

## Chapter 7: Naïve Bayes Classifier

### Naïve Bayes Classifier:

- ❑ Naive Bayes is a statistical classification technique based on Bayes Theorem.
- ❑ It is called naïve because it assumes features are independent.

### ❑ Making Predictions using Naïve Bayes:

- ❑ We can make predictions using Bayes Theorem
  - $P(A|B) = P(B|A) * P(A) / P(B)$
- ❑ In fact, we don't need a probability to predict the most likely class for a new data instance. We only need the numerator and the class that gives the largest response, which will be the predicted output.
  - $\max(P(B|A) * P(A))$

## Playing Classifier:

PN	Weather	Play
1	Sunny	No
2	Sunny	No
3	Overcast	Yes
4	Rainy	Yes
5	Rainy	Yes
6	Rainy	No
7	Overcast	Yes
8	Sunny	No
9	Sunny	Yes
10	Rainy	Yes
11	Sunny	Yes
12	Overcast	Yes
13	Overcast	Yes
14	Rainy	No

For the given dataset, apply Naïve-Bayes Algo to predict the outcome of  
Weather = {Rainy}

$P(\text{Yes}) =$

$P(\text{No}) =$

Outlook	Yes	No
Sunny		
Overcast		
Rainy		

$P(X \text{Yes}) =$		
$P(X \text{No}) =$		
Normalizing $P(X \text{Yes}) =$		
Normalizing $P(X \text{No}) =$		



PN	Weather	Play
1	Sunny	No
2	Sunny	No
3	Overcast	Yes
4	Rainy	Yes
5	Rainy	Yes
6	Rainy	No
7	Overcast	Yes
8	Sunny	No
9	Sunny	Yes
10	Rainy	Yes
11	Sunny	Yes
12	Overcast	Yes
13	Overcast	Yes
14	Rainy	No

For the given dataset, apply Naïve-Bayes Algo to predict the outcome of  
Weather = {Sunny}

$$P(\text{Yes}) = 9/14$$

$$P(\text{No}) = 5/14$$

Outlook	Yes	No
Sunny	2/9	3/5
Overcast	4/9	0/5
Rainy	3/9	2/5

$P(X \text{Yes}) =$	$P(\text{Sunny} \text{Yes}) * P(\text{Yes})$		
$P(X \text{No}) =$	$P(\text{Sunny} \text{No}) * P(\text{No})$		
Normalizing $P(X \text{Yes}) =$			
Normalizing $P(X \text{No}) =$			



PN	Weather	Play
1	Sunny	No
2	Sunny	No
3	Overcast	Yes
4	Rainy	Yes
5	Rainy	Yes
6	Rainy	No
7	Overcast	Yes
8	Sunny	No
9	Sunny	Yes
10	Rainy	Yes
11	Sunny	Yes
12	Overcast	Yes
13	Overcast	Yes
14	Rainy	No

For the given dataset, apply Naïve-Bayes Algo to predict the outcome of  
Weather = {Overcast}

$$P(\text{Yes}) = 9/14$$

$$P(\text{No}) = 5/14$$

Outlook	Yes	No
Sunny	2/9	3/5
Overcast	4/9	0/5
Rainy	3/9	2/5

$P(X \text{Yes}) =$	$P(\text{Overcast} \text{Yes}) * P(\text{Yes})$	
$P(X \text{No}) =$	$P(\text{Overcast} \text{No}) * P(\text{No})$	
Normalizing $P(X \text{Yes}) =$		
Normalizing $P(X \text{No}) =$		

### Laplace Smoothing:

- ☐ Laplace smoothing is a smoothing technique that helps tackle the problem of zero probability in the Naïve Bayes machine learning algorithm.
- ☐ Working of Laplace Smoothing
  1. A small-sample correction, or pseudo-count, will be incorporated in every probability estimate.
  2. Consequently, no probability will be zero.
- ☐ This is a way of **regularizing Naïve Bayes**, and when the pseudo-count is zero, it is called Laplace smoothing.

<b>P(X   Yes) =</b>	<b>P(Overcast   Yes) * P(Yes)</b>		
<b>P(X   No) =</b>	<b>P(Overcast   No) * P(No)</b>		
<b>Normalizing P(X   Yes) =</b>			
<b>Normalizing P(X   No) =</b>			



## GO-OUT/STAY-HOME CLASSIFIER

DN	Weather	Car	Result
1	sunny	working	go-out
2	rainy	broken	go-out
3	sunny	working	go-out
4	sunny	working	go-out
5	sunny	working	go-out
6	rainy	broken	stay-home
7	rainy	broken	stay-home
8	sunny	working	stay-home
9	sunny	broken	stay-home
10	rainy	broken	stay-home

For the given dataset, apply Naïve-Bayes Algo to predict the outcome of a  $X = \{\text{sunny, working}\}$

$P(\text{go-out}) =$

$P(\text{stay-home}) =$

Weather	go-out	stay-home		Car	go-out	stay-home
Sunny				Working		
Rainy				Broken		

$P(X   \text{go-out}) =$		
$P(X   \text{stay-home}) =$		
Normalizing $P(X   \text{go-out}) =$		
Normalizing $P(X   \text{stay-home}) =$		



DN	Weather	Car	Result
1	sunny	working	go-out
2	rainy	broken	go-out
3	sunny	working	go-out
4	sunny	working	go-out
5	sunny	working	go-out
6	rainy	broken	stay-home
7	rainy	broken	stay-home
8	sunny	working	stay-home
9	sunny	broken	stay-home
10	rainy	broken	stay-home

For the given dataset,  
apply Naïve-Bayes  
Algo to predict the  
outcome of a

$X = \{\text{rainy, broken}\}$

$$P(\text{go-out}) = 5 / 10$$

$$P(\text{stay-home}) = 5 / 10$$

Weather	go-out	stay-home		Car	go-out	stay-home
Sunny	4/5	2/5		Working	4/5	1/5
Rainy	1/5	3/5		Broken	1/5	4/5

$P(X \text{go-out})$ =	$P(\text{rainy} \text{go-out}) * P(\text{broken} \text{go-out}) * P(\text{go-out})$		
$P(X \text{stay-home})$ =	$P(\text{rainy} \text{stay-home}) * P(\text{broken} \text{stay-home}) * P(\text{stay-home})$		
Normalizing $P(X \text{go-out})$ =			
Normalizing $P(X \text{stay-home})$ =			

## **NBC Advantages:**

- ☐ Naïve Bayes is one of the fast and easy ML algorithms to predict a class of datasets.
- ☐ It can be used for Binary as well as Multi-class Classifications.
- ☐ It performs well in Multi-class predictions as compared to the other Algorithms.

## **NBC Disadvantages:**

Naive Bayes assumes that all features are independent or unrelated.

## **NBC Application:**

- ☐ Text Classification problem such as:
  - Spam filtration
  - Classifying articles
- ☐ Credit Scoring
- ☐ Medical data classification