AGG0012 – Problemas Integrados em Ciências da Terra II

Bloco IV - aula 1 Gravitação Victor Sacek

The Feynman Lectures on Physics





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The Feynman Lectures on Physics

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Volume I

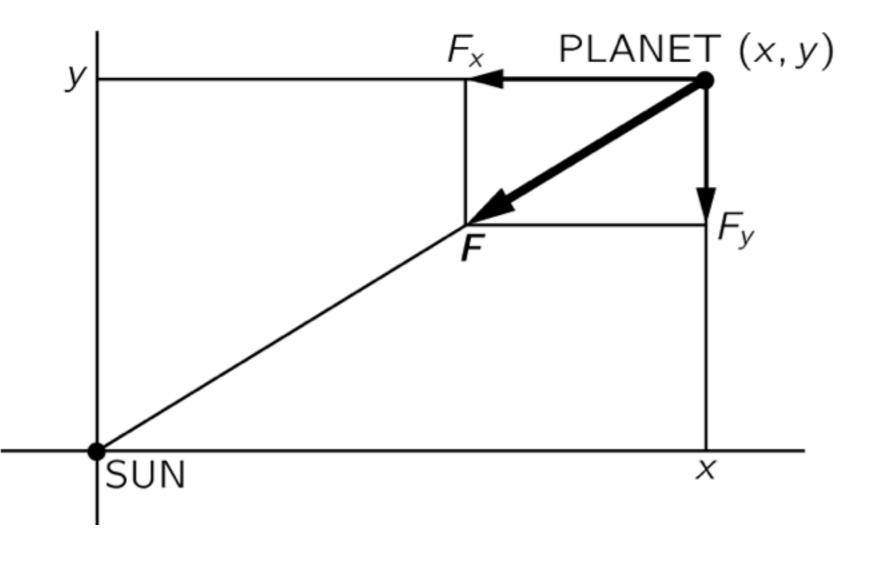
MAINLY MECHANICS, RADIATION AND HEAT

Volume II

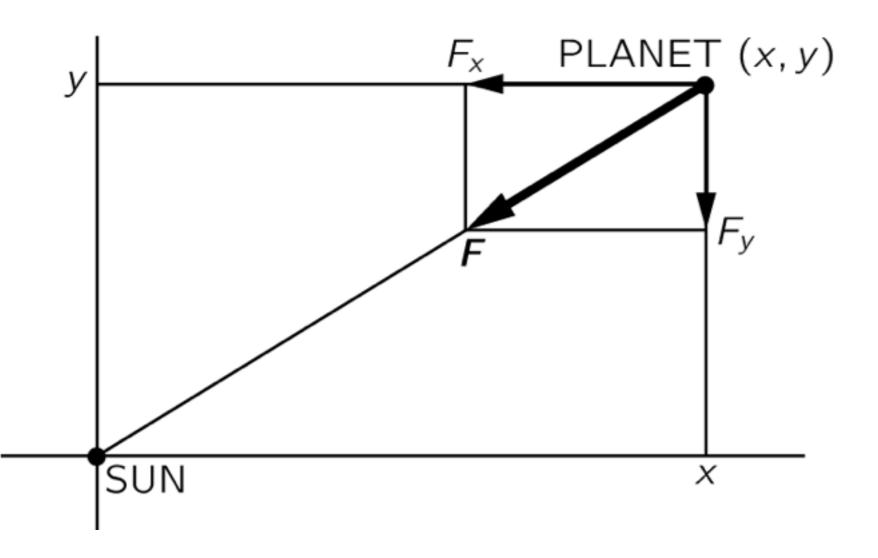
MAINLY ELECTROMAGNETISM AND MATTER

Volume III

QUANTUM MECHANICS

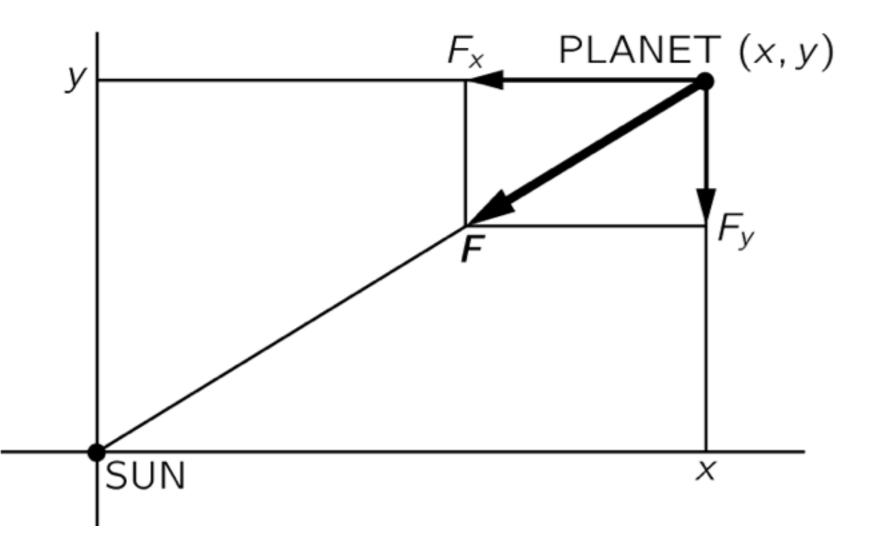


$$\vec{F} = m\vec{a}$$



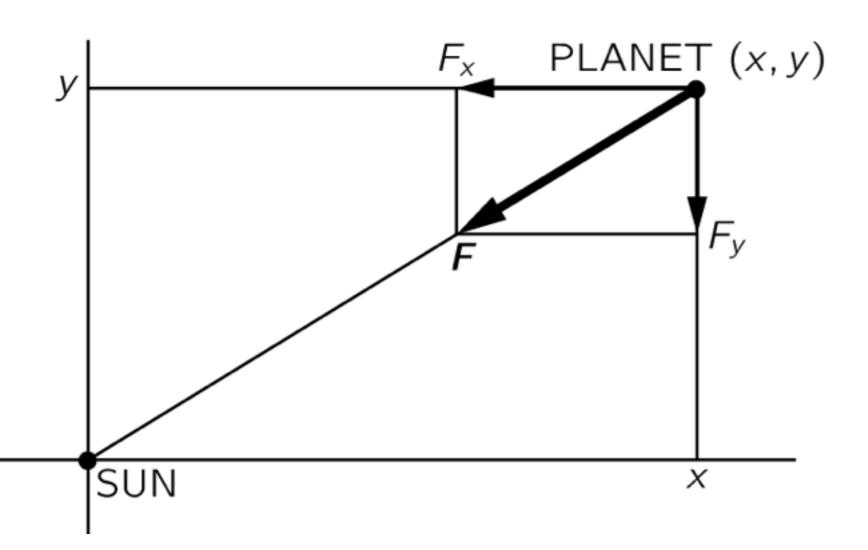
$$\vec{F} = m\vec{a}$$

$$\vec{F} = m \frac{d\vec{v}}{dt}$$



$$\vec{F} = m\vec{a}$$

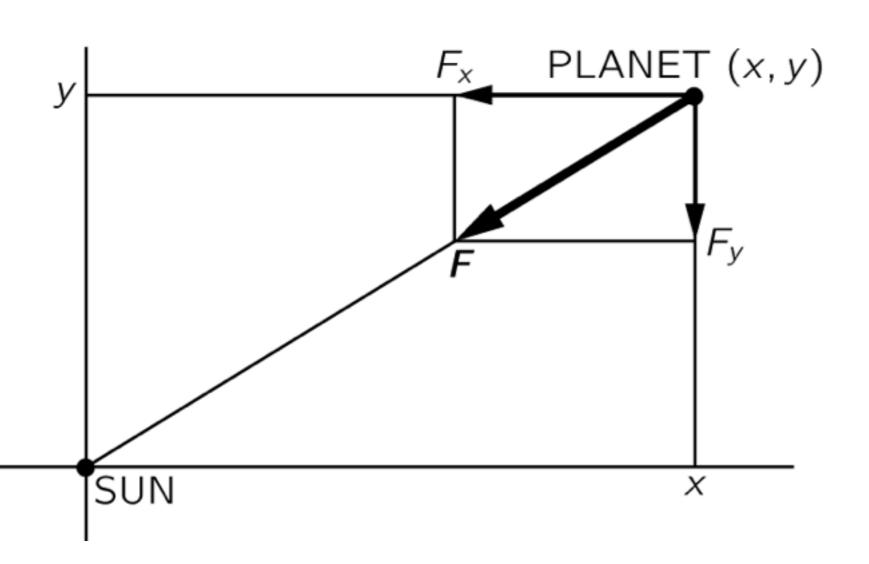
$$\vec{F} = m \frac{d\vec{v}}{dt}$$



$$-\frac{GMm}{|\vec{r}|^2}\hat{r} = m\frac{d\vec{v}}{dt}$$

$$\vec{F} = m\vec{a}$$

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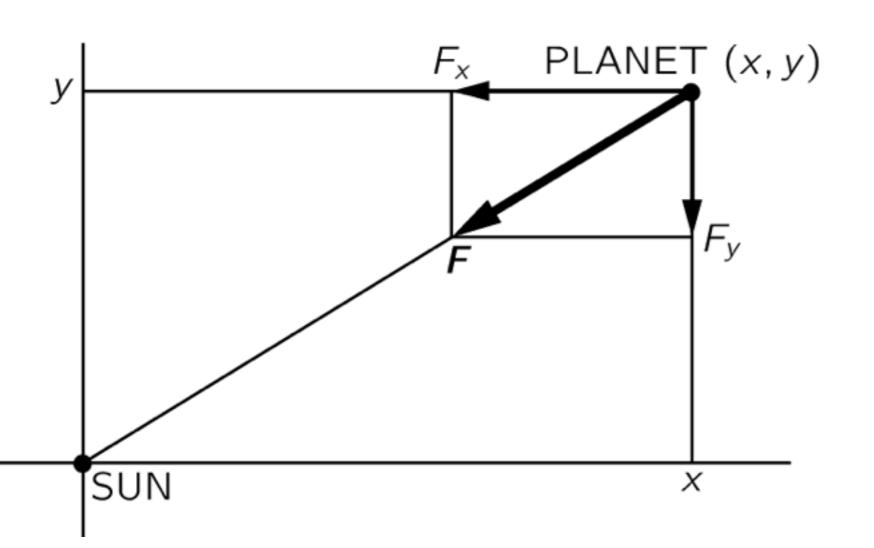


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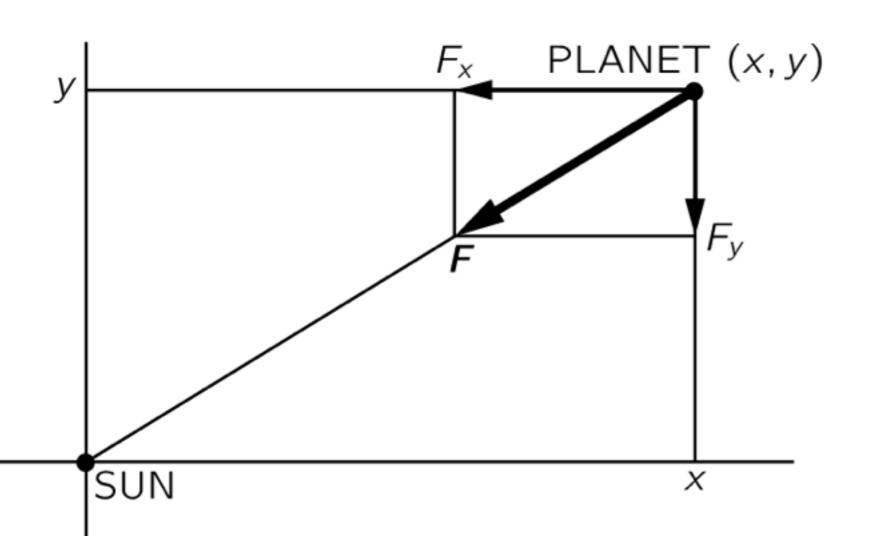
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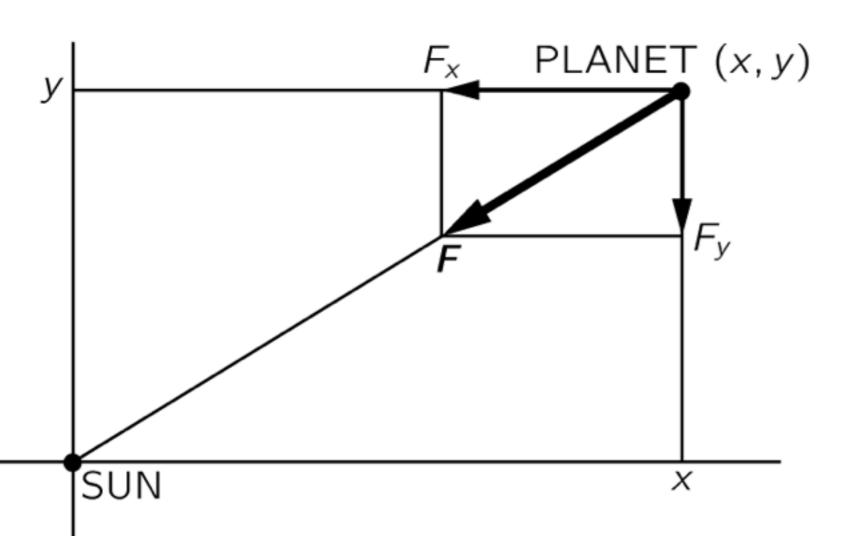
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$$-\frac{GM}{|\vec{r}|^3}\vec{r} = \frac{d\vec{v}}{dt}$$

$$-\frac{GM}{|\vec{r}|^3}x = \frac{dv_x}{dt} \qquad -\frac{GM}{|\vec{r}|^3}y = \frac{dv_x}{dt}$$

$$\frac{dv_x}{dt} = -\frac{GM}{|\vec{r}|^3}x \qquad \qquad \frac{dv_y}{dt} = -\frac{GM}{|\vec{r}|^3}y$$

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$$\frac{v_x - v_{x0}}{\Delta t} = -\frac{GM}{|\vec{r}|^3} x$$

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$$\frac{v_y - v_{y0}}{\Delta t} = -\frac{GM}{|\vec{r}|^3} y$$

$$v_x = v_{x0} - \Delta t \frac{GM}{|\vec{r}|^3} x$$

$$\frac{dv_x}{dt} = -\frac{GM}{|\vec{r}|^3}x \qquad \qquad \frac{dv_y}{dt} = -\frac{GM}{|\vec{r}|^3}y$$

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$$v_y = v_{y0} - \Delta t \frac{GM}{|\vec{r}|^3} y$$

$$x = x_0 + \Delta t v_x$$

$$\frac{dv_x}{dt} = -\frac{GM}{|\vec{r}|^3}x$$

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$$|\vec{r}| = \sqrt{x^2 + y^2}$$

$$v_x = v_{x0} - \Delta t \frac{GM}{|\vec{r}|^3} x$$
 $v_y = v_{y0} - \Delta t \frac{GM}{|\vec{r}|^3} y$

$$GM \equiv 1$$

$$x = x_0 + \Delta t v_x$$

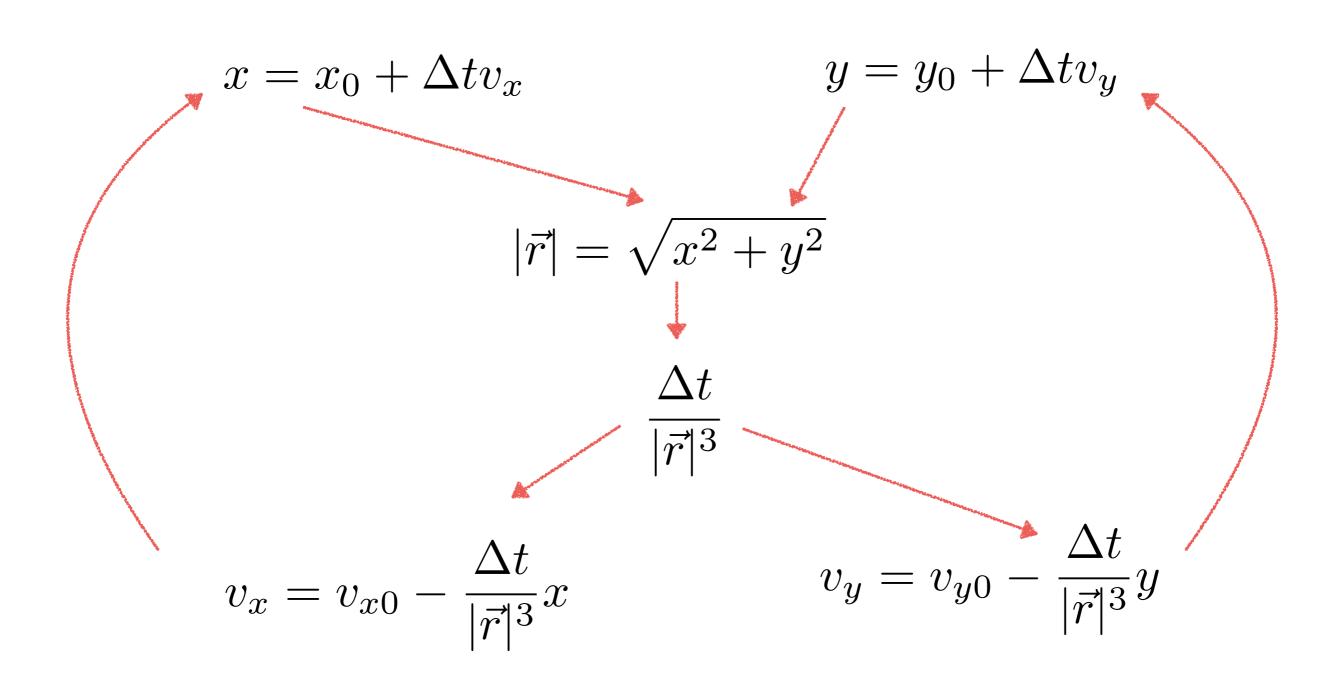
$$y = y_0 + \Delta t v_y$$

$$|\vec{r}| = \sqrt{x^2 + y^2}$$

$$v_x = v_{x0} - \Delta t \frac{1}{|\vec{r}|^3} x$$
 $v_y = v_{y0} - \Delta t \frac{1}{|\vec{r}|^3} y$

$$GM \equiv 1$$

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Primórdios da computação (o computador humano)



NACA High Speed Flight Station "Computer Room"

http://en.wikipedia.org/wiki/Human_computer

Primórdios da computação (o computador humano)

A COMPUTER WANTED.

WASHINGTON, May 1 .- A civil service examination will be held May 18 in Washington, and, if necessary, in other cities, to secure eligibles for the position of computer in the Nautical Almanac Office, where two vacancies exist—one at \$1,000, the other at \$1,400..

The examination will include the subjects of algebra, geometry, trigonometry, and astronomy. Application blanks may be obtained of the United States Civil Service Commission.

The New york Times



NACA High Speed Flight Station "Computer Room"

http://en.wikipedia.org/wiki/Human computer

Vamos colocar uma sonda em órbita!

 A partir da posição inicial e velocidade especificada, calcule a órbita da sonda e plote a sua trajetória ao longo do tempo.

$$\Delta t = 0.1$$
 $x_{inicial} = 0.5$ $y_{inicial} = 0.0$ G1 G2 G3 G4 G5 G6 $v_{x,inicial}$ 0.0 0.0 0.0 0.0 -0.4 -0.6 $v_{y,inicial}$ 1.3 1.6 1.4 1.65 1.7 1.6