Homework #1

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c) Any number in the set of Natural numbers that is divisible by 2

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d) Any number in the set of Natural numbers that is divisible by both 2 and 3
e) Any string that is a palindrome made up of 0's and 1's
f) Any integer that is equal to 1 added by the input number
0.2)
a) \{1, 10, 100\}
b) \{n \mid n \in \mathbb{Z}, and \ n > 5\}
c) \{n \mid n \in \mathbb{N}, and \ n > 5\}
d) \{ab\}
e) \{\epsilon\}
f) Ø
0.3)
a) no
b) yes
c) \{x, y, z\}
d) \{x,y\}
e) \{(x,x),(x,y),(y,x),(y,y),(z,x),(z,y)\}
f) \{\emptyset, \{x\}, \{y\}, \{x, y\}\}
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a) This set contains all odd numbers from 1 to ∞ b) This set contains all even numbers from $-\infty$ to ∞

0.1)

- 0.4) There are a*b elements in this set because each element of 'a' must pair with each element of 'b'. Therefore, there are a*b ordered pairs in this set.
- 0.5) There are 2^c elements in the power set of C. This is true because each subset of the original set has two subsets of its own that can be derived. This happens n times until only \emptyset is remaining. Therefore, there are 2^n elements in the power set of a set and, in our case, 2^c .

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0.6)   
a) 7 b) Range = \{6, 7\}, Domain = \{1, 5\}
c) g(2,10) = 6
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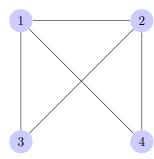
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\begin{array}{l} \mathrm{d)} \ \ \mathrm{Range} = \{6,\!10\}, \ \mathrm{Domain} = \!\! \{(1,\!6), \, (1,\!7), \, (1,\!8), \, (1,\!9), \, (1,\!10), \\ (2,\!6), \, (2,\!7), \, (2,\!8), \, (2,\!9), \, (2,\!10), \\ (3,\!6), \, (3,\!7), \, (3,\!8), \, (3,\!9), \, (3,\!10), \\ (4,\!6), \, (4,\!7), \, (4,\!8), \, (4,\!9), \, (4,\!10), \\ (5,\!6), \, (5,\!7), \, (5,\!8), \, (5,\!9), \, (5,\!10)\} \end{array}
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e)
$$g(4, f(4)) = 8$$

0.7)

- a) Two people who have the same mother but different fathers
- b) $x,y \in \mathbb{N}$ and $x y \leq 0$
- c) $x, y \in \mathbb{Z}$ and i * j > 0

0.8)



The path for node 3 to node 4 would go 3->2->4. I tried to get the graph lines to bold but could not figure it out.

$$G = (V,E)$$

$$G = \{\{1, 2, 3, 4, 5, 6\}, \{(1, 4), (1, 5), (1, 6), (2, 4), (2, 5), (2, 6), (3, 4), (3, 5), (3, 6)\}\}$$