

A Sound Execution Semantics for ATL via Translation Validation

- research paper -

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Abstract. In this work we present a translation validation approach to encode a sound execution semantics for the ATL specification. Based on our sound encoding, the goal is to soundly verify an ATL specification against the specified OCL contracts. To demonstrate our approach, we have developed the VeriATL verification system using the Boogie2 intermediate verification language, which in turn provides access to the Z3 theorem prover. Our system automatically encodes the execution semantics of each ATL specification (as it appears in the ATL matched rules) into the intermediate verification language. Then, to ensure the soundness of the encoding, we verify that it soundly represents the runtime behaviour of its corresponding compiled implementation in terms of bytecode instructions for the ATL virtual machine. The experiments demonstrate the feasibility of our approach. They also illustrate how to automatically verify an ATL specification against specified OCL contracts.

Keywords: model transformation verification, ATL, automatic theorem proving, intermediate verification language, Boogie

ASM Instruction (S)	Corresponding Boogie Statements ($\llbracket S \rrbracket$)
Stack Handling Instructions	
push_{τ} c	$\text{Stk} := \llbracket c \rrbracket :: \text{Stk}$; (where c is a constant of type $\tau \in \{int, bool, string\}$)
pop	assert $\text{size}(\text{Stk}) > 0$; $\text{Stk} := \text{tl}(\text{Stk})$;
store x	assert $\text{size}(\text{Stk}) > 0$; $x := \text{hd}(\text{Stk})$; $\text{Stk} := \text{tl}(\text{Stk})$; (where x is a variable)
load x	$\text{Stk} := x :: \text{Stk}$; (where x is a variable)
swap	assert $\text{size}(\text{Stk}) > 1$; $\text{Stk} := \text{hd}(\text{tl}(\text{Stk})) :: \text{hd}(\text{Stk}) :: \text{tl}(\text{tl}(\text{Stk}))$;
dup	assert $\text{size}(\text{Stk}) > 0$; $\text{Stk} := \text{hd}(\text{Stk}) :: \text{Stk}$;
dup_x1	assert $\text{size}(\text{Stk}) > 1$; $\text{Stk} := \text{hd}(\text{Stk}) :: \text{hd}(\text{tl}(\text{Stk})) :: \text{hd}(\text{Stk}) :: \text{tl}(\text{tl}(\text{Stk}))$;
Control Instructions	
if n	var $\text{cond}^\# : \text{bool}$; assert $\text{size}(\text{Stk}) > 0$; $\text{cond}^\# := \text{hd}(\text{Stk})$; $\text{Stk} := \text{tl}(\text{Stk})$; if ($\text{cond}^\#$) goto l ; (where l is a fresh label. It labels the program point which corresponds to the ASM instruction offset n)
goto n	goto l ; (where l is a fresh label. It labels the program point which corresponds to the ASM instruction offset n)
iter Stmt₁ enditer	var $\text{col}^\# : \text{Seq ref}$; assert $\text{size}(\text{Stk}) > 0$; $\text{col}^\# := \text{hd}(\text{Stk})$; $\text{Stk} := \text{tl}(\text{Stk})$; while ($\text{hasNext}(\text{col}^\#)$) INV { $\text{Stk} := \text{next}(\text{col}^\#) :: \text{Stk}$; $\llbracket \text{Stmt}_1 \rrbracket$ }
pcall sig	let $n = \text{arg_size}(\text{sig})$ in let $\overline{\text{args}} = \text{tk}(\text{Stk}, n)$, $\text{ctx} = \text{hd}(\text{dp}(\text{Stk}, n))$ in assert $\text{size}(\text{Stk}) > n$; call $\text{invoke}(\text{reflect}(\text{sig}, \text{ctx}), \overline{\text{args}})$; $\text{Stk} := \text{dp}(\text{Stk}, n+1)$;
call sig	let $n = \text{arg_size}(\text{sig})$ in let $\overline{\text{args}} = \text{tk}(\text{Stk}, n)$, $\text{ctx} = \text{hd}(\text{dp}(\text{Stk}, n))$ in var $\text{result}^\# : T$; assert $\text{size}(\text{Stk}) > n$; call $\text{result}^\# := \text{invoke}(\text{reflect}(\text{sig}, \text{ctx}), \overline{\text{args}})$; $\text{Stk} := \text{result}^\# :: \text{dp}(\text{Stk}, n+1)$; (where T is the return type of the reflected method)
Model Handling Instructions	
new r	let $\text{mm} = \text{hd}(\text{Stk})$, $\text{cl} = \text{hd}(\text{tl}(\text{Stk}))$ in let $\text{clazz} = \text{resolve}(\text{mm}, \text{cl})$ in : var $r^\# : \text{Ref}$; havoc $r^\#$; assume $r^\# \neq \text{null} \wedge \neg \text{read}(\text{heap}, r^\#, \text{alloc})$; assert $\text{size}(\text{Stk}) > 1$; assume $\text{typeof}(r^\#) = \text{clazz}$; $\text{heap} := \text{update}(\text{heap}, r^\#, \text{alloc}, \text{true})$; $\text{Stk} := r^\# :: \text{tl}(\text{Stk})$;
get f	let $o = \text{hd}(\text{Stk})$ in assert $\text{size}(\text{Stk}) > 0 \wedge o \neq \text{null} \wedge \text{read}(\text{heap}, o, \text{alloc})$; $\text{Stk} := \text{read}(\text{heap}, o, f) :: \text{tl}(\text{Stk})$;
set f	let $o = \text{hd}(\text{tl}(\text{Stk}))$, $v = \text{hd}(\text{Stk})$ in assert $\text{size}(\text{Stk}) > 1 \wedge o \neq \text{null} \wedge \text{read}(\text{heap}, o, \text{alloc})$; if ($\text{isCollection}(f)$) { $\text{heap} := \text{update}(\text{heap}, \text{read}(\text{heap}, o, f), \text{read}(\text{heap}, o, f) \cup v)$; } else { $\text{heap} := \text{update}(\text{heap}, o, f, v)$; } $\text{Stk} := \text{tl}(\text{tl}(\text{Stk}))$;
findme	let $\text{mm} = \text{hd}(\text{Stk})$, $\text{cl} = \text{hd}(\text{tl}(\text{Stk}))$ in assert $\text{size}(\text{Stk}) > 1$; $\text{Stk} := \text{resolve}(\text{mm}, \text{cl}) :: \text{tl}(\text{tl}(\text{Stk}))$;
getasm	$\text{Stk} := \text{ASM} :: \text{Stk}$;

Table 1: Translational semantics of ASM language