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Prodi : D4 Manajemen Informatika 2019B

1. Diketahui titik awal P(1,1) dan titik akhir di Q(10,10) dengan area clipping x min =1, y min =1, x max =7. Selesaikan masalah ini dengan clipping Cohen-Sutherland.

Garis P(1,1)

$$L = 0$$
; Karena $1 < x min$

L = 0 ; Karena 1<
$$x min$$
R = 0 ; Karena 1< $x max$
7

B = 0; Karena
$$1 < \frac{x \ mir}{1}$$

B = 0 ; Karena
$$1 < x min$$

T = 0 ; Karena $1 < x max$

Vertex P=0000

Garis Q(10,10)

L = 0 ; Karena
$$10 < \frac{x mir}{1}$$

$$R = 0$$
; Karena $10 < \frac{x max}{7}$

$$B = 0$$
; Karena $10 < x min$

L = 0; Karena
$$10 < x min$$
R = 0; Karena $10 < x max$
B = 0; Karena $10 < x min$
T = 0; Karena $10 < x min$
 $x max$
 $x max$

Vertex Q=0101 -> Regional Code 0000 AND 0101 = 0000

•
$$m = \frac{y_2 - y_1}{x_2 - x_1} = \frac{10 - 1}{10 - 1} = \frac{9}{9} = 1$$

•
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• $xP_1 = x_1 + \frac{y \min y_1}{m} = 1 + \frac{1 - 1}{1} = 1 + \frac{0}{1} = 1$

Jadi, Titik Potong = $(xP_1, y \min) = (1,1)$ pada garis PQ

2. Berdasarkan soal No.1 lakukan clipping menggunakan algoritma Liang-Barsky dimana xl=1, xr=7, dan yt=7.

$$o dx = x_2 - x_1 = 10 - 1 = 9$$

$$P_1 = -dx = -9$$

$$P_2 = dx = 9$$

$$P_3^2 = -dy = -9$$

$$P_4 = dy = 9$$

$$o dy = y_2 - y_1 = 10 - 1 = 9$$

$$Q_1 = x_1 - xl = 1 - 1 = 0$$

$$Q_2 = xr - x_1 = 7 - 1 = 6$$

$$Q_3 = y_1 - yb = 1 - 1 = 0$$

$$Q_4 = yt - y_1 = 7 - 1 = 6$$

$$o \frac{Q_1}{P_2} = \frac{0}{-9} = 0$$

$$Q_2 = \frac{Q_2}{P_2} = \frac{6}{9} = \frac{2}{3}$$

$$\begin{array}{l}
\circ \quad \frac{Q_1}{P_1} = \frac{0}{-9} = 0 \\
\circ \quad \frac{Q_2}{P_2} = \frac{6}{9} = \frac{2}{3} \\
\circ \quad \frac{Q_3}{P_3} = \frac{0}{-9} = 0 \\
\circ \quad \frac{Q_4}{P_4} = \frac{6}{9} = \frac{2}{3}
\end{array}$$

$$\circ \frac{Q_4}{P_4} = \frac{6}{9} = \frac{2}{3}$$

O Untuk
$$(P_1 < 0)$$
 $T_1 = \text{"max"}(0,0,0) = 0$

O Untuk
$$(P_1 < 0) T_2 = \text{"max"} (\frac{2}{3}, \frac{2}{3}, 0) = \frac{2}{3}$$

 $\mathsf{Jadi}, T_1 < T_2$

•
$$T_1 = 0$$

 $x_1 = x_1 + dx * T_1 = 1 + 9 * 0 = 1$
 $y_1 = y_1 + dy * T_1 = 1 + 9 * 0 = 1$
 $(x_1, y_1) \to (1,1)$

•
$$T_2 = \frac{2}{3}$$

 $x_2 = x_1 + dx * T_2 = 1 + 9 * \frac{2}{3} = 7$
 $y_1 = y_1 + dy * T_1 = 1 + 9 * \frac{2}{3} = 7$
 $(x_2, y_2) \to (7,7)$