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Image Parallelogram Transformations

Using perspective transformations to simulate the functionality of WinAPI PlgBlt()

The declaration of PlgBlt() is:

```
BOOL PlaBlt(
 HDC hdcDest,
                        // handle to destination device context
 CONST POINT *lpPoint, // vertices of destination parallelogram
 HDC hdcSrc,
                        // handle to source device context
 int nXSrc,
                        // x-coord. of upper-left corner of source rectangle.
 int nYSrc,
                        // y-coord. of upper-left corner of source rectangle.
 int nWidth,
                        // width of source rectangle
 int nHeight,
                        // height of source rectangle
 HBITMAP hbmMask,
                        // handle to bitmask
 int xMask,
                        // x-coord. of upper-left corner of bitmask rectangle.
 int yMask
                        // y-coord. of upper-left corner of bitmask rectangle.
```

Here the most important argument is:

IpPoint

 Pointer to an array of three points in logical space that identify three corners of the destination parallelogram. The upper-left corner of the source rectangle is mapped to the first point in this array, the upper-right corner to the second point in this array, and the lower-left corner to the third point. The lower-right corner of the source rectangle is mapped to the implicit fourth point in the parallelogram.

It means that this function can apply arbitrary affine transformations to the image. **Anti-Grain Geometry** can do that too, but there's a problem with proper calculating of the affine transformation matrix. It really is tricky.

In **AGG** there are good news, bad news, and then good news again. The good news is that you can use the perspective transformations that in general can transform an arbitrary convex qudrangle to another convex quadrangle, particularly, a rectangle to an arbitrary parallelogram.

The bad news is that in general case, the perspective transformations work much slower than the affine ones. It's because the image transformations use the "scanline" approach. You take your destination scanline (a row of pixels in the destination canvas), then apply the **reverse** transformations to each pixel and pick up the source pixel possibly considering a filter (bilinear, bicubic, etc...). In case of affine transformations we don't have to calculete every point directly. Instead, we can calculate only two points for each scanline (begin and end) and use a bresenham-like linear interpolator that works in integer coordinates, thus very fast. But the restriction is that the transformations must be linear and

parellel. It means that any straight line must remain straight after applying the transformation, and any two parallel lines must remain parallel. In case of perspective transformations it is not so (they are not parallel), and we cannot use linear interpolation.

The good news again is that the parallelogram case of the perspective transformations is linear and parallel, so, the the linear interpolation is perfectly applicable and it will work as fast as the image affine transformations.

To demonstrate it we modify the **AGG** example image_perspective.cpp (it can be found in agg2/examples/). Just replace the code of image perspective.cpp to the following:

```
#include <stdlib.h>
#include <ctype.h>
#include <stdio.h>
#include "agg basics.h"
#include "agg rendering buffer.h"
#include "agg rasterizer scanline aa.h"
#include "agg scanline u.h"
#include "agg renderer scanline.h"
#include "agg path storage.h"
#include "agg conv transform.h"
#include "agg trans bilinear.h"
#include "agg trans perspective.h"
#include "agg span interpolator trans.h"
#include "agg_span_interpolator_linear.h"
#include "agg pixfmt rgb24.h"
#include "agg span image filter rgb24.h"
#include "ctrl/agg rbox ctrl.h"
#include "platform/agg platform support.h"
#include "interactive polygon.h"
enum { flip y = true };
agg::rasterizer scanline aa<> g rasterizer;
agg::scanline u8 g scanline;
double
                 g x1 = 0;
double
                 g y1 = 0;
double
                 g x2 = 0;
double
                  q y2 = 0;
class the application : public agg::platform support
public:
    typedef agg::pixfmt_bgr24 pixfmt;
    typedef agg::renderer base<pixfmt> renderer base;
    typedef agg::renderer scanline aa solid<renderer base> renderer solid;
    agg::interactive polygon m triangle;
    the application(agg::pix format e format, bool flip y) :
        agg::platform support(format, flip y),
        m triangle (4, 5.0)
    }
    virtual void on init()
        q x1 = 0.0;
```

```
g y1 = 0.0;
    g \times 2 = rbuf img(0).width();
    g y2 = rbuf img(0).height();
    double dx = width() / 2.0 - (g x2 - g x1) / 2.0;
   double dy = height() / 2.0 - (g_y^2 - g_y^1) / 2.0;
   m triangle.xn(0) = g x1 + dx;
   m triangle.yn(0) = g_y1 + dy;
   m_{triangle.xn(1)} = g_x^2 + dx;
   m triangle.yn(1) = g y1 + dy;
   m triangle.xn(2) = g x2 + dx;
   m triangle.yn(2) = g y2 + dy;
   m triangle.xn(3) = g x1 + dx;
   m triangle.yn(3) = g y2 + dy;
virtual void on draw()
   // Calculate the 4-th point of the parallelogram
   m triangle.xn(3) = m triangle.xn(0) +
                      (m triangle.xn(2) - m triangle.xn(1));
   m triangle.yn(3) = m triangle.yn(0) +
                      (m triangle.yn(2) - m triangle.yn(1));
   pixfmt pixf(rbuf_window());
   renderer base rb(pixf);
    renderer solid r(rb);
    rb.clear(agg::rgba(1, 1, 1));
   g rasterizer.clip box(0, 0, width(), height());
    typedef agg::span allocator<agg::rgba8> span alloc type;
    span alloc type sa;
   agg::trans_perspective tr(m_triangle.polygon(),
                             g x1, g y1, g x2, g y2);
   if(tr.is valid())
        //======== The trick with interpolator.
        // ----- Slow variant
        // span interpolator trans is a general purpose interpolator.
       // It calls the Transformer::transform() for each point of the
       // scanline, thus, it's slow. But it can be used with any
       // kind of transformations, linear or non-linear.
        //----
        //typedef agg::span interpolator trans<agg::trans perspective>
            interpolator type;
       // ----- Fast variant
        // span interpolator linear is an accelerated version of the general
        // purpose one, span interpolator trans. It calculates
        // actual coordinates only for the beginning and the ending points
        // of the span. But the transformations must be linear and parallel,
        // that is, any straight line must remain straight after applying the
        // transformation, and any two parallel lines must remain parallel.
        // It's not sutable for perspective transformations in general
```

```
// (they are not parallel), but quite OK for this particular case,
       // i.e., parallelogram transformations.
       //----
       typedef agg::span interpolator linear<agg::trans perspective>
           interpolator type;
       //=========
       interpolator type interpolator(tr);
       // "hardcoded" bilinear filter
       //----
       typedef agg::span image filter rgb24 bilinear<agg::order bgr24,
                                                   interpolator type>
           span gen type;
       typedef agg::renderer scanline aa<renderer base, span gen type>
           renderer type;
       span gen type sg(sa,
                       rbuf img(0),
                        agg::rgba(1, 1, 1, 0),
                        interpolator);
       renderer type ri(rb, sg);
       g rasterizer.reset();
       g rasterizer.move to d(m triangle.xn(0), m triangle.yn(0));
       g rasterizer.line to d(m triangle.xn(1), m triangle.yn(1));
       g rasterizer.line to d(m triangle.xn(2), m triangle.yn(2));
       g rasterizer.line to d(m triangle.xn(3), m triangle.yn(3));
       agg::render scanlines(g rasterizer, g scanline, ri);
    }
    //----
   // Render the "quad" tool and controls
   g rasterizer.add path(m triangle);
   r.color(agg::rgba(0, 0.3, 0.5, 0.6));
   agg::render scanlines(g rasterizer, g scanline, r);
}
virtual void on mouse button down(int x, int y, unsigned flags)
   if(flags & agg::mouse left)
       if(m triangle.on mouse button down(x, y))
           force redraw();
   }
virtual void on mouse move(int x, int y, unsigned flags)
```

```
if(flags & agg::mouse left)
            if(m triangle.on mouse move(x, y))
                force redraw();
        if((flags & agg::mouse left) == 0)
            on mouse button up(x, y, flags);
    }
    virtual void on mouse button up(int x, int y, unsigned flags)
        if (m triangle.on mouse button up (x, y))
            force redraw();
};
int agg main(int argc, char* argv[])
    the application app(agg::pix format bgr24, flip y);
    app.caption("AGG Example. Image Perspective Transformations");
    const char* img name = "spheres";
    if(argc >= 2) img_name = argv[1];
    if(!app.load img(\overline{0}, img name))
        char buf[256];
        if(strcmp(img name, "spheres") == 0)
            sprintf(buf, "File not found: %s%s. Download http://www.antigrain.com/%s%s\n"
                          "or copy it from another directory if available.",
                    img name, app.img ext(), img name, app.img ext());
        else
            sprintf(buf, "File not found: %s%s", img name, app.img ext());
        app.message(buf);
        return 1;
    if(app.init(600, 600, agg::window resize))
        return app.run();
    return 1;
```

There is a screenshot:



NOTE

The arcticle is actually outdated. Now class trans_affine has methods to calculate an affine matrix that transforms a parellelogram to another one, a rectangle to a parellelogram, and a parellelogram to a rectangle. See agg2/examples/image_perspective.cpp. However, the above material is useful because it helps understand better the **AGG** concepts.

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