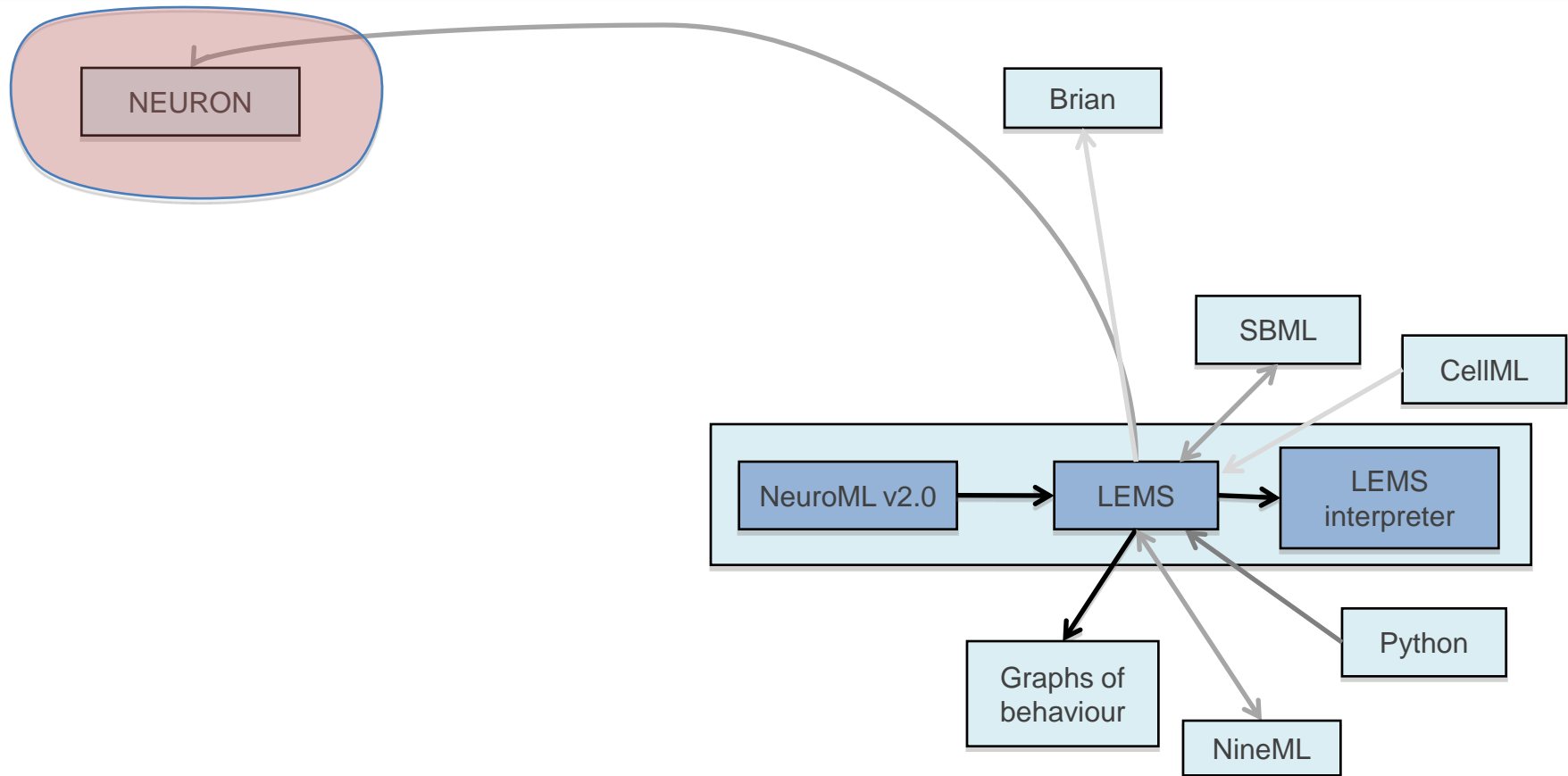
0.0805 nA

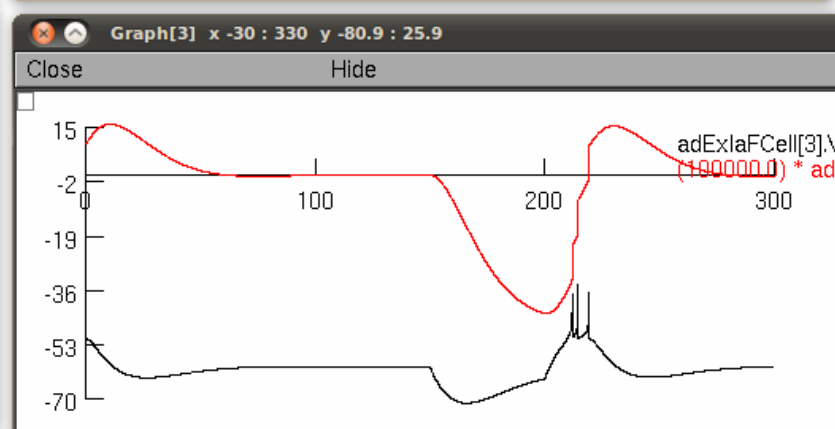
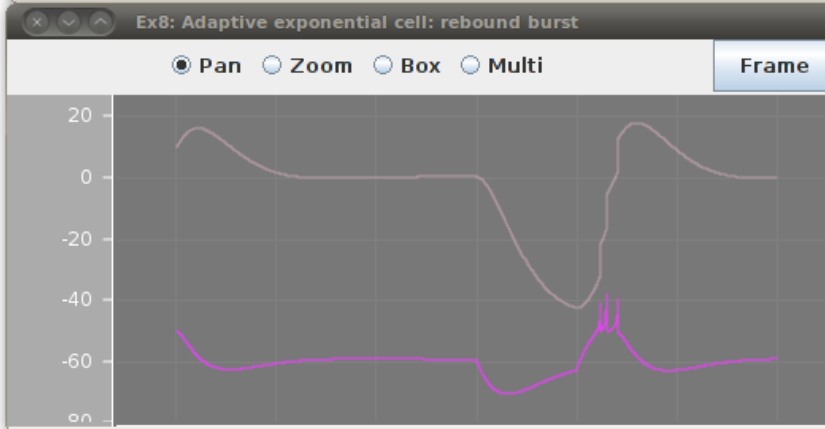
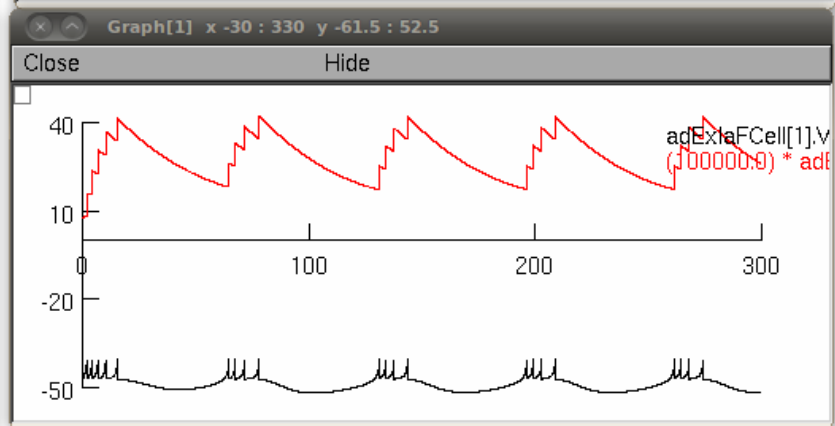
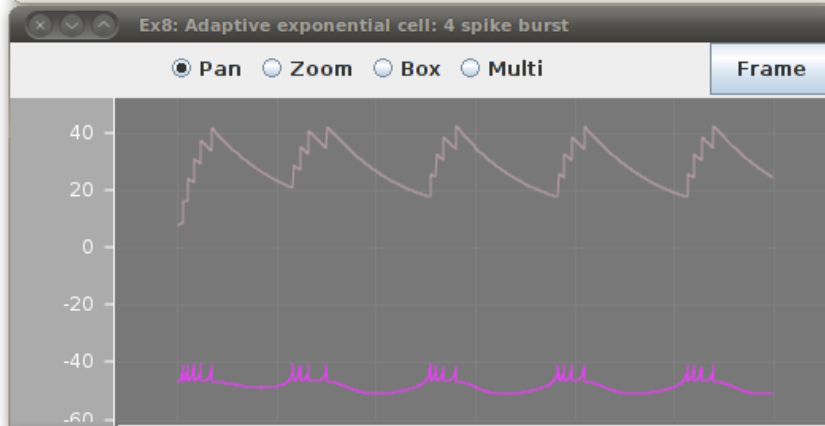
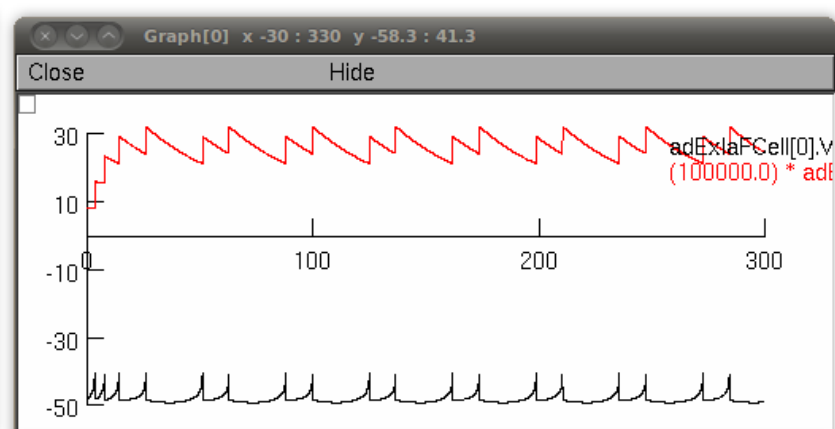
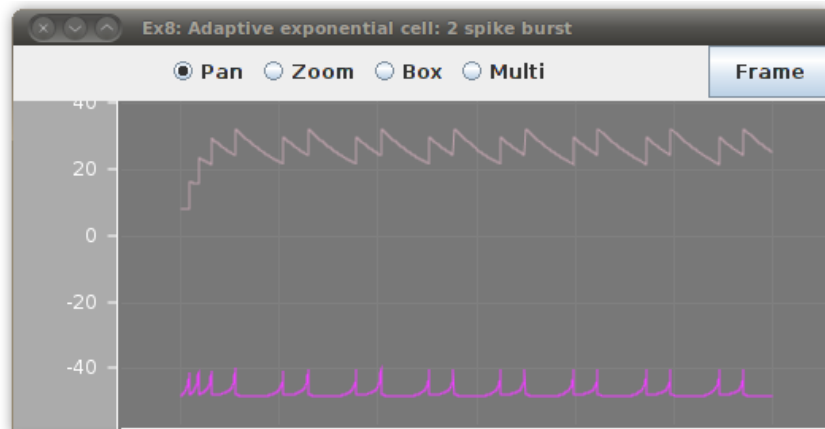
$$C \frac{dV}{dt} = -g_L(V - E_L) + g_L \Delta_T \exp\left(\frac{V - V_T}{\Delta_T}\right) - g_e(t)(V - E_e) - g_i(t)(V - E_i) - w$$

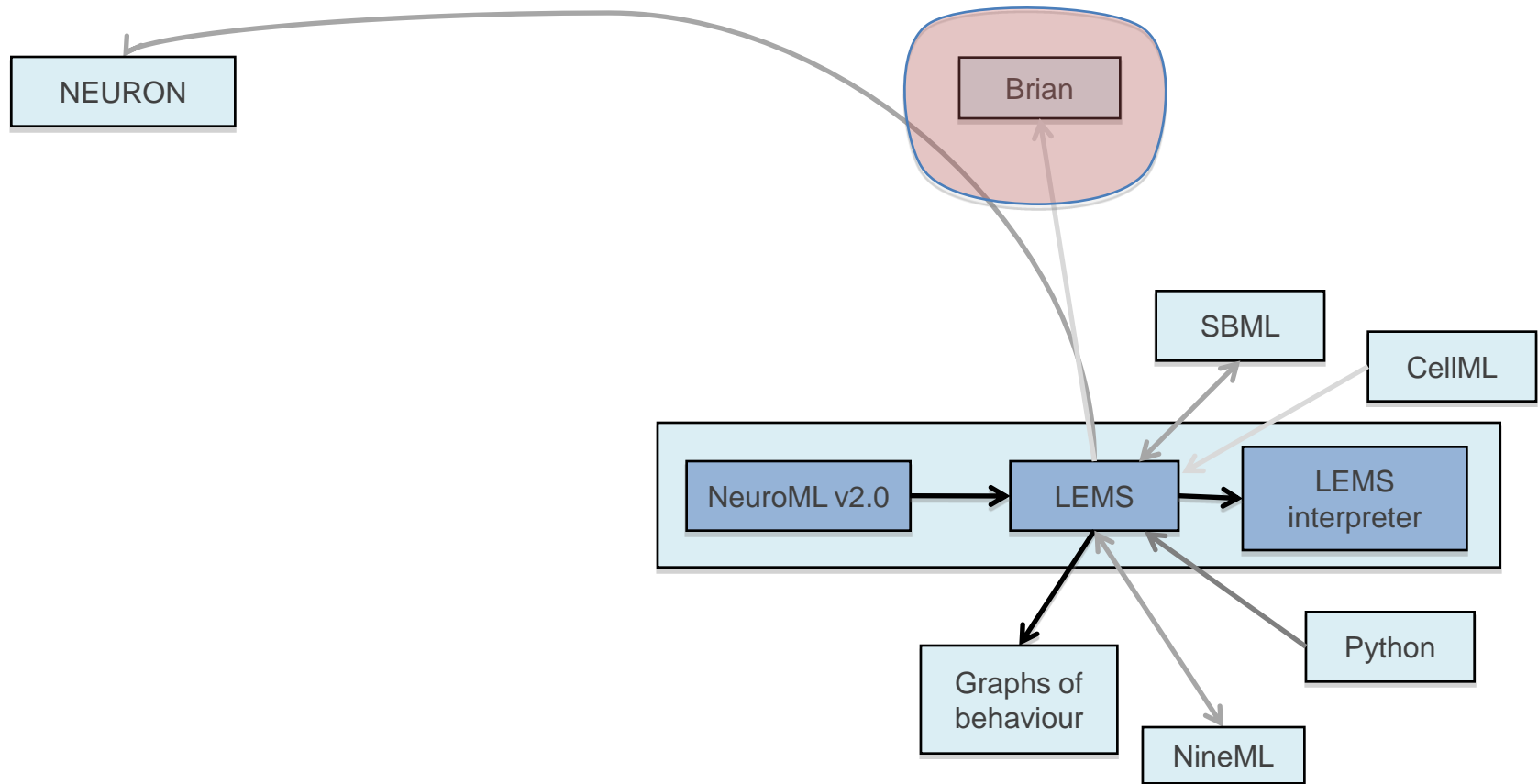
$$\tau_w \frac{dw}{dt} = a(V - E_L) - w$$

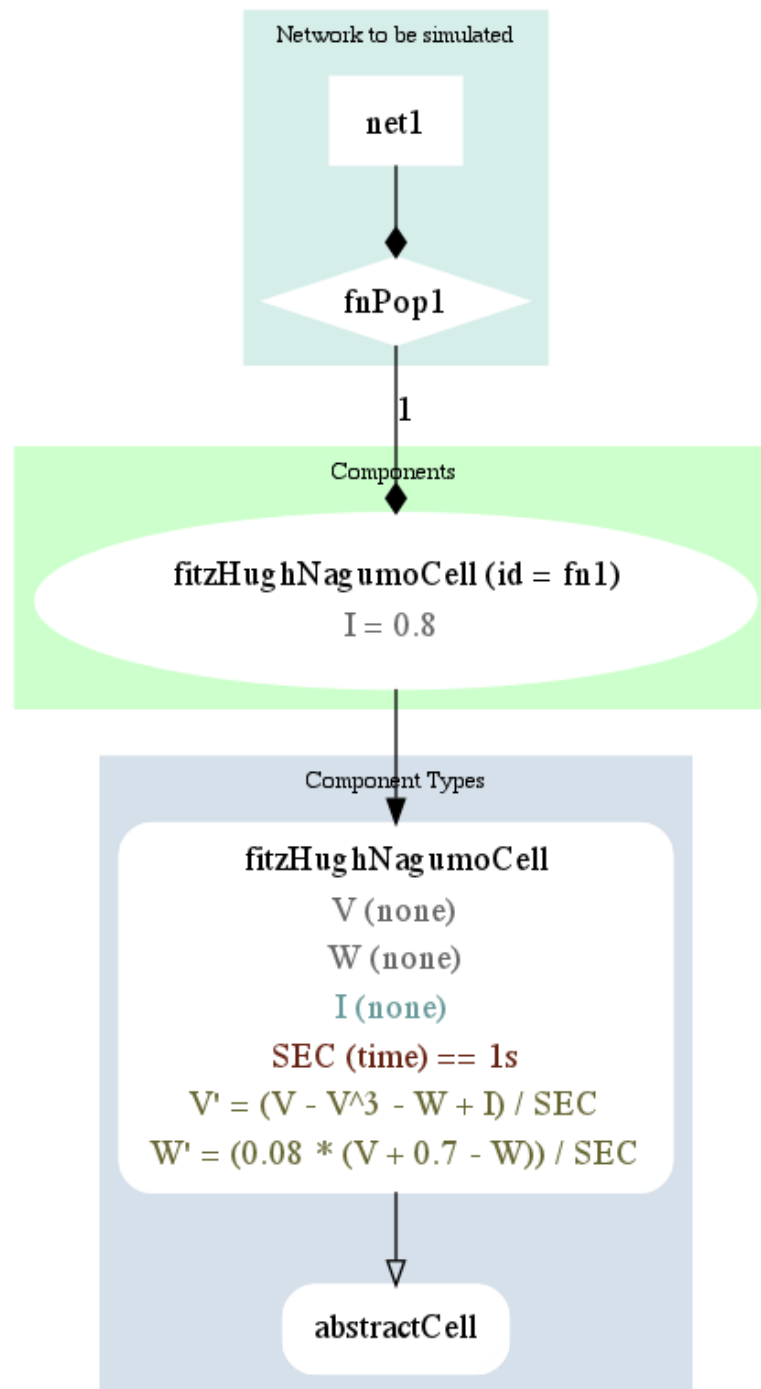
At spike time ($V > 20$ mV): $V \rightarrow E_L$

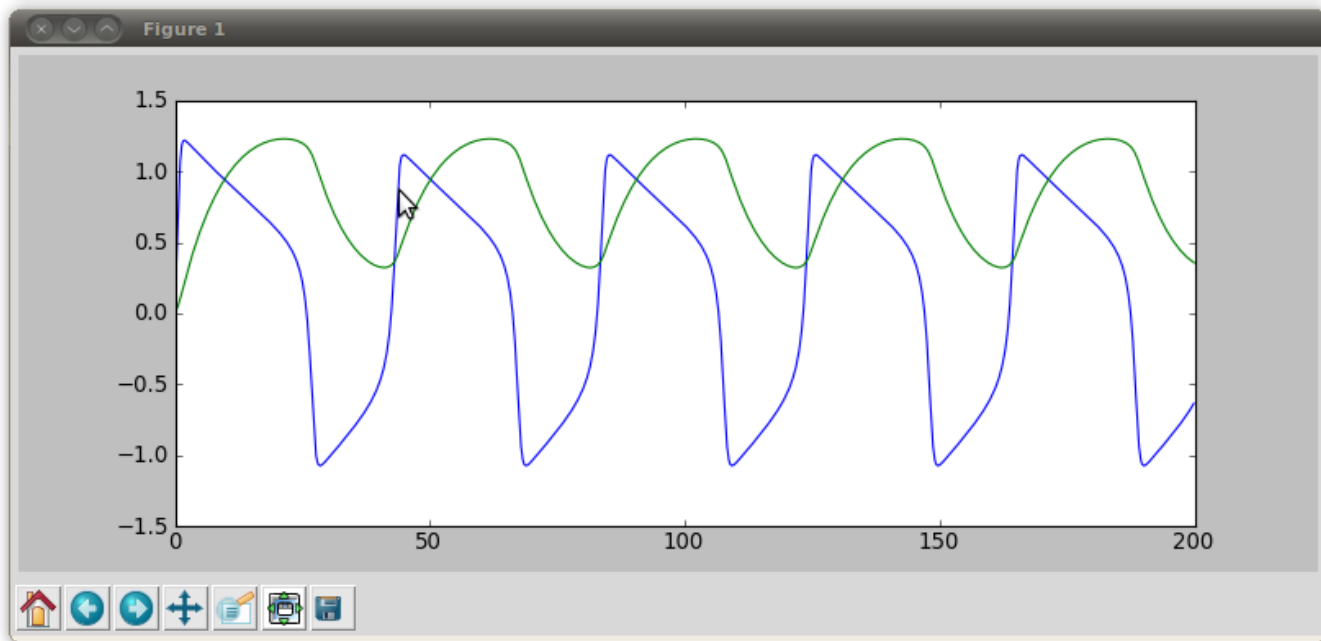
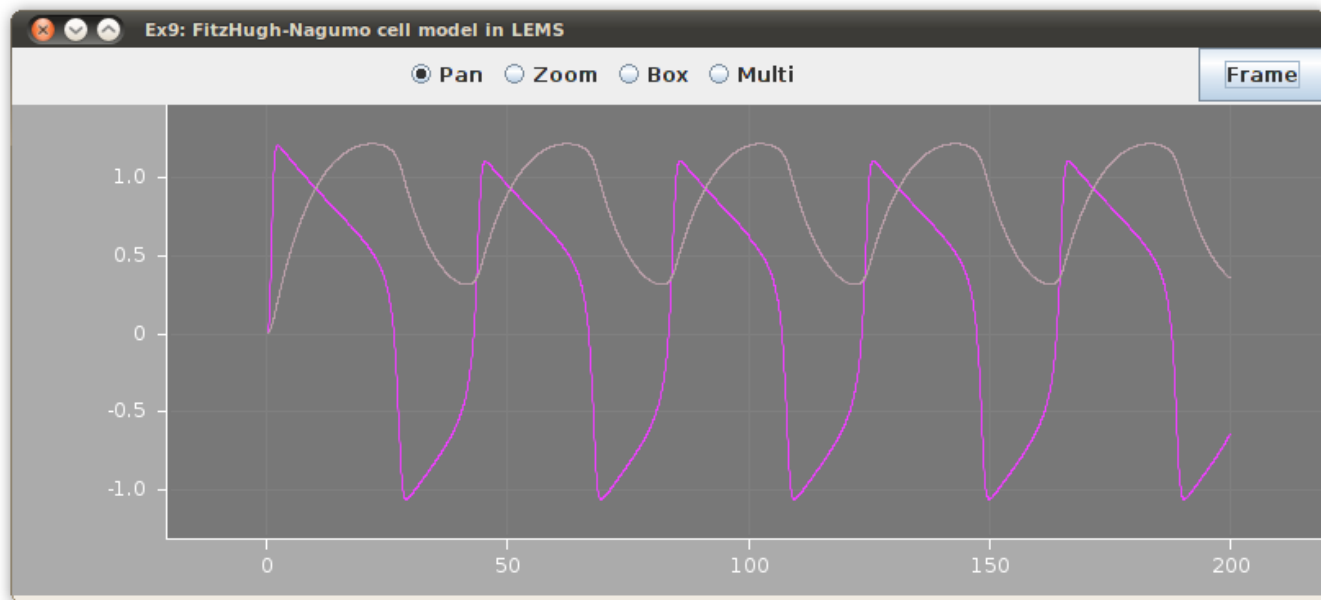
$w \rightarrow w + b$

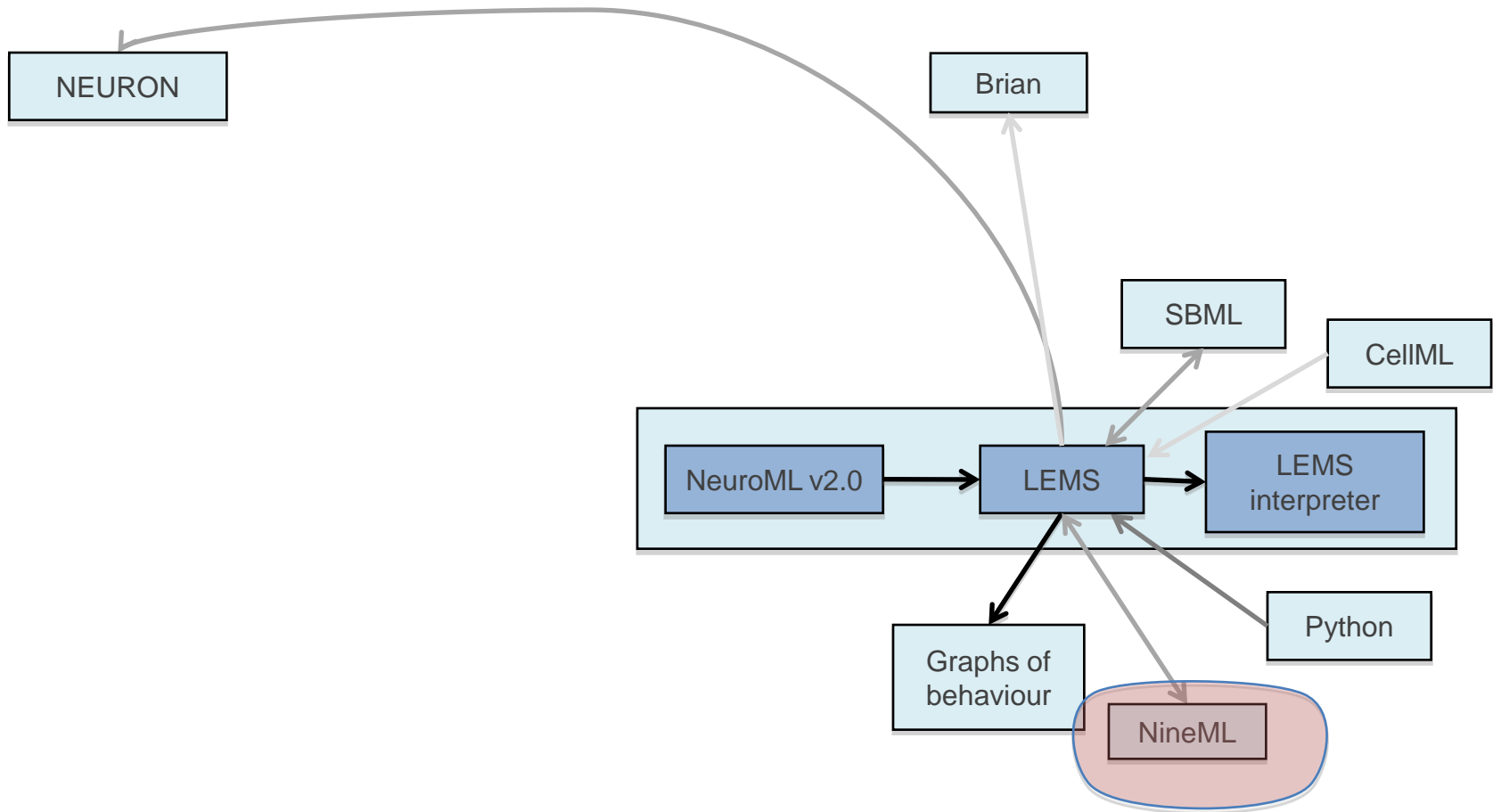








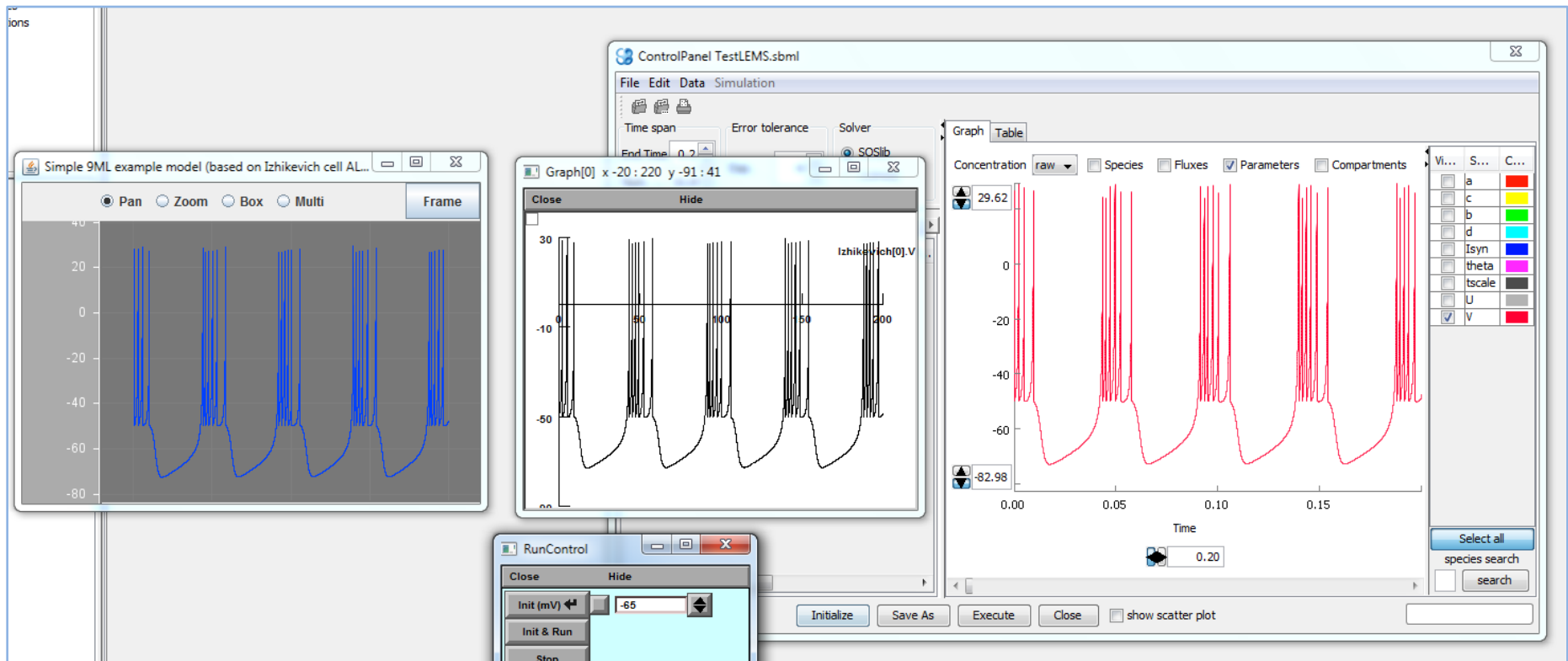


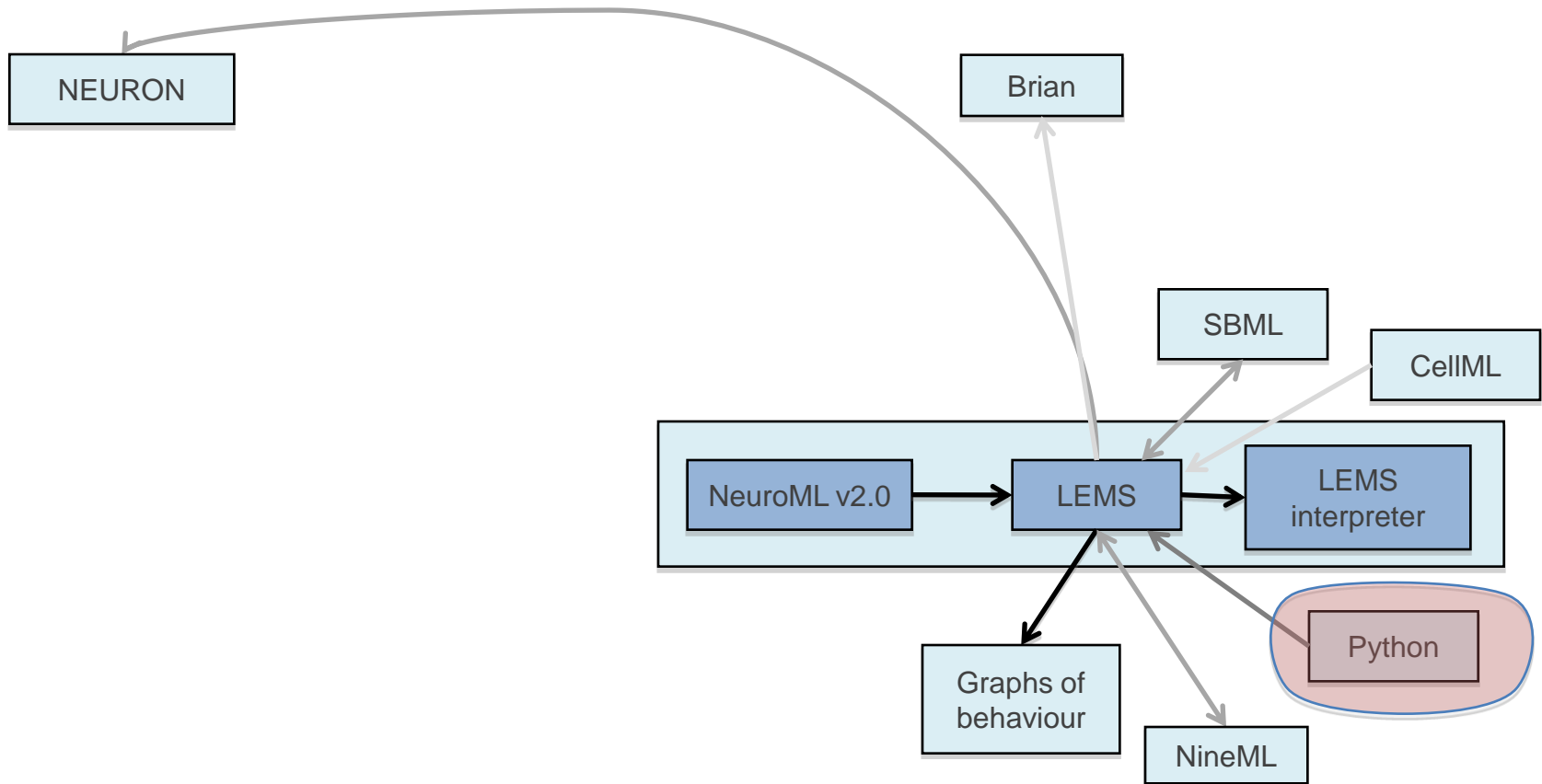


NineML

- NineML (Network Interchange format for NEuroscience) is being developed as part of the INCF Multiscale Modelling Program
- Introduced by Andrew Davison
- Language for describing large scale models of spiking neurons
- LEMS can export simple (e.g. Izhikevich cell) models as NineML
- The Python API for LEMS can be used to import NineML via libnineml

9ML example exported to 3 formats: LEMS, NEURON & SBML





Python API for LEMS

```
print "Building simulation using Python API for LEMS"

lems_model = lems.Lems()

comp = lems.Component(NML2StdCompTypes.adExIaFCell, "burster", C="281pF", \
                      gL="30nS", EL="-70.6mV", reset="-47.2mV", VT = "-50.4mV", \
                      thresh = "-20.4mV", delT="2mV", tauw="40ms", \
                      a="4nS", b = "0.08nA", Iamp="0.8nA", \
                      Idel="0ms", Idur="2000ms")

lems_model.add_component(comp)

net = lems.Network("Network1")

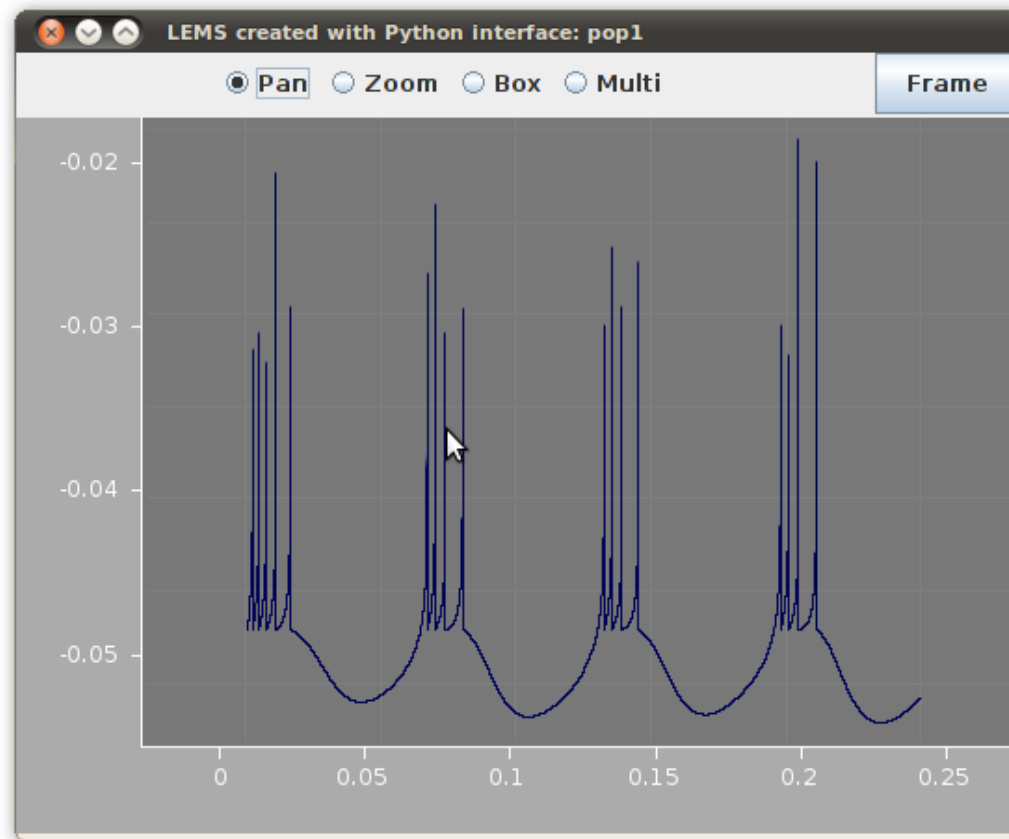
net.add_population(lems.Population("pop1", comp.id, 1))

lems_model.add_network(net)

lems_model.gen_sim_with_default_plots(net.id, 250, 0.01)

lems_model.write_lems_and_run("AdEx.xml")
```

Python API for LEMS



Van der Pol oscillator

Analysis

When x is small, the quadratic term x^2 is negligible and the system becomes a linear differential equation with a negative damping $-\epsilon \dot{x}$. Thus, the fixed point $(x = 0, \dot{x} = 0)$ is unstable (an unstable focus when $0 < \epsilon < 2$ and an unstable node, otherwise). On the other hand, when x is large, the term x^2 becomes dominant and the damping becomes positive. Therefore, the dynamics of the system is expected to be restricted in some area around the fixed point. Actually, the van der Pol system (1) satisfies the Liénard's theorem ensuring that there is a stable limit cycle in the phase space. The van der Pol system is therefore a Liénard system.

Using the Liénard's transformation $y = x - x^3/3 - \dot{x}/\epsilon$, equation (1) can be rewritten as

$$\dot{x} = \epsilon \left(x - \frac{1}{3}x^3 - y \right) \quad (2)$$

$$\dot{y} = \frac{x}{\epsilon} \quad (3)$$

which can be regarded as a special case of the FitzHugh-Nagumo model (also known as Bonhoeffer-van der Pol model).

Small Damping

When $\epsilon \ll 1$, it is convenient to rewrite equation (1) as

$$\dot{x} = \epsilon \left(x - \frac{1}{3}x^3 \right) - y \quad (4)$$

$$\dot{y} = x \quad (5)$$

where the transformation $y = \epsilon(x - x^3/3) - \dot{x}$ was used. When $\epsilon = 0$, the system preserves the energy and has the solution $x = A \cos(t + \phi)$ and $y = A \sin(t + \phi)$. To obtain the approximated solution for small ϵ , new variables (u, v) which rotate with the unperturbed solution, i.e.,

$$u = x \cos t + y \sin t$$

$$v = -x \sin t + y \cos t$$

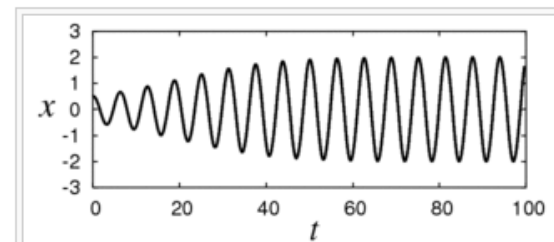


Figure 2: Change in x over time for $\epsilon = 0.1$ with $x(0) = 0.5$ and $y(0) = 0$.

Van der Pol oscillator

```
print "Building simulation using Python API for LEMS"

lems_model = lems.Lems(include_neuroml2_types=False)

# Define ComponentType based on http://www.scholarpedia.org/article/Van\_der\_Pol\_oscillator
comp_type = lems.ComponentType("vanderPolOscillator")

comp_type.parameters.append(lems.Parameter("epsilon"))

comp_type.behaviors[0].add_state_variable(lems.StateVariable("x"))
comp_type.behaviors[0].add_state_variable(lems.StateVariable("y"))

init = lems.OnStart()
init.state_assignments.append(lems.StateAssignment("x", "0.5"))
comp_type.behaviors[0].on_starts.append(init)

comp_type.behaviors[0].time_derivatives.append(lems.TimeDerivative("x", "epsilon * (x - (x^3)/3 - y)"))
comp_type.behaviors[0].time_derivatives.append(lems.TimeDerivative("y", "x/epsilon"))

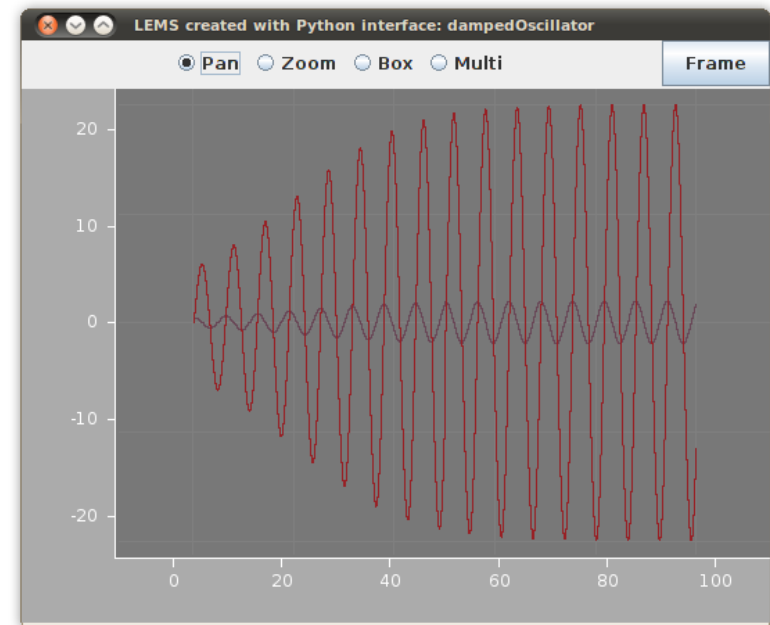
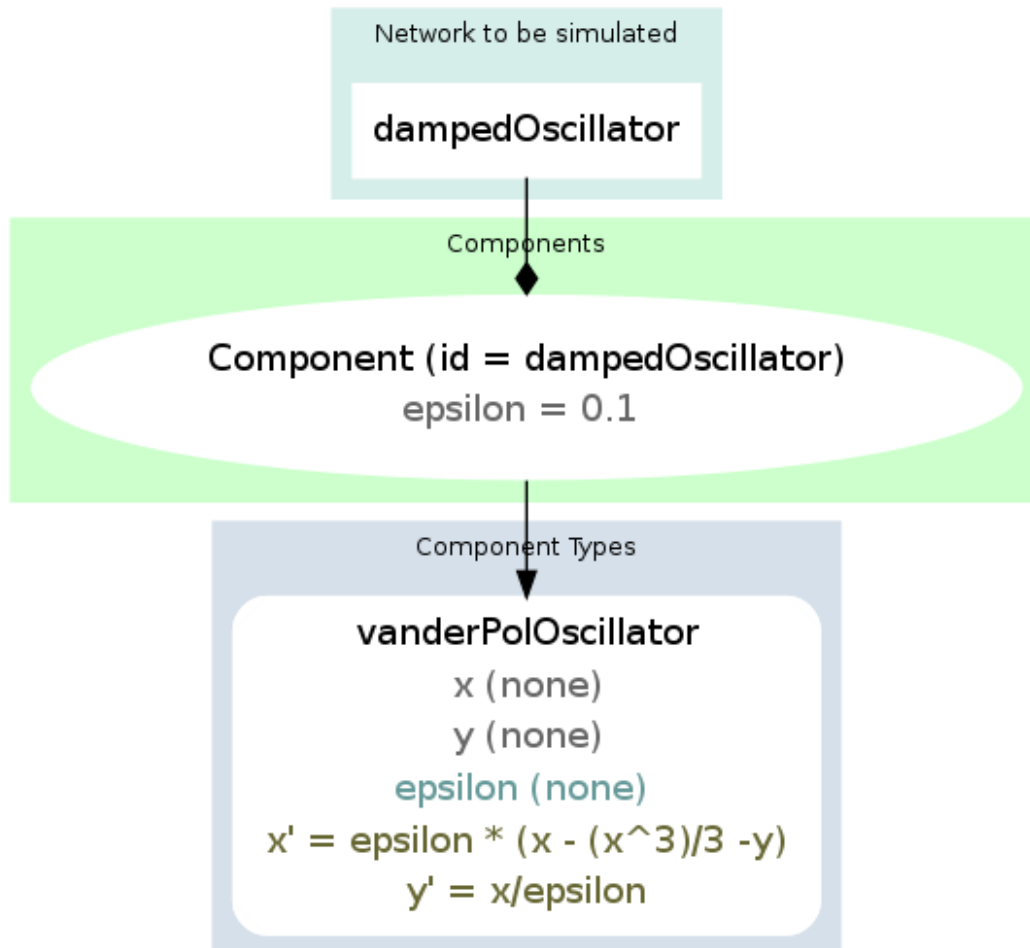
lems_model.add_component_type(comp_type)

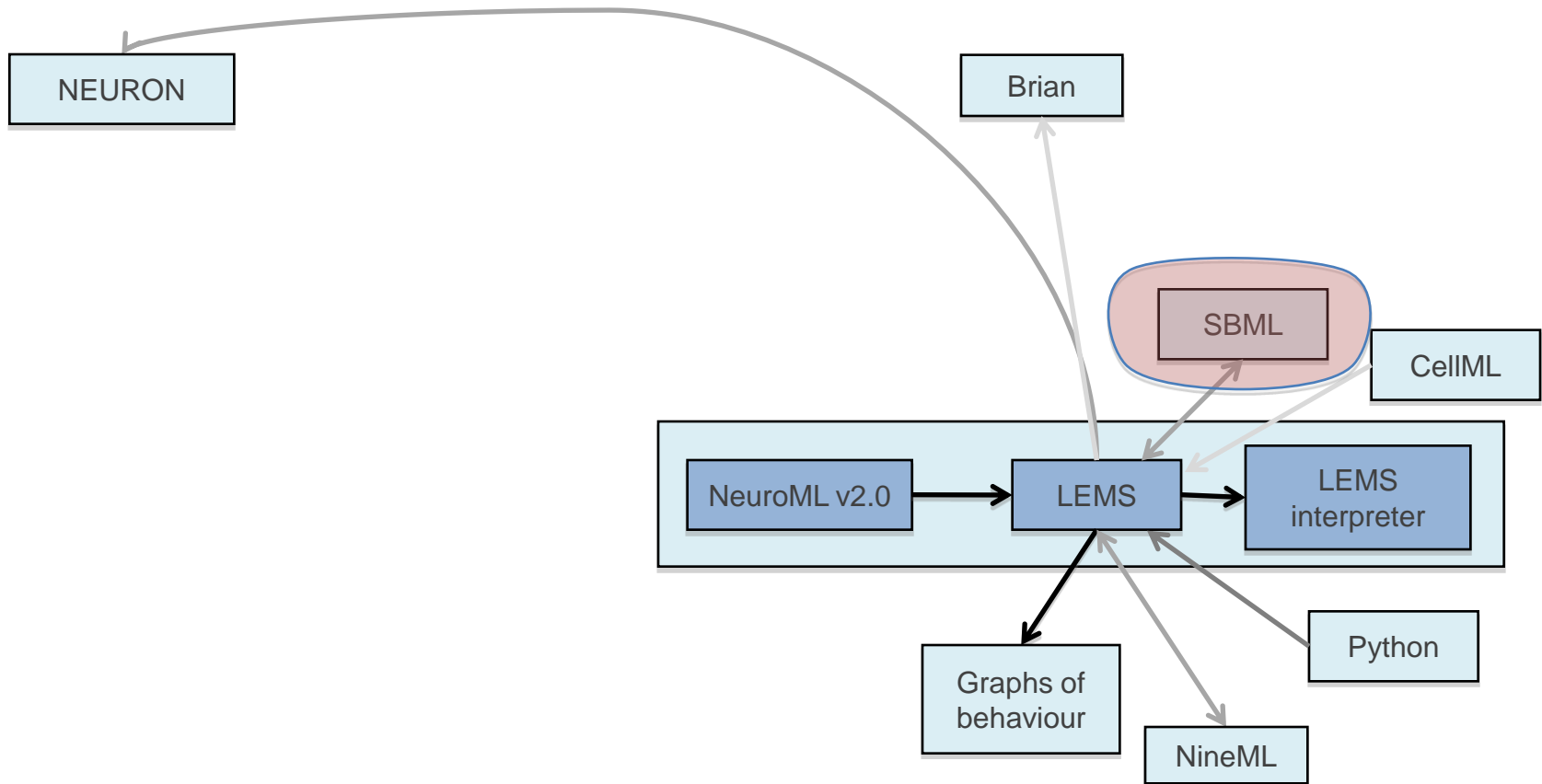
# Add instance of ComponentType
comp = lems.Component(comp_type.name, "dampedOscillator", epsilon="0.1")
lems_model.add_component(comp)

lems_model.gen_sim_with_default_plots(comp.id, 100000, 1) # 100 seconds

lems_model.write_lems_and_run("vanderPol.xml")
```

Van der Pol oscillator

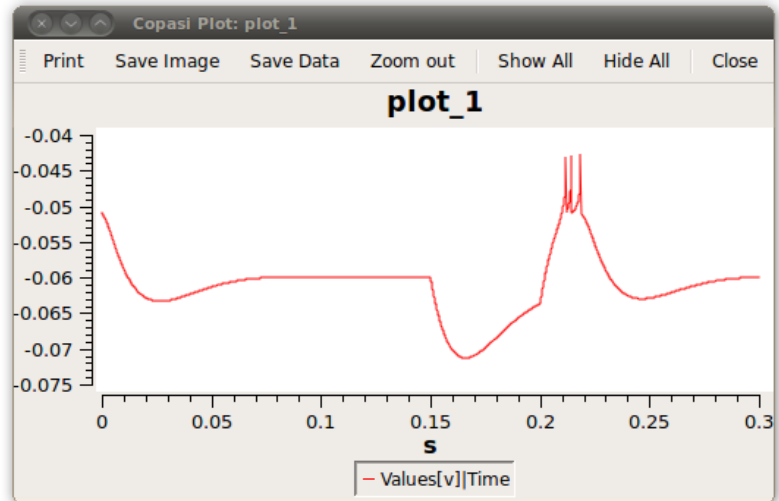
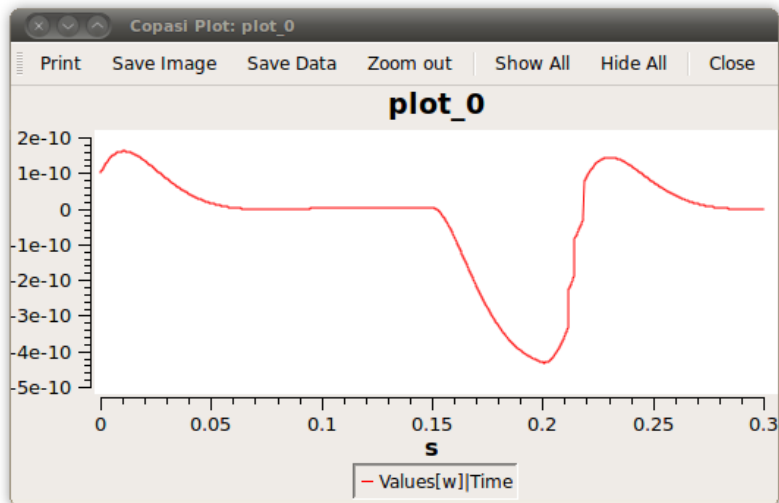




SBML support

- Export of simple models
 - Izhikevich
 - I & F
 - Adaptive exponential
- Import of many SBML models into LEMS
 - Can be reused as ComponentTypes for any LEMS simulation

SBML export



NeuroML2_Ex8_AdEx.sbml - COPASI 4.6.33 (development) /home/.../nml2-examples/NeuroML2_Ex8_AdEx.sbn

File Tools Help

Concentrations

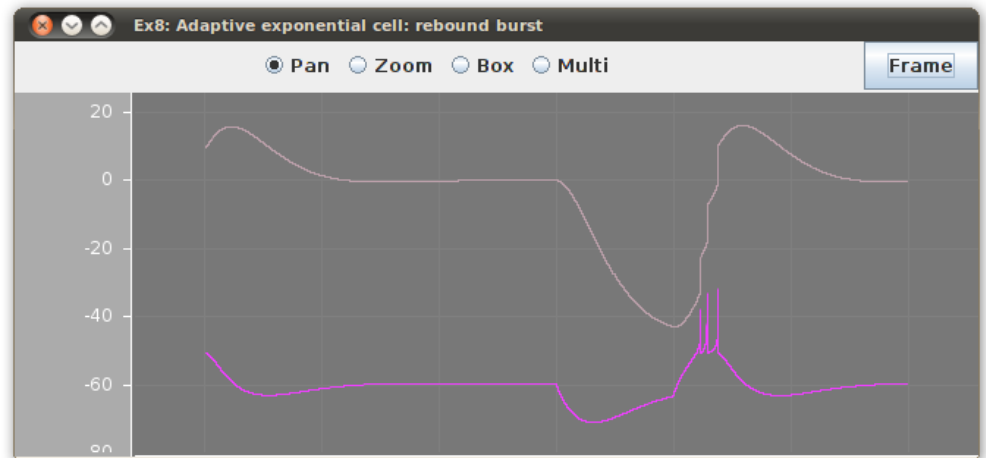
COPASI

- net1
 - Biochemical
 - Compartments (1)
 - Species (0)
 - Reactions (0)
 - Global Quantities (16)
 - Events (3)
 - Parameter Overview
 - Mathematical
 - Differential Equations
 - Matrices
 - Diagrams
 - Tasks
 - Steady-State
 - Stoichiometric Analysis
 - Time Course
 - Result
 - Metabolic Control Analysis
 - Lyapunov Exponents
 - Time Scale Separation Analysis
 - Parameter Scan
 - Optimization

$$\frac{d v}{d t} = \frac{0 - 1 \cdot g_L \cdot (v - E_L) + g_L \cdot \text{delT} \cdot e^{\frac{v - V_T}{\text{delT}}} - w + I}{C}$$
$$\frac{d w}{d t} = \frac{a \cdot (v - E_L) - w}{\text{tauw}}$$

local parameters display numerical value Save Formula to Disk

functions expand only kinetic functions



SBML import

BIOMD0000000127 - Izhikevich2003_SpikingNeuron

Download SBML | Other formats (auto-generated) | Actions | [Submit Model Comment/Bug](#)

Model

Overview

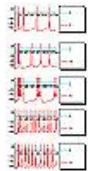
Math

Physical entities

Parameters

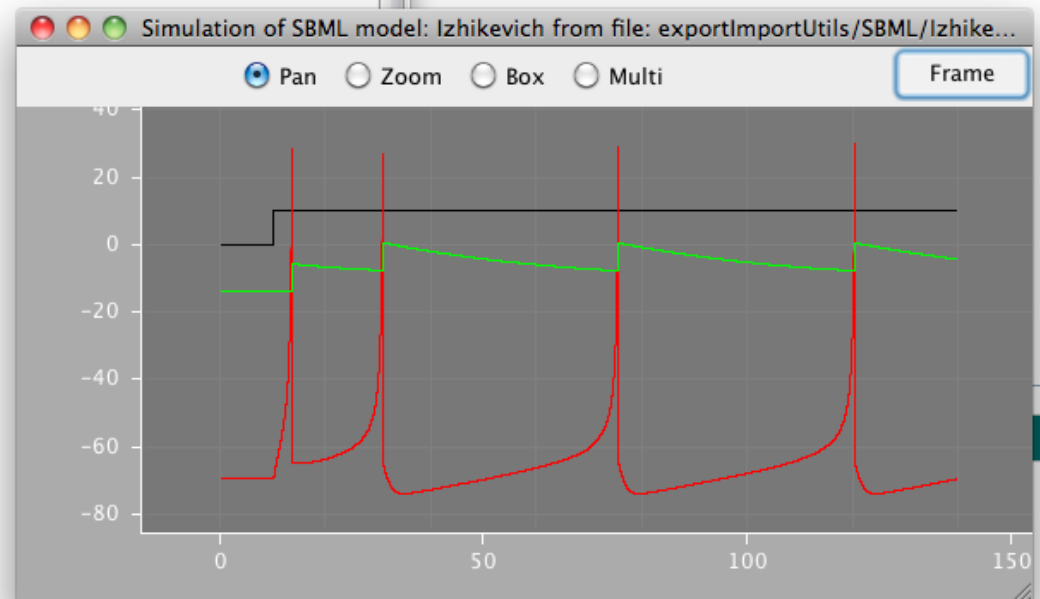
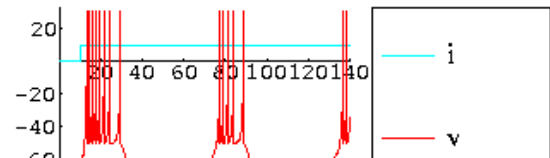
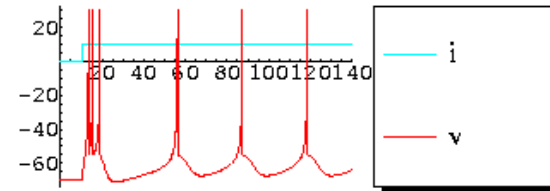
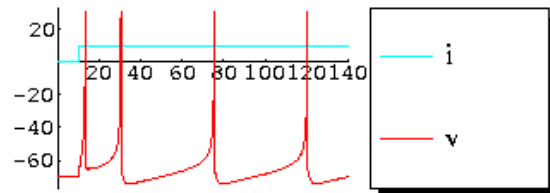
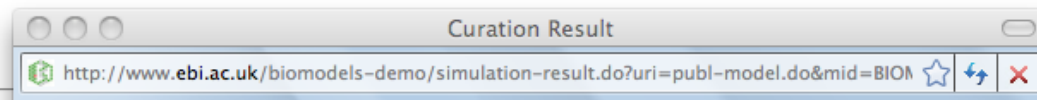
Curation

Curation result



2007-08-10T17:20:50+00:00

Comment: Figure2 RS,IB,CH,FS,LTS have been simulated by MathSBML.



Computational System

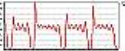
SBML import

BIOMD0000000039 - Marhl2000_CaOscillations

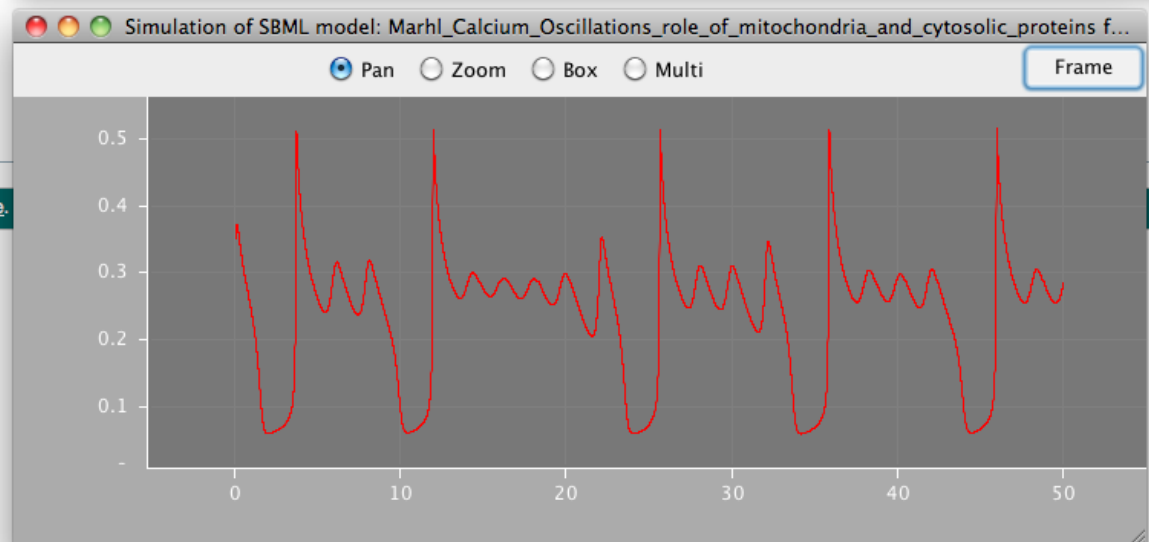
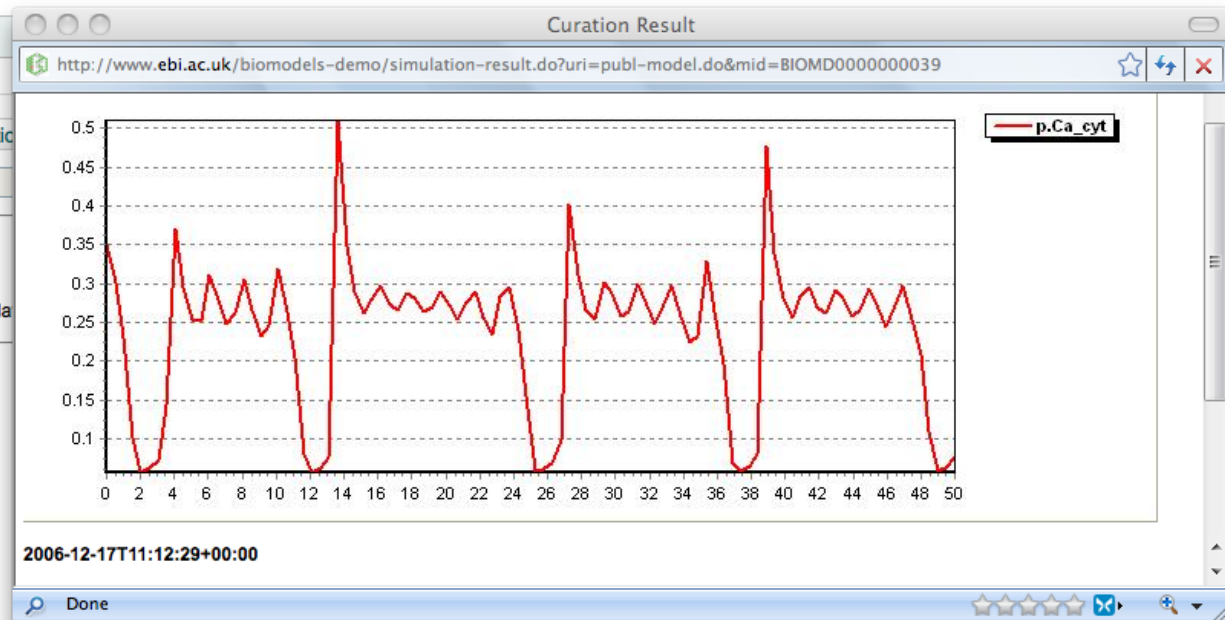
Download SBML | Other formats (auto-generated) | Actions

Model Overview Math

Curation result

 2006-12-17T11:12:29+00:00

Comment: The figure reproduces Calcium bursting oscillations



SBML support

- Enabled by JSBML
- SBML Test Suite
 - 327 out of 947 SBML models successful matching target data...

