

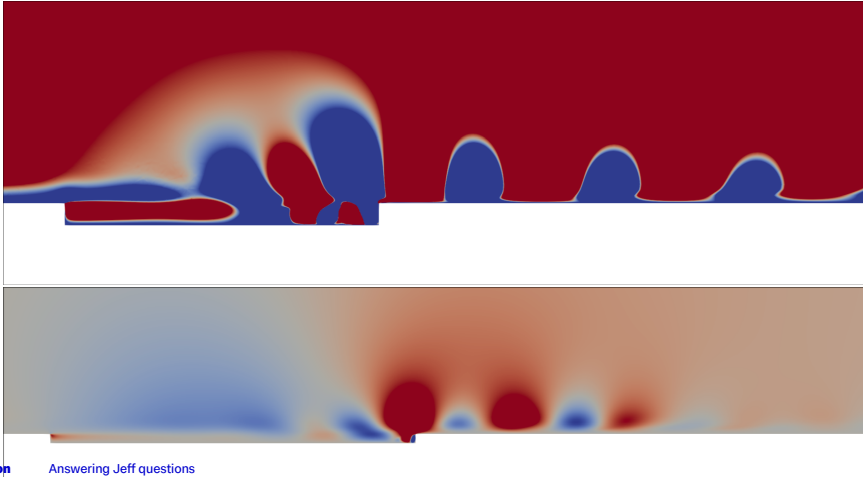
IMPERIAL

Answering Jeff questions

Víctor Ballester
June 16, 2025

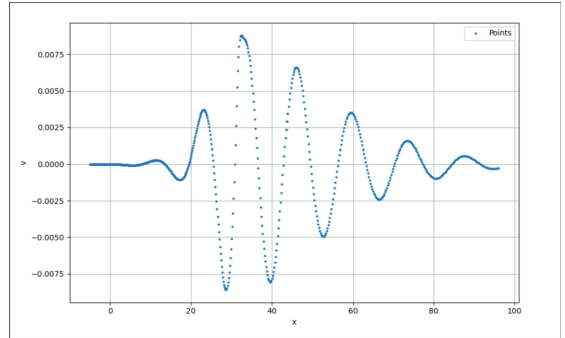
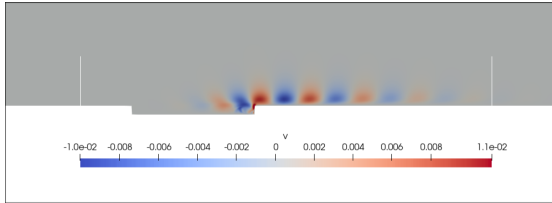
Absolute instability going up to the upstream edge of the gap?

- No. The colors are stressed, but they show that the absolute instability is localized near the downstream edge of the gap.



Absolute instability in the gap

SFD for $d = 2.25$, $w = 32$ Most unstable mode (with positive growth rate):



Frequency comparison in a chaotic regime

- We study the case $d = 3.83$, $w = 20$ (see the figure below)
- Jeff claims that the dominant nondimensional frequency before transitioning is $F = 10^6 \omega \nu / U^2 = 168$
- In our case, using that formula we have that $F = 10^3 \omega$ (right? because $U = 1$ and $\nu = \frac{1 \times 1}{1000}$).

$$x = w + 5\delta^*$$

Dominant freq for \mathbf{u}

$$\omega : 66.428, \hat{f}(\omega) : 784.87$$

$$\omega : 67.377, \hat{f}(\omega) : 539.07$$

$$\omega : 65.479, \hat{f}(\omega) : 224.81$$

$$\omega : 200.234, \hat{f}(\omega) : 204.94$$

$$\omega : 68.326, \hat{f}(\omega) : 202.40$$

Dominant freq for \mathbf{v}

$$\omega : 66.428, \hat{f}(\omega) : 100.81$$

$$\omega : 133.806, \hat{f}(\omega) : 73.76$$

$$\omega : 67.377, \hat{f}(\omega) : 68.54$$

$$\omega : 668.080, \hat{f}(\omega) : 62.39$$

$$\omega : 801.886, \hat{f}(\omega) : 56.22$$

$$x = w + 25\delta^*$$

Dominant freq for \mathbf{u}

$$\omega : 66.856, \hat{f}(\omega) : 578.61$$

$$\omega : 133.712, \hat{f}(\omega) : 390.67$$

$$\omega : 200.567, \hat{f}(\omega) : 239.15$$

$$\omega : 401.135, \hat{f}(\omega) : 152.63$$

$$\omega : 267.423, \hat{f}(\omega) : 147.29$$

Dominant freq for \mathbf{v}

$$\omega : 401.135, \hat{f}(\omega) : 94.62$$

$$\omega : 467.990, \hat{f}(\omega) : 80.02$$

$$\omega : 534.846, \hat{f}(\omega) : 77.23$$

$$\omega : 133.712, \hat{f}(\omega) : 63.12$$

$$\omega : 334.279, \hat{f}(\omega) : 62.55$$

$$x = w + 75\delta^*$$

Dominant freq for \mathbf{u}

$$\omega : 133.712, \hat{f}(\omega) : 413.21$$

$$\omega : 66.856, \hat{f}(\omega) : 364.18$$

$$\omega : 267.423, \hat{f}(\omega) : 351.61$$

$$\omega : 200.567, \hat{f}(\omega) : 284.69$$

$$\omega : 334.279, \hat{f}(\omega) : 154.04$$

Dominant freq for \mathbf{v}

$$\omega : 267.423, \hat{f}(\omega) : 152.65$$

$$\omega : 133.712, \hat{f}(\omega) : 74.76$$

$$\omega : 334.279, \hat{f}(\omega) : 71.96$$

$$\omega : 200.567, \hat{f}(\omega) : 63.06$$

$$\omega : 467.990, \hat{f}(\omega) : 49.21$$

$$x = w + 175\delta^*$$

Dominant freq for \mathbf{u}

$$\omega : 133.917, \hat{f}(\omega) : 279.11$$

$$\omega : 66.490, \hat{f}(\omega) : 195.30$$

$$\omega : 71.173, \hat{f}(\omega) : 158.22$$

$$\omega : 132.981, \hat{f}(\omega) : 149.71$$

$$\omega : 67.427, \hat{f}(\omega) : 148.11$$

Dominant freq for \mathbf{v}

$$\omega : 133.917, \hat{f}(\omega) : 45.03$$

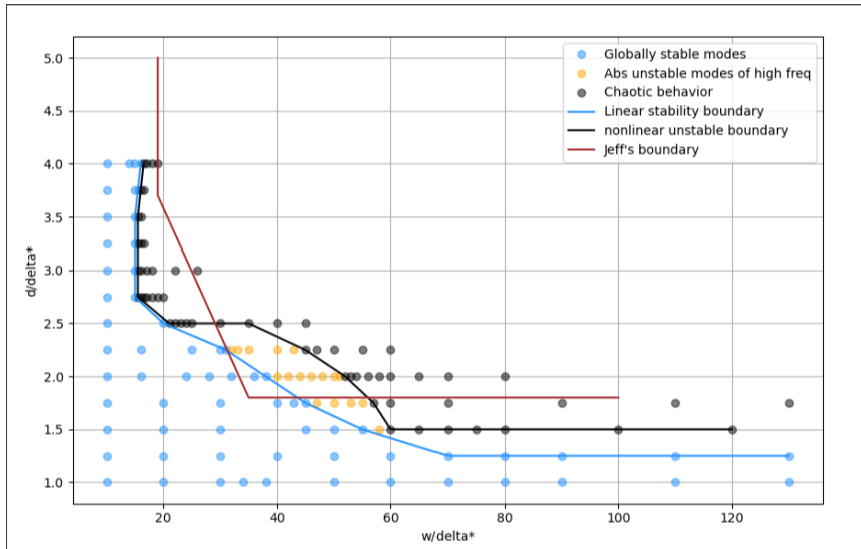
$$\omega : 200.408, \hat{f}(\omega) : 42.09$$

$$\omega : 271.581, \hat{f}(\omega) : 32.03$$

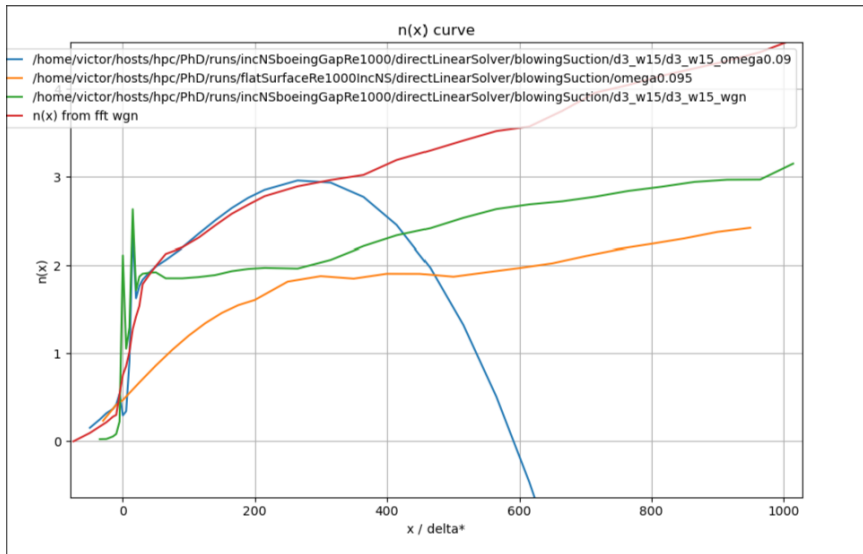
$$\omega : 195.725, \hat{f}(\omega) : 27.78$$

$$\omega : 138.600, \hat{f}(\omega) : 26.89$$

Stability curve



n-factor computations



n-factor computations

