



Expand All

Collapse All

### Trinomial coefficients (brute force)

#### ▼ Why use the primitive type `long` instead of `int`?

The numbers can get too large to fit in an `int`. For example,  $T(22, 0) = 3,241,135,527$  cannot be represented as an `int` since the largest `int` is  $2^{31} - 1 = 2,147,483,647$ .

#### ▼ Why does it take “forever” to compute $T(30, 0)$ ?

That’s to be expected. Rewatch the *Exponential waste* video segment. You’ll fix this performance bug in the next exercise.

#### ▼ Can I use arrays, memoization, or dynamic programming to speed things up?

No. Please implement the recursive function by applying the recurrence relation directly. You will get a chance to use *dynamic programming* in the next problem.

### Trinomial coefficients (dynamic programming)

#### ▼ Can I use negative indices with Java arrays?

No. Instead, consider declaring a private helper method that translates from indices in the desired range (e.g., between  $-n$  and  $n$ ) to indices in an allowable range (e.g., between 0 and  $2n + 1$ ). Alternatively, use the fact that  $T(n, k) = T(n, -k)$  for all  $n$  and  $k$  and avoid storing any coefficients when  $k$  is negative.

#### ▼ Can I use memoization instead of dynamic programming?

No. Use (bottom-up) dynamic programming.

### Reve’s puzzle

#### ▼ How do I transfer the remaining $n - k$ discs using only three poles?

Use the classic algorithm (from lecture) for the 3-pole towers of Hanoi problem. You will need to modify the code from lecture because you must move the *largest*  $n - k$  discs, not the *smallest*  $n - k$  discs.

#### ▼ What will the structure of my program look like?

We recommend defining *two* recursive functions: one for the 3-pole version of the problem and one for the 4-pole version. A good starting point is [Hanoi.java](#) .

#### ▼ For debugging, can you provide solutions for some larger values of $n$ ?

Here are solutions for  $n =$  [6](#), [7](#), [8](#), [9](#), [10](#), [15](#), and [20](#).

#### ▼ The solution to the towers of Hanoi problem that uses the fewest moves is unique. Is the same true for Reve’s puzzle?

No. Since poles B and C are indistinguishable, interchanging B and C throughout any optimal solution yields another optimal solution. The autograder will accept any optimal solution.

#### ▼ Does the Frame–Stewart algorithm work for 5 (or more) poles?

Excellent question. The [Frame–Stewart conjecture](#) is that, with a suitable choice of  $k$ , the Frame–Stewart algorithm solves the problem using the fewest moves. Unfortunately, the conjecture remains open for 5 (or more) poles.

### Recursive squares

#### ▼ Which pen colors should I use?

Use `StdDraw.LIGHT_GRAY` to fill the squares; use `StdDraw.BLACK` to draw the outline of the squares.

#### ▼ Which methods should I use to draw the filled square and outline square?

Use `StdDraw.filledSquare(x, y, halfLength)` and `StdDraw.square(x, y, halfLength)`. Recall that  $(x, y)$  is the center of the square and `halfLength` is one-half the side length of the square.

#### ▼ What happens when I draw two shapes that overlap?

The second shape drawn will be visible; any overlapping parts of the first shape will be hidden.