

Analysing constraints

→ It helps to narrow down which time complexity and data structure or algorithm to use for a given problem

→ It is important to look at constraints when any problem.

→ Asking constraints directly from interviewer is some times considered as hint.

→ Instead of directly asking, given your approach, it's TC & SC and check if it works.

→ Does this make sense to you?

→ Will this TC works?

→ Will this SC works?

→ Should I focus on optimising more?

→ Should I focused on time or space.

Constraint	Possible TC
$n \leq 10^6$	$O(N)$, $O(N \log N)$
$n \leq 20$	$O(2^n)$, $O(N!)$
$n \leq 10^{10}$	$O(\log N)$, $O(1)$, $O(\sqrt{n})$

These are just general guidelines.

The actual TC can vary based on the specific problem and implementation.

Q1: Given an array of 1's and 0's, you are allowed to replace at max one 0 with 1.

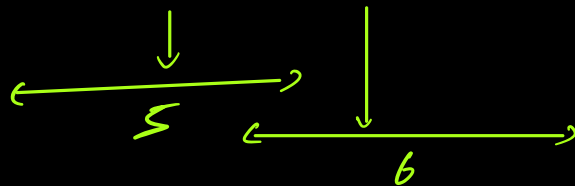
Find the maximum no. of consecutive 1's that can be obtain after making replacement.

Amazon
Microsoft
Adobe etc.

$A = [1, 1, 0, 1, 1, 0, 1, 1]$

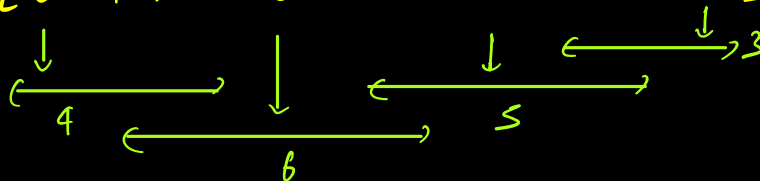
Ans: 5 replace 2nd or 5th index.

Q1: $A = [1, 1, 0, 1, 1, 0, 1, 1, 1]$



Ans: 6

Q2: $A = [0, 1, 1, 1, 0, 1, 1, 0, 1, 1, 0]$



ans: 6

Solution Approach:

- 1) Maintain a 'ans' variable to track max len.
- 2) Initialise it with 0
- 3) Iterate through array, whenever we encounter a '0'.
 - Count no. of consecutive 1's on left: l
 - Count no. of consecutive 1's on right: r
 - if $(l+r+1 > \text{ans})$ $\text{ans} = l+r+1$

Edge Case: A: [1 1 1 1 1] ans: 5

```
int findMaxConsecutiveOnes (int nums[]) {  
    int n = nums.size();  
    int ans = 0;  
    int totalOnes = 0;  
  
    for (int i = 0; i < n; i++) {  
        if (nums[i] == 1)  
            totalOnes++;  
    }  
  
    if (totalOnes == n)  
        return n;  
  
    for (i = 0; i < n; i++) {  
        if (nums[i] == 0) {
```

```

int l=0, r=0;
int j=i+1
while (j < n && nums[j]==1) {
    r++;
    j++;
}
j=i-1
while (j >= 0 && nums[j]==1) {
    l++;
    j--;
}
if (l+r+1 > ans)
    ans = l+r+1
}
return ans
}

```

Time Complexity

Let's count number of access to each element
 $\text{---} \Rightarrow i$ $\text{---} \Rightarrow j$ going right $\text{---} \Rightarrow j$ going left

0	1	1	1	0	1	1	0	1	1	1	1	0	0	1	1	0	1	1
<u> </u>	<u> </u>	<u> </u>	<u> </u>	<u> </u>	<u> </u>	<u> </u>	<u> </u>	<u> </u>	<u> </u>	<u> </u>	<u> </u>	<u> </u>	<u> </u>	<u> </u>	<u> </u>	<u> </u>	<u> </u>	<u> </u>
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$r=2, l=2$
 $\text{ans} = 4 \times 7$

Every element is getting accessed
 at max 3 times

\therefore # iterations = $2N$

TC: $O(N)$

Q2:- Given an array of 1's and 0's, you are

allowed to SWAP at max one 1 with a 0.

Find the maximum no. of consecutive 1's that can be obtain after making replacement.

$A = [1\ 0\ 1\ 1\ 0\ 1]$

ans = 4 swap $A[1]$ with $A[5]$
 swap $A[4]$ with $A[0]$

Ans: $A = [1\ 1\ 0\ 1\ 1\ 1]$

ans = 5

```
if (l+r == totalOnes)
    ans = max(ans, l+r)
else
    ans = max(ans, l+r+1)
```

```

int findMaxConsecutiveOnes ( int nums[] ) {
    int n = nums.size()
    int ans = 0
    int totalOnes = 0;

```

```

    for (int i=0; i<n; i++) {
        if (nums[i] == 1)
            totalOnes++;
    }

```

```

    if (totalOnes == n)
        return n;

```

```

    for (i=0; i<n; i++) {
        if (nums[i] == 0) {

```

```

            int l=0, r=0;

```

```

            int j = i+1

```

```

            while (j < n && nums[j] == 1) {
                r++;
                j++;
            }

```

```

            j = i-1

```

```

            while (j >= 0 && nums[j] == 1) {
                l++;
                j--;
            }

```

```

            curAns = l+r+1

```

```

            if (l+r == totalOnes)
                curAns = l+r

```

```

            if (curAns > ans)
                ans = curAns
    }

```

return ans

Majority Element

Given N elements, find the majority element

The majority element is the element that occurs more than $N/2$ times where N is size of the array.

Google, Facebook etc.

$$A = [2 \ 1 \ 4]$$

ans: -1 (No majority element)

$$A = [3 \ 4 \ 3 \ 2 \ 4 \ 4 \ 4]$$

$N = 7$, $N/2 = 3.5 >$ at least 4 times

ans: 4

$$A = [3 \ 3 \ 4 \ 2 \ 4 \ 4 \ 2 \ 4]$$

$N = 8$, $N/2 = 4 <$ at least 5 times

ans: -1 (No majority element)

Quiz: 3 4 3 6 1 2 2 5 3 3 3

$$N = 11 \Rightarrow N/2 = 5.5 \text{ at least } 6$$

ans: 3

Quiz: 4 6 5 3 4 5 6 4 4 4

$$N = 10 \Rightarrow N/2 = 5 \text{ at least } 6$$

ans: -1 (NO ME)

At max how many majority element can be there in an array?

Ans: 1



Proof by contradiction:

Let's say there are two ME $\Rightarrow x, y$

$$\text{freq}(x) > \frac{N}{2} \Rightarrow \text{freq}(x) = \frac{N}{2} + 1$$

$$\text{freq}(y) > \frac{N}{2} \Rightarrow \text{freq}(y) = \frac{N}{2} + 1$$

$$\begin{aligned} \text{freq}(x) + \text{freq}(y) &= \frac{N}{2} + \frac{N}{2} + 1 + 1 \\ &= N + 2 \end{aligned}$$

It's not possible, thus assumption was clear

Brute Force: Put all elements in hashmap
and return the element with
freq more than $n/2$.

TC: $O(N)$, SC: $O(N)$

The requirement is $O(1)$ SC.

Brute Force: Check the freq of each element
by iterating in the array

TC: $O(N^2)$ SC: $O(1)$

Slight Optimised: Sort using $O(1)$ SC sorting
algo.

Compare neighbours to count the freq and
return ME.

TC: $O(N \log N + N)$ SC: $O(1)$
 $\approx O(N \log N)$

Moore's Voting Algorithm

→ There can be only single ME
Proof above.

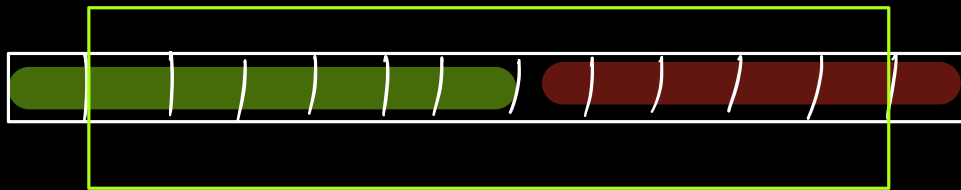
→ If you remove 2 distinct elements
then the majority element will remain
the same



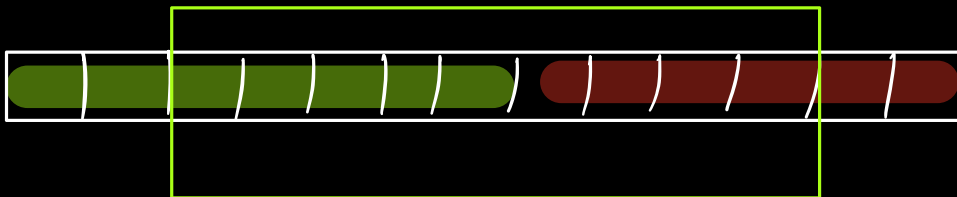
$$N = 13$$

$$N/2 = 6.5$$

To be ME we need at least 7



$$N = 11, n_g = 6, \text{ green is still ME}$$



$$N = 9, n_g = 5, \text{ green is still ME}$$



$$N = 7, n_g = 4, \text{ green is still ME}$$

Voting Example :

OP : 9 candidates

XP : 3 candidates

RP : 2 candidates

GP : 3 candidates

Total candidates = 17 , To be ME min req = 9

OP : ~~1~~ ~~2~~ ~~3~~ ~~4~~ ~~5~~ ~~6~~ ~~7~~ ~~8~~ ~~9~~
 XP : ~~1~~ ~~2~~ ~~3~~
 RP : ~~1~~ ~~2~~
 GP : ~~1~~ ~~2~~ ~~3~~

Remove	OP	XP	RP	GP	Winner
OP & RP	8	3	1	3	OP
OP & XP	7	2	1	3	OP
OP & RP	6	2	0	3	OP
OP & XP	5	1	0	3	OP
OP & XP	4	0	0	3	OP
OP & GP	3	0	0	2	OP

If we remove 2 different element from the array the ME does not change.

Algorithm:

- Iterate through each element in the array, keep tracking ME and its frequency
- If next element is same as cur ME then increase the count, else decrease the count.
- If count becomes zero, update the ME to the current element and reset the count to 1.
- After the iteration, go through the array and check if $\text{freq}(\text{ME}) > N/2$ or not.
If it's not the ME does not exist.

3 4 3 6 1 3 2 5 3 3 3
↑

ME = 3 3 3 3

Count = 1 0 1 0 1 0 1 0 2 3

ans = 3

```
int findMEC(int a[], int size) {
```

```
    int me = A[0], count = 1
```

```
    for (i = 1; i < size; i++) {
```

```
        if (count == 0) {
```

```
            me = A[i]
```

```
            count = 1
```

```
        }
```

```
    } else {
```

```
        if (me == A[i])
```

```
            count++
```

```
        else
```

```
            count--
```

```
}
```

Need to check even if ME exists?

```
int count = 0;
```

```
for (i = 0; i < size; i++) {
```

```
    if (A[i] == me) count++
```

```
}
```

```
if (count > size/2) {
```

```
    return me;
```

```
}
```

```
return -1;
```

```
}
```

TC: $O(N)$

SC: $O(1)$

1 2 3 4 4 4

↑

me = 4

There is no ME

count = 1 0 1 0 1 2

1 3 3 3 3 1 1 \uparrow

me = 3

con = 1 0 1 2 3 2 1

con = 4 > 3/2

$\therefore ME = 3$

Q Given 2D +ve integer matrix. Make all the elements in a row or column zero if $A[i][j] = 0$. Specifically make i^{th} row and j^{th} column zero.

1	2	3	4
5	6	7	0
9	2	0	4

\Rightarrow

1	2	0	0
0	0	0	0
0	0	0	0

and

0			0

Sol: \rightarrow For every $A[i][j] = 0$
make all elements in i^{th}
row and j^{th} column -1

\rightarrow Iterate again and make
element 0 which are $-ve$.

TC: $O((N+M)(N+M)) = O(N^3)$

Optimize: Also if there are $-\infty$.

→ Create two sets. row-to-make-zero
col-to-make-zero

→ if $A[i][j] = 0$, then row-to-make-zero: $indent(i)$
col-to-make-zero: $indent(j)$

→ Iterate in sets and make zero.

$$TC: O((N+M) + 2 \cdot (N+M))$$
$$= O(N+M)$$

Doubt Δ

0 1 1 1 0 1 1 0 1 1 0

ans = 6

Σ

1 0 1 1 0 1 1

$1 \rightarrow 1 \rightarrow 4 \rightarrow 0$ $O(n)$ $SC O(n)$
 $1 + 1 + 2 = 4$ $2 + 1 + 2 = 5$