

1 Tic-Tac-Toe implementation using python

Pseudocode

```

function minimax (node, depth, isMaximizingPlayer)
    if node is a terminal state:
        return evaluate(node)
    if isMaximizingPlayer:
        bestValue = -inf
        for each child in node:
            value = minimax (child, depth, false)
            bestValue = max (bestValue, value)
        return bestValue
    else:
        bestValue = +inf
        for each child in node:
            value = minimax (child, depth, true)
            bestValue = min (bestValue, value)
        return bestValue

```

Rahul

Output:

Player: 'O' Bot: 'X'

```

X | - | -
- | - | -
- | - | -

```

→ enter position for O: 2

```

X | O | -
- | - | -
- | - | -

```

```

X | O | -
X | - | -
- | - | -

```

→ enter position for O: 7

```

X | O | -
X | - | -
O | - | -

```

```

X | O | -
X | X | -
O | - | -

```

→ enter position for O: 9

```

X | O | -
X | X | -
O | - | -

```

```

X | O | -
X | X | X
O | - | O

```

Bot Wins!

Lab-02

2. Implement Vacuum cleaner Agent

Pseudocode

Function vacuum-world()

 initialize goal-state = {'A': '0', 'B': '0'}

 initialize cost = 0

 Input location

 Input status for location

 Input status for other location

 Print Initial condition for Location, goal state

 If location input = 'A' and status_input = '1' then

 print location A is dirty

 goal-state['A'] = '0'

 cost += 1

 print cost for cleaning 'A' - cost

 If status for other location = '1' then

 print location B is Dirty

 cost += 1

 print cost for moving right on cost

~~else~~ ~~print "Vacuum is placed in Location B"~~

~~If status_input = 1 then Location B is dirty~~

~~else~~

~~print Location A is already clean~~

~~If status of other location = 1 then~~

~~print Location B is dirty~~

~~cost += 1~~

~~Print cost for moving right: cost~~

~~cost += 1~~

~~Print total cost of cleaning, cost~~

Else if print vacuum is at Location B

If status = '1' then print 'Location B is Dirty'

cost = 1

cost for cleaning, cost

If status of other location = 1, then

 print Location = 1 then,

 cost += 1

 print cost for moving Left, cost

 goal state['A'] = '0'

 cost += 1

 print cost for cleaning, cost

else

 print location B is already clean

 If status other location = '1' then

 print Location A is dirty

 cost += 1

 print cost for moving Left, cost

 goal state['A'] = '0'

 cost += 1

 print cost for clean, cost

}

print performance Measurement cost.

}

Output

Locations: A-0 B-1

Enter Location of vacuum: 1 (at B)

Enter status of Room (0 for clean, 1 for dirty): 1

Enter status of other room (0 for clean, 1 for dirty): 0

Initial Location Condition

Vacuum is placed in B

Location B is Dirty

Cost for cleaning: 1

Location B has been done.
 Location A is already done
 Goal state {A: '0', B: '0'}
 Performance measured: 1

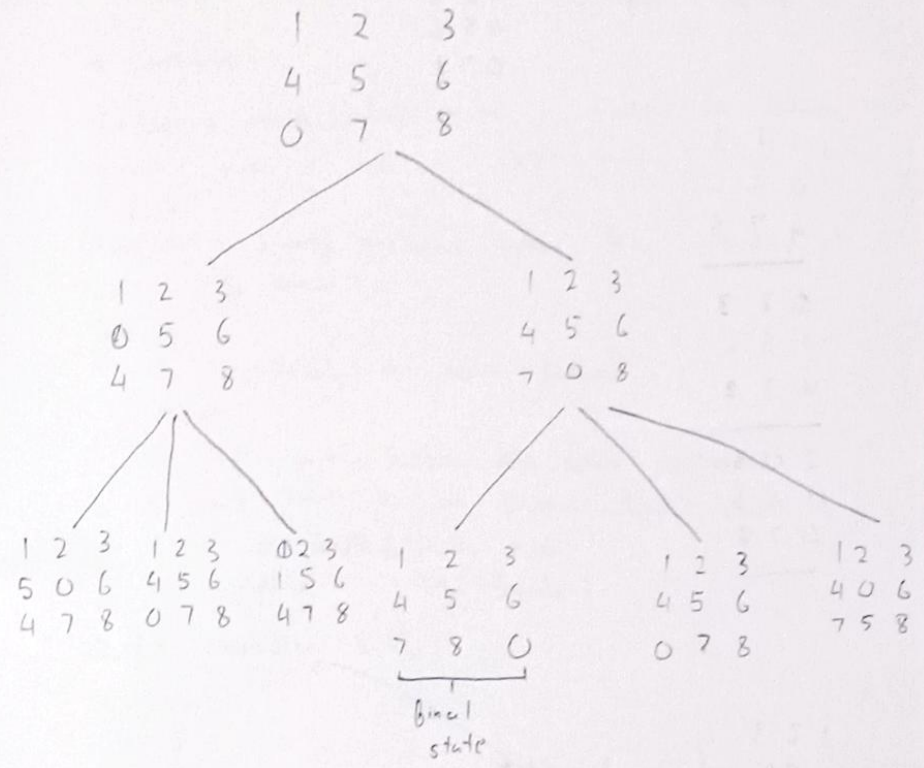
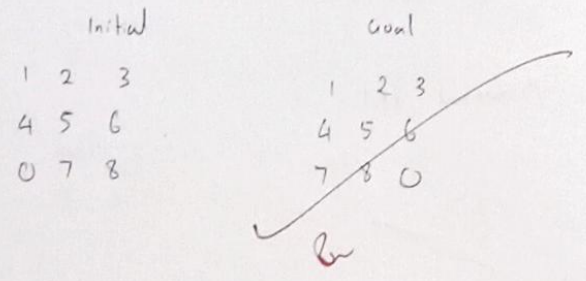
3. Implement puzzle problem using BFS algorithm

Algorithm:

Let fringe be a list containing the initial state
 Loop If fringe is empty return failure
 Node ← remove-first (fringe)
 If Node is a goal
 then return path from initial state to node.
 else generate all successors of Node and add
 generated nodes to the back of fringe.

End Loop

Consider initial state and final state



ii) Implement 8 puzzle problem using DFS Algorithm

Algorithm:

Let fringe be the list containing the initial state
 Loop If fringe is empty, return failure
 Node ← remove-first (fringe)
 If Node is a goal
 then return path from initial state to node
 else generate all successors of Node & add
 generated Nodes to the front of the fringe

Initial State :

1	2	3
4	5	6
7	8	

1	2	3
0	5	6
4	7	8

0	2	3
1	5	6
4	7	8

2	0	3
1	5	6
4	7	8

1	2	3
4	5	6
7	8	0

} final state

Lab-04 : A* Search Algorithm

Pseudocode :

function A* search(problem) returns a solution or failure
 node ← a node n with n.state = problem.initial state
 n.g = 0

frontier ← a priority queue ordered by ascending gⁿ,
 only element n

loop do

if empty(frontier) then return failure

n ← pop

if problem.goalTest(n.state) then return solution(n)

for each action a in problem.action(n.state) do

n' ← childNode(problem.n, a)

insert(n', g(n') + h(n'), frontier)

Output : (Manhattan Distance)

Start State

2	8	3
1	6	4
7		5

Goal State

1	2	3
8		4
7	6	5

Solution found in 5 moves using Manhattan heuristic

2 8 3

1 6 4

7 5

↓

Move 1

2 8 3

1 4

7 6 5

↓

Move 2

2 2 3

1 8 4

7 6 5

Move 3

2 3

1 8 4

7 6 5

Move 4

1 2 3

8 4

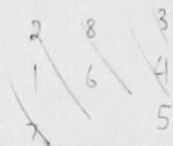
7 6 5

Move 5

1 2 3

8 4

7 6 5



Misplaced Tiles

$$\begin{bmatrix} 2 & 8 & 3 \\ 1 & 6 & 4 \\ 7 & 0 & 5 \end{bmatrix} \quad \begin{array}{l} g(n)=0 \\ h(n)=4 \\ f(n)=4 \end{array} \quad \begin{array}{l} \text{initial} \\ \text{goal} \end{array}$$

$$g(n)=1 \quad \begin{array}{ccc} \begin{bmatrix} 2 & 8 & 3 \\ 1 & 0 & 4 \\ 7 & 6 & 5 \end{bmatrix} & \begin{bmatrix} 2 & 8 & 3 \\ 1 & 6 & 4 \\ 7 & 5 & 0 \end{bmatrix} & \begin{bmatrix} 2 & 8 & 3 \\ 1 & 6 & 4 \\ 0 & 7 & 5 \end{bmatrix} \\ h(n)=3 & h(n)=5 & h(n)=5 \\ f(n)=4 & f(n)=6 & f(n)=6 \end{array}$$

$$g(n)=2 \quad \begin{array}{ccc} \begin{bmatrix} 2 & 0 & 3 \\ 1 & 8 & 4 \\ 7 & 6 & 5 \end{bmatrix} & \begin{bmatrix} 2 & 8 & 3 \\ 1 & 0 & 4 \\ 7 & 6 & 5 \end{bmatrix} & \begin{bmatrix} 2 & 8 & 3 \\ 1 & 6 & 0 \\ 7 & 6 & 5 \end{bmatrix} \\ h(n)=3 & h(n)=5 & h(n)=5 \\ f(n)=5 & f(n)=6 & f(n)=6 \end{array}$$

$$g(n)=3 \quad \begin{array}{cc} \begin{bmatrix} 0 & 2 & 3 \\ 1 & 8 & 4 \\ 7 & 6 & 5 \end{bmatrix} & \begin{bmatrix} 7 & 5 & 0 \\ 1 & 8 & 4 \\ 7 & 6 & 5 \end{bmatrix} \\ h(n)=3 & h(n)=5 \\ f(n)=5 & f(n)=6 \end{array}$$

$$g(n)=4 \quad \begin{array}{cc} \begin{bmatrix} 1 & 2 & 3 \\ 0 & 8 & 4 \\ 7 & 6 & 5 \end{bmatrix} & \begin{bmatrix} 1 & 2 & 3 \\ 8 & 0 & 4 \\ 7 & 6 & 5 \end{bmatrix} \\ h(n)=1 & h(n)=5 \\ f(n)=5 & f(n)=6 \end{array}$$

Manhattan Distance

Manhattan Distance

$$\begin{bmatrix} 2 & 8 & 3 \\ 1 & 6 & 4 \\ 7 & 0 & 5 \end{bmatrix} \quad \begin{bmatrix} 1 & 2 & 3 \\ 8 & 0 & 4 \\ 7 & 6 & 5 \end{bmatrix}$$

$$g(n)=1 \quad \begin{array}{ccc} \begin{bmatrix} 2 & 8 & 3 \\ 1 & 0 & 4 \\ 7 & 6 & 5 \end{bmatrix} & \begin{bmatrix} 2 & 8 & 3 \\ 1 & 6 & 4 \\ 7 & 5 & 0 \end{bmatrix} & \begin{bmatrix} 2 & 8 & 3 \\ 1 & 6 & 4 \\ 0 & 7 & 5 \end{bmatrix} \\ f(n)=5 & f(n)=6 & f(n)=7 \end{array}$$

$$g(n)=2 \quad \begin{array}{ccc} \begin{bmatrix} 2 & 0 & 3 \\ 1 & 8 & 4 \\ 7 & 6 & 5 \end{bmatrix} & \begin{bmatrix} 2 & 8 & 3 \\ 0 & 1 & 4 \\ 7 & 6 & 5 \end{bmatrix} & \begin{bmatrix} 2 & 8 & 3 \\ 1 & 6 & 0 \\ 7 & 6 & 5 \end{bmatrix} \\ f(n)=5 & f(n)=6 & f(n)=7 \end{array}$$

$$g(n)=3 \quad \begin{array}{cc} \begin{bmatrix} 0 & 2 & 3 \\ 1 & 8 & 4 \\ 7 & 6 & 5 \end{bmatrix} & \begin{bmatrix} 7 & 5 & 0 \\ 1 & 8 & 4 \\ 7 & 6 & 5 \end{bmatrix} \\ f(n)=5 & f(n)=6 \end{array}$$

$$\begin{bmatrix} 1 & 2 & 3 \\ 0 & 8 & 4 \\ 7 & 6 & 5 \end{bmatrix} \quad f(n)=5$$

$$\begin{bmatrix} 1 & 2 & 3 \\ 8 & 0 & 4 \\ 7 & 6 & 5 \end{bmatrix} \quad f(n)=5$$

$$f(n)=5$$

N-Queen Implementation Using hill - Climbing algorithm

Algorithm for hill Climbing Algorithm

function hill-Climbing (Problem) returns a state that is local maximum

current \leftarrow Make-Node (Problem, Initial-State)

loop do

neighbour \leftarrow a highest valued function
if neighbour-value \leq current-value

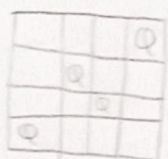
then return state

end if

current \leftarrow neighbour

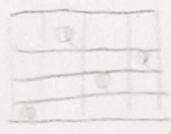
~~end loop.~~
~~execute.~~

State Space Tree

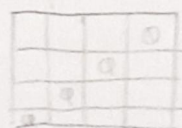


$x_0: 3$
 $x_1: 1$
 $x_2: 2$
 $x_3: 0$

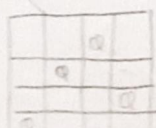
Cost = 2



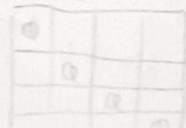
Cost: 1



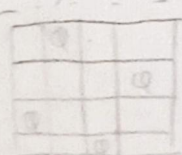
Cost: 6



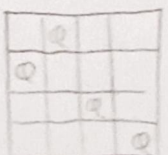
Cost: 1



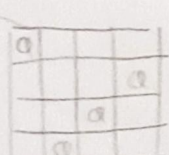
Cost: 6



Cost: 0



Cost: 2



Cost: 4