

FairER: Entity Resolution with Fairness Constraints

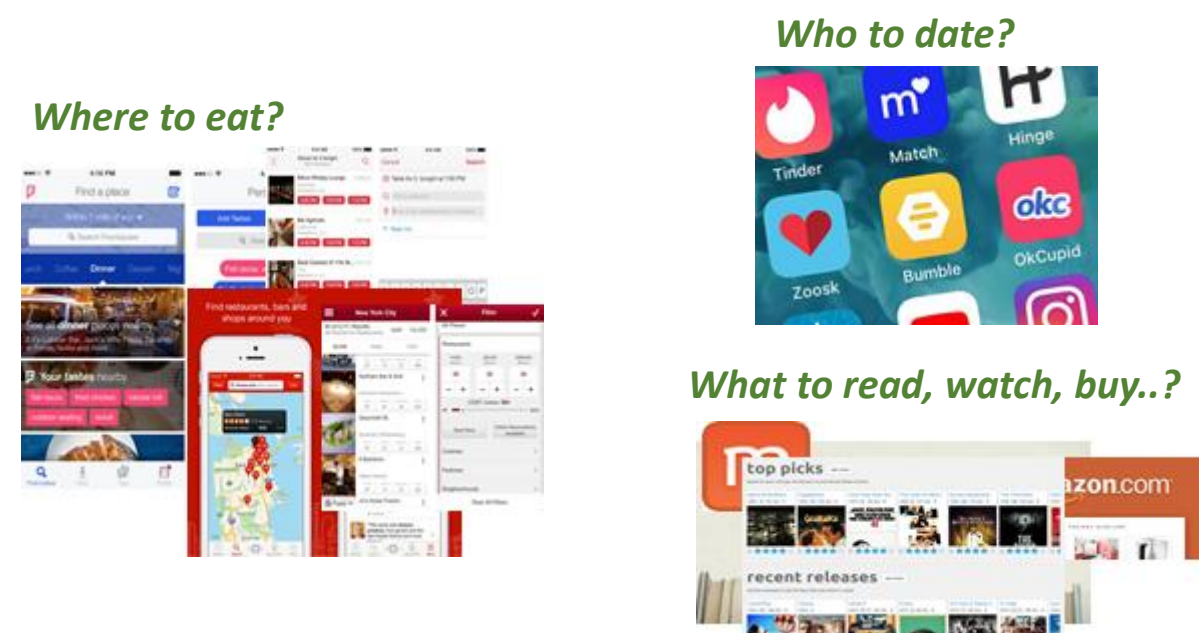
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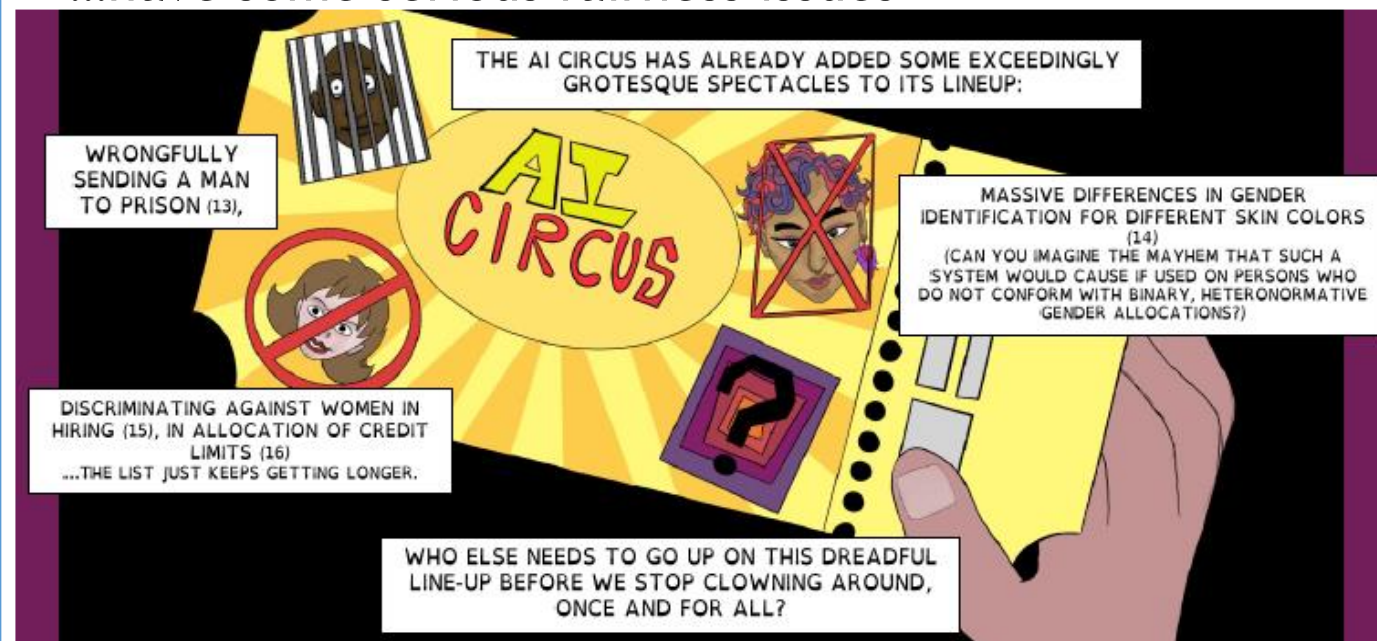


Motivation

Data-driven decision-making AI systems...



...have some serious fairness issues



Falaah Arif Khan and Julia Stoyanovich. "Mirror, Mirror". Data, Responsibly Comics, Volume 1 (2020)
https://dataresponsibly.github.io/comics/vol1/mirror_en.pdf

Entity Resolution

Identify data records from different sources that refer to the same real-world entities (matches)

E						E'				
e _i	Name	Location	Employer	Rep	Sex	id	Full-name	Affiliation	h-index	Sex
e ₁	Danny Barber	LA	UCLA	600	M	● e' ₁	Doe, S.	UT	14	F
e ₂	Susan Doe	Texas	UT Austin	7,000	F		e' ₂	J. Parker	UCSC	5
e ₃	Peter Simons	NY	NYU	4	M	● e' ₃	Simons, Pete	NYU	11	M
e ₄	M. Anderson	Denmark	Aarhus Univ.	8	M	● e' ₄	M. Anderson	Aarhus	15652	M
e ₅	Julia Rondo	France	CNRS, Paris	460	F	● e' ₅	J. Rondo	CNRS	4653	F
e ₆	J. Parker	California	UC Berkeley	381	M	e' ₆	Juliana Rondo	CNRS	25	F

Traditional (fairness-agnostic) ER

- Goal:** Discover as many *matches* as possible
- Matching decision process for (e, e') : Relies on a **scoring function** s assessing the similarity of the attribute values and names used to describe e and e'
 - scoring function types: heuristics, aggl. clustering, supervised

Definition 2.1 (Fairness-agnostic ER). Given a set of candidate matches $C \subseteq E \times E'$ and a scoring function $s : E \times E' \rightarrow \mathbb{R}$, produce a subset $R \subseteq C$ of matches that maximizes the cumulative scores:

$$R = \operatorname{argmax}_{R^* \subseteq C} \sum_{(e_i, e'_j) \in R^*} s(e_i, e'_j).$$

- Matching pairs ranked according to their scores
- Additional constraints may be imposed to R
 - e.g., 1-to-1 constraint (clean-clean ER)

- Issue:** ignores the qualitative features of the results

Fairness-aware ER

- Retrieved results: not only the most likely matches, but also satisfy some **fairness constraint**
 - group-based fairness: protected vs non-protected
 - all groups should receive similar treatment, i.e., have similar chances to be resolved

- Ranked group fairness: a fairness constraint should be satisfied when considering the results within a given rank

Definition 2.2 (Fairness-aware ER). Given a set of candidate matches $C \subseteq E \times E'$, a scoring function $s : E \times E' \rightarrow \mathbb{R}$, and a fairness criterion F , produce a ranking of matches $R \subseteq C$ that for any given rank position k , maximizes the cumulative scores:

$$R = \operatorname{argmax}_{R^* \subseteq C} \sum_{(e_i, e'_j) \in R^*} s(e_i, e'_j)$$

s.t. $R[k]$ satisfies F ,

where $R[k]$ are the k first results of R .

FairER

Fairness criterion F : $\left| \frac{|R_p|}{k} - \frac{|R_n|}{k} \right| = \varepsilon^*$,

where $\frac{|R_p|}{k}$ (resp. $\frac{|R_n|}{k}$) is the ratio of protected (resp. non-protected) group members in the first k results and ε^* is the smallest possible ratio for a given k

Example

	Traditional ER	R[4]	
desc. score ↓	e ₃ -e' ₃	e ₃ -e' ₃	3 male
	e ₄ -e' ₄	e ₄ -e' ₄	
	e ₆ -e' ₂	e ₆ -e' ₂	
	e ₅ -e' ₆	e ₅ -e' ₆	1 female
	e₅-e'₅		
	e₅-e'₁		
	e ₂ -e' ₁		

	FairER Q _p	FairER Q _n	R[4]	
desc. score ↓	e ₅ -e' ₆	e ₃ -e' ₃	e ₅ -e' ₆	female
	e₅-e'₅	e ₄ -e' ₄	e ₃ -e' ₃	male
	e₅-e'₁	e ₆ -e' ₂	e ₂ -e' ₁	female
	e ₂ -e' ₁	e ₁ -e' ₂	e ₄ -e' ₄	male
	e ₂ -e' ₅	e₃-e'₂		

Proposition: FairER is a 1-1/e approximation to the problem of fairness-aware ER, for F defined as $||R_p|/k - |R_n|/k| = \varepsilon^*$

Experimental Evaluation

Baselines: Color-blind (DeepMatcher, 1-to-1 constraint), FA*IR (fair ranking algorithm)

Datasets: All 7 datasets available from DeepMatcher

Accuracy@k

Method	D1	D2	D3	D4	D5	D6	D7
Accuracy@5							
Color-blind	1	1	1	1	1	0.8	0
Fa*ir	1	1	1	1	1	1	0
FairER	1	1	1	1	1	0.8	0.4

Accuracy@10

Method	D1	D2	D3	D4	D5	D6	D7
Color-blind	0.9	1	1	1	1	0.7	0.4
Fa*ir	0.9	1	1	1	1	0.6	0.4
FairER	0.9	1	0.8	1	1	0.8	0.4

Accuracy@15

Method	D1	D2	D3	D4	D5	D6	D7
Color-blind	0.73	1	1	1	0.93	0.73	0.6
Fa*ir	0.73	1	0.93	1	0.93	0.71	0.6
FairER	0.66	1	0.66	1	1	0.73	0.33

$$\text{Bias@k} = \frac{|R_p|}{k} - \frac{|R_n|}{k} \quad \begin{matrix} \text{fav. non-pr.} & \text{no bias} & \text{fav. prot.} \\ & 0 & \end{matrix}$$

Method	D1	D2	D3	D4	D5	D6	D7
k = 5 ($\varepsilon^* = 0.2$)							
Color-blind	-0.6	-0.6	-1	-1	-1	-1	-0.6
Fa*ir	-0.6	-0.6	-0.6	-0.6	-0.6	-0.6	-0.6
FairER	0.2	0.2	0.2	0.2	0.2	0.2	0.2

k = 10 ($\varepsilon^* = 0$)

Method	D1	D2	D3	D4	D5	D6	D7
Color-blind	-0.6	-0.4	-1	-0.6	-0.8	-0.8	-0.8
Fa*ir	-0.6	-0.4	-0.6	-0.6	-0.6	-0.6	-0.6
FairER	0	0	0	0	0	0	0

k = 15 ($\varepsilon^* = 0.07$)

Method	D1	D2	D3	D4	D5	D6	D7
Color-blind	-0.6	-0.33	-0.73	-0.6	-0.87	-0.87	-0.87
Fa*ir	-0.47	-0.33	-0.47	-0.47	-0.47	-0.57	-0.47
FairER	0.07	0.07	0.07	0.07	0.07	0.07	0.07