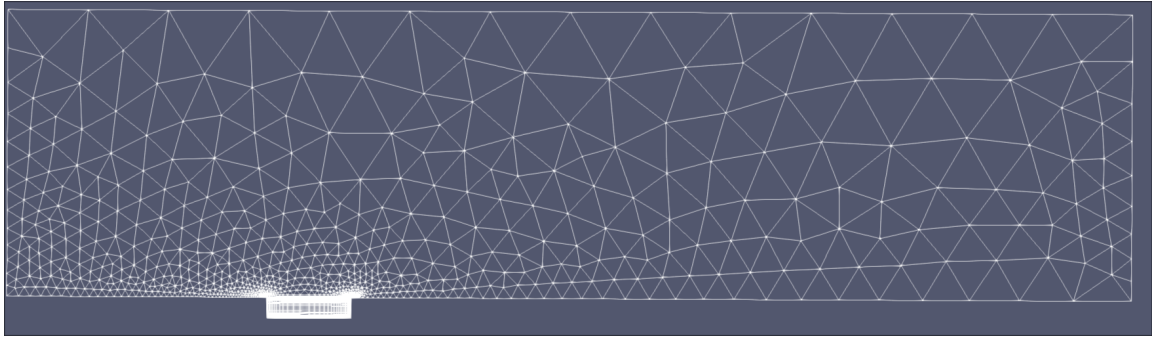


**IMPERIAL**

# **Sparser-mesh computations**

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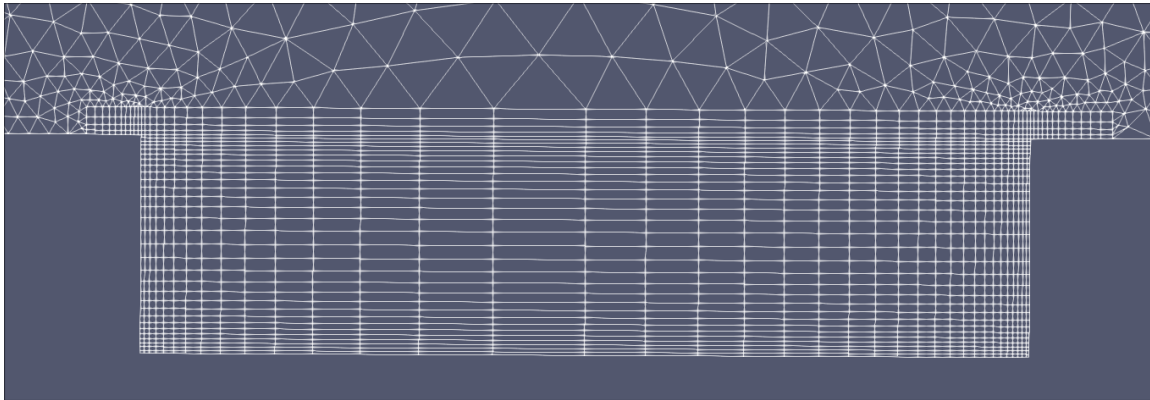
## New mesh



Num elements: From  $\sim 24000$  (with the previous mesh) to  $\sim 3000$ ! One problem is that the downstream region is usually not well resolved.

Polynomial order for  $(\mathbf{u}, p)$ : (7,6) initially and then (9,8) to converge quicker to the Steady State solution.

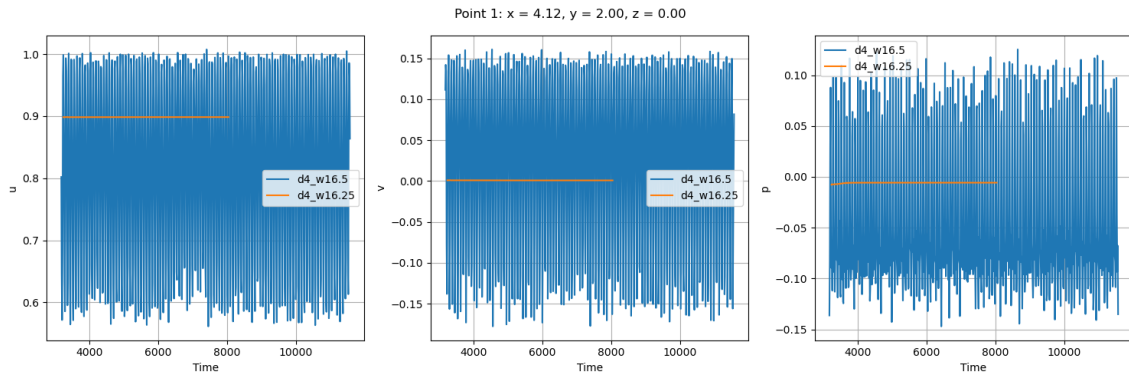
# New mesh



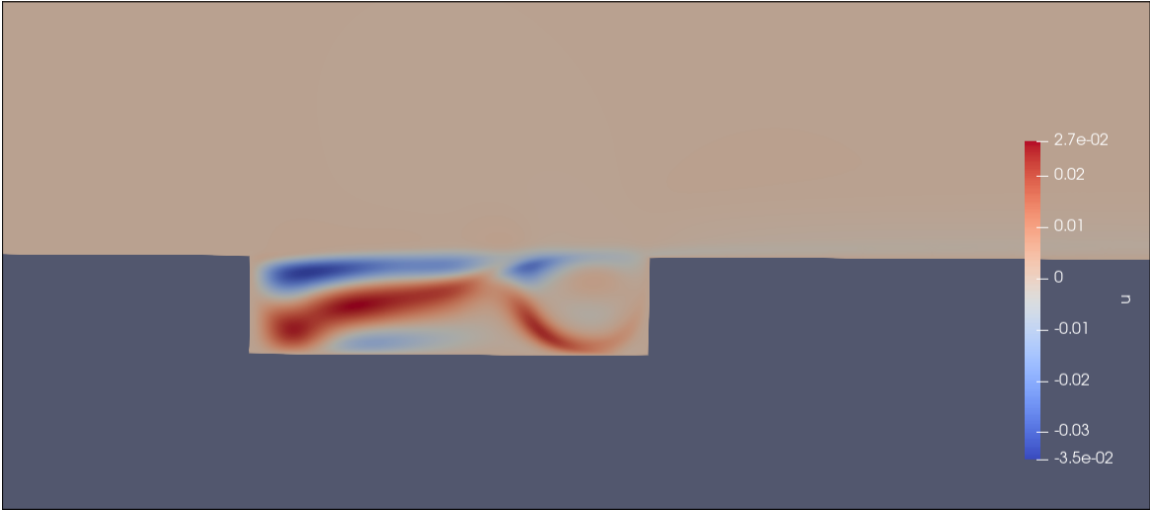
# Stability results

Everything at  $\text{Re}_{\delta^*} = 1000$ .

Using  $D = 4\delta^*$ , the system with  $w = 16.25\delta^*$  is stable, but the system with  $w = 16.5\delta^*$  didn't stabilize (I run it till  $t = 11574$ ).

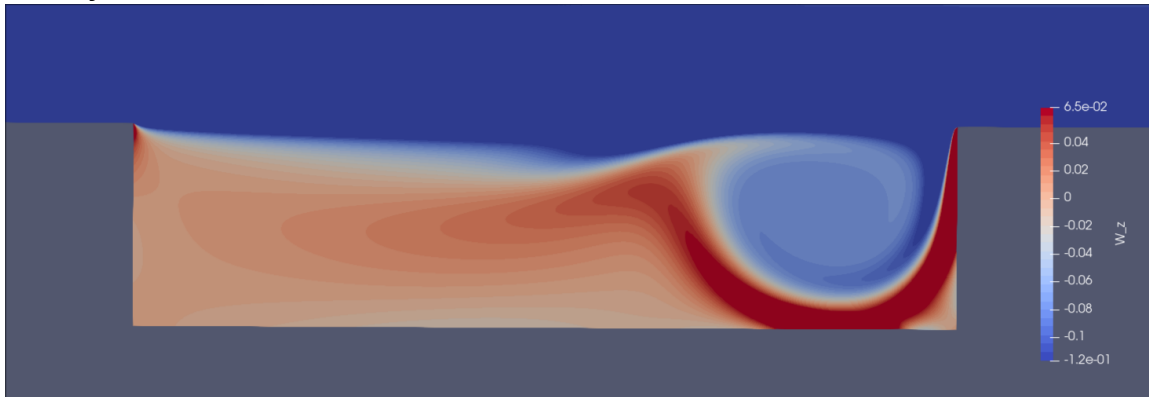


**Stable node**  $w = 16.25\delta^*$



**Baseflow**  $w = 16.25\delta^*$

Vorticity field.

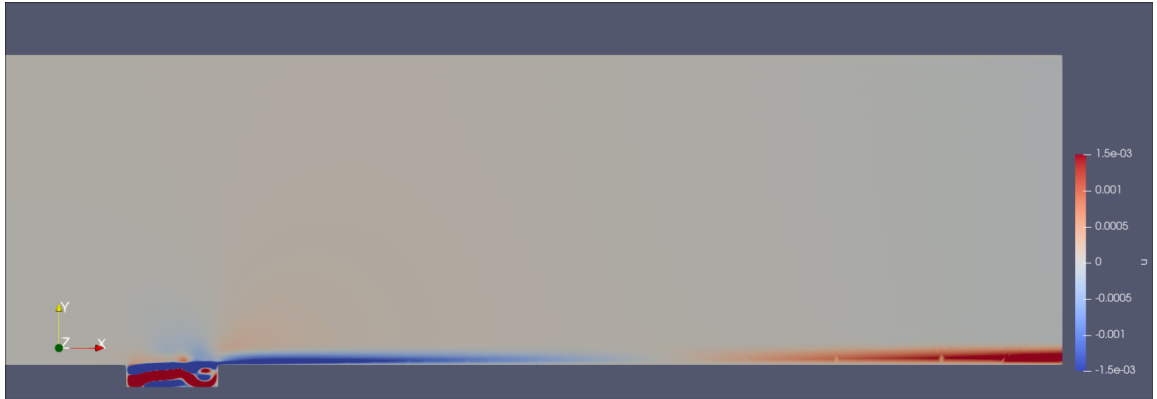


**Baseflow**  $w = 16.25\delta^*$

Vorticity field.



**Stable node**  $w = 16.25\delta^*$



Does it look ok (the downstream region)?



## Concerns about convergence

- I stopped the simulation in the steady state solution when the variation in the  $u$  component is less than  $10^{-7}$ . In the linear NavierStokes I stop the computation of the eigenvectors when their residual is of the order of  $10^{-5}$ .
- My concern is that the dependence in the domain aspect ratios is much higher than that. And probably the resolution of the smallest element as well (e.g. order of the polynomials). I want to check this. Any suggestions?