

SORTING, ARRAYS & MATRICES

- Exercism: Python Lists
- Python.org: Sorting HOW TO

$$L = \begin{bmatrix} 0 & 1 & 2 & 3 \\ 1, 2, 3, 4 \\ -4 & -3 & -2 & -1 \end{bmatrix}$$

$$L[0] \approx L[-4]$$

$$L[0:2] = [1, 2]$$

Two Pointer Approach

Definition:

It involves two indices to traverse the data structure, simplifying search and comparison operations.

Use Cases:

Finding pairs with a given sum, reversing arrays, and detecting palindromes

Example:



To track elements from two ends or positions in the data structure, which allows us to compare, sum, or swap elements efficiently. This technique is particularly useful in problems where a brute force approach would require nested loops.

Real-world:

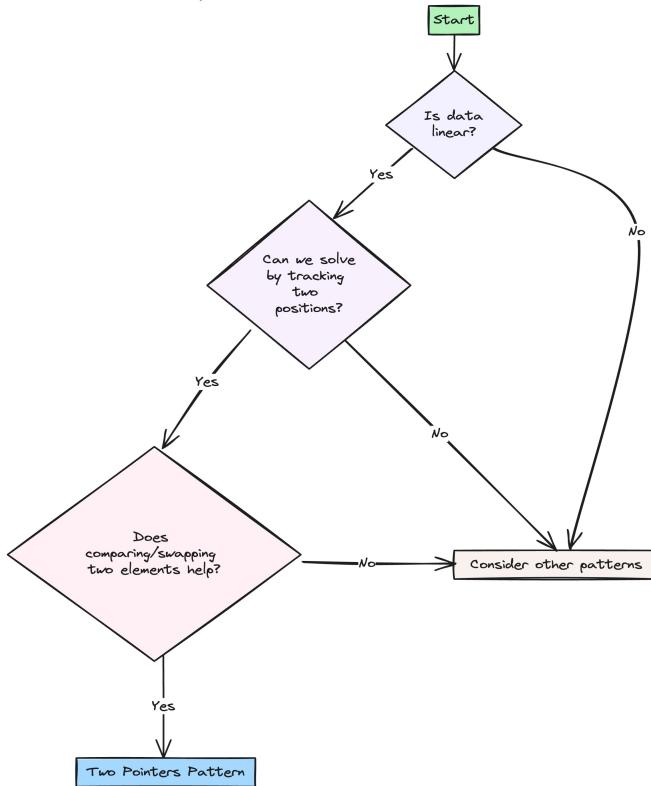
Memory Management: Allocation / Deallocation

Advantages:

Time complexities: $O(n^2)$ vs. $O(n)$.

Space complexity: avoiding auxiliary data structures.

Does My Problem Match This Pattern?



Sliding Window Approach

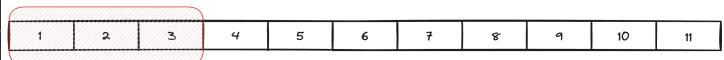
Definition:

Moving a subset of data ("the window") across a data structure to examine different segments efficiently.

Use Cases:

Calculating maximum sums, finding longest substrings without repeating characters.

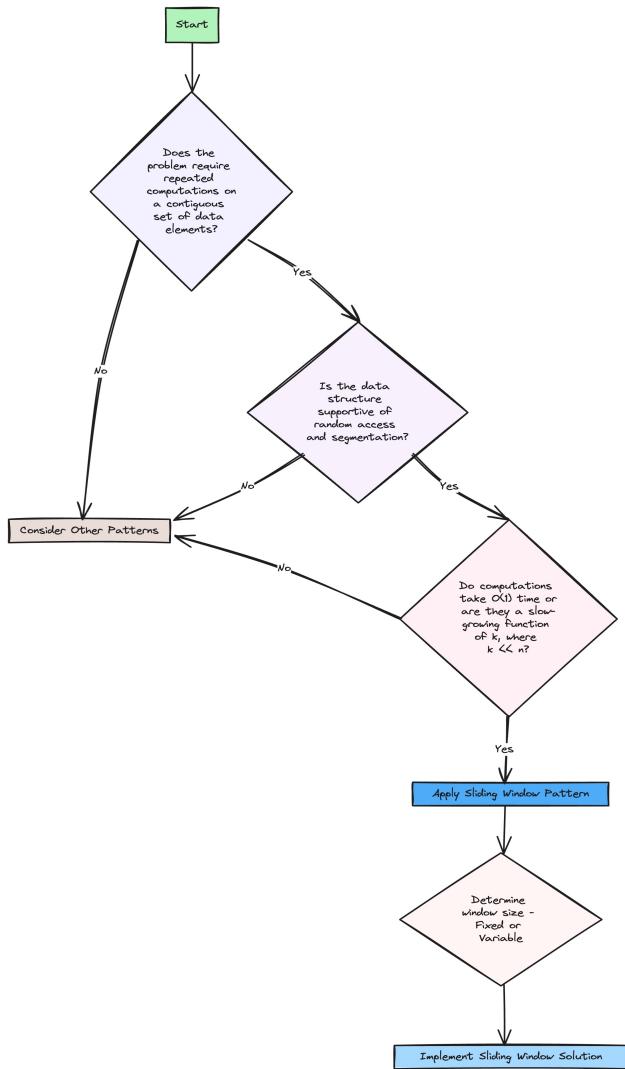
Example:



How do you decide to use the Two Pointers or Sliding Window pattern?

By focusing on the nature of the problem, such as the need for contiguous segments or pairs meeting a condition.

Does My Problem Match This Pattern?



1.) Move Zeros:

nums = $\left[\underline{0}, 1, \underline{0}, 3, 12 \right]$
 $\downarrow \downarrow \downarrow$
 $\cancel{0} \cancel{0}$

$\left[1, 3, 12, 0, 0 \right]$

ans = $\left[\cancel{0}, \cancel{0} \right] \Rightarrow$
 $\left[1, 3, 12, \cancel{0}, \cancel{0} \right]$

TC = $O(n) + O(k) \rightarrow O(n)$

SC = $O(n)$

nums = $\left[\underline{0}, 1, \underline{0}, 3, 12 \right]$
 $\uparrow \downarrow \downarrow$

zero_index = 1st zero in array

next_ptr = next element of zero index

$\left[\cancel{0}, \cancel{0}, \cancel{0}, 1, \underline{0}, 0, 3, 12 \right]$

$\cancel{0} \cancel{0} \cancel{0} \cancel{0} \cancel{0} \cancel{0} \cancel{0}$
 $\left[1, \cancel{0}, \cancel{0}, \cancel{0}, \cancel{0}, \cancel{0}, \cancel{0}, 3, 12 \right]$

$\left[1, 3, \cancel{0}, \cancel{0}, \cancel{0}, \cancel{0}, \cancel{0}, 12 \right]$

$\left[1, 3, 12, \cancel{0}, \cancel{0} \right]$

$\left[\cancel{0}, \cancel{0}, \cancel{0}, 1, 0, 3, 12 \right]$

$\left[1, \cancel{0}, \cancel{0}, 0, 3, 12 \right]$
 $\cancel{0} \cancel{0} \cancel{0}$ next next

$\left[1, 3, \cancel{0}, \cancel{0}, 12 \right]$
 $\cancel{0} \cancel{0}$ next next

$\left[1, 3, 12, \cancel{0}, \cancel{0} \right]$

TC = $O(n)$

SC = $O(1)$

$\left[\cancel{0}, \cancel{1}, \cancel{0}, \cancel{3}, \cancel{1}, \cancel{2} \right]$

$\left[12, 1, 0, 3, 0 \right]$

zero copy

$\left[1, \cancel{0}, 2, 3, \cancel{0} \right]$

$\left[1, 2, 3, 4, \cancel{0}, \cancel{0}, 10, 20 \right]$

zero_index

{
 for (i → 0 → n-1)
 if (arr[i] == 0)
 zero_index = i
 break;

curr = zero_index + 1

while (curr < n)

{
 if arr[curr] != 0
 swap(arr[zero_index], arr[curr])
 zero_index += 1

curr += 1

}

[1, 0, 2, 3, 0]

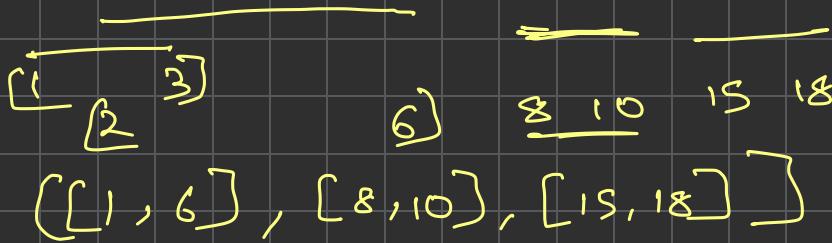
↑↑
z z

1, 2, 0, 3, 0
↑↑
z z

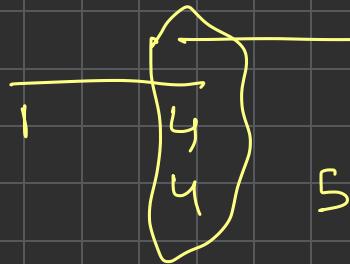
1, 2, 3, 0, 0
↑ X
z z
2 x

2.) Merge Intervals:

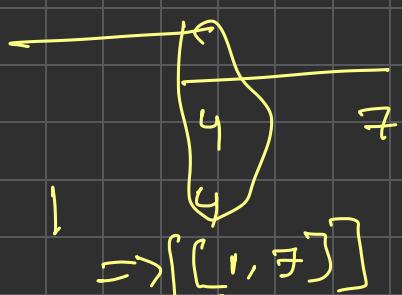
intervals = $\left[\left[1, 3 \right], \left[2, 6 \right], \left[8, 10 \right], \left[15, 18 \right] \right]$



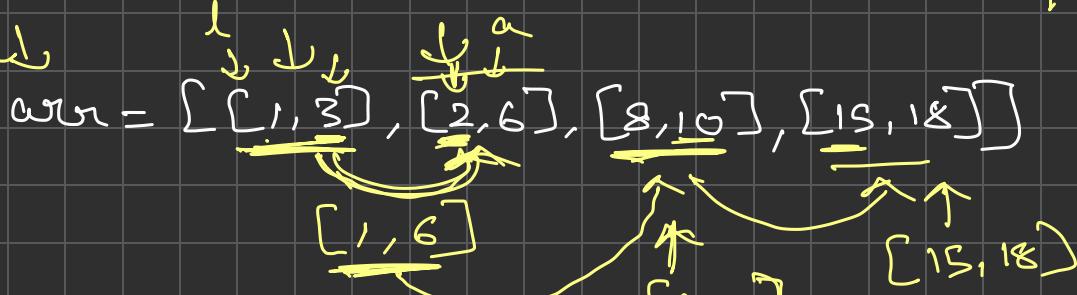
$\left[\left[1, 4 \right], \left[4, 5 \right] \right]$



$\left[\left[4, 7 \right], \left[1, 4 \right] \right]$



1)



$n \}$ no. of lists
in the parent list

ans = $\left[\left[1, 6 \right], \left[8, 10 \right], \left[15, 18 \right] \right]$

arr = $\left[\left[4, 7 \right], \left[1, 4 \right] \right]$

sort-arr = $\left[\left[1, 4 \right], \left[4, 7 \right] \right]$

\uparrow

$\left[\left[1, 7 \right] \right]$

arr = $\left[\left[2, 5 \right], \left[3, 4 \right] \right]$

Brute force

for $i \rightarrow 0 \dots n-2$
 for $j \rightarrow i+1 \dots n-1$
 $\text{arr}[i] \text{ } // \text{overlap logic}$

ans.append($\left[\left[\right] \right]$)

$\Rightarrow \underline{\mathcal{O}(2n)} + \underline{\mathcal{O}(n \log(n))}$
 $\Rightarrow \underline{\mathcal{O}(K)} -$

soaf-arr = $\left[\left[\cancel{1, 3}], \cancel{[2, 6]}, \cancel{[8, 10]}, \cancel{[15, 18]} \right] \downarrow \right]$ $\underline{\text{ans}} = \underline{[]}$

curr-int = $\underline{[\cancel{1, 3}]}$
curr-int = $\underline{[\cancel{1, 6}]}$

ans = $\underline{[[1, 6], [8, 10], [15, 18]]}$

curr-int = $\underline{[8, \cancel{10}]}$
curr-int = $\underline{[15, \cancel{18}]}$

T.C = $\underline{\mathcal{O}(n)} + \underline{\mathcal{O}(n \log(n))}$ \rightarrow adding the array

S.C = $\underline{\mathcal{O}(K)}$

3) Max Product Subarray:

$$\begin{aligned}
 \text{nums} &= \left[\begin{array}{c} -12 \\ 2, 3, -2, 4 \end{array} \right] \\
 &\quad \text{---} \\
 &\quad \left[\begin{array}{c} 6 \\ -6 \end{array} \right] \\
 &\quad \text{---} \\
 &\quad \left[\begin{array}{c} 2 \\ 2 \\ 2 \\ 2 \\ 3 \end{array} \right] \quad \left[\begin{array}{c} 2 \\ 6 \\ -2 \\ 4 \\ -12 \end{array} \right] \\
 &\quad \text{---} \\
 &\quad \left[\begin{array}{c} 2 \\ 3 \\ 3 \\ 3 \\ 3 \end{array} \right] \quad \left[\begin{array}{c} -2 \\ -6 \\ 4 \\ -2 \\ -8 \end{array} \right] \\
 &\quad \text{---} \\
 &\quad \left[\begin{array}{c} 3 \\ -2 \\ 4 \\ -2 \\ 4 \end{array} \right] \quad \left[\begin{array}{c} 4 \\ 4 \\ 4 \\ 4 \\ 4 \end{array} \right]
 \end{aligned}$$

- 1.) all +ve no.'s $\rightarrow [1, 2, 3, 4] = 24$

2.) even -ve no.'s $\rightarrow [-1, -2, 3, 4] = 24$

3.) odd -ve no.'s $\rightarrow [1, -2, 3, 4] = 12$

4.) zero

$$\left[\begin{array}{cccccc} 4, & 1, & -2, & | & 3, & 3, & -1, & 2, & -3, & 1 \end{array} \right]$$

Prefix Suffix
[1, 1, -2, 3, 3, -), 2, -3, 1]

$$\boxed{1, 1, 1, 0} \quad \boxed{2, 3, 0, 4, 4}$$

⇒ Pseudo code for brute force:

Brute

$T.C = O(n^3)$

$S.C = 1$

$n = \text{len(nums)}$
max-product = $-\infty$
for start = 0 to $(n-1)$:
 for end = start to $(n-1)$:
 product = 1
 for k = start to end:
 product = product \times nums[k]
 max-product = $\max(\text{max-product}, \text{product})$
 return max-product

Better

$n = \text{len(nums)}$
max-prod = $-\infty$
for i = 0 to $n-1$:
 running-prod = 1
 for j = i to $n-1$:
 running-prod = running-prod \times nums[j]
 max-prod = $\max(\text{max-prod}, \text{running-prod})$
return max-prod