OANDA Group

FX Volatility Prediction and Insights from Tick Data and Market Events

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Problem Revisited

Objectives

- Classify and characterize the volatility regime for a given FX pair.
- Understand the relationship between the current volatility regime and market reaction to known event.

Snapshot of price data and event data

Figure 1: Snapshot of several lines of price data

Currency	Timestamp	Ask Price	Bid Price	Trade or not
EUR/USD	1514844002	1.20022	1.20082	T
EUR/USD	1514844092	1.20073	1.20133	T
EUR/USD	1514844092	1.20077	1.20137	Т
EUR/USD	1514844092	1.20061	1.20121	T
EUR/USD	1514844092	1.20074	1.20134	T
EUR/USD	1514844092	1.20053	1.20113	Т
EUR/USD	1514844092	1.20047	1.20107	T

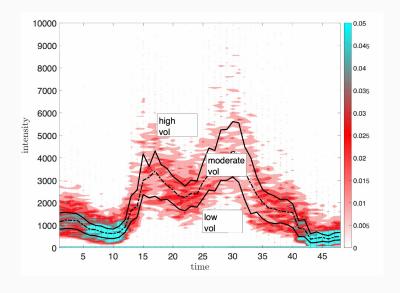
Figure 2: The event data

56
56
L90
4.7
0.1
1.7
(

The analysis of uncategorized

events' impact

Diurnal pattern of intensity (1 min window)



Formula of transition matrix

- Transition matrix from intensity λ_t^k to volatility regimes $\Lambda_t^k \in \{1, 2, 3\}$, where k is day index and t is bin index.
- Unconditioned transition matrix:

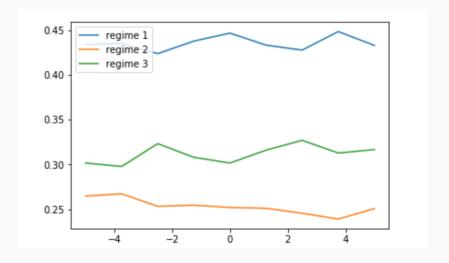
$$A_{ij} = rac{a_{ij}}{\sum_j a_{ij}}$$
 $a_{ij} = \sum_{t,k} 1_{\{\Lambda^k_t = i, \Lambda^k_{t+1} = j\}}$

Conditional transition matrix with event impact:

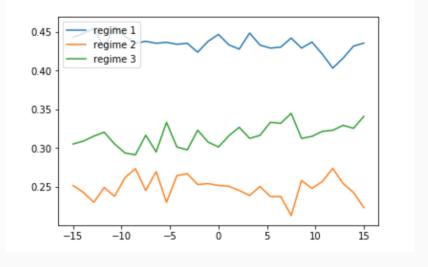
$$B_{ij} = \frac{b_{ij}}{\sum_j b_{ij}}$$

$$b_{ij} = \sum_n 1_{\{\Lambda_{t_n}^{k_n} = i, \Lambda_{t_{n+1}}^{k_n} = j\}}$$

Average distribution of regime ratio 5 mins before/after event



Average distribution of regime ratio 15 mins before/after event



Transition Matrix

```
Unconditioned matrix t->t+1
[[ 0.79  0.17  0.04]
 [ 0.19 0.53 0.28]
 [ 0.03 0.26 0.7111
Transition matrix during event and 1 minute after
[[ 0.66  0.27  0.07]
[ 0.15 0.52 0.331
 [ 0.04 0.25 0.71]]
Unconditioned matrix t->t+2
[[ 0.57  0.26  0.17]
[ 0.29 0.34 0.371
 [ 0.15 0.34 0.51]]
Transition matrix 1 minute before event and 1 minute after
[[ 0.62  0.23  0.14]
r 0.17 0.52 0.311
 [ 0.04 0.25 0.71]]
Unconditioned matrix t->t+3
[[ 0.52  0.28  0.2 ]
 [ 0.31 0.33 0.361
 [ 0.19 0.34 0.48]]
Transition matrix 1 minute before event and 2 minute after
[[ 0.61  0.23  0.16]
 [ 0.2 0.49 0.311
 r 0.05 0.29 0.6511
```

Probability Transformation of Intensity Data

- \hat{F}_t : the ecdf of intensity in bin t
- Unconditional:

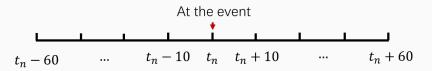
$$\lambda_t^k \stackrel{\hat{\mathcal{F}}_t}{\to} \rho_t^k \in [0, 1]$$

Conditional:

$$\lambda_{t_n}^{k_n} \overset{\hat{\mathcal{F}}_t}{
ightarrow}
ho_{t_n}^{k_n} \in [0,1] (ext{at the event})$$

The unconditional distribution should be uniform (in theory).

We will see the conditional distributions before and after the event.



RStudio: Natebook Output

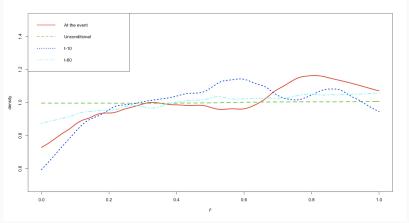


Figure 3: Conditional distributions at and before the event

(x axis: ρ , y axis: density)

RStudio: Natebook Output

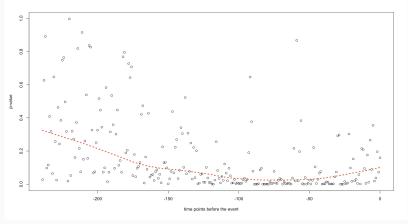


Figure 4: Conditional vs unconditional distributions (ks.test) before the event (x axis: time points before the event, y axis: p-value)

RStudio: Natebook Qutput

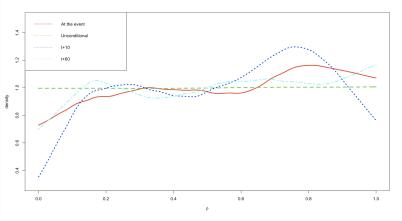


Figure 5: Conditional distributions at and after the event $(x \text{ axis: } \rho, \text{ y axis: density})$

9.0 0.4 0.0

Figure 6: Conditional vs unconditional distributions (ks.test) after the event (x axis: time points after the event, y axis: p-value)

time points after the event

40

50

10

20

The analysis of categorized

events' impact

Quadratic variation

$$QV = \sum_{t=0}^{5min} (S_t - S_{t-1})^2$$

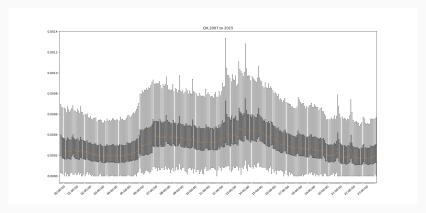


Figure 7: Background ratios of increase of volatility over the day

Measure of Ratio

$$Ratio = \frac{\frac{\text{QV(after 5 mins of event)}}{\text{QV(before 5 mins of typical)}}}{\frac{\text{QV(after 5 mins of typical)}}{\text{QV(before 5 mins of typical)}} - 1$$

Impact of Events

Event Name	QV (5mins)	QV (30mins)
FOMC Minutes United States	212.80%	150.75%
Fed Interest Rate Decision United State	201.99%	233.86%
ECB Monetary policy statement and pro	156.38%	139.40%
Unemployment Rate United States	141.35%	125.42%
Nonfarm Payrolls United States	140.88%	125.05%
Retail Sales (MoM) United States	128.33%	62.61%
Retail Sales ex Autos (MoM) United Sta	113.58%	52.14%
Consumer Price Index (YoY) United State	112.54%	62.52%
Consumer Price Index Ex Food & Energy	111.26%	62.78%

Does Mismatch matter?

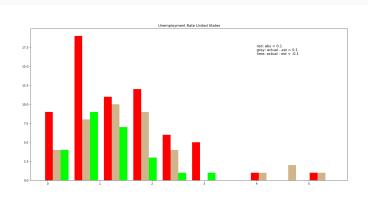


Figure 8: The Unemployment Rate

Latent Variable Modeling

Thanks!

Any Questions and Suggestions?