Binary Search 2

O=) Every Element occurs twice except for 1, find unique ele. Note: Dublicate are adj to each other

ideal: XOR > 0 CN)

Ex1: 33 10 10 10 9 66 22 44

index: go to right index: go to left

target : unique elem?

Dearch space: given array.

 $a \ 77 \ [m-1] = a \ 70 \ [m] \ 88 \ a \ 70 \ [m] | = a \ 77 \ [m]$

l or m unique if (avv Cn) = savv Cn - 1 m = 1 l = m + 2

8 14 11 × - 8= M-1

```
7=M-)
find Unique ( int arrow, int N)
    l=0, h= N-1;
      if (N==1) between a co);
    if ( arr(o) 1=arr (i)) return arr (o)
    if ( arrCN-D != arrCN-D) ret arrCND
      while ( l i=8)
        mid = (l + \gamma)/2
       if (acm-171= acm) &l
                     a EM] = at MAI)
               return a cm])
       if (a cm-D == a cmJ)
            m= m-1;
       i + (m \% 2 = = 0)
             l= m+2,
       els
            A= m-5,
```

```
Q
                   un if (a cm) = acm-1) m/2
                           no change FEM-1
   0
                 X
              arr (-1) 1 = 978 (D)
    O(log N)
   Given the N. Find Sgot (N)
  sgxt (25)=5
  597+ (20)=4
   597+(10) =3
   i=), ans;
   while (i*; <= N) {
                              O (JN)
         915 = i;
          1++;
 N=30
                        991
         [ * ]
               € 30
i= j
                         1
    2 +2 = 30
1=2
                         2
          3+3 550
j=3
          4*4 <u><</u>30
1=4
```

$$1=5$$
 $1=6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$
 $6*6$

```
OF Given Narray element
             Calculate Max inbanay rum of
              lea K
  arr(0) = -3, 4, -2, 5, 3, -2, 8, 2, -1, 9
  K= 5
  [0,4] : 7
                          Sliding window
TC: O(N)
  [1,5]: B
   [2,6]; 12
                            6C! O(1)
   [3,7]: 16
   [4,P]: 10
   [5,9]: 11
     int submax (int axx C), int N, int K)
      / should return max subarry sun

of len K

// Tc:o(N), sc:o(1)
```

```
O=> Given an array the integetor,
    find max k such that max
                                  Subarra
      of len K <= B
    (MU)
BC 20
       = 3,2,5,4,6,3,7,2
 arr
         max rubarrax
  K
         sum of len = K
                        ans
            7 4=20
           10 2=20
           16 C= 20
           20 4= 20
          25 2=20
                        return 4
    TTTTTFFF
  3, 2, 5, 4, 6, 3, 7, 2
                                BID
    Q
           h
                        Max subcoor
                 m
    0
                 4
                          20 710
                                lett
           3
                          7 410
                                   anr=1
                                  goto right
     2
                         10 <=10
                                  ans = 2
                                  do to sill
```

$$arr(3) = [0, 19, 9]$$
 $B = 7$
 $3, 2, 5$
 $3, 2, 5$
 $3 = 19$
 $3, 2, 5$
 $3 = 19$
 $3 = 19$
 $3 = 19$
 $3 = 19$
 $3 = 19$
 $3 = 19$
 $3 = 19$
 $3 = 19$
 $3 = 19$
 $3 = 19$
 $3 = 19$
 $3 = 19$
 $3 = 19$
 $3 = 19$
 $3 = 19$
 $3 = 19$
 $4 = 2$
 $4 = 2$
 $4 = 2$
 $4 = 3$
 $4 = 2$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$
 $4 = 3$

```
3 -> brlak
\ell = 0 ; f = N while ( \ell \leq h)
     mid = (l+A) (2;
     sum = submax( axx, N, mid); e o(N)
     if ( sum <=B)
       ans = mid;
                         TC: O(N logn)
       else
     return ans)
 SART CM)
 l=1, h=N
                              CareI:
 while (2 \le A)

(m = (1+A)/2
                               mid+mid == N
                           return mid
                                m id + mid < 1
```

1 (conditions

)

return ens 3

ans=mid l=mid+1Case 3: mid *mid >N l=mid-1;