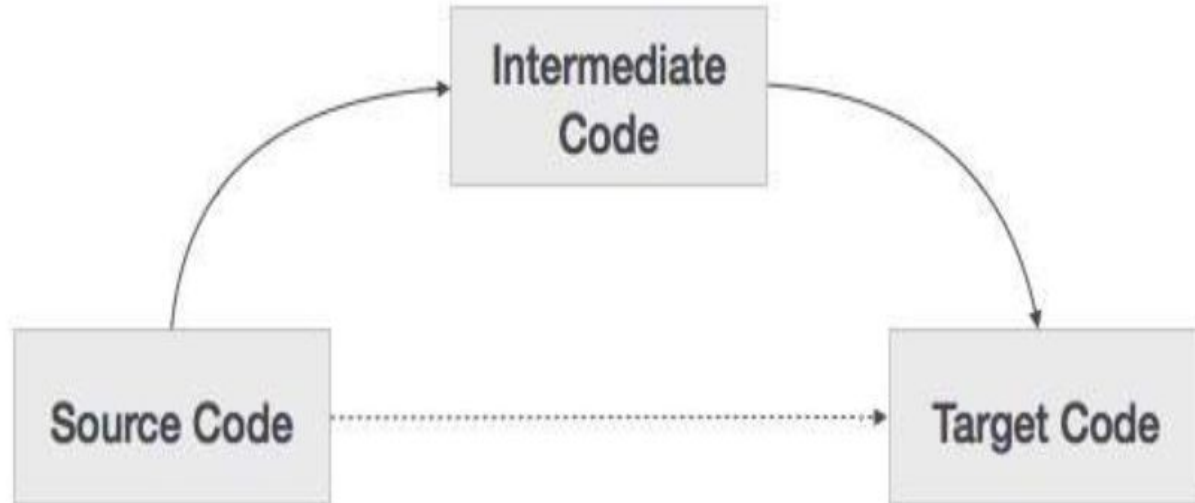


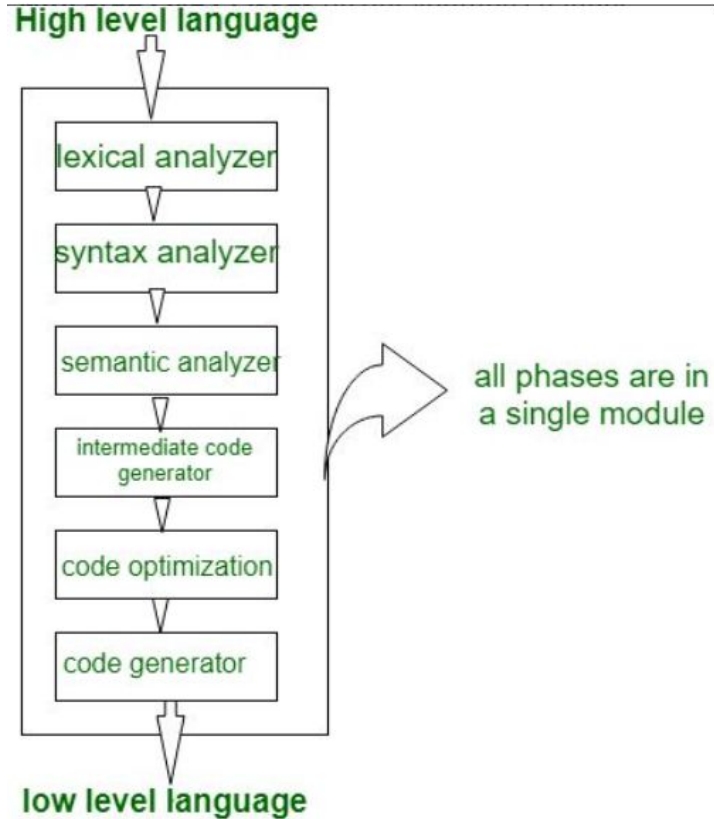
Intermediate Code Generation

- Many Compilers convert the high level language programs to intermediate form and then convert it to machine level language.

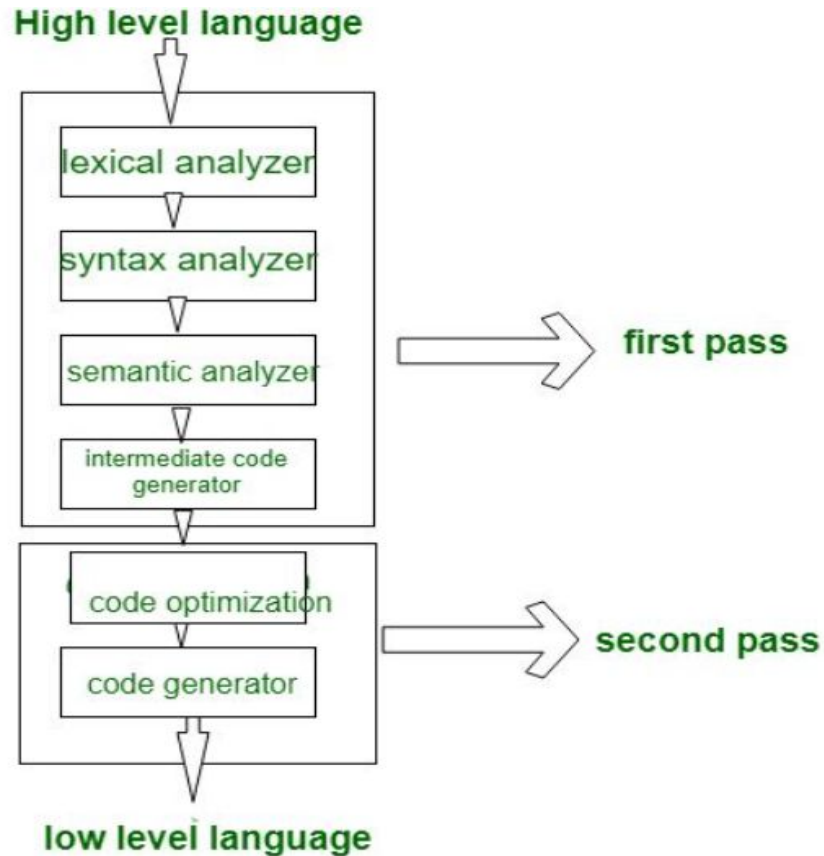


Compiler Passes

Single Pass

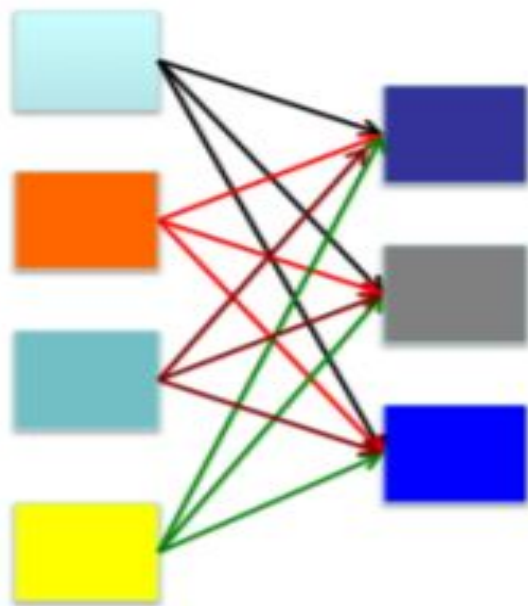


Two pass/ Multi pass compiler



4 Source languages

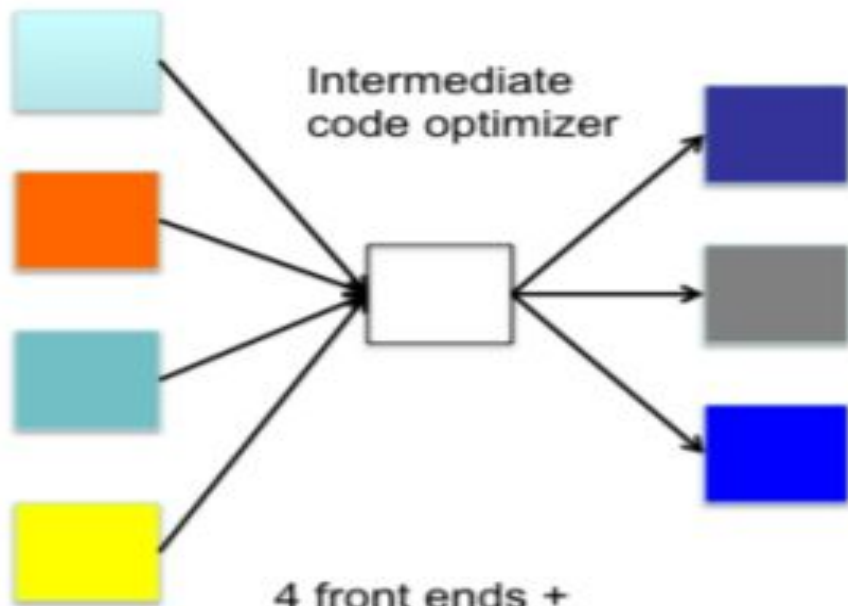
3 Target machines



4 front ends +
4x3 optimizers +
4x3 code generators

4 Source languages

3 Target machines



4 front ends +
1 optimizer +
3 code generators

Why Intermediate code ?

While generating machine code directly from source code is possible, but it entails two problems

- With m languages and n target machines, we need to write m front ends, $m \times n$ optimizers, and $m \times n$ code generators.
- The code optimizer which is one of the largest and very-difficult-to-write components of a compiler, cannot be reused.

This means just m front ends, n code generators and 1 optimizer

Intermediate code representations:

- Three-address code
- Postfix notation
- Syntax tree
- Directed acyclic graph

Three-address code

- A statement involving no more than three references(two for operands and one for result) is known as three address statement.
- A sequence of three address statements is known as three address code.
- Three address statement is of the form $x = y \text{ op } z$, here x, y, z will have address (memory location). Sometimes a statement might contain less than three references but it is still called three address statement.

Three Address statements:

- $x = y \text{ op } z \rightarrow$ Logical or binary operator
- $x = \text{op } y \rightarrow$ Unary operator
- $x = y \rightarrow$ Copy statement
- $\text{param } x, \text{param } y \rightarrow$ Procedure call
- $x = y[i] \rightarrow$ Index assignment
- $\text{if } x \text{ relational op. } y \text{ goto label} \rightarrow$ Conditional jump
- $x = \&y, x = *y \rightarrow$ Pointer and address

Example:

$a = b * c - d$

$r1 = b * c$

$r2 = r1 - d$

$a = r2$

A three-address code has at most three address locations to calculate the expression. A three- address code can be represented in two forms :

- Quadruples
- Triples

Quadruples

Quadruples presentation is divided into four fields: operator, arg1, arg2, and result.

Example:

$$a = b * -c + b * -c$$

$$\mathbf{a = b * -c + b * -c}$$

0. $t1 = -c$
1. $t2 = b * t1$
2. $t3 = -c$
3. $t4 = b * t3$
4. $t5 = t2 + t4$
5. $a = t5$

	Op	Arg. 1	Arg. 2	Result
0	Unary (-)	c		t1
1	*	b	t1	t2
2	Unary (-)	c		t3
3	*	b	t3	t4
4	+	t2	t4	t5
5	Assignment op. =	t5		a

Triples

- Each instruction in triples presentation has three fields : op, arg1, and arg2.

$$\mathbf{a = b * -c + b * -c}$$

0. $t1 = -c$
1. $t2 = b * t1$
2. $t3 = -c$
3. $t4 = b * t3$
4. $t5 = t2 + t4$
5. $a = t5$

	Op	Arg. 1	Arg. 2
0	Unary (-)	c	
1	*	b	0
2	Unary (-)	c	
3	*	b	2
4	+	1	3
5	Assignment op. =	a	4

Indirect triples

This representation makes use of pointer to the listing of all references to computations which is made separately and stored.

$$\mathbf{a} = \mathbf{b} * - \mathbf{c} + \mathbf{b} * - \mathbf{c}$$

0. $t1 = -c$
1. $t2 = b * t1$
2. $t3 = -c$
3. $t4 = b * t3$
4. $t5 = t2 + t4$
5. $a = t5$

#	Statement
0	14
1	15
2	16
3	17
4	18
5	19

#	Op	Arg. 1	Arg. 2
14	Unary (-)	c	
15	*	14	b
16	Unary (-)	c	
17	*	16	b
18	+	15	17
19	Assignment op. =	a	18

Questions

1. $a + a * (b - c) + (b - c) * d$

2. $(x + y) * (y + z) + (x + y + z)$

References

- <https://youtube.com/playlist?list=PL-JvKqQx2Ate5DWhppx-MUOtGNA4S3spT>
- <https://www.gatevidyalay.com/implementation-of-three-address-code/>
- NPTEL video:
<https://youtube.com/playlist?list=PLbMVogVj5nJTmKzaSICpGgi7qxgcRRs8h>