## Midterm Solutions

1.  $O(\log n) < O(n) < O(n^2) < O(10^n) < O(n!) < O(n^n)$ 

2.

```
To merge sorted lists A=a_1,\ldots,a_n and B=b_1,\ldots,b_n:

Maintain a Current pointer into each list, initialized to point to the front elements

While both lists are nonempty:

Let a_i and b_j be the elements pointed to by the Current pointer Append the smaller of these two to the output list

Advance the Current pointer in the list from which the smaller element was selected

EndWhile

Once one list is empty, append the remainder of the other list to the output
```

3a. Yes.

3b. Yes

4.

```
def climbStairs(cost):
    #We'll treat the "top floor" as a step to reach
    nSteps = len(cost) + 1
    minimum_cost = [0]*nSteps

# Start iteration from step 2, since minimum cost of reaching
    # step 0 and step 1 is 0
    for i in range(2, nSteps):
        take_one_step = minimum_cost[i-1] + cost[i-1]
        take_two_steps = minimum_cost[i-2] + cost[i-2]
        minimum_cost[i] = min(take_one_step, take_two_steps)

return minimum_cost[nSteps-1];
```

- 5. False. False. True. True. False
- 6. Same as Homework 1, question 8.

7.

```
\label{eq:def_minCost} $$ \mbox{def minCost(costs):} $$ M[0][0] = \mbox{costs}[0][0]; & \mbox{#red} $$ M[0][1] = \mbox{costs}[0][1]; & \mbox{#green} $$ M[0][2] = \mbox{costs}[0][2]; & \mbox{#blue} $$ for i in range(1, n): $$ M[i][0] = \mbox{costs}[i][0] + \mbox{min}(M[i-1][1], M[i-1][2]) $$ M[i][1] = \mbox{costs}[i][1] + \mbox{min}(M[i-1][0], M[i-1][2]) $$ return min(M[n-1]) $$ $$ return min(M[n-1]) $$
```