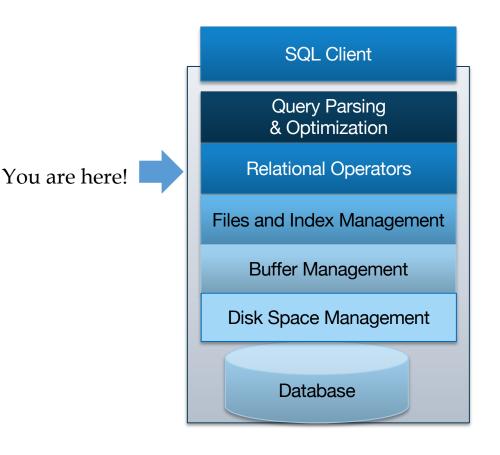
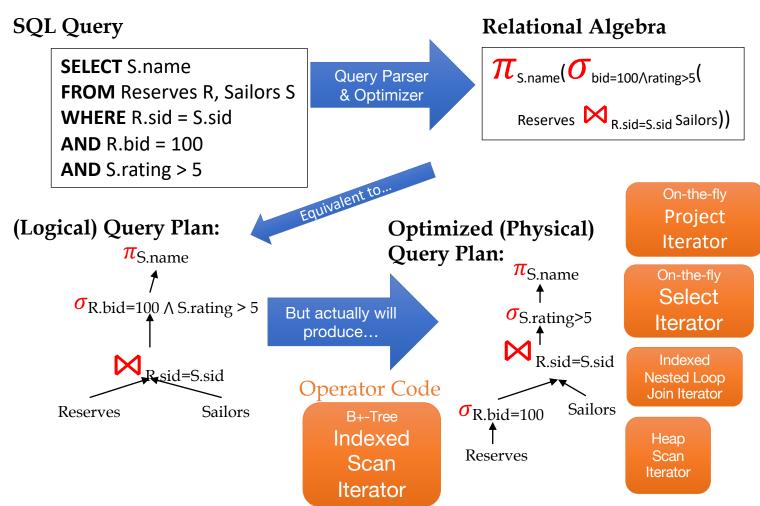
Introduction to Database Systems

2023-Fall

2. Data Model

Relational Algebra





Relational Algebra Preliminaries

- Algebra of operators on relation instances
- $\pi_{\text{S.name}}(\sigma_{\text{R.bid=100 } \land \text{S.rating>5}}(\text{R} \bowtie_{\text{R.sid=S.sid}} \text{S}))$
 - *Closed*: result is also a relation instance
 - Enables rich composition!
 - *Typed*: input schema determines output
 - Can statically check whether queries are legal.

Relational Algebra and Sets

- Pure relational algebra has set semantics
 - No duplicate tuples in a relation instance
 - vs. SQL, which has *multiset (bag) semantics*
 - We will switch to multiset in the system discussion

Relational Algebra

Basic operations:

- <u>Selection</u> (σ) Selects a subset of rows from relation.
- Projection (π) Deletes unwanted columns from relation.
- <u>Cross-product or Cartesian product</u> (x) Allows us to combine two relations.
- <u>Set-difference</u> (–) Tuples in reln. 1, but not in reln. 2.
- <u>Union</u> (∪) Tuples in reln. 1 and in reln. 2.
- <u>rename</u>: ρ
- $\{\sigma, \pi, \cup, -, \times\}$ is a *complete operation set*. Any other relational algebra operations can be derived from them.
- Additional operations:
 - Intersection, join, division, outer join, outer union: Not essential, but (very!) useful.

1.Selection

- Selecting rows that satisfy selection condition.
- No duplicates in result! (Why?)
- Schema of result identical to that of input relation.
- **Result** relation can be the **input** for another relational algebra operation! (Operator composition.)

Selection Example

• "Sailors", "Reserves" and "Boats" relations for our examples.

*S*2

<u>sid</u>	sname	rating	age
28	yuppy	9	35.0
31	lubber	8	55.5
44	guppy	5	35.0
58	rusty	10	35.0

$$\sigma_{rating \square 8}(S2)$$

sid	sname	rating	age
28	yuppy	9	35.0
58	rusty	10	35.0

2.Projection

- **Deletes** attributes that are not in *projection list*.
- Schema of result contains exactly the fields in the projection list, with the same names that they had in the input relation.
- Projection operator has to eliminate duplicates!
 - Note: real systems typically don't do duplicate elimination unless the user explicitly asks for it. (Why not?)

Projection Example

• "Sailors", "Reserves" and "Boats" relations for our examples.

<i>S</i> 2	sid	sname	rating	age
	28	yuppy	9	35.0
	31	lubber	8	55.5
	44	guppy	5	35.0
	58	rusty	10	35.0

$$\pi_{sname,rating}(S2)$$

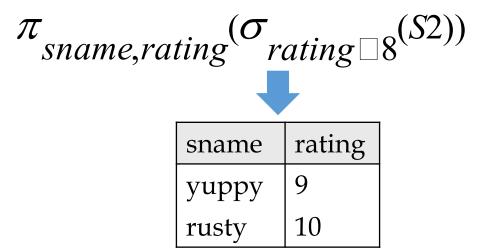
sname	rating
yuppy	9
lubber	8
guppy	5
rusty	10

$$\pi_{age}(S2)$$
 \Rightarrow $\begin{array}{c} age \\ 35.0 \\ 55.5 \end{array}$

Operator composition

 Result relation can be the input for another relational algebra operation! (Operator composition.)

*S*2 sid rating sname age 28 9 35.0 yuppy 31 8 lubber 55.5 5 44 35.0 guppy 58 10 35.0 rusty



3.Cross-Product

sid	sname	rating	age
22	dustin	7	45.0
31	lubber	8	55.5
58	rusty	10	35.0

R1	<u>sid</u>	bid	day
	22	101	10/10/96
	58	103	11/12/96

- Each row of S1 is paired with each row of R1.
- *Result schema* has one attribute per attribute of S1 and R1, with attribute names inherited if possible.
 - Conflict: Both S1 and R1 have an attribute called sid. Renaming operator.

ρ (C(1	\rightarrow sid1,5-	\rightarrow sid2).	$S1 \times R1$

(sid)	sname	rating	age	(sid)	bid	day
22	dustin	7	45.0	22	101	10/10/96
22	dustin	7	45.0	58	103	11/12/96
31	lubber	8	55.5	22	101	10/10/96
31	lubber	8	55.5	58	103	11/12/96
58	rusty	10	35.0	22	101	10/10/96
58	rusty	10	35.0	58	103	11/12/96

6.Renaming (ρ = "rho")

- Renames relations and their attributes:
- Note that relational algebra doesn't require names.
 - We could just use positional arguments.

sid1

sid2

(sid)	sname	rating	age	(sid)	bid	day
22	dustin	7	45.0	22	101	10/10/96
22	dustin	7	45.0	58	103	11/12/96
31	lubber	8	55.5	22	101	10/10/96
31	lubber	8	55.5	58	103	11/12/96
58	rusty	10	35.0	22	101	10/10/96
58	rusty	10	35.0	58	103	11/12/96

Union, Set-Difference

- All of these operations take two input relations, which must be <u>union-compatible</u>:
 - Same number of fields.
 - Corresponding attributes have the same type.

5. Union

sid	sname	rating	age
22	dustin	7	45.0
31	lubber	8	55.5
58	rusty	10	35.0

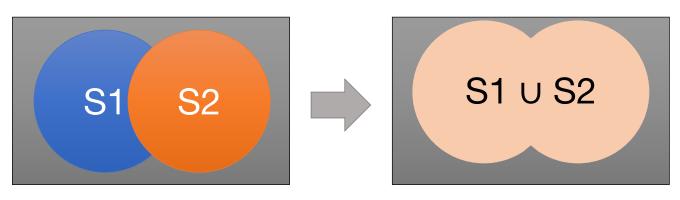
2	sid	cnama	rating	200
_	<u>S1U</u>	sname	rating	age
	28	yuppy	9	35.0
	31	lubber	8	55.5
	44	guppy	5	35.0
	58	rusty	10	35.0

- Two input relations, must be *compatible*:
 - Same number of fields
 - Fields in corresponding positions have same type

*S*1

SQL Expression: UNION vs. UNION ALL

S1 U S2



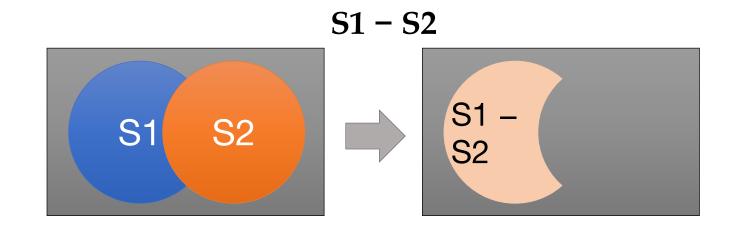
sid	sname	rating	age
22	dustin	7	45.0
31	lubber	8	55.5
58	rusty	10	35.0
44	guppy	5	35.0
28	yuppy	9	35.0

 $S1 \cup S2$

	<i>S</i> 1	sid	sname	rating	age
		22	dustin	7	45.0
4. Set Difference	(-	3 L	lubber	8	55.5
		58	rusty	10	35.0
		1			

<i>S</i> 2	sid	sname	rating	age
	28	yuppy	9	35.0
	31	lubber	8	55.5
	44	guppy	5	35.0
	58	rusty	10	35.0

- Same as with union, both input relations must be compatible.
- SQL Expression: EXCEPT



sid	sname	rating	age
22	dustin	7	45.0

$$S1-S2$$

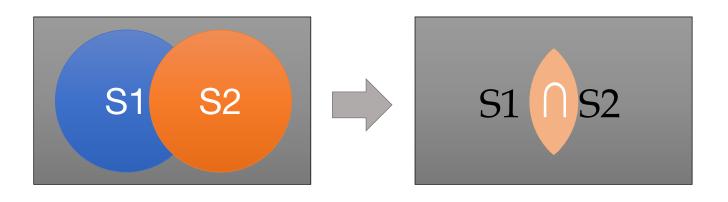
S1 Operator composition: Intersection

sid	sname	rating	age
22	dusti n	7	45.0
31	lubber	8	55.5
58	rusty	10	35.0

<i>S</i> 2	sid	sname	rating	age
	28	yuppy	9	35.0
	31	lubber	8	55.5
	44	guppy	5	35.0
	58	rusty	10	35.0

- Same as with union, both input relations must be compatible.
- SQL Expression: INTERSECT

$$S1 \cap S2$$
 Equivalent to: $S1 - (S1 - S2)$



sid	sname	rating	age
31	lubber	8	55.5
58	rusty	10	35.0

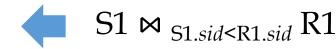
$$S1 \cap S2$$

Operator composition: S1 **Joins**

<u>sid</u>	sname	rating	age
22	dustin	7	45.0
31	lubber	8	55.5
58	rusty	10	35.0

• Condition Join : $R \bowtie_C S = \sigma_C (R \times S)$

(sid)	sname	rating	age	(sid)	bid	day
22	dustin	7	45.0	58	103	11/12/96
31	lubber	8	55.5	58	103	11/12/96



- Result schema same as that of cross-product.
- Fewer tuples than cross-product, might be able to compute more efficiently
- Sometimes called a *theta-join*. \bowtie_{θ}

Note: we will need to learn a good join algorithm. Avoid cross-product if we can!!

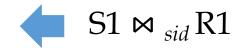
Operator composition:^{S1} **Joins**

sid	sname	rating	age
22	dustin	7	45.0
31	lubber	8	55.5
58	rusty	10	35.0

R1	<u>sid</u>	bid	day
	22	101	10/10/96
	58	103	11/12/96

• *Equi-Join*: A special case of condition join where the condition *c* contains only *equalities*.

sid	sname	rating	age	bid	day
22	dustin	7	45.0	101	10/10/96
58	rusty	10	35.0	103	11/12/96



- Result schema similar to cross-product, but only one copy of attributes for which equality is specified.
- Special special case
 - Natural Join: Equi-join on all common attributes.

Natural Join (⋈)

 Special case of equi-join in which equalities are specified for all matching fields and duplicate fields are projected away

$$R \bowtie S = \pi_{\text{unique fld.}} \sigma_{\text{eq. matching fld.}} (R \times S)$$

- Compute R × S
- Select rows where fields appearing in both relations have equal values
- Project onto the set of all unique fields.

Natural Join (⋈)

sid	sname	rating	age
22	dustin	7	45.0
31	lubber	8	55.5
58	rusty	10	35.0

R1

sid	bid	day
22	101	10/10/96
58	103	11/12/96

• R \bowtie S = $\pi_{\text{unique fld.}} \sigma_{\text{eq. matching fld.}} (R <math>\times$ S)

R1 ⋈ S1

sid	bid	day	sid	sname	rating	age
22	101	10/10/96	22	dustin	7	45.0
ZZ	101	10/10/96	31	iubber	ŏ	55.5
22	101	10/10/06	F.0		10	25.0
44	101	10/10/50	50	Tusty	10	33.0
50	102	11/12/06	วว	ductin	7	45.0
		,,		G. G. G. C	•	
Ε0	102	11/12/06	21	lubbor	0	55.5
55		,,	91	148861		55.5
58	103	11/12/96	58	rusty	10	35.0

sid	bid	day	sname	rating	age
22	101	10/10/96	dustin	7	45.0
58	103	11/12/96	rusty	10	35.0

Outer Joins

- The extension of join operation. In join operation, only matching tuples fulfilling join conditions are left in results. Outer joins will keep unmated tuples, the vacant part is set Null:
 - Left outer join(*⋈)

Keep all tuples of left relation in the result.

Right outer join (⋈*)

Keep all tuples of right relation in the result.

Full outer join (*⋈*)

Keep all tuples of left and right relations in the result.

Examples of Outer Joins

<i>S</i> 1	<u>sid</u>	sname	rating	age
	22	dustin	7	45.0
	31	lubber	8	55.5
	58	rusty	10	35.0

R1	<u>sid</u>	bid	day
	22	101	10/10/96
	58	103	11/12/96

sid	sname	rating	age	bid	day
22	dustin	7	45.0	101	10/10/96
58	rusty	10	35.0	103	11/12/96
31	Lubber	8	55.5	null	null

S1 *⋈ R1

sid	sname	rating	age	bid	day
22	dustin	7	45.0	101	10/10/96
58	rusty	10	35.0	103	11/12/96

S1⋈* R1 = S1⋈R1 (Why?)

sid	sname	rating	age	bid	day
22	dustin	7	45.0	101	10/10/96
58	rusty	10	35.0	103	11/12/96
31	Lubber	8	55.5	null	null

S1 *⋈* R1

Outer Unions

sid	sname	rating	age
22	dustin	7	45.0
31	lubber	8	55.5
58	rusty	10	35.0

sid	bid	day
22	101	10/10/96
58	103	11/12/96

R1

- The extension of union operation. It can union two relations which are not <u>union-compatible</u>.
- The attribute set in result is the union of attribute sets of two operands.

*S*1

The values of attributes which don't exist in original tuples are filled

as **NULL**

sid	sname	rating	age	bid	day
22	dustin	7	45.0	null	null
31	Lubber	8	55.5	null	null
58	rusty	10	35.0	null	null
22	null	null	null	101	10/10/96
58	null	null	null	103	11/12/96

S1<u>∪</u>R1

Division

- Not supported as a primitive operator, but useful for expressing queries like:
 - Find sailors who have reserved all boats.
- Let A have 2 fields, x and y; B have only field y:

 - i.e., A/B contains all x tuples (sailors) such that for <u>every</u> y tuple (boat) in B, there is an xy tuple in A.
 - Or: If the set of y values (boats) associated with an x value (sailor) in A contains all y values in B, the x value is in A/B.
- In general, x and y can be any lists of fields; y is the list of fields in B, and x ∪ y is the list of fields of A.

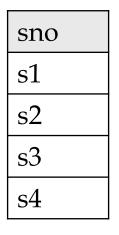
Examples of Division A/B

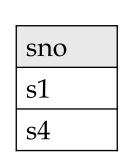
sno	pno
s1	p1
s1	p2
s1	p3
s1	p4
s2	p1
s2	p2
s3	p2
s4	p2
s4	p4

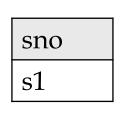
pno
p2
<i>B</i> 1

pno
p2
p4
B2

B3







A

*A/*B1

A/B2

4/B3

Expressing A/B Using Basic Operators

- Division is not essential op; just a useful shorthand.
 - (Also true of joins, but joins are so common that systems implement joins specially.)
- *Idea*: For *A/B*, compute all *x* values that are not *disqualified* by some *y* value in *B*.
 - x value is disqualified if by attaching y value from B, we obtain an xy tuple that
 is not in A.

Disqualified x values:
$$\pi_{\chi}((\pi_{\chi}(A) \times B) - A)$$

A/B:
$$\pi_{\chi}(A)$$
 – all disqualified tuples

Relational Algebra Operators: Unary

- Unary Operators: on single relation
- **Projection** (π) : Retains only desired columns (vertical)
- **Selection** ($\sigma \triangle$: Selects a subset of rows (horizontal)
- Renaming (ρ): Rename attributes and relations.

Relational Algebra Operators: Binary

- **Binary Operators**: on pairs of relations
- Union (\cup): Tuples in r1 or in r2.
- **Set-difference** (): Tuples in r1, but not in r2.
- Cross-product (\times): Allows us to combine two relations.

Relational Algebra Operators: Compound

- Compound Operators: common "macros" for the above
- Intersection (\cap): Tuples in r1 and in r2.
- **Joins** (\bowtie_{θ} , \bowtie): Combine relations that satisfy predicates

Relational Calculus

- Relational Algebra needs to specify the order of operations; while relational calculus only needs to indicate the logic condition the result must be fulfilled.
- Comes in two flavors: <u>Tuple relational calculus</u> (TRC) and <u>Domain relational calculus</u> (DRC).
- Calculus has variables, constants, comparison ops, logical connectives and quantifiers.
 - <u>TRC</u>: Variables range over (i.e., get bound to) tuples.
 - <u>DRC</u>: Variables range over domain elements (attribute values).
 - Both TRC and DRC are simple subsets of first-order logic.
- Expressions in the calculus are called *formulas*. An answer tuple is essentially an assignment of constants to variables that make the formula evaluate to *true*.

Domain Relational Calculus

• Query has the form:

$$\{ \langle x_1, x_2, ..., x_n \rangle \mid P(x_1, x_2, ..., x_n, x_{n+1}, ..., x_{n+m}) \}$$

- $x_1, x_2, ..., x_n, x_{n+1}, ..., x_{n+m}$ are called *domain variables*. $x_1, x_2, ..., x_n$ appear in result.
- ✓ Answer includes all tuples $\langle x_1, x_2, ..., x_n \rangle$ that make the **formula** $P(x_1, x_2, ..., x_n, x_{n+1}, ..., x_{n+m})$ be true.
- ✓ <u>Formula</u> is recursively defined, starting with simple <u>atomic formulas</u> (getting tuples from relations or making comparisons of values), and building bigger and better formulas using the <u>logical connectives</u>.

Find all sailors with a rating above 7

sid	sname	rating	age
28	yuppy	9	35.0
31	lubber	8	55.5
44	guppy	5	35.0
58	rusty	10	35.0

- { <*I*,*N*,*T*,*A*> | <*I*,*N*,*T*,*A*> ∈ Sailors ∧ T>7 }
- The condition <*I*,*N*,*T*,*A*> ∈ *Sailors* ensures that the *domain variables I*, *N*, *T* and *A* are bound to fields of the same Sailors tuple.
- The term <1,N,T,A> to the left of '|' (which should be read as *such that*) says that every tuple <1,N,T,A> that satisfies T>7 is in the answer.
- Modify this query to answer:
 - Find sailors who are older than 18 or have a rating under 9, and are called 'Joe'.

Relational Algebra vs. Relational Calculus

• Projection
$$\pi_{AB} = \{t[AB] | t \in r\}$$
• Selection
$$\sigma_F(R) = \{t | t \in r \land F\}$$
• Union
$$r \cup s = \{t | t \in r \lor t \in s\}$$
• Set difference
$$r - s = \{t | t \in r \land \neg(t \in s)\}$$
• Join
$$r \bowtie s = \{t(ABCDE) | t[ABC] \in r \land (t[CDE] \in s)\}$$

DRC Formulas

• Atomic formula:

- $\langle x_1, x_2, ..., x_n \rangle \in Rname$, or X op Y, or X op constant
- op is one of <,>,=,≤,≥,≠

• Formula:

- an atomic formula, or
- ¬p, p∧q, p∨q, where p and q are formulas, or
- $\exists X(p(X))$, where variable X is *free* in p(X), or
- $\forall X(p(X))$, where variable X is **free** in p(X)
- The use of quantifiers $\exists X$ and $\forall X$ is said to bind X.
 - A variable that is not bound is free.

Free and Bound Variables

- The use of *quantifiers* $\exists X$ and $\forall X$ is said to <u>bind</u> X.
 - A variable that is not bound is free.
- Let us revisit the definition of a query:

$$\langle x_1, x_2, ..., x_n \rangle \mid P(x_1, x_2, ..., x_n, x_{n+1}, ..., x_{n+m})$$

• There is an important restriction: the variables $x_1, x_2, ..., x_n$ that appear to the left of '|' must be the **only** free variables in the formula p(...).

Find sailors rated > 7 who've reserved boat # 103

- $\{\langle I,N,T,A\rangle | \langle I,N,T,A\rangle \in Sailors \land T > 7 \land \exists Ir,Br,D [\langle Ir,Br,D\rangle \in Reserves \land Ir = I \land Br = 103]\}$
- We have used \exists *Ir*, *Br*, *D* (...) as a shorthand for \exists *Ir*(\exists *Br*(\exists *D*(...)))
- Note the use of ∃ to find a tuple in Reserves that `joins with' the Sailors tuple under consideration.

R1

<i>S</i> 1	<u>sid</u>	sname	rating	age
	22	dustin	7	45.0
	31	lubber	8	55.5
	58	rusty	10	35.0

 sid
 bid
 day

 22
 101
 10/10/96

 58
 103
 11/12/96

Find sailors rated > 7 who've reserved a red boat

- $\{ \langle I, N, T, A \rangle | \langle I, N, T, A \rangle \in Sailors \land \Box \Box \Box \Box r, Br, D \ [\langle Ir, Br, D \rangle \in Reserves \land \Box r \Box I \land \Box \Box B, BN, C \ [\langle B, BN, C \rangle \in Boats \land \Box B \Box Br \land \Box \Box 'red' \]] \}$
- Observe how the parentheses control the scope of each quantifier's binding.
- This may look cumbersome, but with a good user interface, it is very intuitive. (MS Access, QBE)

Find sailors who've reserved all boats

- $\{\langle I,N,T,A\rangle \mid \langle I,N,T,A\rangle \in Sailors \land \forall B,BN,C (\neg (\langle B,BN,C\rangle \in Boats) \lor (\exists Ir,Br,D (\langle Ir,Br,D\rangle \in Reserves \land I=Ir \land Br=B)))\}$
- Find all sailors I such that for each 3-tuple B,BN,C either it is not a tuple in Boats or there is a tuple in Reserves showing that sailor I has reserved it.

Find sailors who've reserved all boats (again!)

•
$$\{ < I, N, T, A > | < I, N, T, A > \in Sailors \land \\ \forall B, BN, C \in Boats$$

$$(\exists < Ir, Br, D > \in Reserves (I=Ir \land Br=B)))$$

- Simpler notation, same query. (Much clearer!)
- To find sailors who've reserved all red boats:
- (*C*=/ 'red' ∨ ∃ <*Ir*,*Br*,*D*> ∈Reserves (*I*=*Ir* ∧ *Br*=*B*))}

$$R = \pi_{r.ir, r.br} \text{ (Reserves)} \quad B = \pi_{b.i} \text{ (Boats)}$$

$$A/B? \qquad R1 = R/B = \pi_{r.ir} \text{ (R)} - \pi_{r.ir} (\pi_{r.ir} (R) \times B) - R)$$

$$Result = \pi_{r.ir, s.n. s.t. s.a} \text{ (R1* \infty Sailors)}$$

Unsafe Queries, Expressive Power

- It is possible to write syntactically correct calculus queries that have an infinite number of answers! Such queries are called *unsafe*.
 - e.g., $\{S \mid \neg(S \in Sailors)\}$
- It is known that every query that can be expressed in relational algebra can be expressed as a safe query in DRC / TRC; the converse is also true.
- Relational Completeness: $\{\sigma, \pi, \cup, -, \times\}$ is a complete operation set. Relational calculus can express these five operations easily, so relational calculus is also Relational Completeness. SQL language is based on relational calculus, so it can express any query that is expressible in relational algebra /calculus.

Summary

- Relational calculus is non-operational, and users define queries in terms of what they want, not in terms of how to compute it. (Declarativeness.)
- Algebra and safe calculus have same expressive power, leading to the notion of relational completeness.

2.3 Remarks to Traditional Data Model

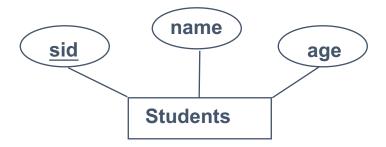
- Hierarchical, Network, and Relational Model
- Suitable for Online Transaction Processing (OLTP) applications
- Based on record, <u>can't</u> orient to users or applications better
- <u>Can't</u> express the relationships between entities in a natural mode.
- <u>Lack</u> of semantic information
- Few data type, hard to fulfill the requirements of applications

2.4 Entity-Relationship Model

- a graph-based model
 - can be viewed as a graph, or a veneer over relations
 - "feels" more flexible, less structured
 - corresponds well to "Object-Relational Mapping"
 - (ORM) SW packages
 - Ruby-on-Rails, Django, Hibernate, Sequelize, etc.

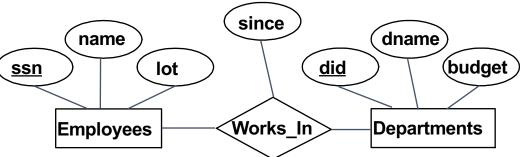
ER Data Model

- Entity: Real-world object distinguishable from other objects. An entity is described (in DB) using a set of attributes.
- Entity Set: A collection of similar entities. E.g., all employees.
 - All entities in an entity set have the same set of attributes. (Until we consider ISA hierarchies, anyway!)
 - Each entity set has a key.
 - Each attribute has a domain.
 - Permit combined or multi-valued attribute



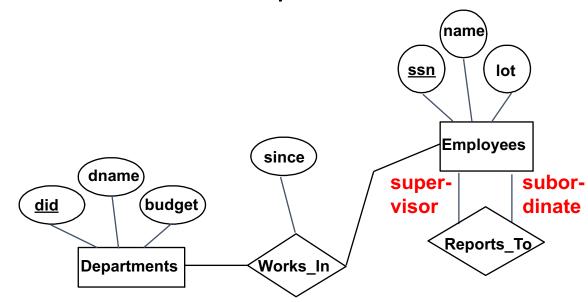
Relationship

- *Relationship*: Association among two or more entities. E.g., Attishoo works in Pharmacy department.
 - Relationship can have attributes
- Relationship Set: Collection of similar relationships.
 - An n-ary relationship set R relates n entity sets E₁ ... E_n; each relationship in R involves entities e₁, ..., e_n
 - Same entity set could participate in different relationship sets, or in different "roles" in same set.



Relationship

• Same entity set can participate in different relationship sets, or in different "roles" in the same relationship set.



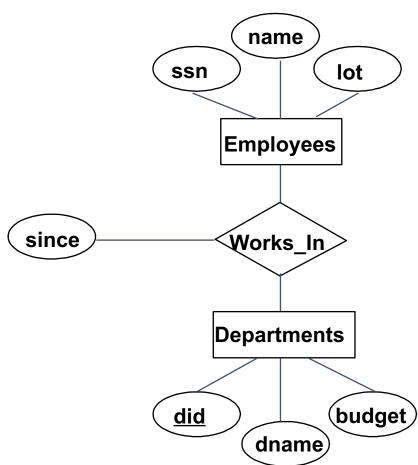
ER Diagram

• Concept model: entity—relationship, be independent of practical

DBMS.

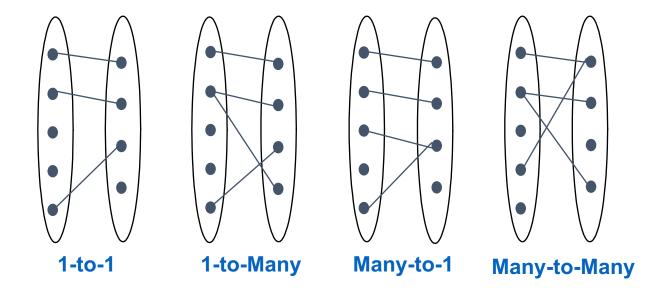
• Legend:

entity
relation
attribute



Cardinality Ratio Constraints

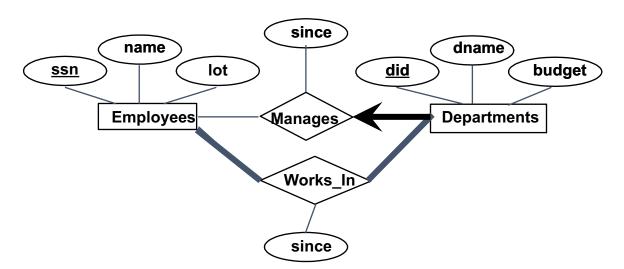
 Relationships can be distinguished as 1:1, 1:N, and M:N. This is called cardinality ratio constraints.



• For example: an employee can work in many departments; a dept can have many employees. This M:N. In contrast, each dept has at most one manager and one employee can only be manager of one dept, then this is 1:1.

Participation Constraints

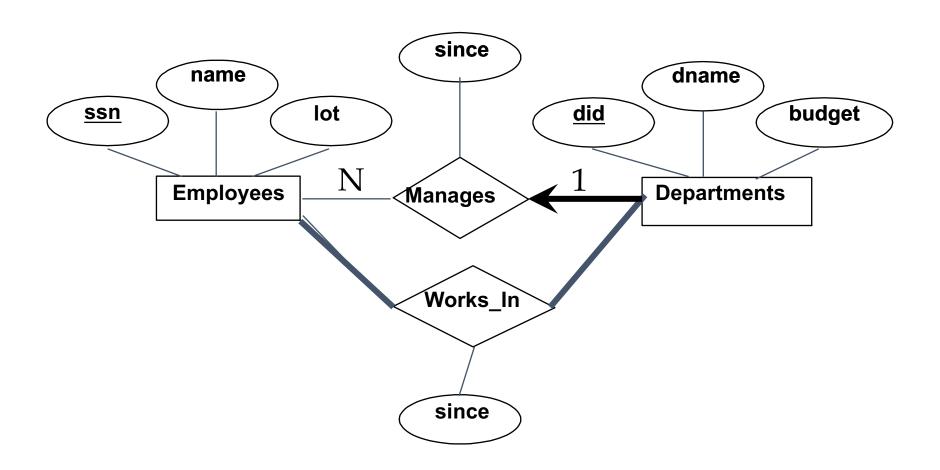
- Does every employee work in a department?
- If so: a participation constraint
 - participation of Employees in Works_In is total (vs. partial)
 - What if every department has an employee working in it?
- Basically means at least one.



Participation Constraints

- We can further specify the *minimal* and *max* number an entity participates a relationship. This is called *participation constraints*.
- If a department must have a manager, then we say the Departments is **total participation** in Manages relationship (vs. partial). The minimal participating degree of Departments is 1. Min=0
 - Another example: in the selected course relationship between Students and Courses, if we specify every student must select at least 3 courses and at most 6 courses, <u>the participating degree of Students</u> is said to be (3,6).

ER Diagram cont

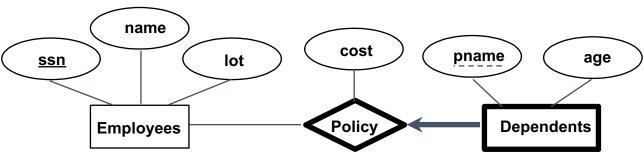


Advanced Topics of ER Model

- Weak entity
- Specialization and Generalization
 - Similar as inheriting in Object-Oriented data model
- Aggregation
 - Allows us to treat a relationship set as an entity set for purposes of participation in (other) relationships
- Category
 - Allow us to express an entity set consists of different types of entities. That is, a hybrid entity set.

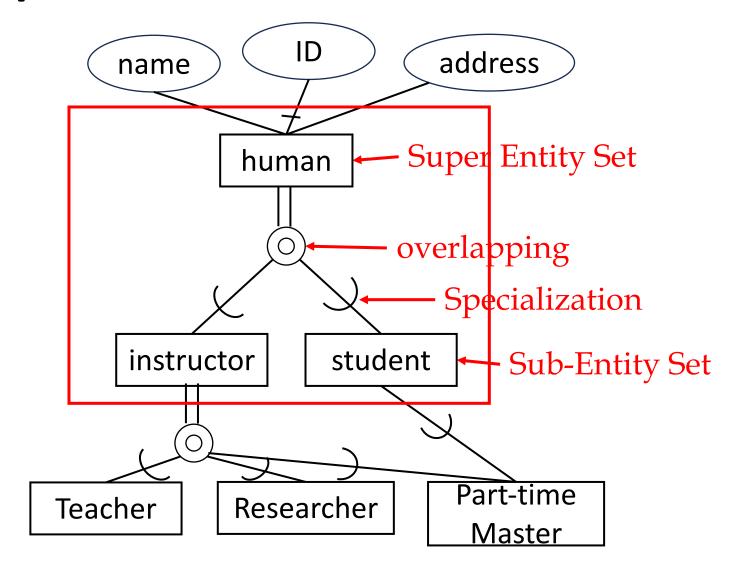
Weak Entities

- A weak entity can be identified uniquely only by considering the primary key of another (owner) entity.
 - Owner entity set and weak entity set must participate in a one-to-many relationship set (one owner, many weak entities).
 - Weak entity set must have total participation in this identifying relationship set.



Weak entities have only a "partial key" (dashed underline)

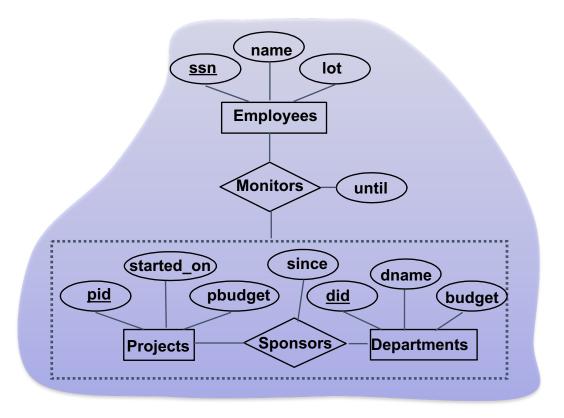
Specialization and Generalization



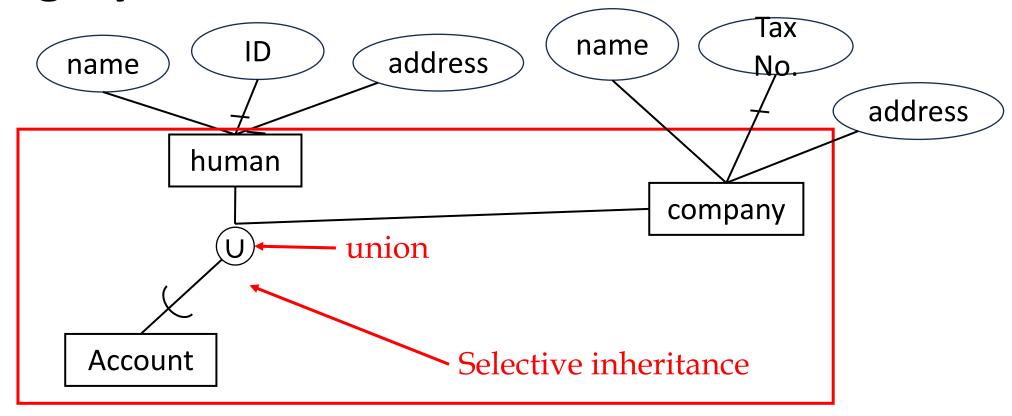


Aggregation

• Allows relationships to have relationships.



Category

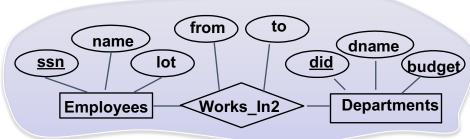


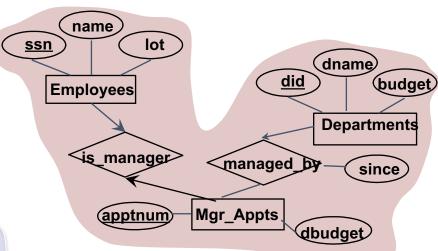
Entity vs. Attribute

- "Address":
 - attribute of Employees?
 - Entity of its own?
- It depends! Semantics and usage.
 - Several addresses per employee?
 - must be an entity
 - atomic attribute types (no set-valued attributes!)
 - Care about structure? (city, street, etc.)
 - must be an entity!
 - atomic attribute types (no tuple-valued attributes!)

Entity vs. Relationship

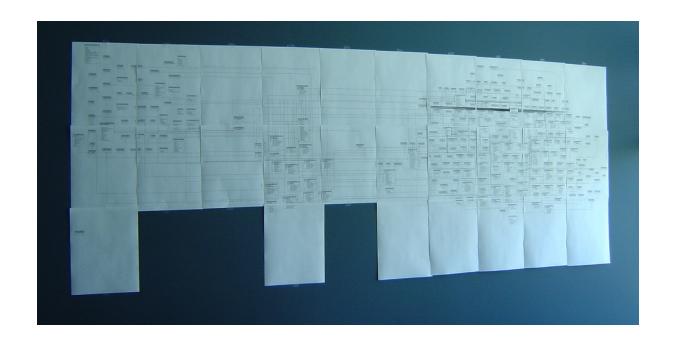
- Separate discretionary budget (dbudget) for each dept.
- What if manager's dbudget covers all managed depts
 - Could repeat value
 - But redundancy = problems
- Better design:





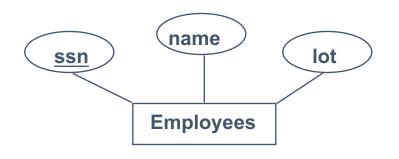
E-R Diagram as Wallpaper

Very common for them to be wall-sized



Logical DB Design: ER to Relational

Entity sets to tables. Easy.



ssn	name	lot
123-22-3666	Attishoo	48
231-31-5368	Smiley	22
131-24-3650	Smethurst	35

```
CREATE TABLE Employees
(ssn CHAR(11),
name CHAR(20),
lot INTEGER,
PRIMARY KEY (ssn))
```

Relationship Sets to Tables

In translating a **many-to-many** relationship set to a relation, attributes of the relation must include:

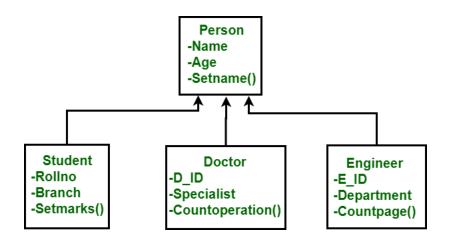
- 1) Keys for each participating entity set (as foreign keys). This set of attributes forms a *superkey* for the relation.
- 2) All descriptive attributes.

```
CREATE TABLE Works_In(
   ssn CHAR(1),
   did INTEGER,
   since DATE,
   PRIMARY KEY (ssn, did),
   FOREIGN KEY (ssn)
   REFERENCES Employees,
   FOREIGN KEY (did)
   REFERENCES Departments)
```

ssn	did	since
123-22-3666	51	1/1/91
123-22-3666	56	3/3/93
231-31-5368	51	2/2/92

2.5 Object-Oriented Data Model

- The shortage of relational data model
- Break through 1NF
- Object-Oriented analysis and programming
- Requirement of objects' permanent store
- Object-Relation DBMS
- Native (pure) Object-Oriented DBMS



2.6 Other Data Models

- Logic-based data model (Deductive DBMS)
 - Extend the query function of DBMS (especially recursive query function)
 - Promote the deductive ability of DBMS
- Temporal data model
- Spatial data model
- XML data model
 - Store data on internet
 - Common data exchange standard
 - Information systems integration
 - Expression of semi-structured data
 -
- Others

2.7 Summary

- Data model is the core of a DBMS
- A data model is a methodology to simulate real world in database
- In fact, every kind of DBMS has implemented a data model

• If there will be a data model which can substitute relational model and become popular data model, just as relational model substituted hierarchical and network model 50 years ago ???