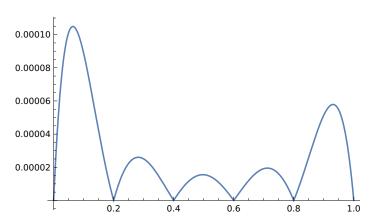
In[1]:=
$$n = 5$$
;
 $Do[x[k] = k/n, \{k, 0, n\}]$;
 $f[t_{-}] := 1/(1+t)$;
 $w[t_{-}] := Product[t - x[k], \{k, 0, n\}]$;
 $Do[v[k_{-}, t_{-}] := w[t]/(t - x[k]), \{k, 0, n\}]$;
 $Do[l[k_{-}, t_{-}] := v[k, t]/Simplify[v[k, t]/. t \rightarrow x[k]], \{k, 0, n\}]$;
 $L[f_{-}, t_{-}] := Sum[l[k, t] * f[x[k]], \{k, 0, n\}]$
 $m = Expand[L[f, t]]$
 $Plot[Abs[f[t] - m], \{t, 0, 1\}, PlotRange \rightarrow All]$

Out[8]=

$$1 - \frac{251\,\mathsf{t}}{252} + \frac{2875\,\mathsf{t}^2}{3024} - \frac{4625\,\mathsf{t}^3}{6048} + \frac{625\,\mathsf{t}^4}{1512} - \frac{625\,\mathsf{t}^5}{6048}$$

Out[9]=



In[10]:=

$$\begin{split} &n=5;\\ &Do\big[x[k]=\big(Sin\big[\big(2\,k+1\big)*\,Pi\,\big/\,\big(4\,n+4\big)\big]\big)^{\wedge}\,2\,,\;\{k\,,\,0\,,\,n\}\big];\\ &f[t_]:=1/(1+t);\\ &w[t_]:=Product[t-x[k],\,\{k\,,\,0\,,\,n\}];\\ &Do\big[v[k_,\,t_]:=w[t]/(t-x[k]),\,\{k\,,\,0\,,\,n\}\big];\\ &Do\big[l[k_,\,t_]:=v[k\,,\,t]\big/\,Simplify[v[k\,,\,t]\,/.\,\,t\to x[k]],\,\{k\,,\,0\,,\,n\}\big];\\ &L\big[f_,\,t_\big]:=Sum[l[k\,,\,t]*\,f[x[k]],\,\{k\,,\,0\,,\,n\}\big]\\ &m=Expand[L[f\,,\,t]]\\ &Plot\big[Abs[f[t]-m],\,\{t\,,\,0\,,\,1\},\,\,PlotRange\to All\big] \end{split}$$

Out[17]=

$$\frac{256 \sqrt{2} \text{ t}^{5}}{3 \left(1+\sqrt{3}\right) \left(1+\cos \left[\frac{\pi}{24}\right]^{2}\right)} - \frac{256 \sqrt{2} \text{ t}^{4} \cos \left[\frac{\pi}{8}\right]^{2}}{3 \left(1+\sqrt{3}\right) \left(1+\cos \left[\frac{\pi}{24}\right]^{2}\right)} - \frac{256 \sqrt{2} \text{ t}^{5}}{3 \left(1+\sqrt{3}\right) \left(1+\cos \left[\frac{\pi}{24}\right]^{2}\right)} + \frac{256 \sqrt{2} \text{ t}^{5}}{3 \left(1+\sqrt{3}\right) \left(1+\sin \left[\frac{5\pi}{24}\right]^{2}\right)} + \frac{256 \sqrt{2} \cos \left[\frac{\pi}{24}\right]^{2} \cos \left[\frac{\pi}{8}\right]^{2} \cos \left[\frac{\pi}{8}\right]^{2} \sin \left[\frac{\pi}{24}\right]^{2} \sin \left[\frac{\pi}{8}\right]^{2}}{3 \left(-1+\sqrt{3}\right) \left(1+\sin \left[\frac{5\pi}{24}\right]^{2}\right)}$$

$$\text{Full expression not available (original memory size: 0.3 MB) }$$

Out[18]=

