

## Break La slack/enail for confination La Wed/Friday => OFF to clear backlogs this weeks. (3) - x - x - x - x - x - x - x - x Tashing Data Structures

o Hashmap Kkey, value >
o Hashset Keys & 113.7,8,3

Unique Keys

Given an array, check if there is a palv(1.j) such that 
$$A[i] + A[j] == K$$
 28  $i = j$ 

$$\frac{50r+290lnles}{}$$

$$\frac{|N\log N|}{+N} = O(N\log N)$$

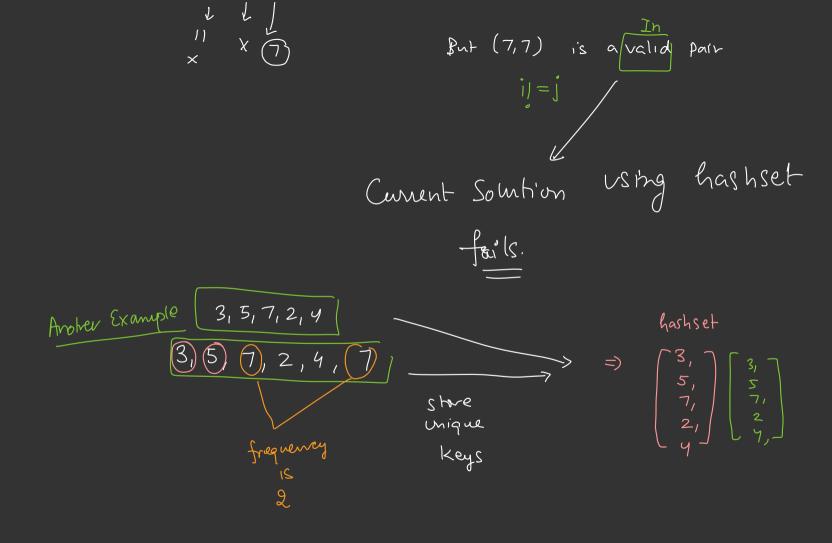
(4,6)

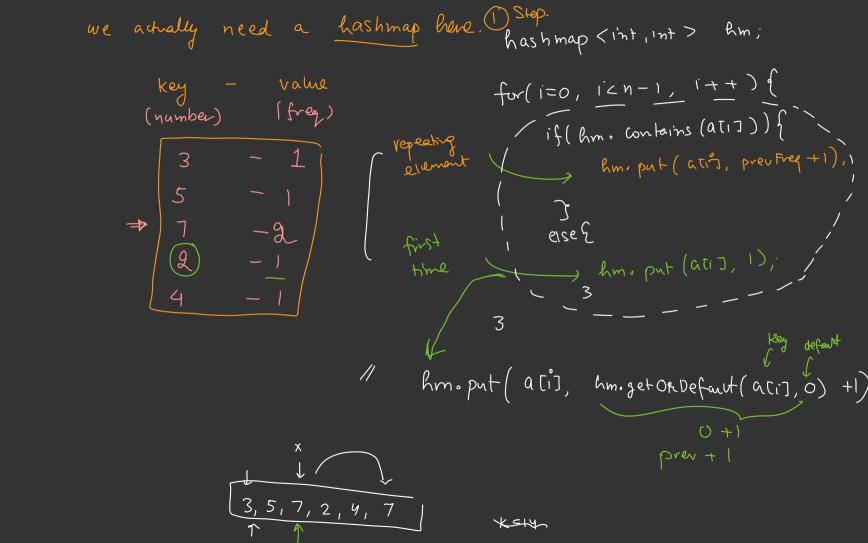
return talse. // No such pair exist

[8, 1, 2, 4, 5, 10, 0, 6, 7] Find 5 Lahinear Search (N) Attempt -1 hashset Put all elements in the hashset has h map expensite Search Log N hs hashset<Integer > hs. for (Int x. an) {
has helf offers

hs. put (x);

Search O(N +N) =0(N)iterate over every element in the away. sot x+3 ==10 for ( =0 , i <= N-1; i++) {  $x = \omega x ti$ // Look for y = K-x in the hash set =) y=[K-x]





find a pair ( K = Z Unordered\_map <mt, int > (<=14) for (int  $\times$ : and) of C++7-17=14 m[ali] = freq => y = K-x, freg 71 moinsert ( Key, value )  $\rightarrow if(x_1-y)$ if (hm. contains (y) { return trul; else if ( = = y) { if (hm. get(x) >, 2) of return True }, return false;

// Pair Sum - one more try using tlash set 1 72 times / 1 times. Problem  $\uparrow \rightarrow \uparrow$  idy  $\Rightarrow$  (i) hasket  $\rightarrow (0 - (i))$ algoritum two elements are diff for every we try to combine it some element hashset <int > (hs) awedy Rem K=14 for (1=0, i<=n-1; i++) ( DRU RUD 3 No NO -) if (hs. contains(y)) return tre; 5 8 hs. put (x); 50(N) lo Spare > O(N) because of hashset

(a) Find if there is a triplet 
$$a[i] + a[j] + a[k] = = (S)$$

or a given array

 $i < j < k \ne 1$ 

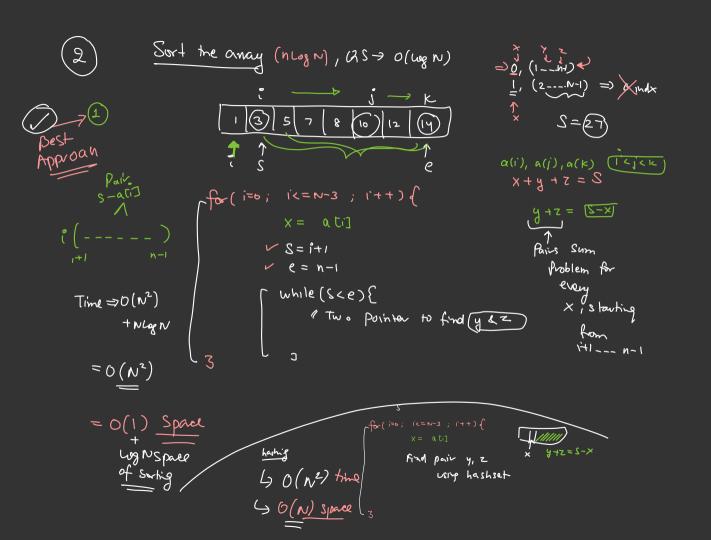
Input

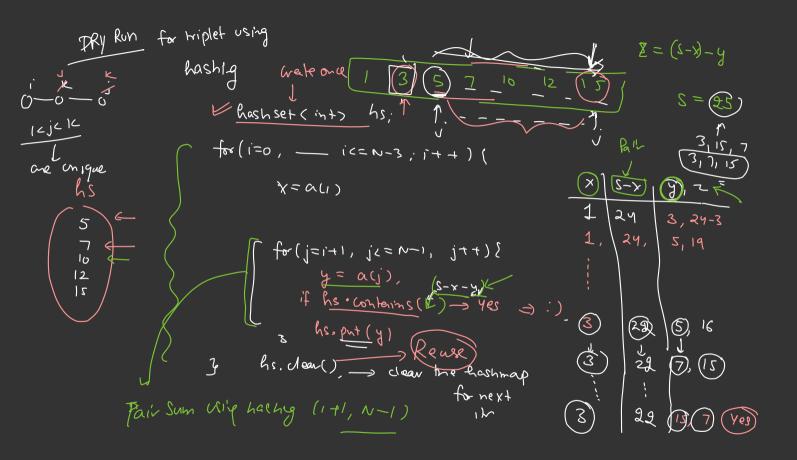
Brufe Force for (1=0, 1<= N-3, 1++) ( for ( j= 1+1; j <= N-2; j++) { for ( k=j+1; K<=N-1, K++) Time if (a(1)+a(j)+a(k) == 5)( 11 got he pairs triplet Space

a(K)

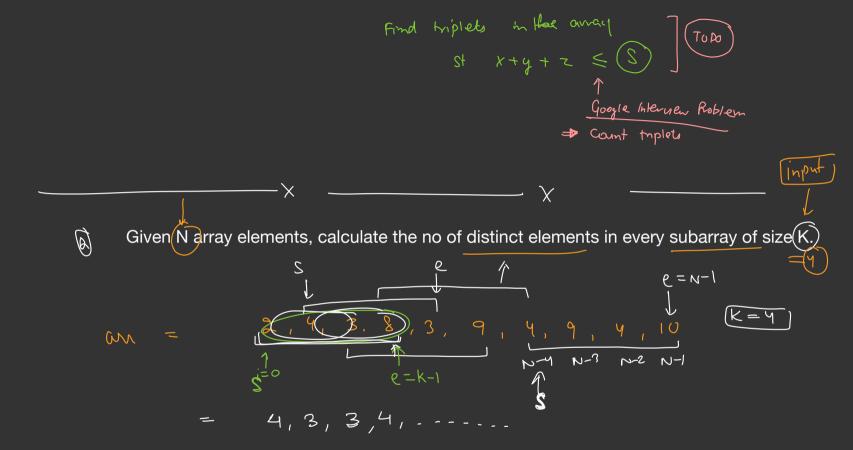
acjo

a(i)

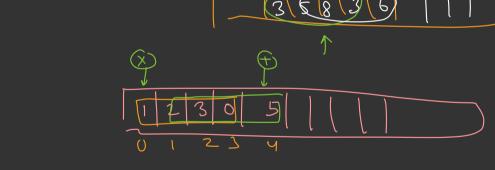




the heed the check this region i+1 N-1 1 a(i) Paisum (\*) TIT Clear remove Everyty K=7 1-4



Bruk Force Lashset <int > hs, 2 K times - While ( PK=N-1 ) 1 => hs. clear(): O(NK) for (j=g, j<=e, j++) ( es. put (a(j)): print (hs. Sizec); // Unique elemita



Problem  $(x_13_{10})$ [0,3] Size 73 (3,0,5) [1-4] how should we handle his => Reduce freq of outgoing element by 1. L) if freq becomes 0 > Remove element hashmap + Sliding Window ) only in the subarray < element, freg)

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Mashmap < int, int > hm; 0(n-K) // TO DO) of for( 1=1 Am. put (arr(i), 1) or him update (aurlist 1) else C • outgoing element -> \_\_\_\_\_ O(K) Space hm update Freq (ontgoing, -1) An versor (out going Element), **6** lm.size()