

```

In[431]:= FindC[start_, end_, seq_] := (
    nn = Length[seq];
    count = 0;
    For[j = 1, j ≤ nn, j++,
        If[seq[[j]] ≥ start && seq[[j]] < end, count++];
        If[seq[[j]] ≥ end, Break[]];
    ];
    Return[count];
);

x = {3.22, 2.58, 3.03, 2, 2.53, 2.61, 1.87, 4.41, 4.48, 3.10,
    4.99, 1.82, 3.3, 2.93, 1.16, 4.12, 2.1, 2.47, 4.16, 2.14,
    2.89, 1.94, 3.29, 2.98, 3.75, 2.51, 3.17, 4.43, 2.83, 3.56,
    4.36, 1.64, 2.74, 4.13, 5.13, 2.44, 2.51, 3.97, 2.86, 2.96,
    2.99, 2.77, 2.43, 2.24, 4.34, 3.05, 2.53, 2.25, 3.64, 3.45};
x = Sort[x];
Print["sort ", x];
n = Length[x];
Print["n=", n];

$$\Delta t = \frac{x[[n]] - x[[1]]}{1 + \text{Log}[2, n]}$$

Print["Δt = ", Δt];
(x[[n]] - x[[1]]) / Δt
NN = Ceiling[(x[[n]] - x[[1]]) / Δt];
Print["N=", NN];
x[[n]]
first = Table[{}, {i, NN}, {j, 6}];
For[i = 1, i ≤ NN, i++,
    first[[i, 1]] = i;
    first[[i, 2]] = x[[1]] + (i - 1) * Δt;
    (*first[[i, 3]] = x[[1]] + i * Δt;*)
    If[i ≠ NN, first[[i, 3]] = x[[1]] + i * Δt, first[[i, 3]] = x[[n]]];
    first[[i, 4]] =  $\frac{\text{first}[[i, 2]] + \text{first}[[i, 3]]}{2}$ ;
    first[[i, 5]] = FindC[first[[i, 2]], first[[i, 3]], x];
    If[i == NN, first[[i, 5]] ++];
    first[[i, 6]] = first[[i, 5]] / n;
];
Print[first // MatrixForm];

sort {1.16, 1.64, 1.82, 1.87, 1.94, 2, 2.1, 2.14, 2.24, 2.25, 2.43, 2.44,
    2.47, 2.51, 2.51, 2.53, 2.53, 2.58, 2.61, 2.74, 2.77, 2.83, 2.86, 2.89,
    2.93, 2.96, 2.98, 2.99, 3.03, 3.05, 3.1, 3.17, 3.22, 3.29, 3.3, 3.45, 3.56,
    3.64, 3.75, 3.97, 4.12, 4.13, 4.16, 4.34, 4.36, 4.41, 4.43, 4.48, 4.99, 5.13}

n=50
Δt = 0.597545

Out[439]= 6.64386

N=7

Out[442]= 5.13

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$$\begin{pmatrix} 1 & 1.16 & 1.75754 & 1.45877 & 2 & \frac{1}{25} \\ 2 & 1.75754 & 2.35509 & 2.05632 & 8 & \frac{4}{25} \\ 3 & 2.35509 & 2.95263 & 2.65386 & 15 & \frac{3}{10} \\ 4 & 2.95263 & 3.55018 & 3.25141 & 11 & \frac{11}{50} \\ 5 & 3.55018 & 4.14772 & 3.84895 & 6 & \frac{3}{25} \\ 6 & 4.14772 & 4.74527 & 4.44649 & 6 & \frac{3}{25} \\ 7 & 4.74527 & 5.13 & 4.93763 & 2 & \frac{1}{25} \end{pmatrix}$$

```
In[446]:= Np = NN - 2;
second = Table[{}, {i, Np}, {j, 6}];
second[[1, 1]] = 1;
second[[1, 2]] = x[[1]];
second[[1, 3]] = first[[2, 3]];
second[[1, 4]] =  $\frac{\text{second}[[1, 2]] + \text{second}[[1, 3]]}{2}$ ;
second[[1, 5]] = first[[1, 5]] + first[[2, 5]];
second[[1, 6]] = second[[1, 5]] / n;
For[i = 2, i ≤ Np - 1, i++,
  second[[i, 1]] = i;
  second[[i, 2]] = first[[i + 1, 2]];
  second[[i, 3]] = first[[i + 1, 3]];
  second[[i, 4]] = first[[i + 1, 4]];
  second[[i, 5]] = first[[i + 1, 5]];
  second[[i, 6]] = first[[i + 1, 6]];
];

second[[Np, 1]] = Np;
second[[Np, 2]] = first[[NN - 1, 2]];
second[[Np, 3]] = first[[NN, 3]];
second[[Np, 4]] =  $\frac{\text{second}[[Np, 2]] + \text{second}[[Np, 3]]}{2}$ ;
second[[Np, 5]] = first[[Np + 1, 5]] + first[[Np + 2, 5]];
second[[Np, 6]] = second[[Np, 5]] / n;
Print[second // MatrixForm];
```

$$\begin{pmatrix} 1 & 1.16 & 2.35509 & 1.75754 & 10 & \frac{1}{5} \\ 2 & 2.35509 & 2.95263 & 2.65386 & 15 & \frac{3}{10} \\ 3 & 2.95263 & 3.55018 & 3.25141 & 11 & \frac{11}{50} \\ 4 & 3.55018 & 4.14772 & 3.84895 & 6 & \frac{3}{25} \\ 5 & 4.14772 & 5.13 & 4.63886 & 8 & \frac{4}{25} \end{pmatrix}$$

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In[694]:= a = 0;
a =  $\frac{\sum_{i=1}^{Np} \text{second}[[i, 4]] * \text{second}[[i, 5]]}{n}$ ;
Print["a=", a];
a=3.06707
```

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In[697]:= d = 
$$\frac{\sum_{i=1}^{Np} ((\text{second}[[i, 4]] - a)^2 * \text{second}[[i, 5]])}{n};$$

Print["d=", d];
d=0.870314

In[467]:= avg = 
$$\frac{\sum_{i=1}^n x[[i]]}{n};$$

Print["avg = ", avg];
avg = 3.056

In[469]:= disp = 
$$\frac{\sum_{i=1}^n (x[[i]] - \text{avg})^2}{n};$$

Print[disp];
0.797108

In[699]:= Clear[result, gist];
gist[t_] := (
  result;
  For[j = 1, j ≤ Np, j++,
    If[t ≥ second[[j, 2]] && t < second[[j, 3]],
      result = second[[j, 6]] / (second[[j, 3]] - second[[j, 2]]);
    Return[result]];
];
If[t == second[[Np, 3]], result = second[[Np, 6]]];
Return[result];
);

In[701]:= list = {};
For[i = 1, i ≤ Np, i++,
  AppendTo[list,
    {second[[i, 4]], second[[i, 6]] / (second[[i, 3]] - second[[i, 2]])});
];

In[703]:= Show[Plot[{ $\frac{1}{\text{Sqrt}[2 \pi d]} e^{-\frac{(t-a)^2}{2 d}}$ , gist[t]}, {t, 1.16, 5.13}], ListLinePlot[list]]

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