



# Applications of Deep Learning in Biomedicine

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Advanced Deep Learning: Lecture 9

March 06, 2025

# Overview of Today's Lecture

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- 1) Geometric Graph Neural Networks;
- 2) Protein-Ligand Docking;
- Protein-Property Prediction: Case Study of Antibiotic Resistance Classification.

#### Definition: Geometric Graphs

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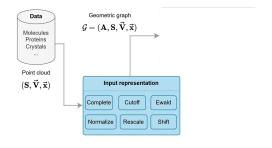
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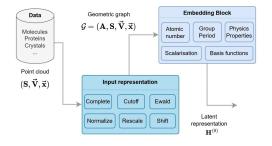
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- translations  $T \in \mathbb{T}$  of the d-dimensional embeddings act on geometric graph as (A, S, V, X + T).

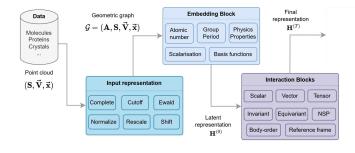
Molecules Proteins Crystals

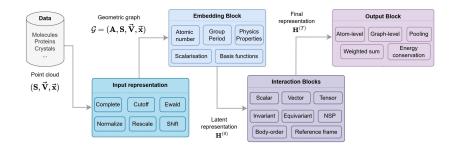
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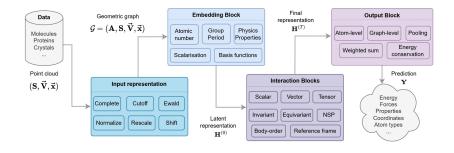
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#### General Idea (Duval et al., 2023)

Invariant GNNs leverage 3D geometric information by **pre-computing informative scalar quantities** between atoms, such as pairwise distances, triplet-wise angles, and quadruplet-wise torsion angles, and using learned latent representations of these quantities during message passing. Since these input scalar quantities are invariant to Euclidean transformations, the intermediate representations and predictions of these models are guaranteed to be invariant.

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Example: the interaction layer of SchNet (Schütt et al., 2018) takes the following form,

$$s_i^{(t+1)} = s_i^{(t)} + \sum_{i \in \mathcal{N}_i} s_j^{(t)} \odot W^{(t)}(\|x_i - x\|),$$

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- GemNet (Gasteiger et al., 2021) presents a further extension by also considering torsion angles of bonds.

## **Background: Proteins and Molecules**

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The optimal representation of protein and molecule data (sequences, point clouds, graphs or something is else) is tasks and context-dependent and still subject to active research.

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Fun Fact: "The key principle of the building block of the network —named Evoformer [...]—is to view the prediction of protein structures as a graph inference problem in 3D space in which the edges of the graph are defined by residues in proximity."

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- there exists variants of this model ranging from 8M to 15B parameters.
- ESMFold is less accurate than Alphafold2.
- the learned ESM2 embeddings are of very high quality and can also be used function or protein property prediction. The learned embeddings are often used as node features in graph-based modelling approaches.

#### ML Task: Protein-Ligand Docking

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Many current state-of-the-art docking models are trained on the task of docking to the holo-structure (Corso et al., 2023).

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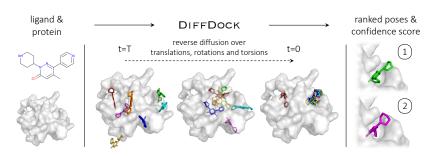
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- edges: radial basis embeddings of edge length (Schütt et al., 2018) and bond type for covalent bonds.

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- 3) We apply Batch Norm to the averaged representations.
- 4) Finally, we sum over node types.

# **Detailed Functioning of DiffDock: Output Layer**

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• The score model's output is in the tangent space  $T_r\mathbb{T}_3 \oplus T_RSO(3) \oplus T_\theta SO(2)^m$ . This corresponds to having two SE(3)-equivariant output vectors representing the translational and rotational score predictions and m SE(3)-invariant output scalars representing the torsional score. For each of these, the DiffDock authors designed final tensor-product convolutions.

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- The confidence model outputs a single SE(3)-invariant scalar representing the confidence score. This is done by averaging ligand atom representations and applying a 3-layer MLP.

#### **DiffDock Results**

	Holo crystal proteins				Apo ESMFold proteins				
	Top-1 RMSD		Top-5 RMSD		Top-1 RMSD		Top-5 RMSD		Average
Method	%<2	Med.	%<2	Med.	%<2	Med.	%<2	Med.	Runtime (s)
GNINA	22.9	7.7	32.9	4.5	2.0	22.3	4.0	14.22	127
SMINA	18.7	7.1	29.3	4.6	3.4	15.4	6.9	10.0	126*
GLIDE	21.8	9.3							1405*
EquiBind	5.5	6.2	-	-	1.7	7.1	-	-	0.04
TANKBIND	20.4	4.0	24.5	3.4	10.4	5.4	14.7	4.3	0.7/2.5
P2Rank+SMINA	20.4	6.9	33.2	4.4	4.6	10.0	10.3	7.0	126*
P2Rank+GNINA	28.8	5.5	38.3	3.4	8.6	11.2	12.8	7.2	127
EQUIBIND+SMINA	23.2	6.5	38.6	3.4	4.3	8.3	11.7	5.8	126*
$_{\rm EQUIBIND+GNINA}$	28.8	4.9	39.1	3.1	10.2	8.8	18.6	5.6	127
DiffDock (10)	35.0	3.6	40.7	2.65	21.7	5.0	31.9	3.3	10
DiffDock (40)	38.2	3.3	44.7	2.40	20.3	5.1	31.3	3.3	40

 $<sup>\</sup>Rightarrow$  DiffDock convincingly outperforms a variety of baselines in the blind docking task.

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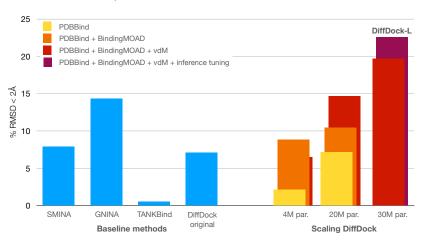
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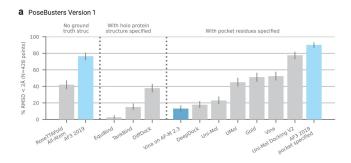
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Alphafold 3 has been published by DeepMind a few months ago (Abramson et al., 2024) and they claim state-of-the-art protein-ligand docking performance on apo-strutures.



# Antibiotic Resistance Classification (Qabel et al., 2022): Problem Set-Up

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Machine Learning Task: Antibiotic Resistance Classification.

# Methodology

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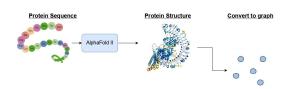
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  - 1) use the AlphaFoldII model (Jumper et al., 2021) to infer its 3D structure.

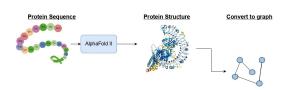


## Methodology

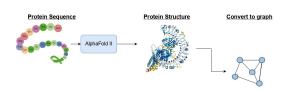
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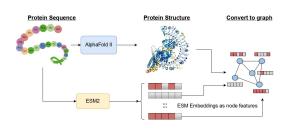
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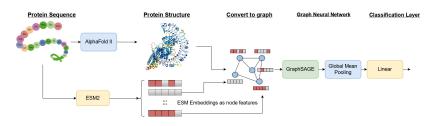
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- We apply a GNN to this graph structured data to perform the task of Antibiotic Resistance Classification.



#### Results

Table: Classification results ( $\pm$  standard deviation) of the different approaches on the COALA dataset. The best performance in the different groups is typeset in **bold**. Note that N/A refers to "not applicable".

Метнор	ACCURACY	Accuracy (<50% id)	Accuracy (>50% id)	ACCURACY (HOMOLOG NOT FOUND)
BLAST	$65.42\%~(\pm~0.57\%)$	$75.11\% \ (\pm \ 1.78\%)$	95.29% (± 1.18%)	N/A
DIAMOND	$58.86\% \ (\pm \ 0.62\%)$	$64.69\% \ (\pm \ 1.72\%)$	$95.11\% (\pm 1.53\%)$	N/A
TF-IDF	$54.19\% \ (\pm \ 1.62\%)$	$55.18\%~(\pm~1.72\%)$	$84.05\%~(\pm~2.07\%)$	$35.43\%~(\pm~1.25\%)$
TRAC	$69.80\% \ (\pm \ 0.66\%)$	$72.78\%~(\pm~1.77\%)$	$90.92\%~(\pm~2.16\%)$	$36.83\%~(\pm~4.36\%)$
ARG-SHINE	$68.34\%~(\pm~1.27\%)$	$69.60\%~(\pm~1.78\%)$	$92.88\%~(\pm~0.70\%)$	$38.00\%~(\pm~3.88\%)$
ARGGNN	72.90% (± 0.65%)	76.49% (± 1.30%)	$93.00\%~(\pm~1.10\%)$	38.90% (± 3.98%)

 Our ARGGNN outperforms the state-of-the-art baseline models in the task of Antibiotic Resistance Classification.

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- Our ARGGNN outperforms the state-of-the-art baseline models in the task of Antibiotic Resistance Classification.
- It is unclear how these results would look if the 15 billion parameter ESM2 model was used.

#### What's Next For Us?

Deep Learning Models for Molecular Dynamic simulations
 Dr. Masoud Ramuz and Siyun Wang collaborating with LOB at IPP

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- GNNs in Histopathology
   Niklas Kormann quantifying kidney health

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- Geometric GNNs gracefully handle graphs in which nodes are located in some Euclidean space.
- Protein-Ligand docking is an important learning task and there is much recent progress in the development of deep learning models for this task.
- One can predict many properties of interest from protein data, one such property is antibiotic resistance.

# Thank you for your attention!

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