

# C++ Linked Lists

CO658 Data Structures & Algorithms

# Topics

- Big-O Notation
- Linked Lists

# Static Memory

- Memory which is allocated at declaration time and is fixed at that time
- Single variables and static arrays are implemented with static memory
- The size of an existing array may not be increased or decreased
- Manipulation of data in an array may involve moving many elements

# Dynamic Memory

- Works by allocating blocks of memory on an as-and-when-needed basis
- It is not allocated on the stack, so it remains allocated for the life of the allocating process, unless it is freed first
- Some languages operate automatic garbage collection, so that memory out of scope is returned to the system

# Big-O Notation

- Describes the performance of algorithms applied to data structures (in the worse case scenario).
- The performance is measured in terms of the order (O)
- The loop below iterates through the elements of the array. The number of elements is referred to as n.
- The performance of this code is expressed as  $O(n)$

```
const int SIZE = 9;  
int data[] = {6,4,5,3,9,8,1,2,7};  
for (int n = 0;n < SIZE;n++)  
    cout << data[n];
```

# Big-O Notation

- The code below sorts the array.
- The outer loop's performance is  $O(n)$  however for each element of the outer loop we roughly iterate through the array again  $O(n)$ . This gives a performance of  $O(n^2)$

```
for (int n = 0; n < SIZE; n++) {  
    int min = n;  
    for (int i = n; i < SIZE; i++) {  
        if (data[i] < data[min])  
            min = i;  
    }  
    int temp = data[n];  
    data[n] = data[min];  
    data[min] = temp;  
}
```

- The actual efficiency of the inner loop averages out to  $n/2$  however constants are ignored so we are left with  $n$ .

# Big-O Notation

Big-O Notation	Example
$O(1)$	N has no affect on the performance of the algorithm
$O(n)$	Requires a single pass. Linear search over an array or linked list.
$O(n^2)$	Sorting algorithms
$O(\log n)$	Searching binary trees. Log n represents the layers within the tree.

Log is the number of times the base is multiplied to get a number.

Example :  $2 * 2 * 2 = 8$     number is 8 , base is 2 log is 3

Assume  $O(\log n)$  uses base 2. So  $\log_2 1024 = 10$ .

Applies to algorithms that are iteratively subdivided.

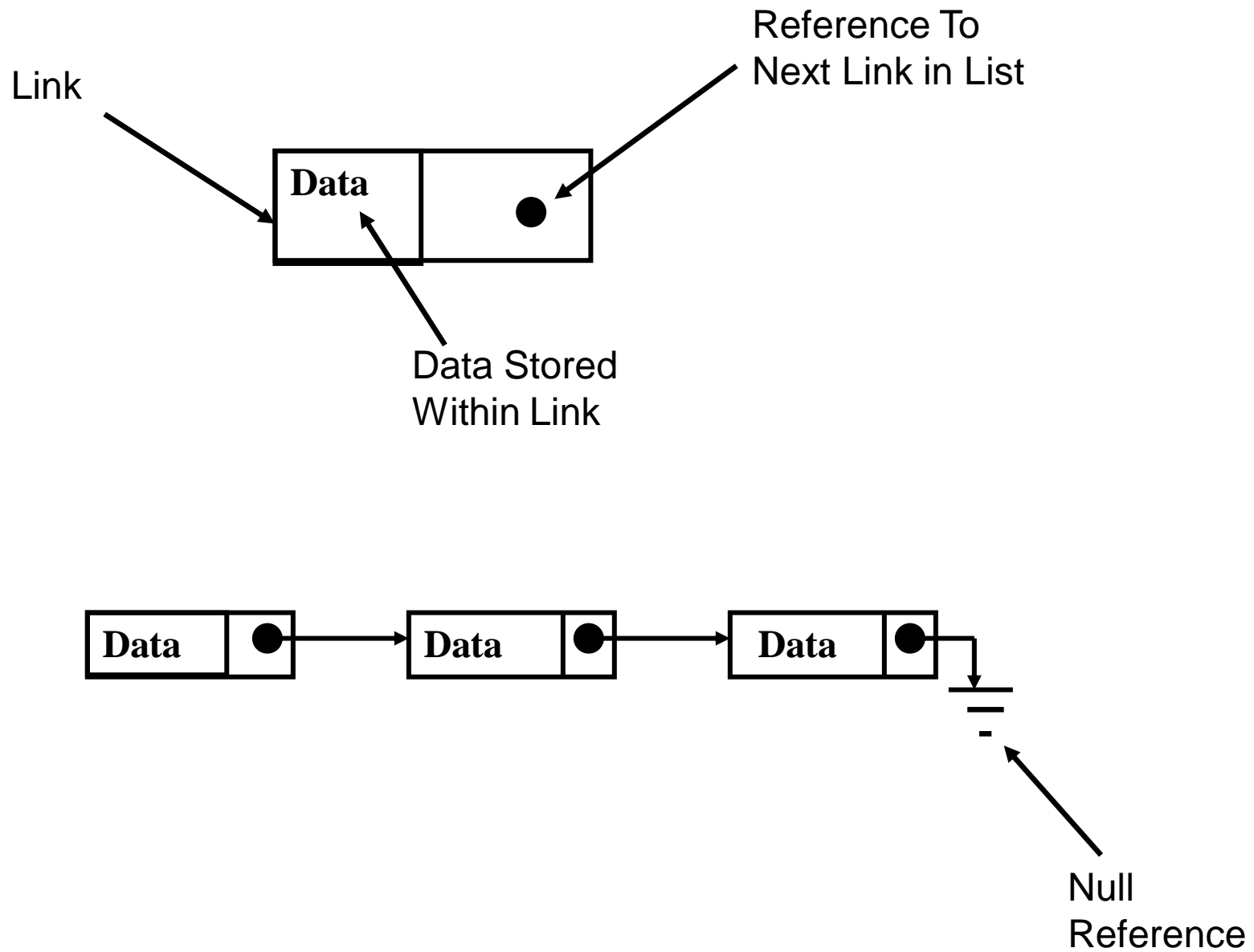
# Linked Lists



# Linked Lists

- Unlike arrays whose elements can be accessed directly using an index, the items in the linked list must be sequentially accessed

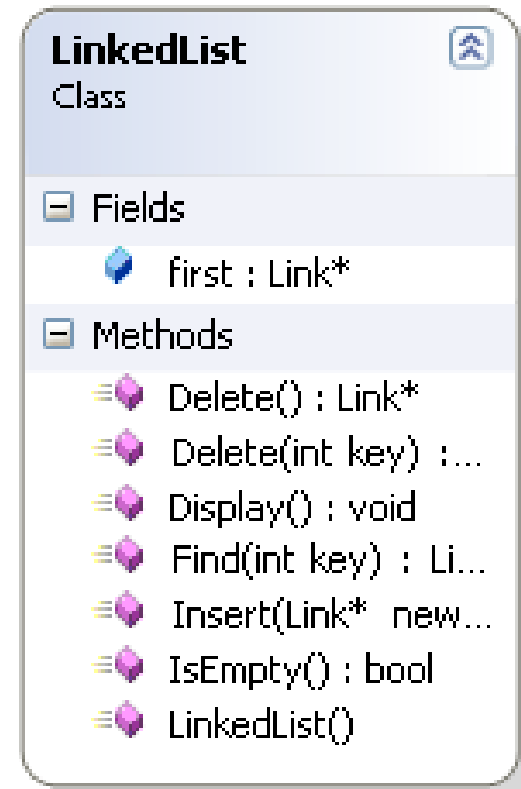
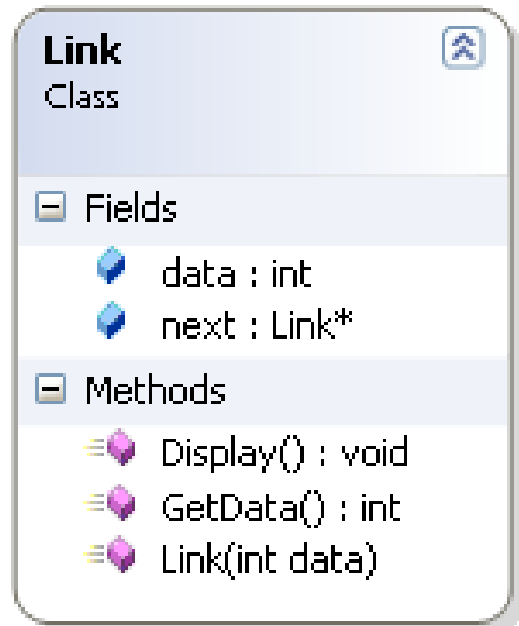
# Connection



# List Operations

- Initialise the list
- **Insert** – Add an item to the beginning of the list.
- **Delete** – Remove an item with a matching key value.
- **Find** - Retrieve an item with a matching key value.
- **IsEmpty** – Returns true if the list is empty

# List Design



# List Rules

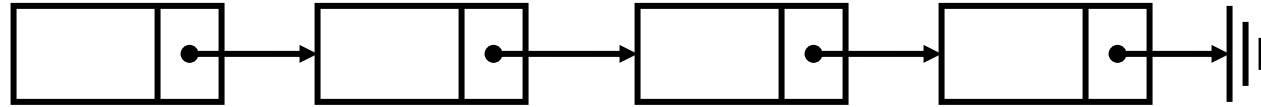
- The newly initialised list is empty
- Immediately after inserting an item into the list, the list is not empty
- Immediately after inserting and deleting the same item, the list is the same as it was before the insertion and deletion
- The previous position of the next position is the current position
- The next position of the previous position is the current position

# Insertion and Deletion

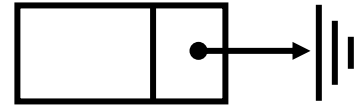
- Insertion and deletion are achieved by changing the links
- The data is not moved within the structure
- Care must be taken not to split the structure
- Structure may be maintained in order

# Linked List Insertion

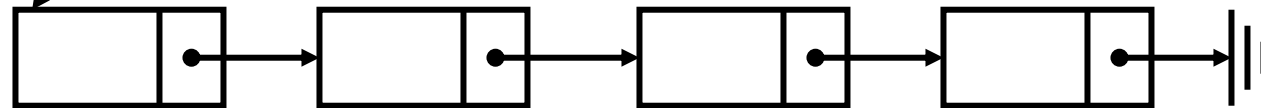
Linked List



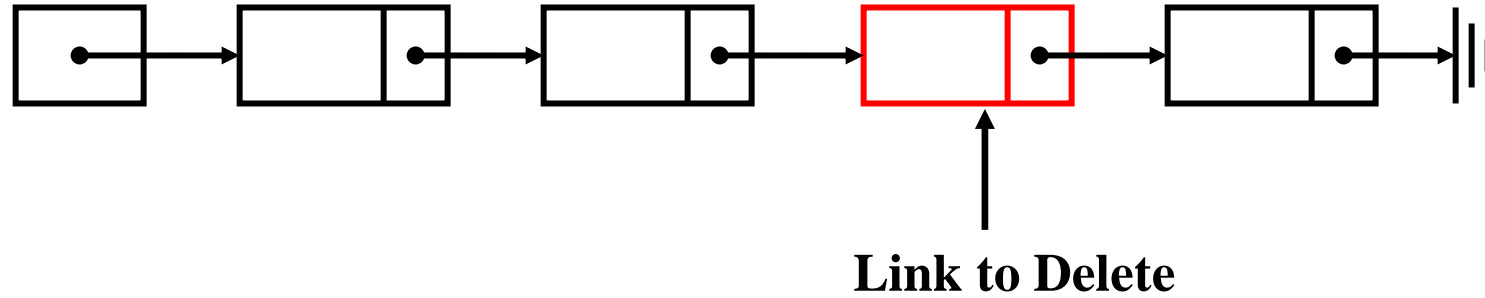
New Link



Change the new Link to point to the first link in the Linked List.

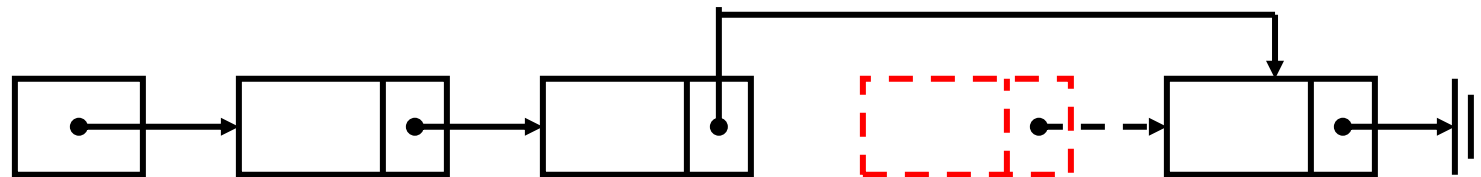


# Linked List Deletion



Locate Link to be deleted.

Set Previous Link to point to the Link the deleted link pointed to.





# Summary

- Both stacks and lists are Abstract Data Types.
- The ADT publishes an interface. The implementation however is hidden.
- Selecting the correct data structure is critical to the performance of the program.