

```
void dfs( list<int> g[], bool vis[], int s)
```

```
{
```

```
    vis[s] = true;
```

```
    for (int i = 0; i < g[s].size(); i++)
```

```
    {
```

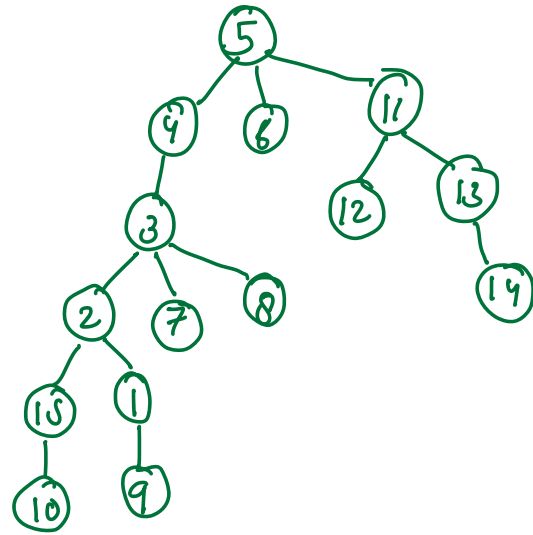
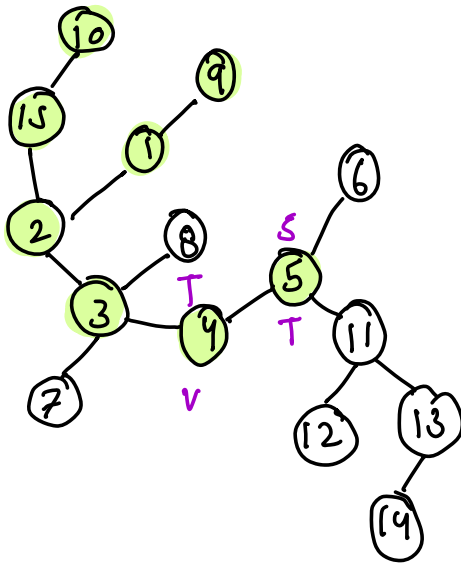
```
        int v = g[s][i];
```

```
        dfs(g, vis, v);
```

```
    }
```

```
}
```

DFS (Depth first search)



```
bool path (int N, int E, int vC, int vE, s, d)
{
    list<int> g[N+1] // To Do
    bool vis[N+1] = {F}
    dfs(g, vis, s) // to fill vis()
}
```

```

void dfs( list<int> g[], bool vis[], int s)
{
    if (vis[s] == True) return;

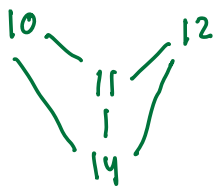
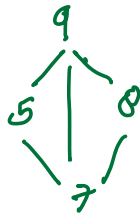
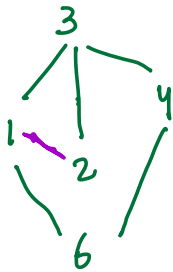
    vis[s] = true;
    for (int i=0; i<g[s].size(); i++)
    {
        int v = g[s][i];
        dfs(g, vis, v);
    }
}

```

BFS \rightarrow shortest path

Q2 \Rightarrow Given Undirected graph find no. of connected components. A component is said to be connected, if from every node we can visit all nodes, inside components

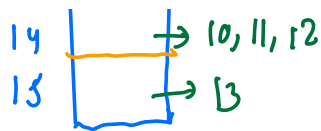
Ex: $N=15$, indicating 15 nodes
In below graph how many connected components are there



0	
1	$\rightarrow 3, 2, 6$
2	$\rightarrow 1, 3$
3	$\rightarrow 1, 2, 4$
4	$\rightarrow 3, 6$
5	$\rightarrow 7, 9$
6	$\rightarrow 1, 4$
7	$\rightarrow 5, 9, 8$
8	$\rightarrow 9, 7$
9	$\rightarrow 5, 7, 8$
10	$\rightarrow 11, 14$
11	$\rightarrow 10, 12, 14$
12	$\rightarrow 11, 14$
13	$\rightarrow 15$

0	
1	T
2	T
3	T
4	T
5	T
6	T
7	T
8	T
9	T
10	T
11	T
12	T
13	T
14	T
15	T

$1 \rightarrow 15 \rightarrow C = 4$
1, 2, 3, 4, 5,
6, 7, 8, 9,
10, 11, 12, 13,
14, 15



```
void dfs( list<int> g[], bool vis[], int s)
{
```

```
    if (vis[s] == True) return;
```

```
    vis[s] = true;
```

```
    for (int i=0; i<g[s].size(); i++)
```

```
    {
        int v = g[s][i];
```

```
        dfs(g, vis, v);
```

```
    }
}
```

```
int components (int N, E, u[], v[])
```

```
{
    list<int> g[N+1] // To Do
```

```
    .bool vis[N+1] = {F}
```

```
    int c=0
```

```
    for (i=1; i<=N; i++)
```

```
    {
        if (vis[i] == false)
```

```
        {
            dfs(g, vis, i)
            c = c+1;
        }
    }
```

```

    }
    return c;
}

```

Q3 ⇒ No. of Island

Given a matrix of 1 & 0 find no of island are present?

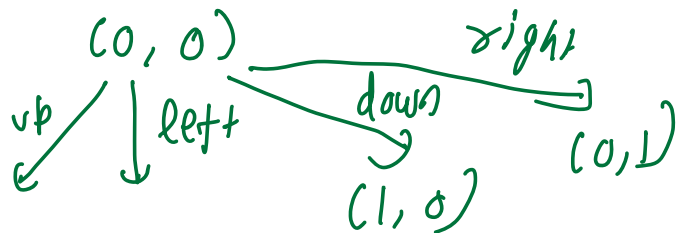
mat[c][w] {
 1: land
 0: water

c=1

0	0	0	0	0
1	1	0	0	1
0	1	0	1	0
0	1	0	0	1
0	1	1	0	0
0	1	0	1	1

1	1	0
1	0	0
0	0	1

c=0



```

int x[] = {-1, +1, 0, 0}
int y[] = {0, 0, -1, +1}


```

```

void dfs (int mat[][N], int i, j, int N, int M)
{
    if (i < 0 || j < 0 || i >= N || j >= M || mat[i][j] == 0)
        return;

    mat[i][j] = 0
    dfs (mat, i+1, j, N, M);
    dfs (mat, i-1, j, N, M);
    dfs (mat, i, j+1, N, M);
    dfs (mat, i, j-1, N, M);
}

```



```

for (k=0; k < 4; k++)
    dfs (mat, i+x[k], j+y[k],
        N, M);

```

```

int island (mat[][N], N, M)
{
    c = 0
    for (i=0; i < N; i++)
    {
        for (j=0; j < M; j++)

```

```

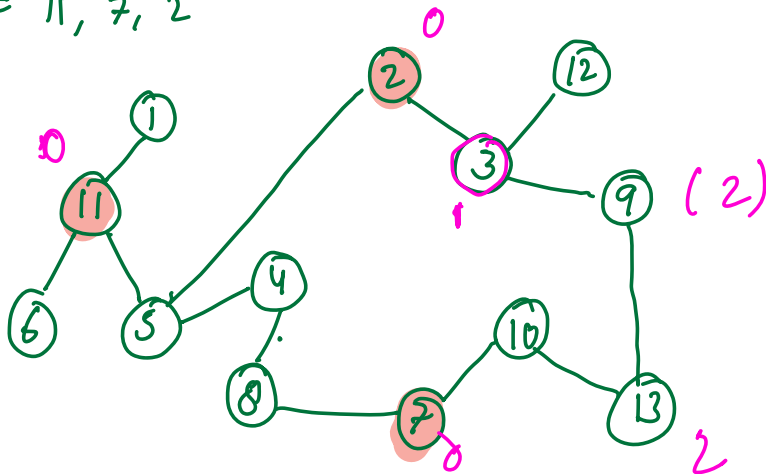
    }
    if (mat[i][j] == 1)
    {
        c++;
        dfs(mat, i, j, N, M);
    }
}
return c;
}

```

Q3 ⇒ Multisource BFS

Given N nodes & multiple source s_1, s_2 & s_3 .
 Find length of shortest path for all nodes to any
 of the source nodes (s_1, s_2, s_3)

$s = 11, 7, 2$



11, 7, 2	1, 6, 5, 10, 8, 3	4
level 0	1 0 1 1 1	1 0 1 1 1

level 1

level 2

Q4 ⇒ Rotten oranges

mat[N][M] $\left\{ \begin{array}{l} 0 \text{ empty} \\ 1 \text{ fresh orange present} \\ 2 \text{ rotten orange present} \end{array} \right.$

Every minutes any fresh orange, adjacent to a rotten orange become rotten, find min time when all oranges become rotten. If not possible return -1

	0	1	2	3	4
0	1	0	1	2	1
1	1	1	1	1	1
2	0	2	0	1	0
3	0	1	1	1	1
4	1	1	1	2	0

(0,3) (2,1) (4,3)

3 hrs