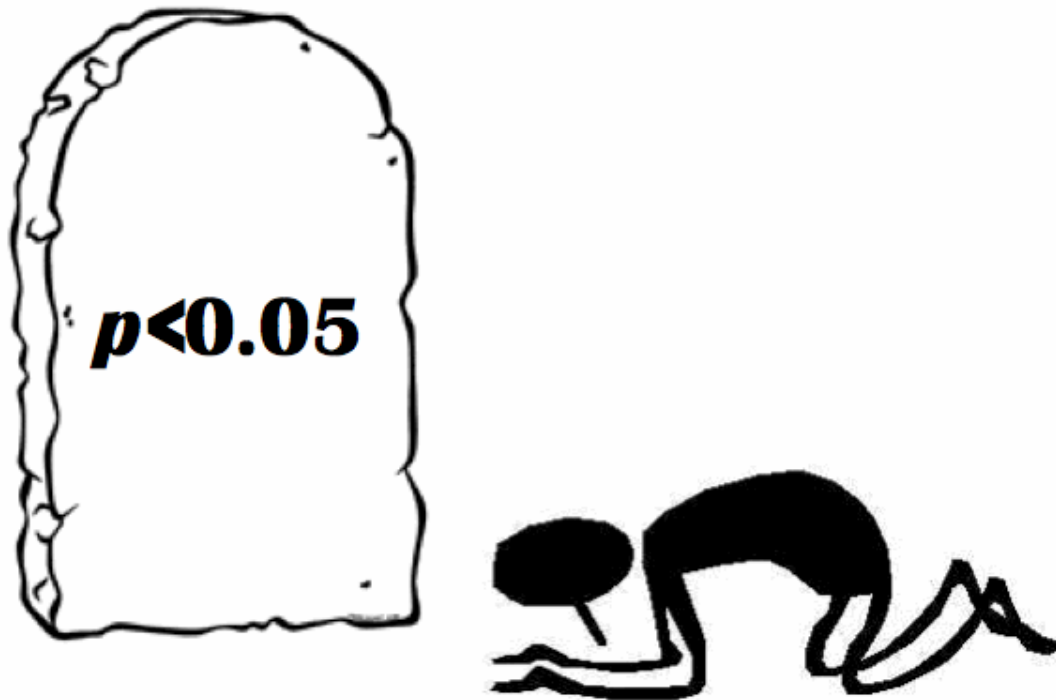


What is a p -value?

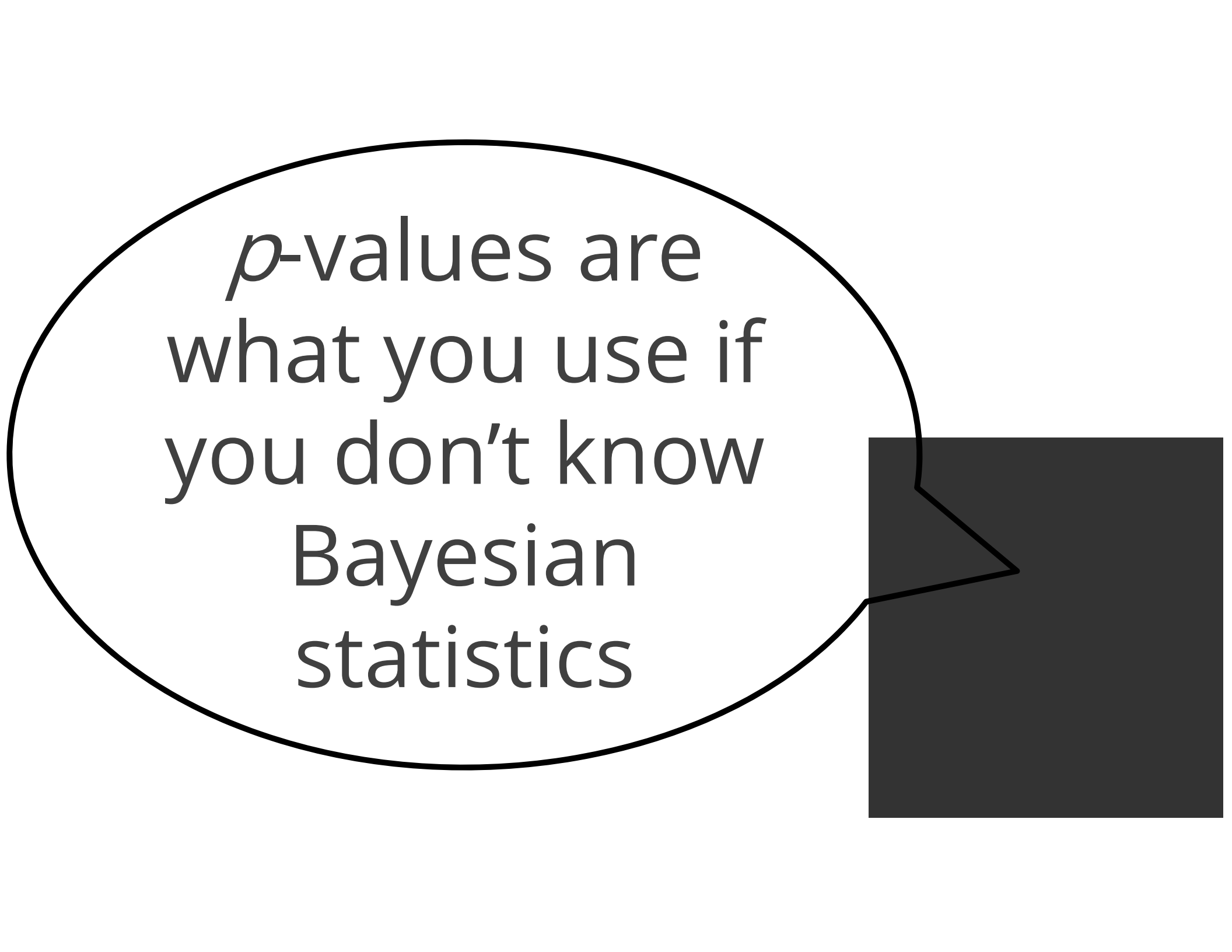


Why is the p -value so successful in science?

In some sense it offers a first line of defense against being fooled by randomness, separating signal from noise.

Benjamini, 2016

p -values tell you how
surprising the **data** is,
assuming there is **no**
effect.



p -values are
what you use if
you don't know
Bayesian
statistics

**Does driving while
calling increase
the risk of a car
accident?**

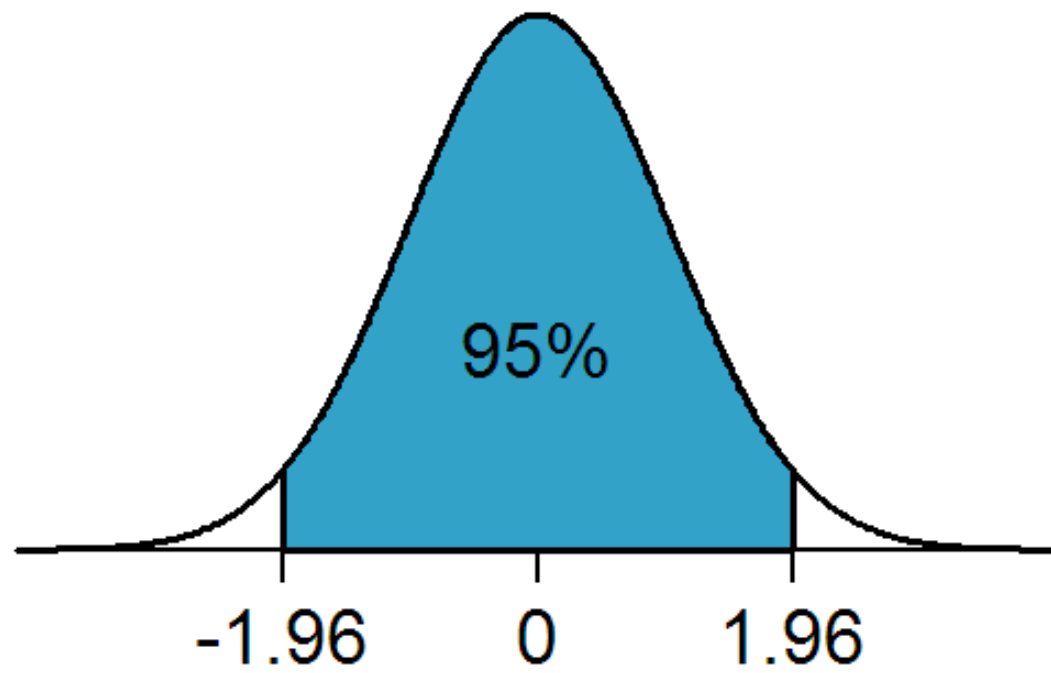
The difference is never exactly zero. A difference of e.g., 0.11 means:

- A) Probably just random noise
- B) Probably a real difference

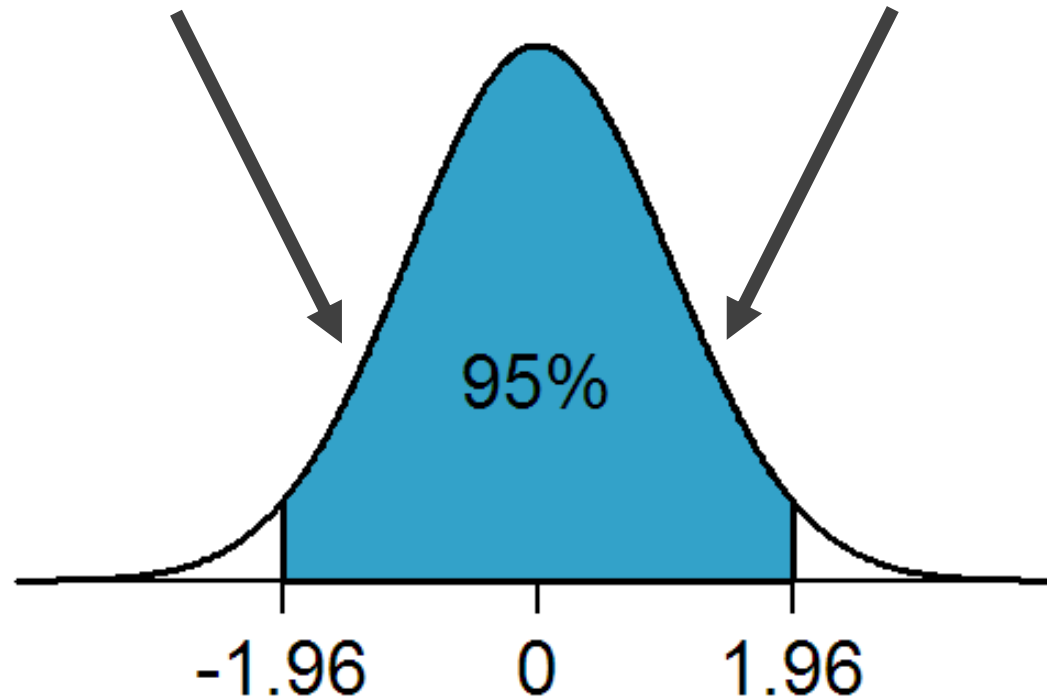
From the M , SD , and N , we calculate a test-statistic, and compare it against a distribution.

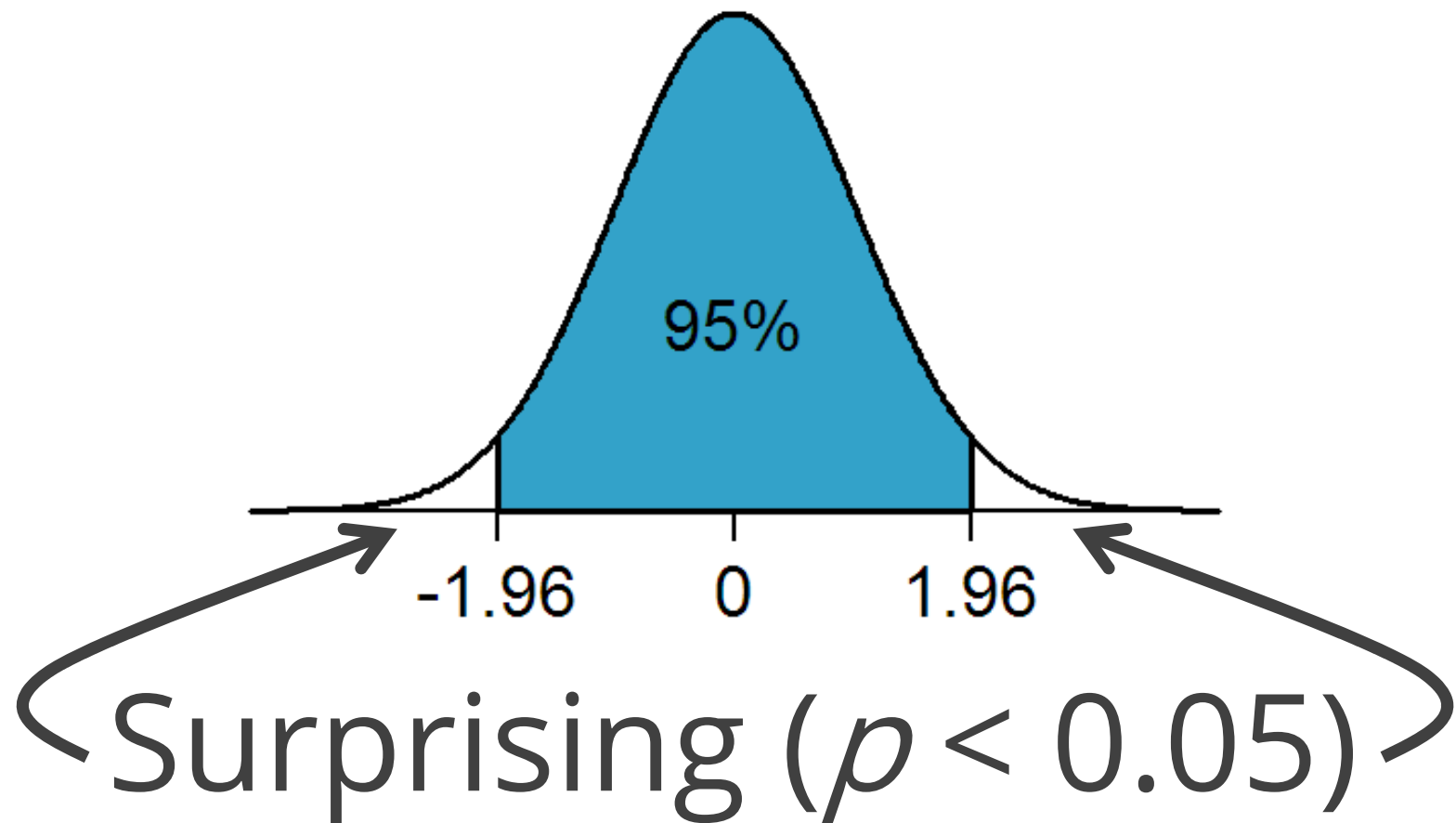


Paranormal Distribution



Not surprising ($p > 0.05$)





A p -value is the probability of getting the observed or more extreme **data**, assuming the null hypothesis is true

A p -value is the
probability of the **data**,
not the probability of a
theory.

SCIENCE

THE RACE TO PROVE 'SPOOKY' QUANTUM CONNECTION MAY HAVE A WINNER

In other words, there is a 96% probability they won the race, says PK, a quantum physicist

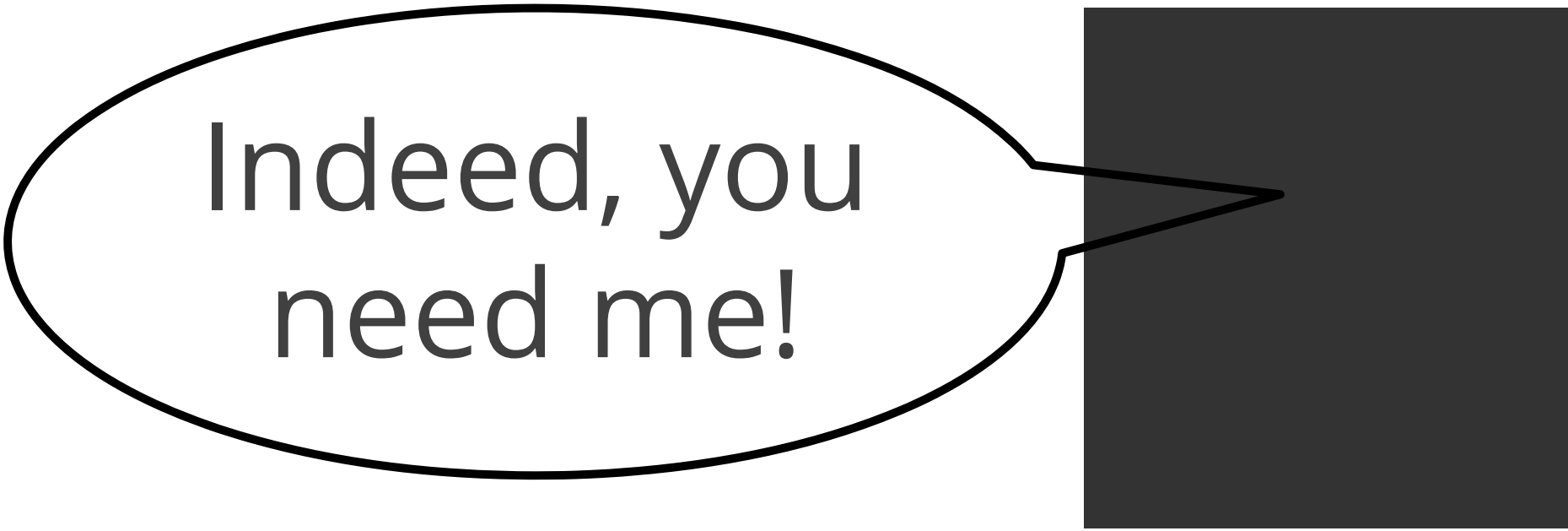
From <http://www.popsci.com/race-prove-spooky-quantum-connection-may-have-winner>

After $p < 0.05$, an effect is not 95% likely to be true (e.g., pre-cognition)

You can't get the probability the null hypothesis is true, given the data, from a p -value.

$$P(D^* | H) \neq P(H | D)$$

(we need Bayesian statistics for this)



Indeed, you
need me!

If a p -value is **larger**
than 0.05, the data
we have observed is
not surprising.

$p > 0.05$ does not
mean there is *no* true
effect. **You need large
samples to detect
small effects.**

I try to think of

$p > 0.05$ as

無

A monk asked a Chinese
Zen master: 'Has a dog
Buddha-nature or not?'
The Zen master answered:

無

Using p -values correctly

Use p -values as a **rule** to
guide behavior in the
long run.

Using p -values correctly

$p < \alpha$: Act as if data is not noise.

$p > \alpha$: Remain uncertain or act as if data is noise.

When you **act as if** there is an effect when $p < 0.05$, **in the long run** you won't be wrong more than 5% of the time.

