

$$(01) \theta = \frac{s}{r} \text{ (වාප දුර නම්)}$$

$$(02) \theta = \frac{\text{වට ගණන}}{2\pi} \text{ (වට නම්)}$$

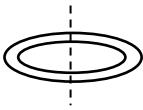
$$(03) \omega = \frac{\theta}{t}$$

$$(04) \alpha = \frac{\omega_2 - \omega_1}{t}$$

වාප දුර හෝ වට ගණන දීලා θ, ω , හා α අහනවානම්

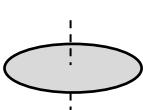
$$(05) I = mr^2$$

:-



$$(06) I = \frac{1}{2}mr^2$$

:-



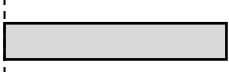
$$(07) I = \frac{1}{12}ml^2$$

:-



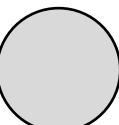
$$(08) I = \frac{1}{3}ml^2$$

:-



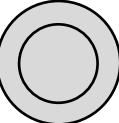
$$(09) I = \frac{3}{5}mr^2$$

:-



$$(10) I = \frac{2}{3}mr^2$$

:-



අවස්ථියේ සූර්ය

$$(11) \tau = I\alpha$$

:- (ව්‍යාවර්ථය)

$$(12) E = \frac{1}{2}I\omega^2$$

:- (නුමණ වාලක ගක්තිය)

ඉහත සමීකරණ (10) න්

$$(13) V = r\omega \quad (\text{උත්තාරණ වලිතය හා නුමණ වලිතයේ සම්බන්ධයක්})$$

α නියතයේ නම්

$$(14) \omega_2 = \omega_1 + \alpha t$$

:- $\left| \begin{array}{l} \theta \text{ නෑ} \\ \omega_2 \text{ නෑ} \end{array} \right|$

θ

$$(15) \theta = \omega_1 t + \frac{1}{2}\alpha t^2$$

:- $\left| \begin{array}{l} \omega_2 \text{ නෑ} \\ t \text{ නෑ} \end{array} \right|$

ω_1

$$(16) \omega_2^2 = \omega_1^2 + 2\alpha\theta$$

:- $\left| \begin{array}{l} \alpha \\ t \end{array} \right|$

ω_2

α

t

නැත්තෙක කුවුද?

$$(17) \quad F = \frac{\text{වට ගණන}}{t} \quad :- \quad (\text{වට ගණන දිලා } F \text{ ඇහුවෙක්)$$

$$(18) \quad F = \frac{\omega}{2\pi} \quad :- \quad (\omega \text{ දිලා } F \text{ ඇහුවෙක්)$$

$$(19) \quad T = \frac{1}{f} \quad :- \quad (T \text{ ඔහුගත් } F \text{ හොයන්න})$$

$$(20) \quad \alpha_R = r\omega^2 \quad \omega B \rightarrow \omega BR$$

$$(21) \quad \alpha_r = r\alpha \quad \alpha s \rightarrow \alpha sr$$

රාජියේ සංකේතය	ඒකකය
t	s
r	m
θ	rad
ω	$rads^{-1}$
α	$rads^{-2}$
I	kgm^{-2}
m	kg
l	m
τ	Nm
E	J
V	ms^{-1}
F	වට(rps/rpm)
T	s