

Rethinking the Memory Staleness Problem in Dynamic Graphs

- Based on TGN for DL on Dynamic Graphs (Rossi et al)*

Advanced Topics in Deep Learning 236605

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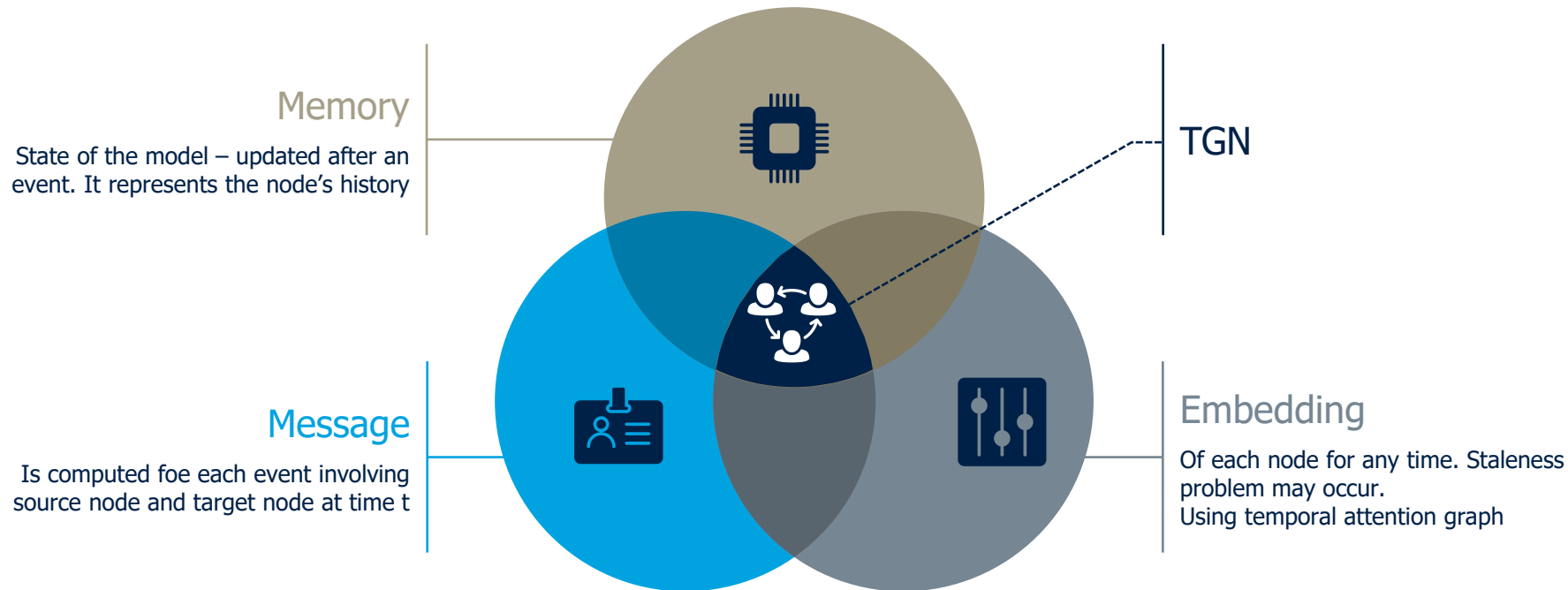
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Introduction

- ▶ Accurate representations of dynamic systems using graphs has to consist temporal evolution within them.
- ▶ Dynamic graphs:
 - Discrete-time dynamic graphs (DTDG)
 - Continuous-time dynamic graphs (CTDG)
- ▶ TGN – Temporal Graph Networks
 - Encoder on CTDG – seq. time stamped events \longrightarrow time stamped embeddings
- ▶ Memory staleness problem

TGN – Core modules




The Staleness Problem

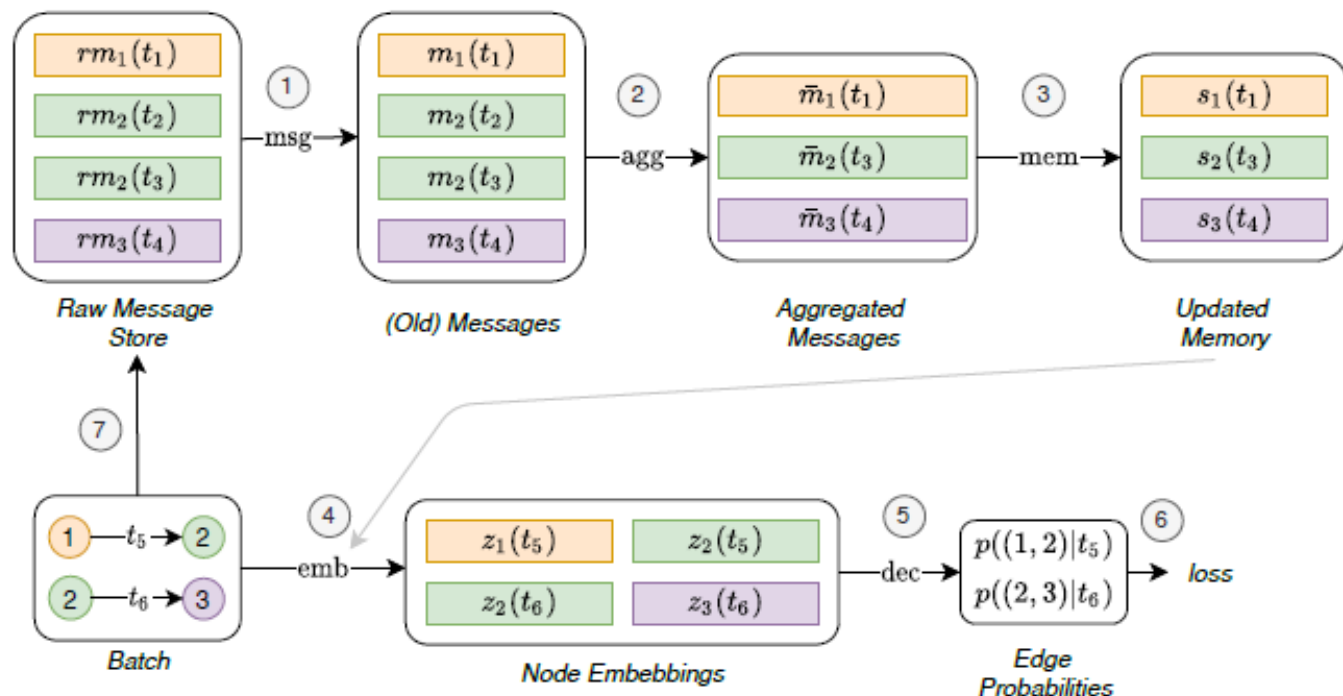


- ▶ Node's embedding is based on its memory
- ▶ Lack of events (messages)
- ▶ Stale memory
- ▶ Node's embedding is not up to date
- ▶ Edge prediction performance



- ▶ User's state
- ▶ Temporal deactivating
- ▶ User's information is getting not relevant
- ▶ User's recommendation system 

TGN - Flow of Operations



Temporal graph attention – embedding for staleness

– Temporal Neighborhood

Temporal Graph Attention (attn): A series of L graph attention layers compute i 's embedding by aggregating information from its L -hop temporal neighborhood.

– 10 recent

The input to the l -th layer is i 's representation $\mathbf{h}_i^{(l-1)}(t)$, the current timestamp t , i 's neighborhood representation $\{\mathbf{h}_1^{(l-1)}(t), \dots, \mathbf{h}_N^{(l-1)}(t)\}$ together with timestamps t_1, \dots, t_N and features $\mathbf{e}_{i1}(t_1), \dots, \mathbf{e}_{iN}(t_N)$ for each of the considered interactions which form an edge in i 's temporal neighborhood:

– Attention mechanism

$$\mathbf{h}_i^{(l)}(t) = \text{MLP}^{(l)}(\mathbf{h}_i^{(l-1)}(t) \parallel \tilde{\mathbf{h}}_i^{(l)}(t)), \quad (5)$$

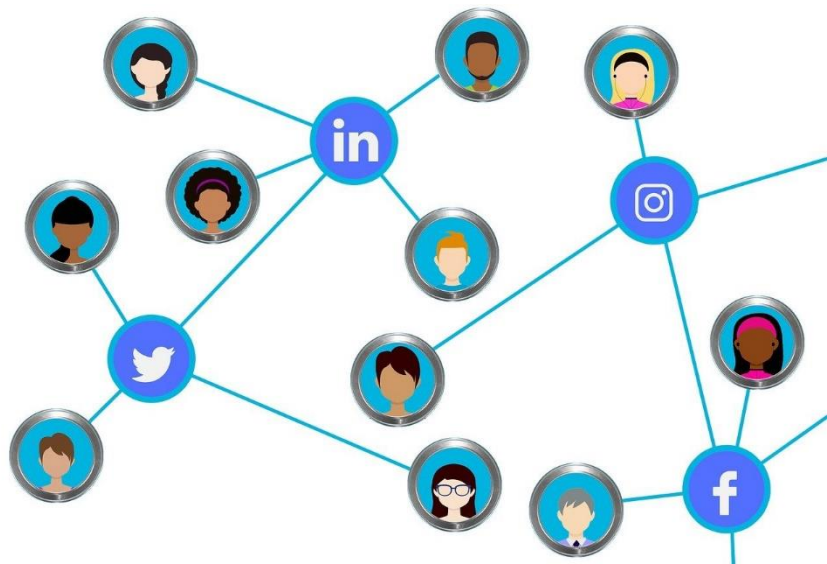
$$\tilde{\mathbf{h}}_i^{(l)}(t) = \text{MultiHeadAttention}^{(l)}(\mathbf{q}^{(l)}(t), \mathbf{K}^{(l)}(t), \mathbf{V}^{(l)}(t)), \quad (6)$$

$$\mathbf{q}^{(l)}(t) = \mathbf{h}_i^{(l-1)}(t) \parallel \phi(0), \quad (7)$$

$$\mathbf{K}^{(l)}(t) = \mathbf{V}^{(l)}(t) = \mathbf{C}^{(l)}(t), \quad (8)$$

$$\mathbf{C}^{(l)}(t) = [\mathbf{h}_1^{(l-1)}(t) \parallel \mathbf{e}_{i1}(t_1) \parallel \phi(t - t_1), \dots, \mathbf{h}_N^{(l-1)}(t) \parallel \mathbf{e}_{iN}(t_N) \parallel \phi(t - t_N)]. \quad (9)$$

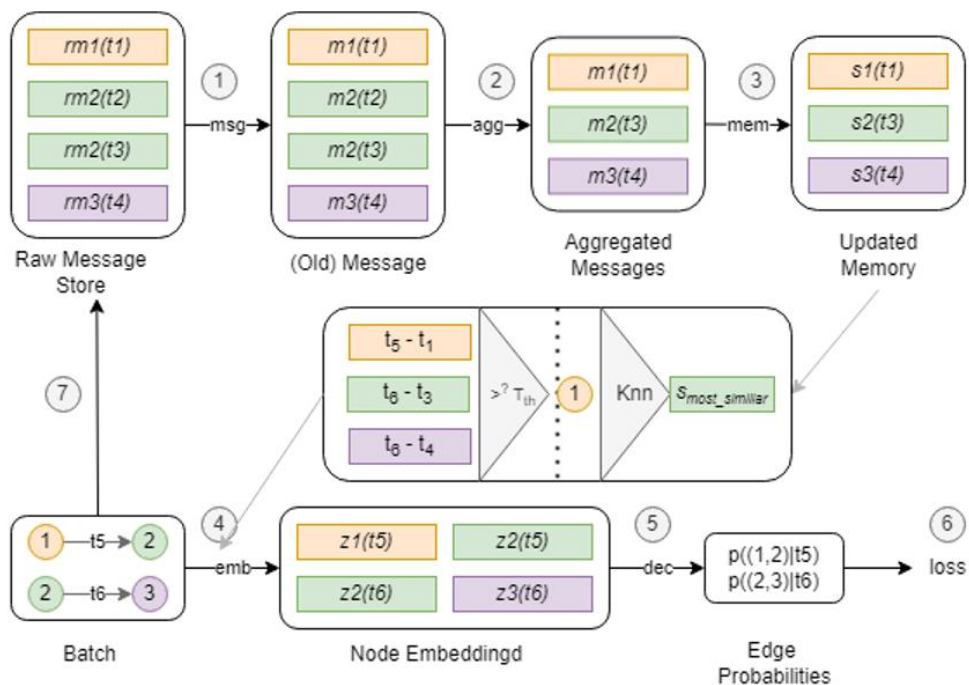
– 1 hop



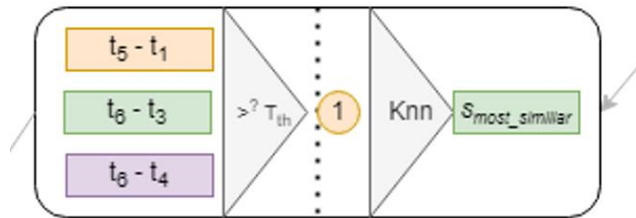
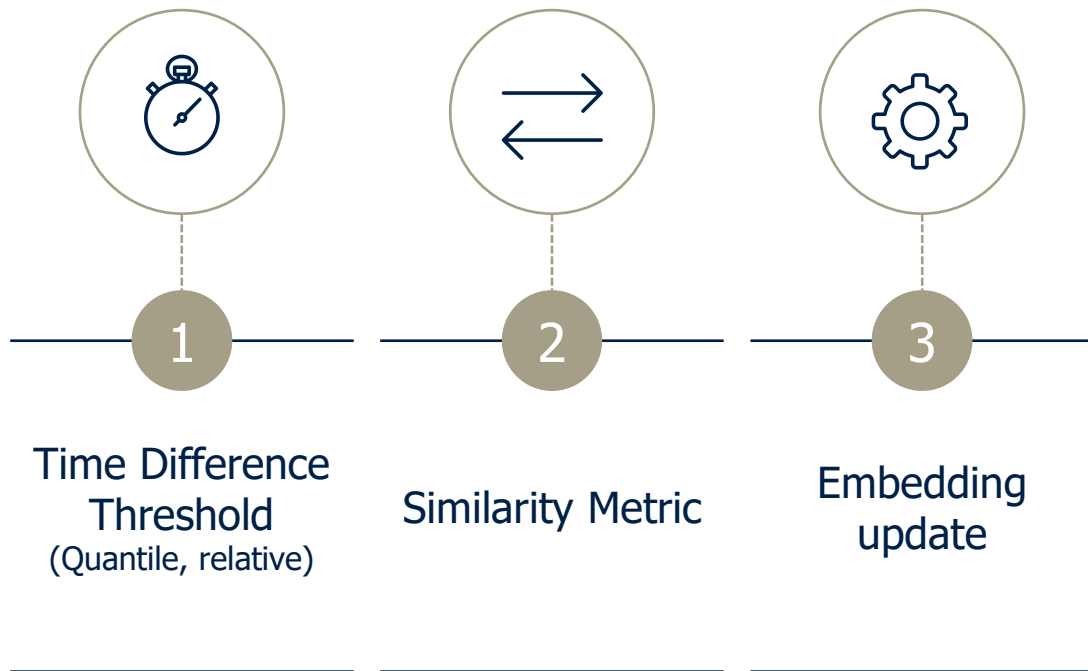
“

Tell me **who your friends are**, and I will tell you **who you are**

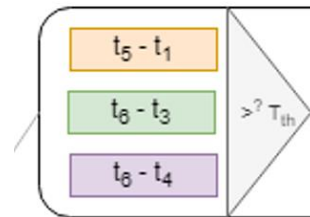
TGN - Flow of Operations + **Our Contribution**



Our Contribution



Time Difference



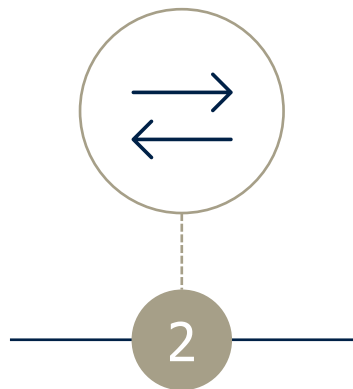
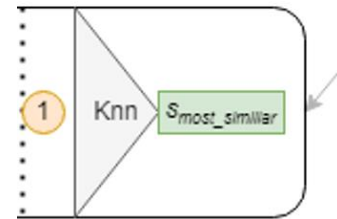
1

Time Difference
Threshold
(Quantile, relative)

- **time differences vector** - current event & last updated event – for current batch nodes
- **Relative threshold**
- **Different quantiles**

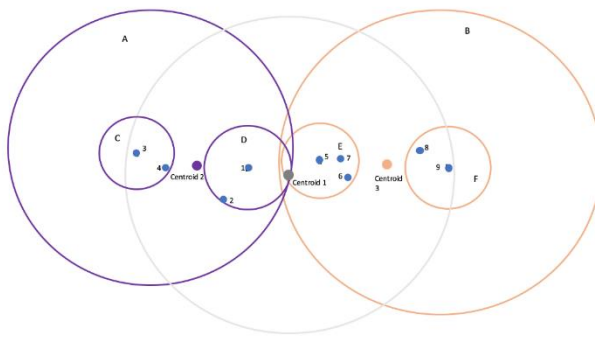
$$\Delta T_{th} = Q(p) = \inf\{t \in \mathbb{R} : p(t)\}$$

Similarity Metric

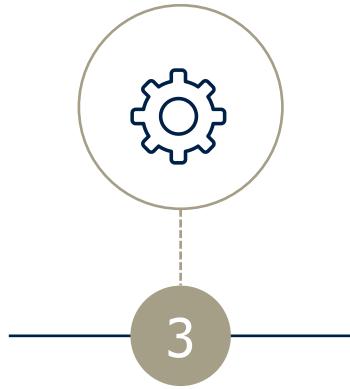


- **KNN**- K-nearest Neighbors
 - **Ball-Tree**
 - **Brute Force**
- **K = 1**
- **Only others with history (mem)**

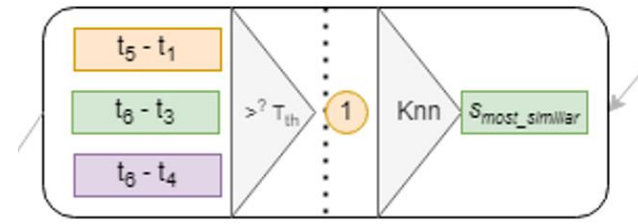
Similarity Metric



Embedding Update



Embedding
update



- **Stales source nodes update**
- **Sum with memory**
- **Sum with most similar node**



- **Temporal attention**

Datasets

Wikipedia



Reddit



Results

Table : $q = 0.975$

model	dataset	AUC	precision
TGN	wikipedia	0.963	0.967
Ball-Tree	wikipedia	0.961	0.966
Brute-force	wikipedia	0.963	0.967
TGN	reddit	0.953	0.958
Ball-Tree	reddit	0.957	0.960
Brute-force	reddit	0.953	0.957

Table: Different quantiles

model	quantile	AUC	precision
TGN	-	0.963	0.967
Ball-Tree	0.975	0.961	0.966
Ball-Tree	0.8	0.966	0.970
Ball-Tree	0.7	0.958	0.963

Discussion & Future Steps



- ▶ Staleness problem importance
- ▶ Temporal neighborhood
- ▶ Future work:
 - $K > 1$
 - Quantiles thresholds ↓
 - Learnable nodes similarity model
 - Specific evaluation metric
 - Hyperparameters and finetuning