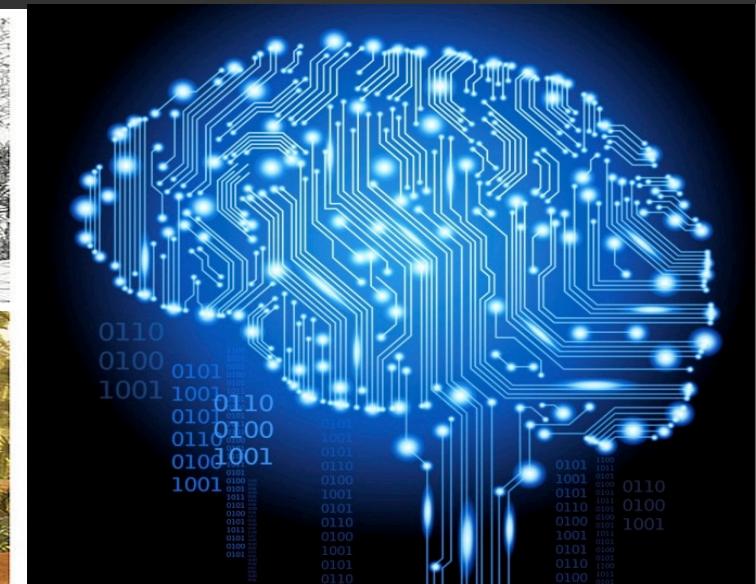
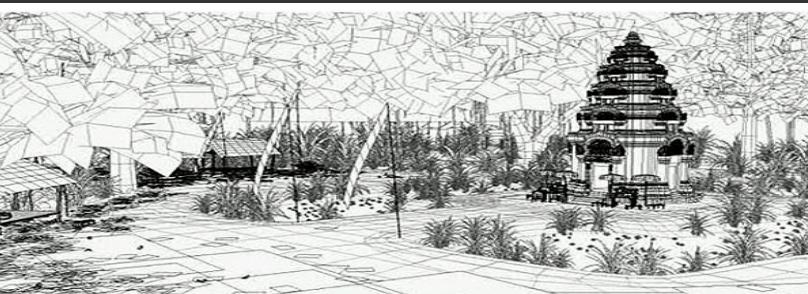


# FIT1008/2085

## MIPS – Function Return

Prepared by:  
Maria Garcia de la Banda  
Revised by D. Albrecht, J. Garcia



# Where are we up to?

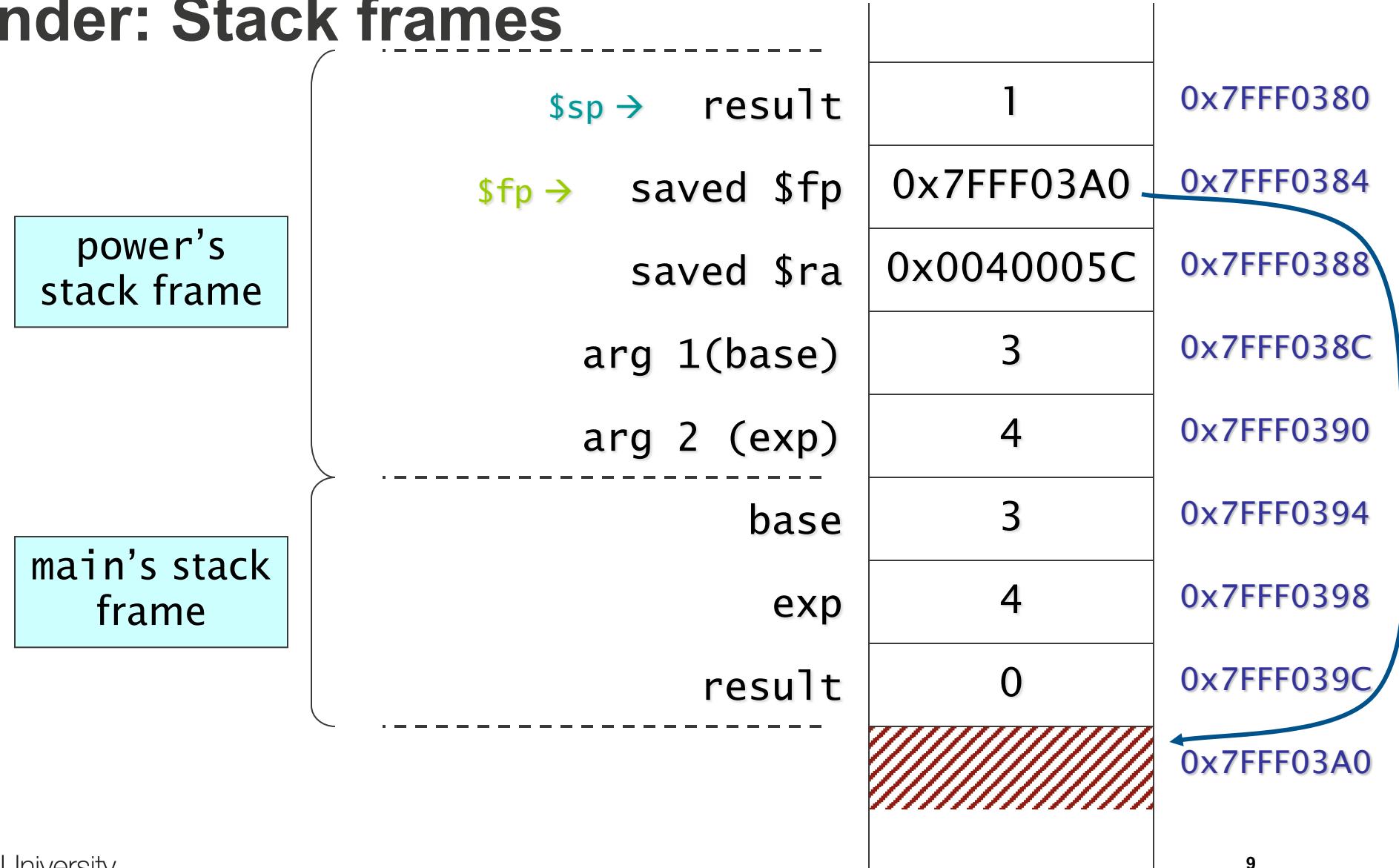
- Discussed **MIPS architecture** and main design decisions
- Gone through the **instruction set** that we will use in this unit
- Practiced translation of decisions
- Discussed how to create and access **arrays of integers**
- Discussed how **variables** are stored and accessed
- Properties of functions and how they affect their implementation in MIPS
  - Call and return (jal and jr)
  - Cascade calls (save \$ra in stack)
  - Access local variables (save \$fp in stack)
  - Pass parameters (use stack)
- **Calling convention** (who does what, why and how it is done in MIPS)
- **Structure of stack (stack frames)**

# Learning objectives for this lecture

- To understand the steps for function return
- To be able to implement function return in MIPS
- To understand how recursion is implemented in MIPS

# Function Return (callee point of view)

# Reminder: Stack frames



# Reminder: Local variables

result is at  
-4(\$fp)

power's local  
variables are  
accessed as  
main's were,  
with negative  
offsets from  
\$fp

\$sp →	result	1	0x7FFF0380
\$fp →	saved \$fp	0x7FFF03A0	0x7FFF0384
	saved \$ra	0x0040005C	0x7FFF0388
	arg 1(base)	3	0x7FFF038C
	arg 2(exp)	4	0x7FFF0390
	base	3	0x7FFF0394
	exp	4	0x7FFF0398
	result	0	0x7FFF039C
			0x7FFF03A0

# Reminder: Function parameters

b and e are respectively accessible at +8(\$fp) and +12(\$fp)

power's parameters (arguments) are accessible with positive offset from \$fp

\$sp → result  
\$fp → saved \$fp  
          saved \$ra  
          arg 1(base)  
          arg 2 (exp)  
                 base  
                 exp  
                 result

	1	0x7FFF0380
	0x7FFF03A0	0x7FFF0384
	0x0040005C	0x7FFF0388
	3	0x7FFF038C
	4	0x7FFF0390
	3	0x7FFF0394
	4	0x7FFF0398
	0	0x7FFF039C
		0x7FFF03A0

# Example: callee

result is at -4(\$fp)  
base is at 8(\$fp)  
exp is at 12(\$fp)

""" Illustrating also function return. """

```
def power(base:int, exp:int) -> int:  
    """ Computes base to the power of exp. """  
  
    result = 1  
    while exp > 0:  
        result *= base  
        exp -= 1  
  
    return result
```

loop: # Stop if not (exp > 0)  
lw \$t0, 12(\$fp) # load exp  
slt \$t0, \$0, \$t0 # is 0 < exp?  
beq \$t0, 0, end # if not go to end

# result \*= base  
lw \$t0, -4(\$fp) # load result  
lw \$t1, 8(\$fp) # load base  
mult \$t0, \$t1 # base\*result  
mflo \$t0  
sw \$t0, -4(\$fp) # result=base\*result

# exp -= 1  
lw \$t0, 12(\$fp) # load exp  
addi \$t0, \$t0, -1  
sw \$t0, 12(\$fp) # exp = exp-1

# Repeat loop.  
j loop

end: # Now ready to return.  
# Continued in next lecture ...

Last lecture we left  
it at this point

# Function return

- When returning from a function, the stack must be restored to its initial state
- This is achieved by undoing the steps made during calling of function, in reverse order

# Function return convention

## On return from function, caller:

4. Clears function **arguments** by popping allocated space
5. Restores saved **temporary registers** by popping their values off stack
6. Uses the **return value** found in **\$v0**, if necessary

None of this needs to be memorised! It is all in the MIPS reference sheet (Moodle Week 1)

## On function exit, callee:

5. Chooses **return value** by setting register **\$v0**, if necessary
6. Deallocates **local variables** by popping allocated space
7. Restores **\$fp** by popping its saved value off stack
8. Restores **\$ra** by popping its saved value off stack
9. Returns with **jr \$ra**

# Example: callee

\$v0 = 81

callee step 5: put  
return value in  
register \$v0

\$sp →	result	81	0x7FFF0380
\$fp →	saved \$fp	0x7FFF03A0	0x7FFF0384
	saved \$ra	0x0040005C	0x7FFF0388
	arg 1(base)	3	0x7FFF038C
	arg 2 (exp)	0	0x7FFF0390
	base	3	0x7FFF0394
	exp	4	0x7FFF0398
	result	0	0x7FFF039C
		██████████	0x7FFF03A0

# Example: callee

\$sp →	result	81	0x7FFF0380
\$fp →	saved \$fp	0x7FFF03A0	0x7FFF0384
	saved \$ra	0x0040005C	0x7FFF0388
	arg 1(base)	3	0x7FFF038C
	arg 2 (exp)	0	0x7FFF0390
	base	3	0x7FFF0394
	exp	4	0x7FFF0398
	result	0	0x7FFF039C
		██████████	0x7FFF03A0

callee step 6:  
deallocate local  
variables by  
popping allocated  
space off stack

one local variable  
to delete

# Example: callee

result is now “gone”		
\$fp = \$sp → saved \$fp	0x7FFF03A0	0x7FFF0380
	saved \$ra	0x7FFF0384
	arg 1(base)	0x7FFF0388
callee step 6: deallocate local variables by popping allocated space off stack	3	0x7FFF038C
	arg 2 (exp)	0x7FFF0390
	base	0x7FFF0394
one local variable to delete	3	0x7FFF0398
	exp	0x7FFF039C
	result	0x7FFF03A0

# Example: callee

\$fp = \$sp → → saved \$fp

saved \$ra

arg 1(base)

arg 2 (exp)

base

exp

result

callee steps 7 and  
8: restore saved  
values of \$fp and  
\$ra by popping off  
stack

can do both these  
steps together

		0x7FFF0380
	0x7FFF03A0	0x7FFF0384
	0x0040005C	0x7FFF0388
	3	0x7FFF038C
	0	0x7FFF0390
	3	0x7FFF0394
	4	0x7FFF0398
	0	0x7FFF039C
		0x7FFF03A0

# Example: callee

\$fp = 0x7FFF03A0

\$ra = 0x0040005C

\$sp → saved \$fp

saved \$ra

arg 1(base)

arg 2 (exp)

base

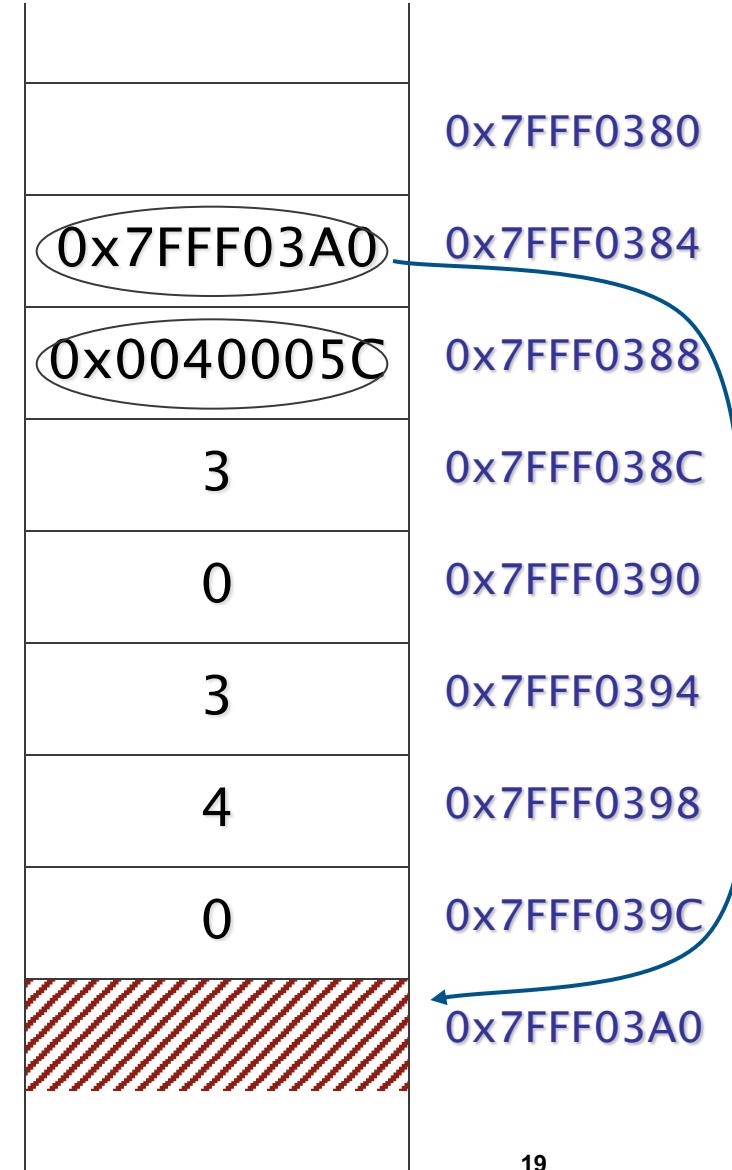
exp

result

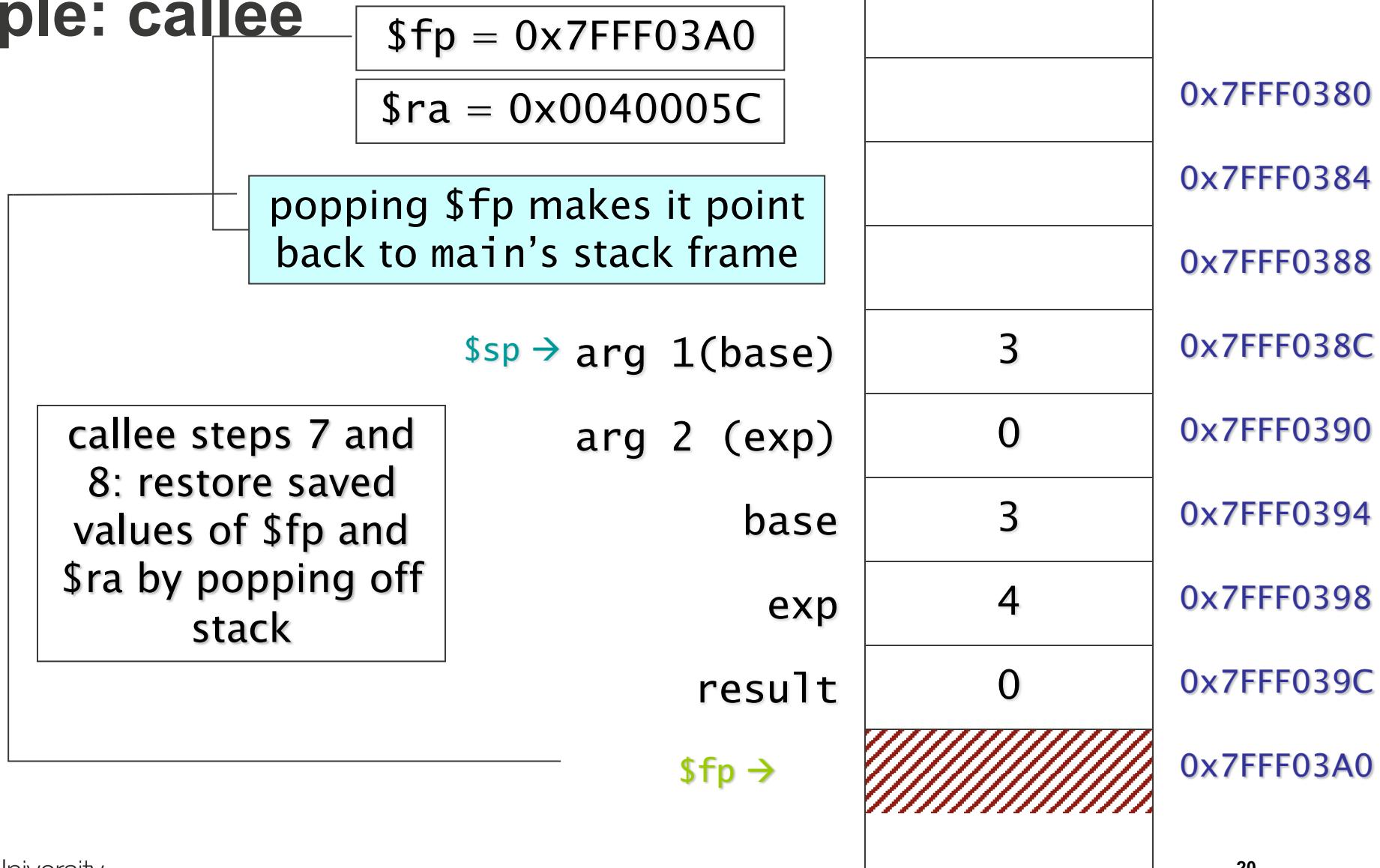
\$fp →

callee steps 7 and  
8: restore saved  
values of \$fp and  
\$ra by popping off  
stack

can do both these  
steps together



## Example: callee



# Example: callee

callee step 9:  
return by  
executing jr \$ra

nothing visible on  
stack

\$sp → arg 1(base)

arg 2 (exp)

base

exp

result

\$fp →

	0x7FFF0380
	0x7FFF0384
	0x7FFF0388
3	0x7FFF038C
0	0x7FFF0390
3	0x7FFF0394
4	0x7FFF0398
0	0x7FFF039C
	0x7FFF03A0

# Example: callee

result is at -4(\$fp)  
base is at 8(\$fp)  
exp is at 12(\$fp)

""" Illustrating also function return. """

```
def power(base:int, exp:int) -> int:  
    """ Computes base to the power of exp. """  
    result = 1  
    while exp > 0:  
        result *= base  
        exp -= 1  
    return result
```

# ... Continued

# Return result in \$v0  
lw \$v0, -4(\$fp) # \$v0=result

# Remove local var.  
addi \$sp, \$sp, 4

# Restore \$fp and \$ra  
lw \$fp, 0(\$sp) #restore \$fp  
lw \$ra, 4(\$sp) #restore \$ra  
addi \$sp, \$sp, 8 #deallocate

# Return to caller.  
jr \$ra

# Function Return (caller point of view)

# Example: caller

```
""" Illustrating function call. """
```

```
def power(base, exp):  
    ...  
    return result  
  
def main():  
    base, exp, result = 0, 0, 0  
    read(base)  
    read(exp)  
  
    result = power(base, exp)  
  
    print(result)
```

now back in caller, about to  
assign return value of  
function to main's local  
variable `result`

# Example: caller

caller step 4: clear  
function  
arguments by  
popping them off  
stack

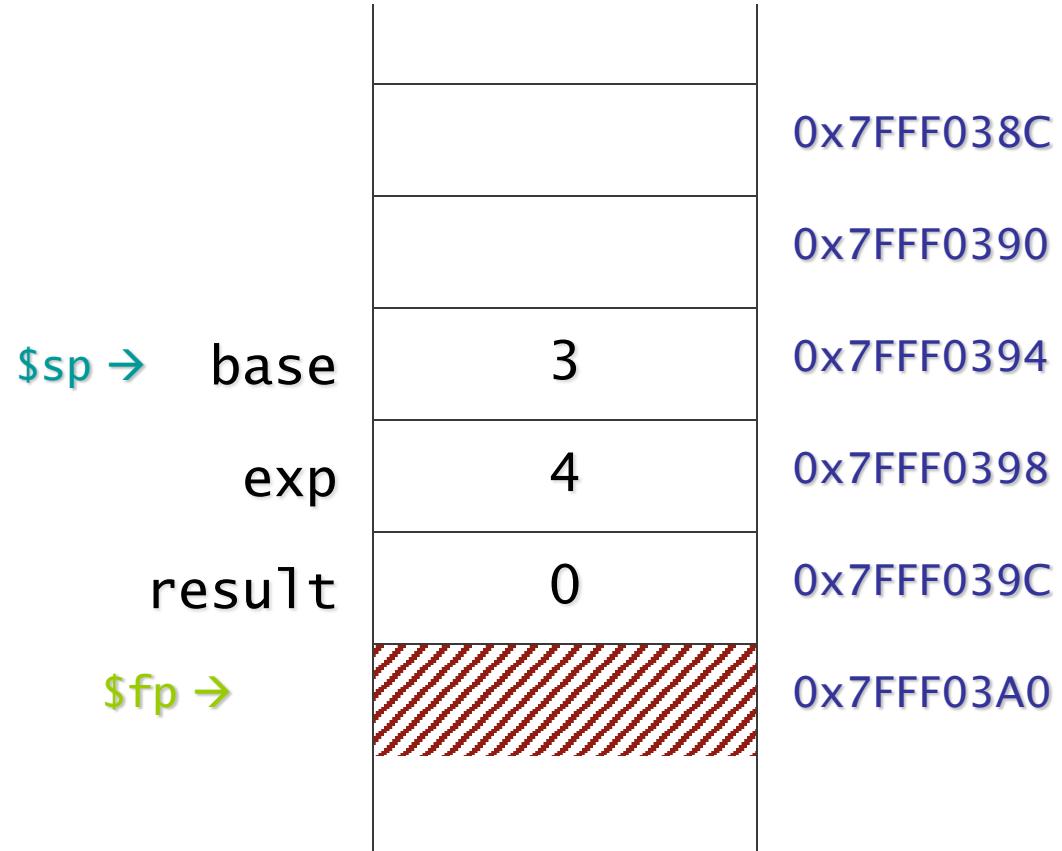
base and exp are  
no longer needed,  
deallocate them

\$sp → arg 1(base)	3	0x7FFF038C
arg 2 (exp)	0	0x7FFF0390
base	3	0x7FFF0394
exp	4	0x7FFF0398
result	0	0x7FFF039C
\$fp →		0x7FFF03A0

# Example: caller

caller step 4: clear  
function  
arguments by  
popping them off  
stack

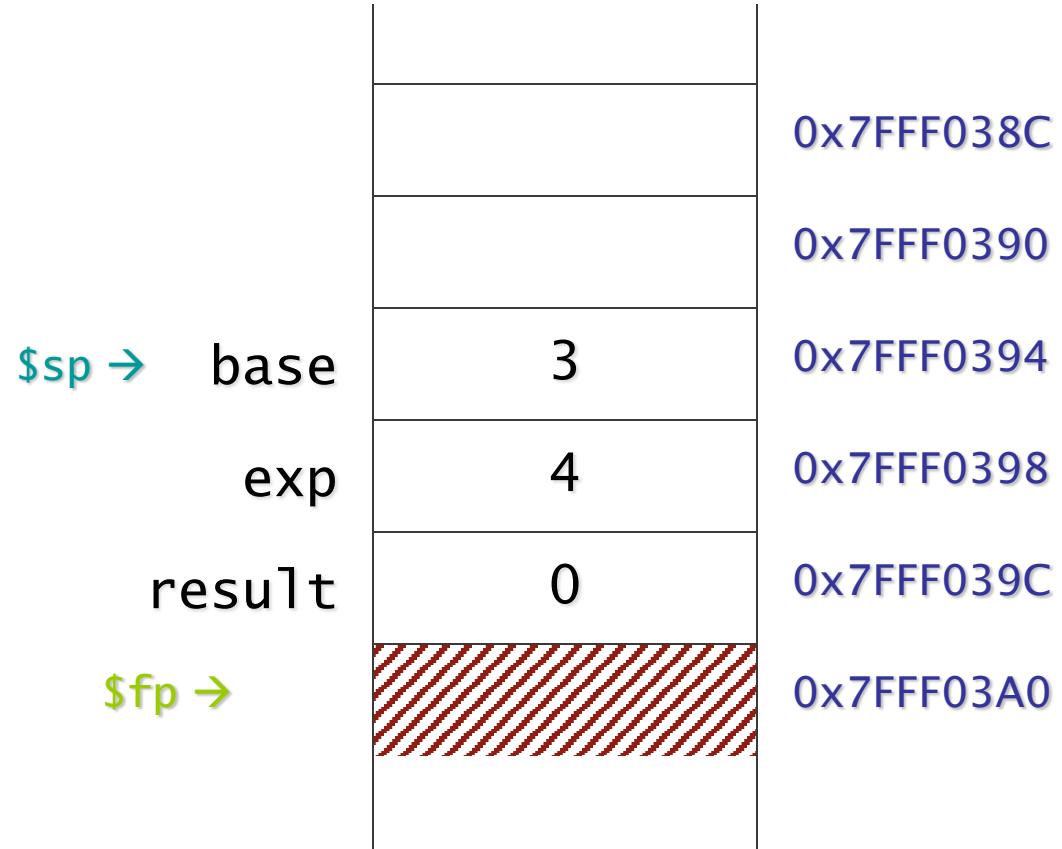
base and exp are  
no longer needed,  
deallocate them



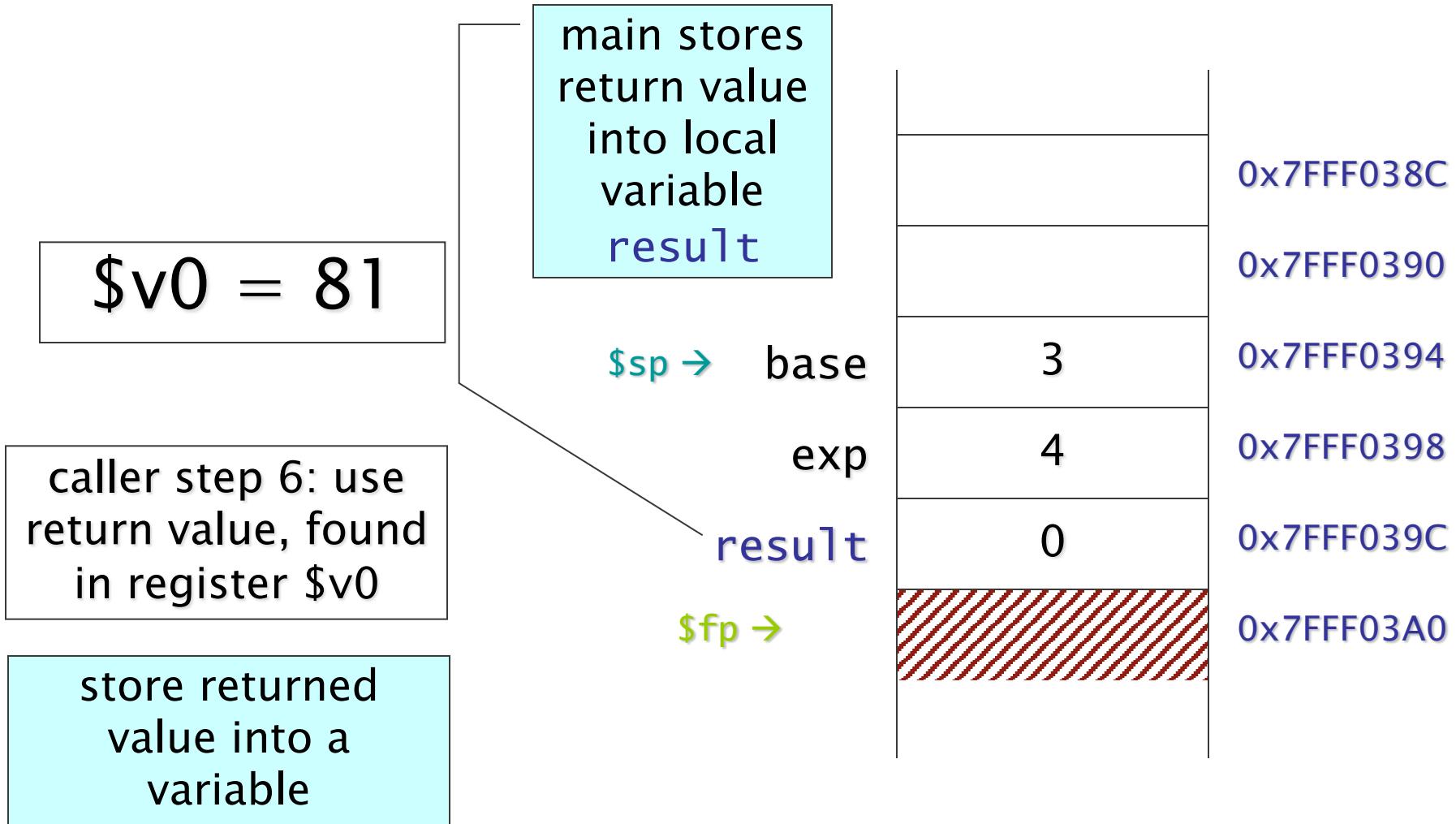
# Example: caller

caller step 5:  
restore saved  
temporary  
registers by  
popping their  
values off stack

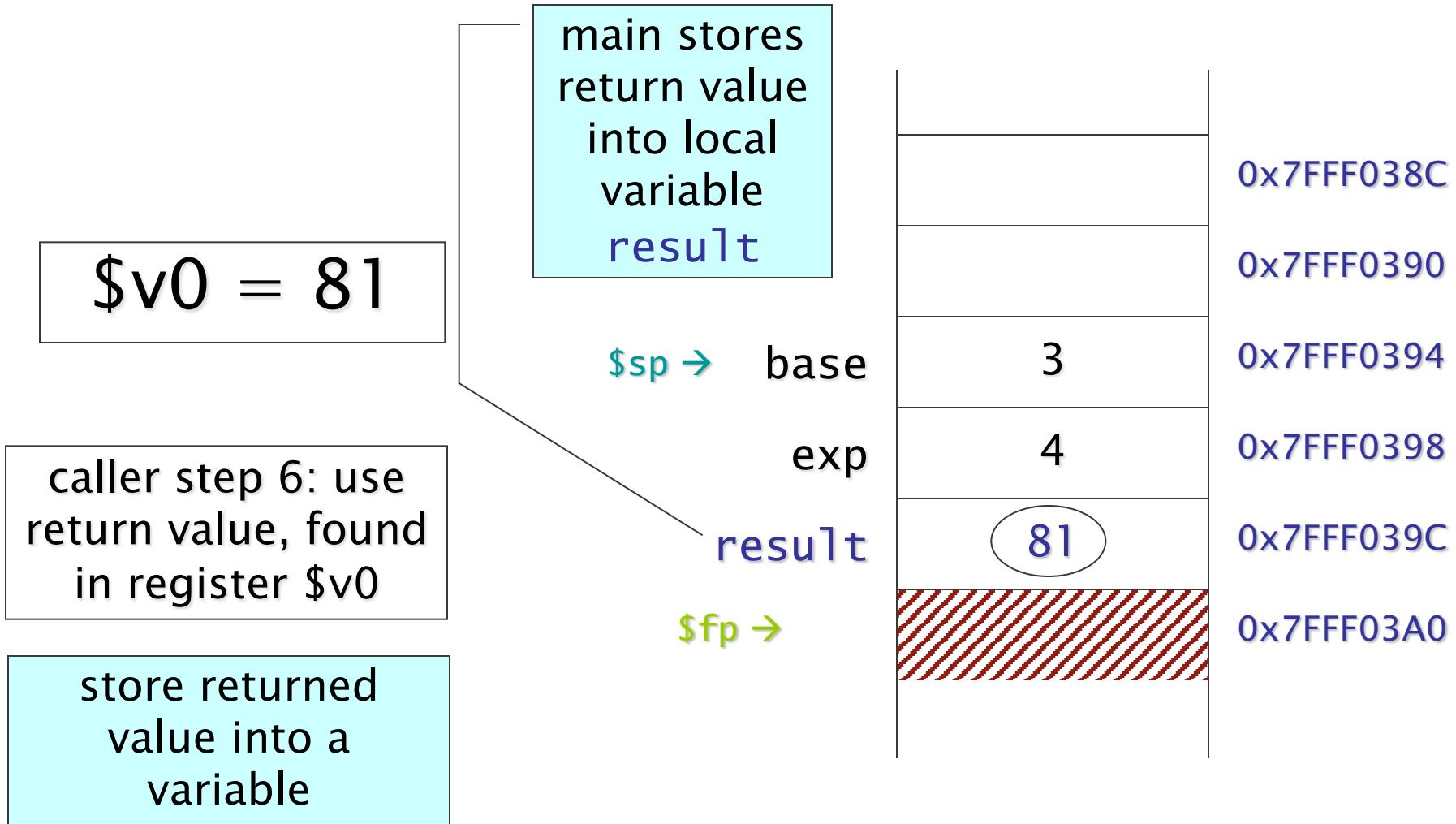
we didn't save any,  
so nothing to do  
here



# Example: caller



# Example: caller



# Example: caller

Done!

after the end of the function call the stack has been returned to its original state

\$sp →	base	3	0x7FFF0394
	exp	4	0x7FFF0398
	result	81	0x7FFF039C
\$fp →			0x7FFF03A0

# Example: caller

""" Illustrating function call. """

```
def power(base, exp):  
    ...  
    return result
```

```
def main():  
    base, exp, result = 0, 0, 0  
    read(base)  
    read(exp)
```

```
    result = power(base, exp)
```

```
    print(result)
```

base is at -12(\$fp)  
exp is at -8(\$fp)  
result is at -4(\$fp)

```
# ... main function, continued  
# Last lecture, we  
# finished with this ...  
# jal power
```

```
# Remove arguments, they  
# are no longer needed.  
# 2 * 4 = 8 bytes.  
addi $sp, $sp, 8
```

```
# Store return value  
# result = power(base,exp)  
sw $v0, -4($fp)
```

```
# Print result  
addi $v0, $0, 1  
lw $a0, -4($fp)  
syscall
```

Remove locals is not  
necessary for main

```
# remove locals, then exit  
addi $sp, $sp, 12  
addi $v0, $0, 10  
syscall
```

# Function calling convention: a certain symmetry

In summary, **caller**:

- 1. **saves** temporary registers by pushing their values on stack
- 2. **pushes** arguments on stack
- 3. calls the function with **jal** instruction
  - (function runs until it returns, then:)
- 4. clears function arguments by **popping** allocated space
- 5. **restores** saved temporary registers by popping their values off the stack
- 6. uses the return value found in **\$v0**

# Function calling convention: a certain symmetry

## In summary, callee:

1. saves **\$ra** by pushing its value on stack
2. saves **\$fp** by pushing its value on stack
3. copies **\$sp** to **\$fp**
4. allocates local variables
  - (body of function goes here, then:)
5. chooses return value by setting register **\$v0**
6. deallocates local variables by popping allocated space
7. restores **\$fp** by popping its saved value
8. restores **\$ra** by popping its saved value
9. returns with **jr \$ra**

None of this needs to be memorised! It is all in the MIPS reference sheet (Moodle Week 1)

# Making functions visible from the outside

- MIPS has the assembler directive:

```
.globl label
```

- Makes label global, so it can be referenced (called) from other MIPS files
- Tasks 3 and 4 of interview prac1: you must declare all functions as .globl

- Including main! (so we can test it)

- For this to work, the compiler has to “link” the assembled files into a single executable

- In MARS, you will need to do as the prac sheet says:

- Declare functions as global using .globl in the .data part
  - In Settings, tick the flag for “Assemble all files in directory”
  - Create one folder called Task3 and another Task4
  - Add to each folder the .asm file for the task
  - Add the test harness for each task
  - Assemble and run as usual

# Recursion and the Function Call/Return Convention

# Recursion

- **Recursive functions call themselves at some point**
  - Solving a simpler/smaller version of the same problem
- **Function calling convention works exactly the same for recursive functions**
  - Don't need to do anything special!!
- **Each invocation of the function has its own stack frame**
  - Local variables and parameters
    - With their current values
  - Return address
    - Where to return to

```
def factorial(p:int) -> int:  
    """Computes the factorial of p."""  
    result = 0  
    if p <= 1 : # Base case  
        result = 1  
    else:         # Recursive case  
        result =  
            factorial(p - 1) * p  
    return result
```

Parameter: variable in the definition (p above)  
Argument: the value p has when factorial is called  
Often treated as synonyms (we will do this too)

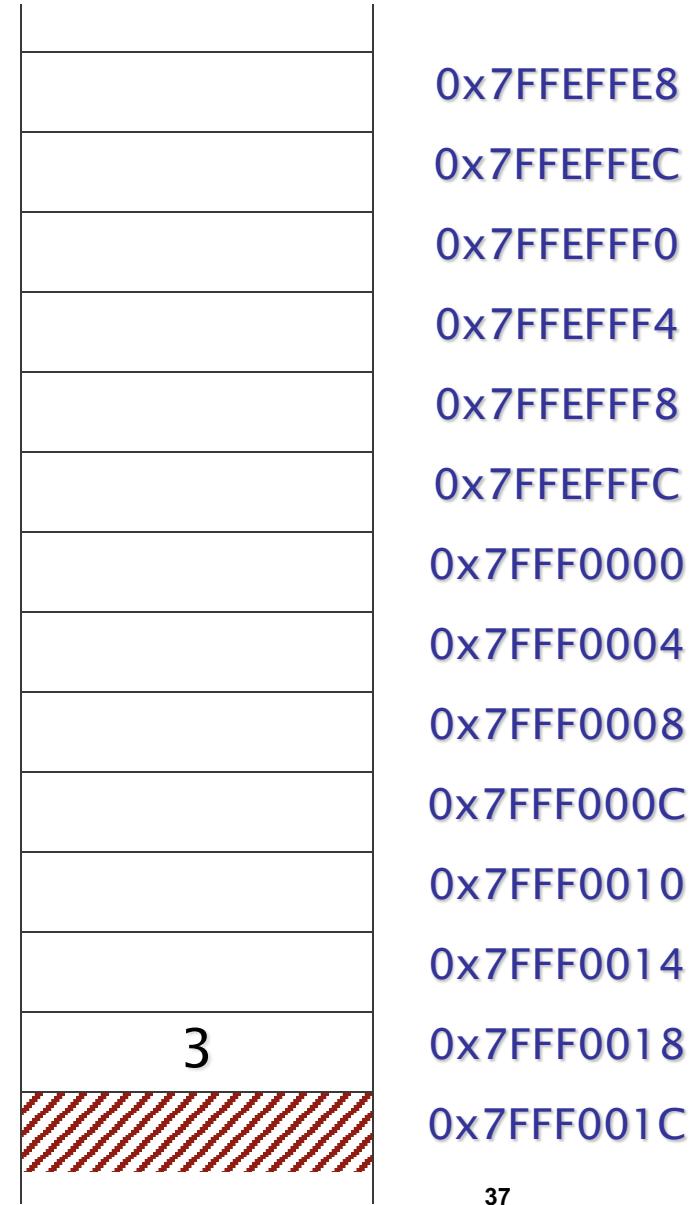
# Recursion example

"""\ illustrating recursion. """

```
def factorial(p:int) -> int:  
    ...  
    return result  
  
def main():  
    n = 0  
  
    read(n)  
  
    print(factorial(n))
```

Assume you  
read 3 into n

\$sp → n  
\$fp →



# Recursion example

"""\ Illustrating recursion. """

```
def factorial(p:int) -> int:  
    ...  
    return result  
  
def main():  
    n = 0  
  
    read(n)  
  
    print(factorial(n))
```

Assume you  
read 3 into n

From the point of view  
of main, the argument  
is at 0(\$sp)

\$sp → arg 1 (p)  
n  
\$fp →



# Recursion example: caller

"""\ illustrating recursion. """

```
def factorial(p:int) -> int:  
    ...  
    return result
```

```
def main():
```

```
    n = 0
```

```
    read(n)
```

```
    print(factorial(n))
```

n is at -4(\$fp)

```
.text  
main: # copy $sp to $fp, space locals  
       addi $fp, $sp, 0      # copy  
       addi $sp, $sp, -4     # one local  
# n = 0  
       sw $0, -4($fp)  
  
# read(n)  
       addi $v0, $0, 5  
       syscall  
       sw $v0, -4($fp)  
  
# call and print factorial  
# 1 * 4 = 4 bytes arg.  
       addi $sp, $sp, -4  
       lw $t0, -4($fp)      # load n  
       sw $t0, 0($sp)        # arg 1 = n  
       jal factorial         # call  
# Clear argument.  
       addi $sp, $sp, 4  
# Print factorial(n)  
       addi $a0, $v0, 0      # factorial(n)  
       addi $v0, $0, 1  
       syscall  
  
# remove locals, then exit  
       addi $sp, $sp, 4  
       addi $v0, $0, 10  
       syscall
```



## Recursion example: callee

```
def factorial(p:int) -> int:  
    """Recursively computes p! """  
    result = 0  
    if p <= 1 :  
        # Base case  
        result = 1  
    else:  
        # Recursive case  
        result = factorial(p - 1) * p  
    return result
```

# Recursion example: callee

```
def factorial(p:int) -> int:  
    """Recursively computes p!"""  
  
    result = 0  
  
    if p <= 1 :  
        # Base case  
        result = 1  
  
    else:  
        # Recursive case  
        result = factorial(p - 1) * p    $sp → result  
    return result                      $fp → saved $fp  
                                         saved $ra
```

p is at 8(\$fp)

result is at -4(\$fp)

	0x7FFEFE8
	0x7FFEFFEC
	0x7FFEFFF0
	0x7FFEFFF4
	0x7FFEFFF8
	0x7FFEFFFC
	0x7FFF0000
	0x7FFF0004
0	0x7FFF0008
0x7FFF001C	0x7FFF000C
0x00400048	0x7FFF0010
3	0x7FFF0014
3	0x7FFF0018
	0x7FFF001C

# Recursion example: callee

```
def factorial(p:int) -> int:  
    """Recursively computes p!"""  
    result = 0  
    if p <= 1 :  
        # Base case  
        result = 1  
    else:  
        # Recursive case  
        result = factorial(p - 1) * p  
    return result
```

p is at 8(\$fp)  
result is at -4(\$fp)

factorial: # Function entry

```
addi $sp, $sp, -8 # alloc space  
sw $ra, 4($sp) # save $ra  
sw $fp, 0($sp) # save $fp  
addi $fp, $sp, 0 # copy $sp $fp  
addi $sp, $sp, -4 # space locals
```

# result = 0  
sw \$0, -4(\$fp)

# if p <= 1 ...  
lw \$t0, 8(\$fp) # load p  
addi \$t1, \$0, 1 #  
slt \$t0, \$t1, \$t0 # is 1 < p?  
bne \$t0, \$0, else # if yes, go

# result = 1  
addi \$t0, \$0, 1  
sw \$t0, -4(\$fp)

j endif # jump over else

# Recursion example: callee

```
def factorial(p:int) -> int:  
    """Recursively computes p!"""  
    result = 0  
    if p <= 1 :  
        # Base case  
        result = 1  
    else:  
        # Recursive case  
        result = factorial(p - 1) * p  
    return result
```

p is at 8(\$fp)  
result is at -4(\$fp)

```
# ... Continued  
else:  
    # Recursive call.  
    # 1 * 4 = 4 bytes arg  
    addi $sp, $sp, -4 #alloc space  
    # argument 1 = p-1  
    lw $t0, 8($fp) # load p  
    addi $t0, $t0, -1 # p-1  
    sw $t0, 0($sp) # arg 1=p-1  
    # call factorial  
    jal factorial  
    # Deallocate argument  
    addi $sp, $sp, 4
```

```
# Multiply factorial(p-1) by p  
lw $t0, 8($fp) # load p  
mult $v0, $t0  
mflo $t0
```

```
# Store it in result  
sw $t0, -4($fp)
```

# Recursion example: callee

```
def factorial(p:int) -> int:  
    """Recursively computes p!"""  
    result = 0  
    if p <= 1 :  
        # Base case  
        result = 1  
    else:  
        # Recursive case  
        result = factorial(p - 1) * p  
    return result
```

p is at 8(\$fp)  
result is at -4(\$fp)

```
# ... Continued again  
  
endif: # return result  
lw $v0, -4($fp)  
  
# Function return  
# Deallocate local variable  
addi $sp, $sp, 4  
# Restore $fp and $ra  
lw $fp, 0($sp)    # restore $fp  
lw $ra, 4($sp)    # restore $ra  
addi $sp, $sp, 8 # dealloc  
# return  
jr $ra
```

# Recursion

during main, about  
to call  
`factorial(3)`

stack frame of  
main



`$sp → n`  
`$fp →`



# Recursion

passing argument to  
factorial(3), just  
before jal

stack frame of  
main

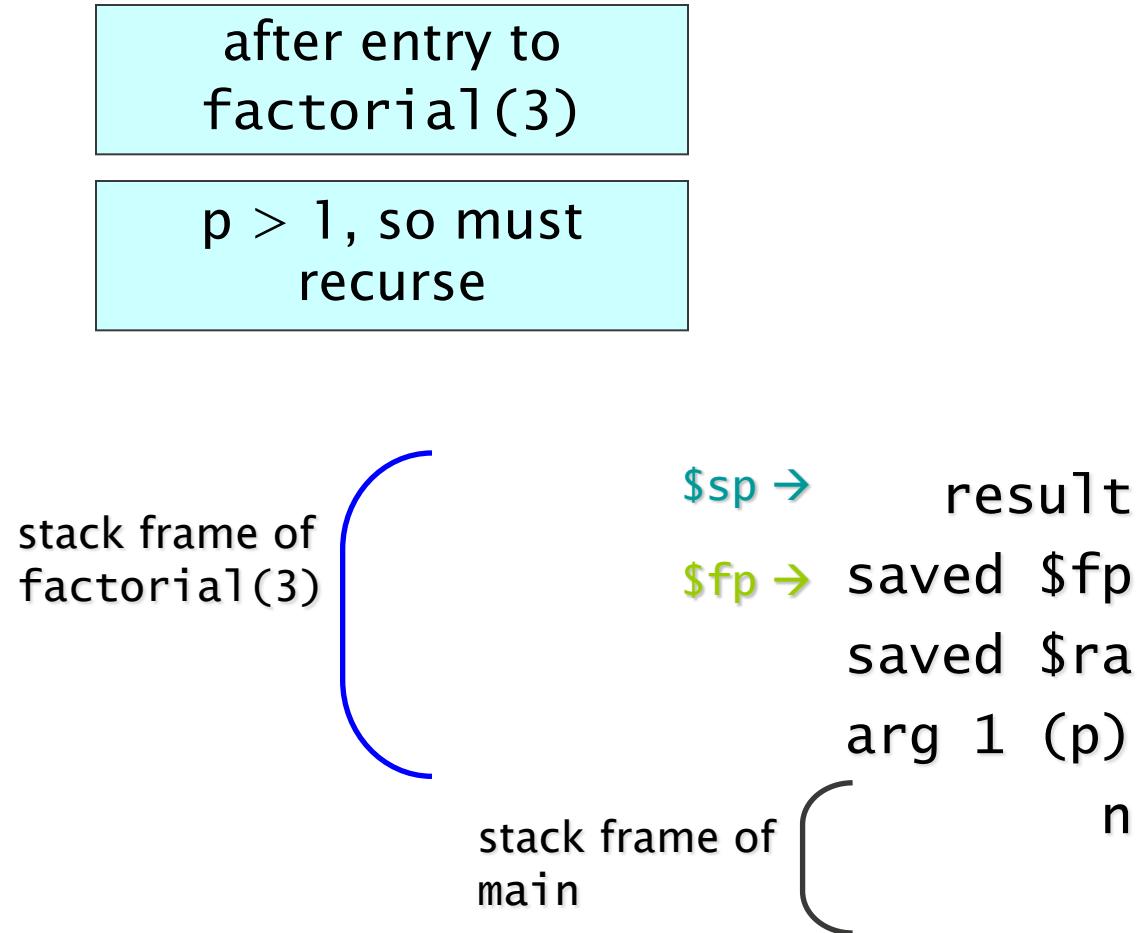
\$sp → arg 1 (p)

n

\$fp →

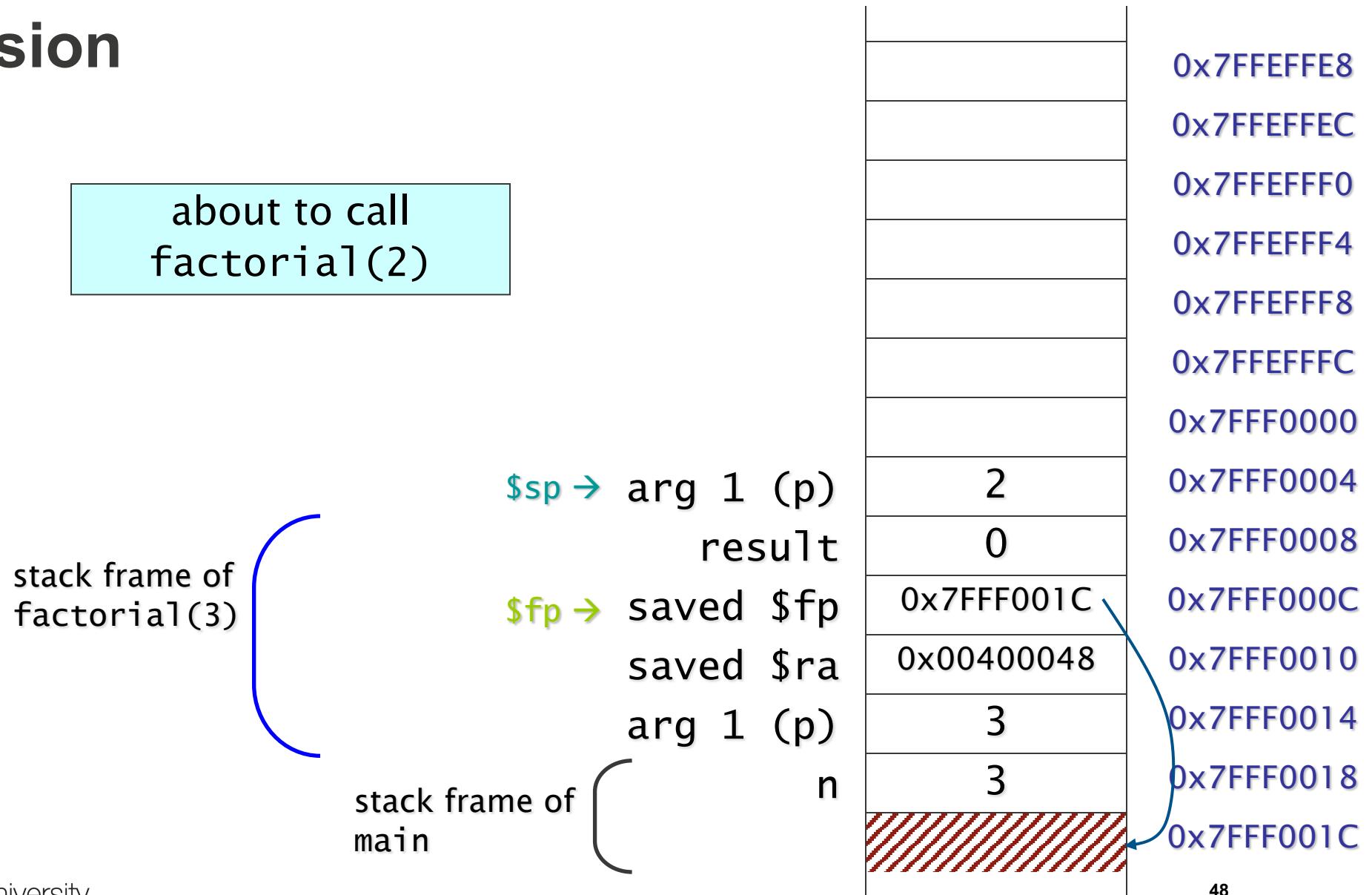


# Recursion

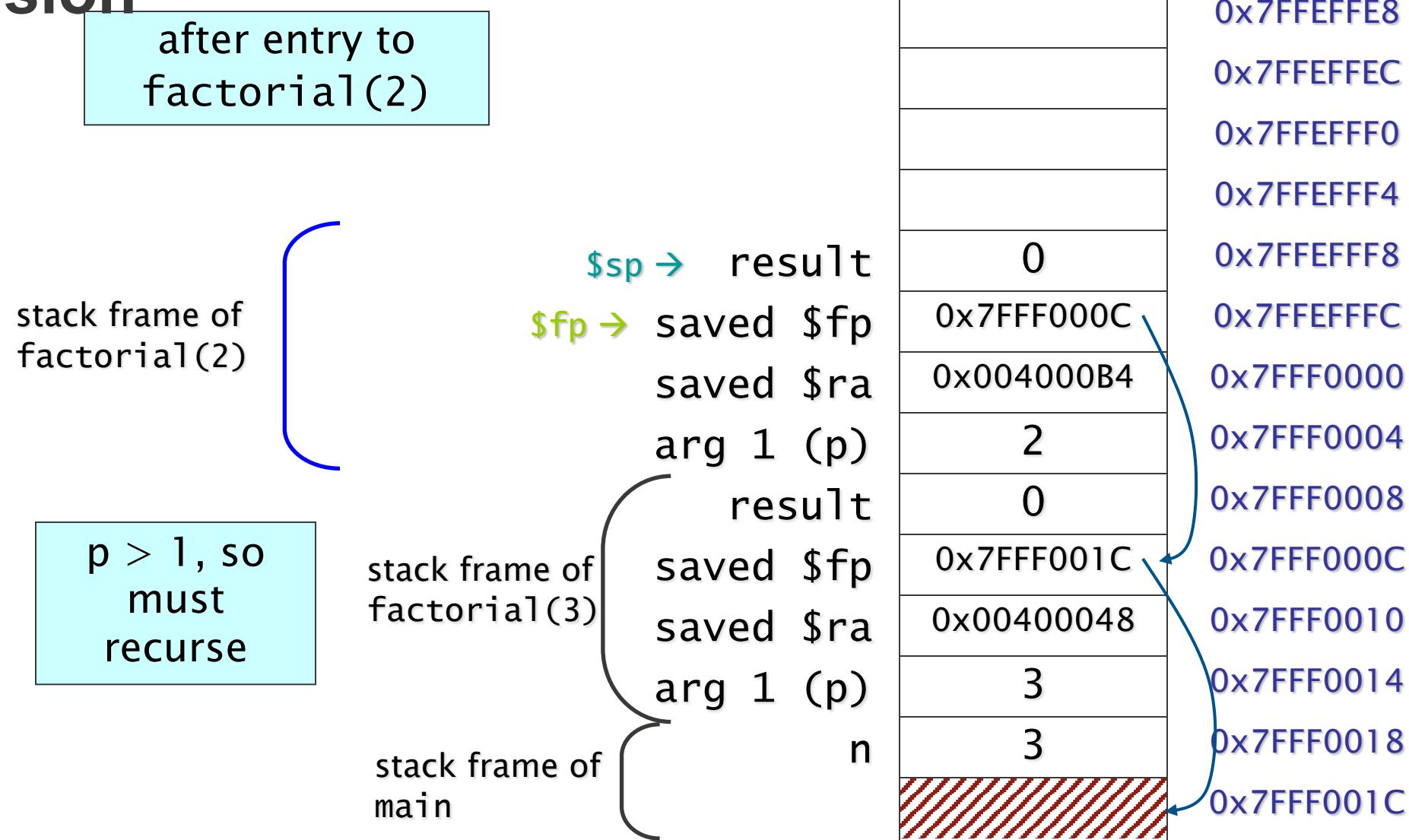


	0x7FFEFE8
	0x7FFEFE8C
	0x7FFEFFF0
	0x7FFEFFF4
	0x7FFEFFF8
	0x7FFEFFF8C
	0x7FFF0000
	0x7FFF0004
0	0x7FFF0008
0x7FF001C	0x7FFF000C
0x00400048	0x7FFF0010
3	0x7FFF0014
3	0x7FFF0018
	0x7FFF001C

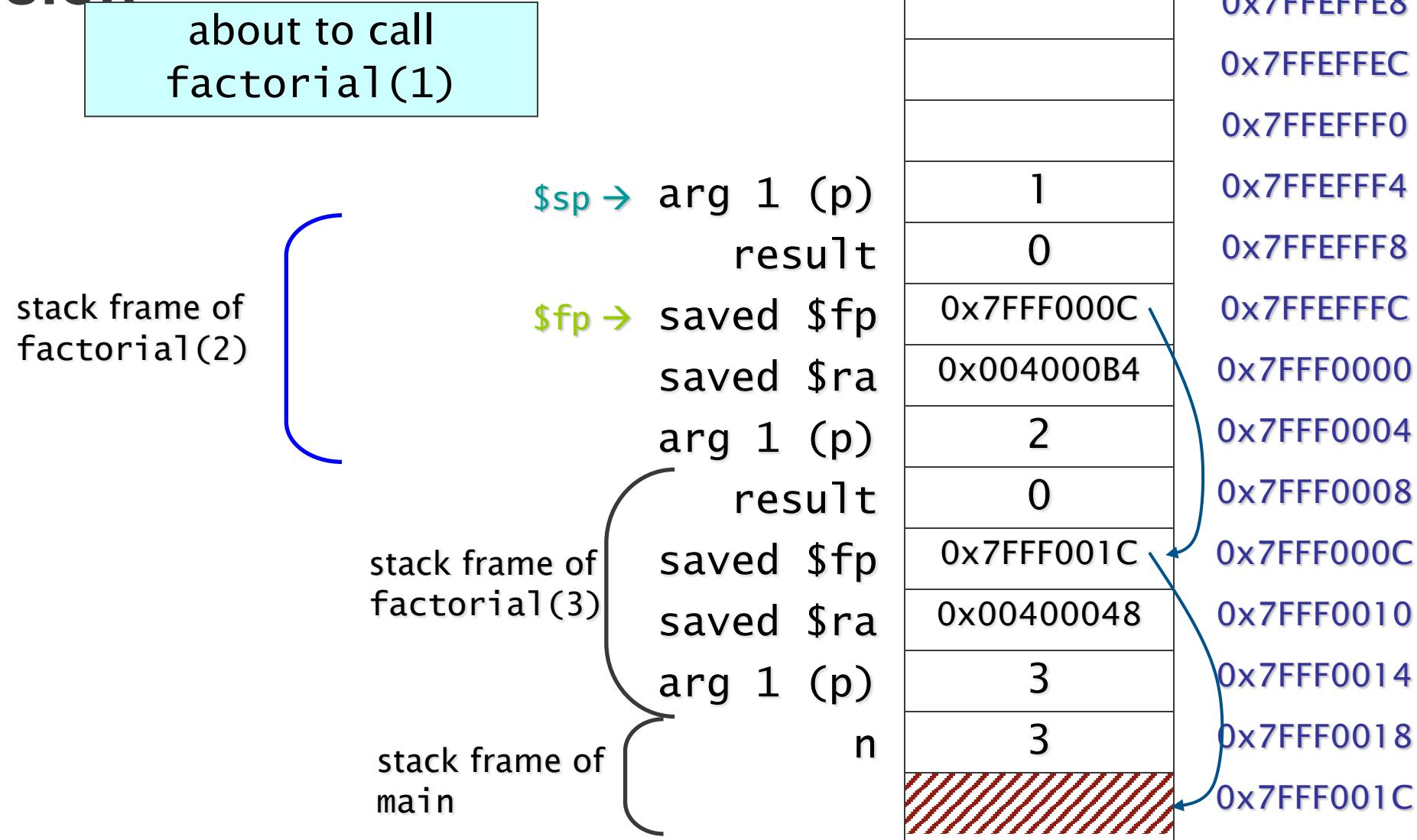
# Recursion



# Recursion



# Recursion



# Recursion

stack frame of  
factorial(1)

after entry to  
factorial(1)

stack frame of  
factorial(2)

stack frame of  
factorial(3)

stack frame of  
main

\$sp → result

\$fp → saved \$fp

saved \$ra

arg 1 (p)

result

saved \$fp

saved \$ra

arg 1 (p)

result

saved \$fp

saved \$ra

arg 1 (p)

n

0	0x7FFEFE8
0x7FFEFFF8	0x7FFEFFF4
0x7FFEFFF0	0x7FFEFFF0
0x7FFEFFF4	0x7FFEFFF8
0x7FFEFFF8	0x7FFEFFF4
0x7FFEFFF0	0x7FFEFFF0
0x7FFF0000	0x7FFF0004
0x7FFF0004	0x7FFF0008
0x7FFF0008	0x7FFF000C
0x7FFF000C	0x7FFF0010
0x7FFF0010	0x7FFF0014
0x7FFF0014	0x7FFF0018
0x7FFF0018	0x7FFF001C
0x7FFF001C	

# Recursion

# stack frame of factorial(1)

after entry to  
factorial(1)

$p \leq 1$ , so  
result = 1

stack frame of  
factorial(2)

stack frame of  
factorial(3)

# stack frame of main

`$sp → result`

`$fp → saved $fp`

saved \$ra

arg 1 (p)

## result

me of | saved \$fp

saved \$ra

arg 1 (n)

## result

6 saved \$6

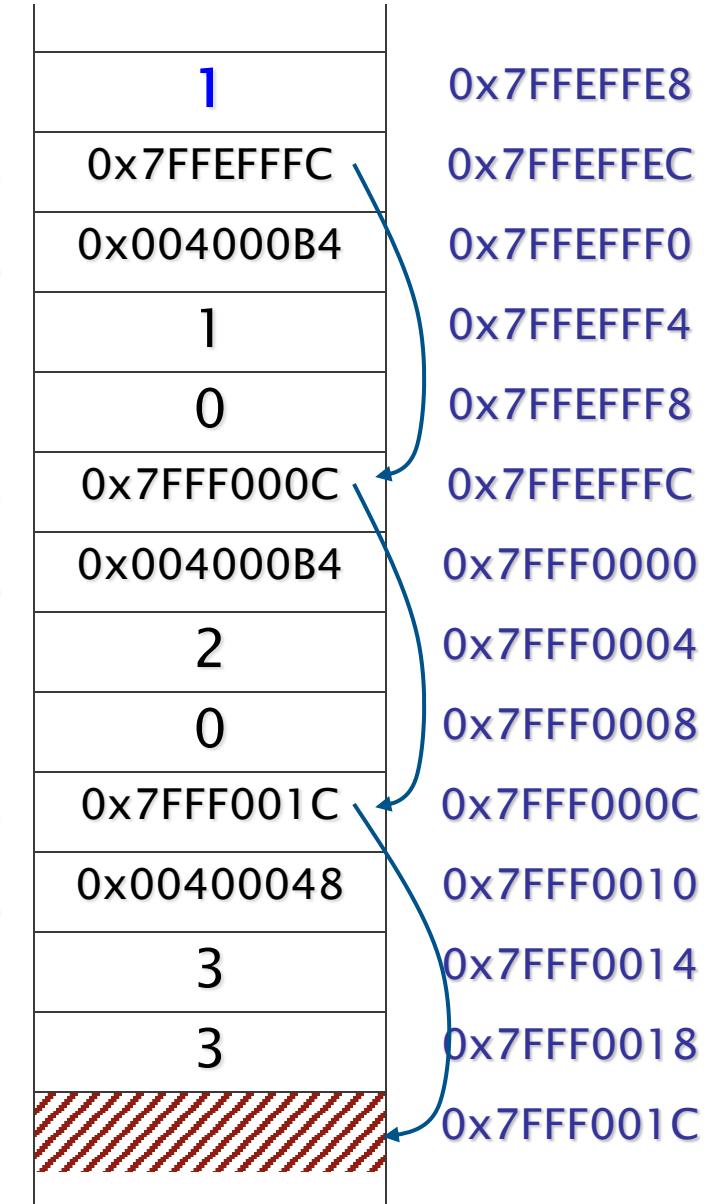
al(3) | \$

**1-1-1**

$\arg \top(p)$

me of

2



# Recursion

\$v0 = 1

# stack frame of factorial(1)

about to return  
from  
factorial(1)

```
return  
result (1)  
in $v0
```

## stack frame of factorial(2)

stack frame of  
factorial(3)

# stack frame of main

`$sp → result`

\$fp → saved \$fp

saved \$ra

arg 1 (p)

## result

saved \$fp  
into

saved \$10  
arg 1 (p)

result

saved \$fp

saved \$ra  
arg 1 (n)

2

1	0x7FFEFE8
0x7FFEFFFFC	0x7FFEFFFEC
0x004000B4	0x7FFEFFFF0
1	0x7FFEFFF4
0	0x7FFEFFF8
0x7FFF000C	0x7FFEFFF0C
0x004000B4	0x7FFF0000
2	0x7FFF0004
0	0x7FFF0008
0x7FFF001C	0x7FFF000C
0x00400048	0x7FFF0010
3	0x7FFF0014
3	0x7FFF0018
	0x7FFF001C

# Recursion

\$v0 = 1

returned back to  
factorial(2)

stack frame of  
factorial(2)

\$sp → result

\$fp → saved \$fp

saved \$ra

arg 1 (p)

result

saved \$fp

saved \$ra

arg 1 (p)

n

stack frame of  
factorial(3)

stack frame of  
main

	0x7FFEFE8
	0x7FFEFFC
	0x7FEFFF0
	0x7FEFFF4
0	0x7FEFFF8
0x7FFF000C	0x7FEFFFC
0x004000B4	0x7FFF0000
2	0x7FFF0004
0	0x7FFF0008
0x7FFF001C	0x7FFF000C
0x00400048	0x7FFF0010
3	0x7FFF0014
3	0x7FFF0018
	0x7FFF001C

# Recursion

\$v0 = 1

returned back to  
factorial(2)

stack frame of  
factorial(2)

result =  
return value  
(1) × p (2)

\$sp → result

\$fp → saved \$fp

saved \$ra

arg 1 (p)

result

saved \$fp

saved \$ra

arg 1 (p)

n

stack frame of  
factorial(3)

stack frame of  
main

	0x7FFEFE8
	0x7FFEFFC
	0x7FEFFF0
	0x7FEFFF4
2	0x7FEFFF8
0x7FFF000C	0x7FEFFFC
0x004000B4	0x7FFF0000
2	0x7FFF0004
0	0x7FFF0008
0x7FFF001C	0x7FFF000C
0x00400048	0x7FFF0010
3	0x7FFF0014
3	0x7FFF0018
0x7FFF001C	0x7FFF001C

# Recursion

\$v0 = 1

about to return  
from  
`factorial(2)`

stack frame of  
`factorial(2)`

`$sp` → result

`$fp` → saved \$fp

saved \$ra

arg 1 (p)

result

saved \$fp

saved \$ra

arg 1 (p)

n

stack frame of  
`factorial(3)`

stack frame of  
`main`

	0x7FFEFE8
	0x7FFEFFC
	0x7FFEFFF0
	0x7FFEFFF4
2	0x7FFEFFF8
0x7FFF000C	0x7FFEFFF0
0x004000B4	0x7FFF0000
2	0x7FFF0004
0	0x7FFF0008
0x7FFF001C	0x7FFF000C
0x00400048	0x7FFF0010
3	0x7FFF0014
3	0x7FFF0018
	0x7FFF001C

# Recursion

\$v0 = 2

about to return  
from  
factorial(2)

stack frame of  
factorial(2)

return  
result (2)  
in \$v0

stack frame of  
factorial(3)

stack frame of  
main

\$sp → result  
\$fp → saved \$fp  
saved \$ra  
arg 1 (p)  
result  
saved \$fp  
saved \$ra  
arg 1 (p)

n

	0x7FFEFE8
	0x7FFEFFEC
	0x7FFEFFF0
	0x7FFEFFF4
2	0x7FFEFFF8
0x7FFF000C	0x7FFEFFF0
0x004000B4	0x7FFF0000
2	0x7FFF0004
0	0x7FFF0008
0x7FFF001C	0x7FFF000C
0x00400048	0x7FFF0010
3	0x7FFF0014
3	0x7FFF0018
	0x7FFF001C

# Recursion

\$v0 = 2

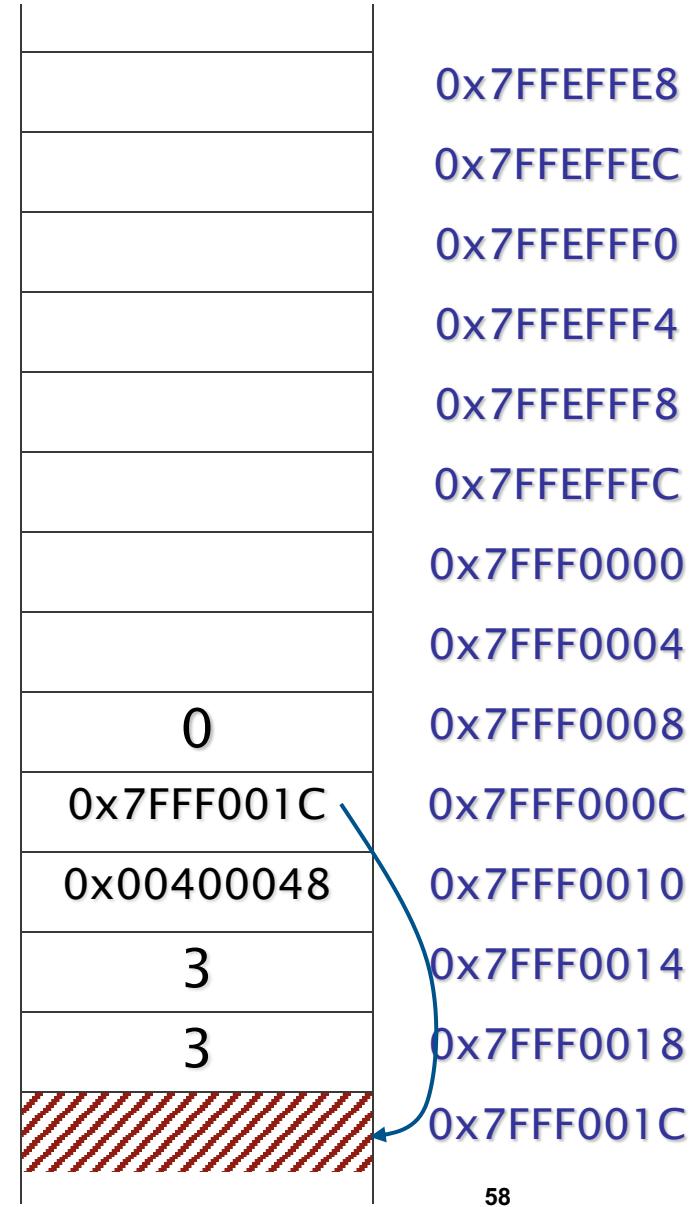
returned back to  
factorial(3)

stack frame of  
factorial(3)

## stack frame of main

\$sp → result  
\$fp → saved \$fp  
              saved \$ra  
arg 1 (p)

n



# Recursion

\$v0 = 2

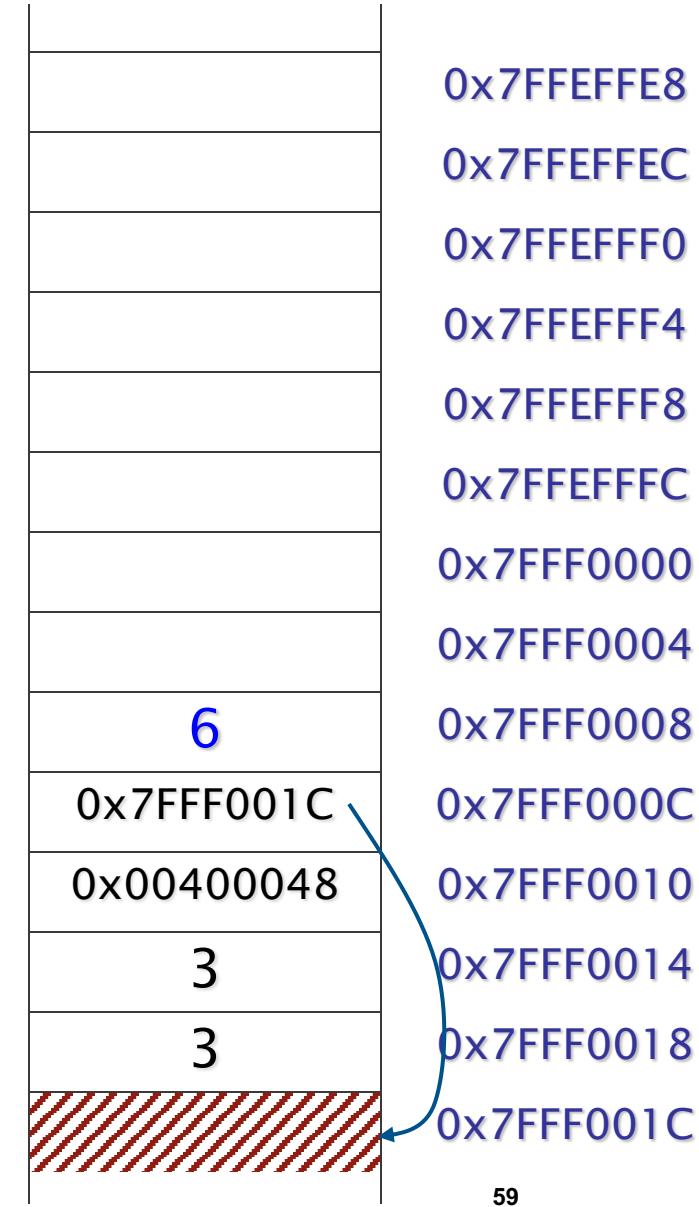
returned back to  
factorial(3)

result =  
return value  
 $(2) \times p(3)$

stack frame of  
factorial(3)

\$sp → result  
\$fp → saved \$fp  
saved \$ra  
arg 1 (p)

stack frame of  
main



# Recursion

\$v0 = 2

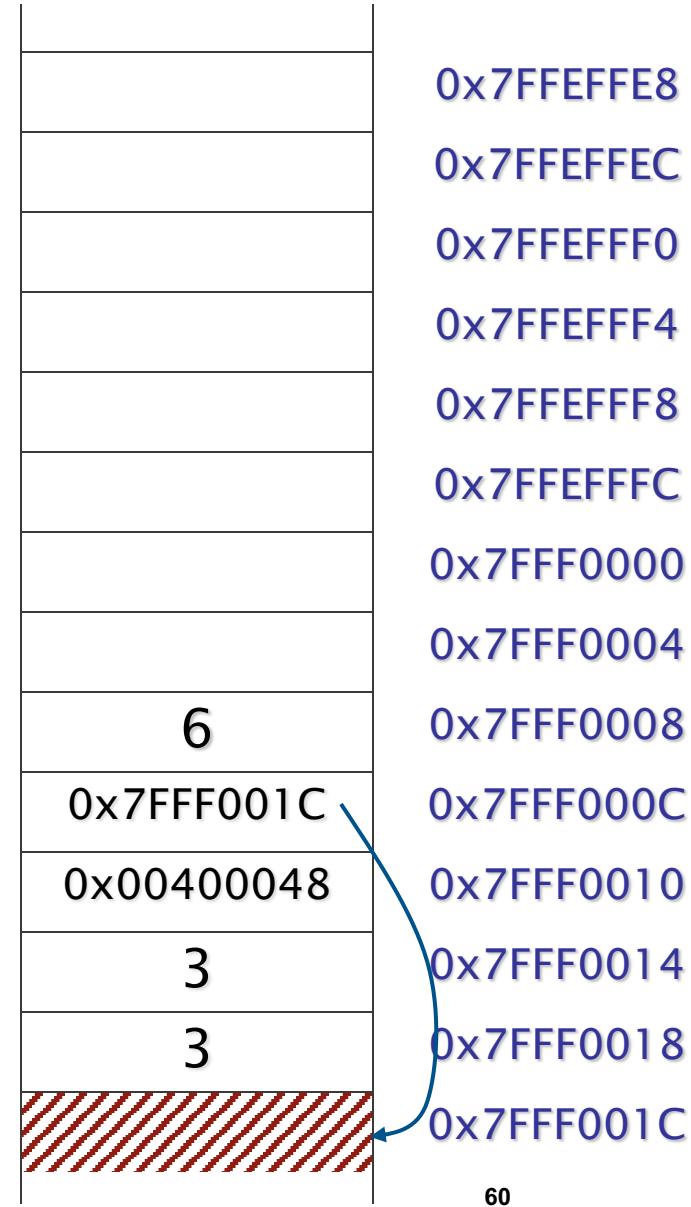
about to return  
from  
factorial(3)

stack frame of  
factorial(3)

## stack frame of main

\$sp → result  
\$fp → saved \$fp  
              saved \$ra  
              arg 1 (p)

n



# Recursion

\$v0 = 6

about to return  
from  
factorial(3)

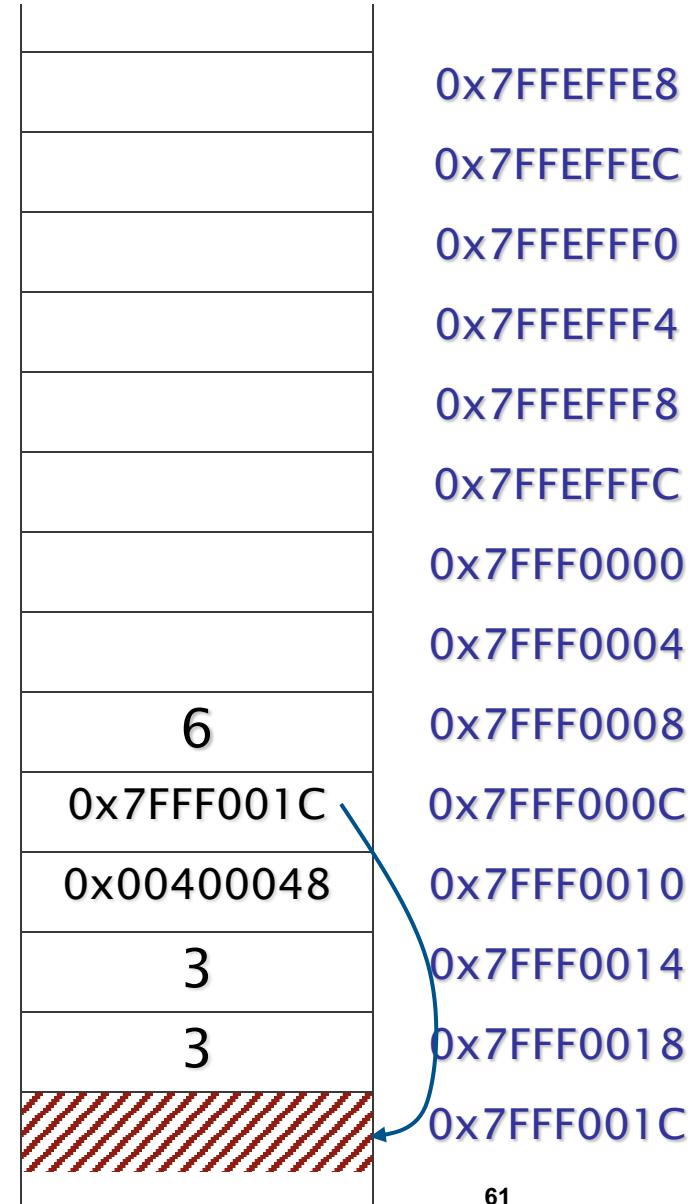
return  
result in  
\$v0

stack frame of  
factorial(3)

\$sp → result  
\$fp → saved \$fp  
saved \$ra  
arg 1 (p)

n

stack frame of  
main



# Recursion

\$v0 = 6

returned back to  
main

print out return  
value in \$v0 (6)

stack frame  
of main



\$sp → n  
\$fp →



# What about non-linear recursion?

```
def fib(n):  
    if n == 0 or n == 1:  
        return n  
  
    else:  
        return (fib(n-1) + fib(n-2))
```

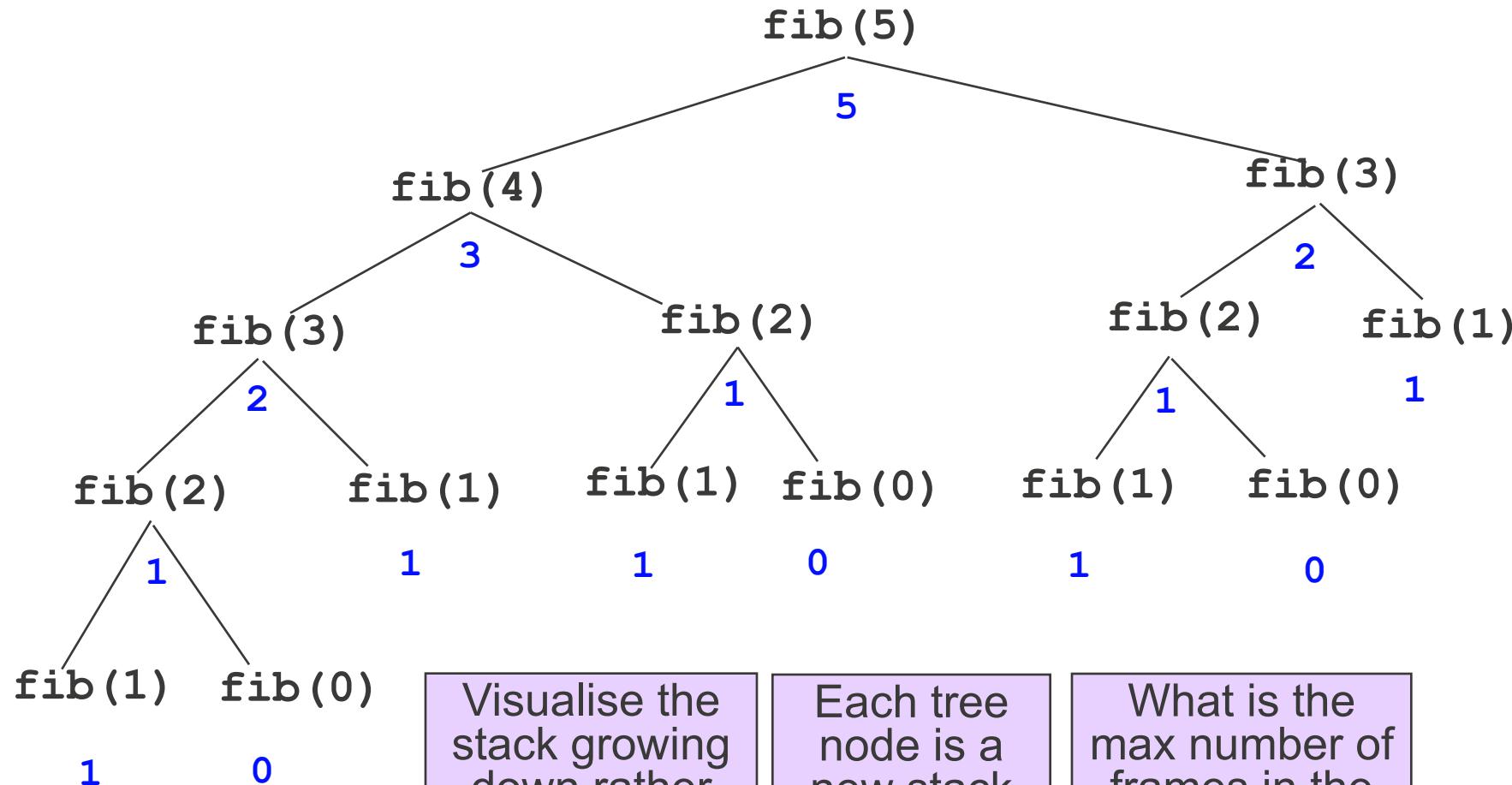
What would the evolution of the system stack look like?

```

def fib(n):
    if n == 0 or n == 1:
        return n
    else:
        return (fib(n-1) + fib(n-2))

```

## fibonacci's execution: call tree



Visualise the stack growing down rather than up

Each tree node is a new stack frame

What is the max number of frames in the stack?

# Summary

- **Returning from functions**

- Caller point of view
  - Calee point of view

- **Recursion**