Observations:

- 1) tre Ceeps decreasing
- 11) fimilar dous only size changes
- m) end don (landon) as shopping point

Use => Northing algo => merge Sort, quick Sort
DS => Preed BST | Heaps | Iries | Segment Trees

DP => Dynamic Programming

Back tracking

Recursion: function calling itself

fechnique of solving protolem using smaller instances of the same protolem

SUM(N) = 1+2+4+ - - P N-1+ N SUM(N-1) SUM(N) = SUM(N-1) + N

SUM(N-1) = 1828384 P ___ P (N-2) + (N-1)

SUM CHA) 2 SUM (N-2) 4 CNA)

Sum(1) = 1

of How to write recursive code

a How It works dry nun

a resc

flow to write securive code:

ex => And sum of N natural was:

Step (=> ansumption

decide what your four does

Step 11 2 main logic

some the main problem while

when should recumón stop

Put sum (N) } amme: this returns sum of N natural nos.

base wonder

if (N==1) Rtyn f

Il moin logic

Jetum Sum(N-1) + N

3

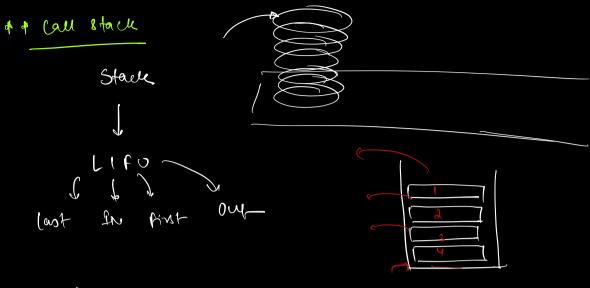
find factorial of N using recursion;

[N = NX (N-1) [

```
int factors & llamure = factors returns factored of N
   Il base condin
    1/ ( N==0 | ( N==1)
       return 1
   [ main logic
      stym Nx fact(N-1);
  7
   And Nth fibonacei number
      0 1 a 3 4 5 6 7 8 9 ~
N 5)
       0 1 1 2 3 5 8 13 21 34 ~
   (8) = 21
          = 8 + 13
           = 160(6) 4 160(7)
   => /60(8) = /60(4) + /60(6)
   => / P.P(N) = P.P(N-1) + P.P(N-7)
```

"INT JOENS & llamure; Joens Johns Johns Coi no. Jon N if (N = 20) xtum 0 cloe ; { (N==1) retun 1 1 min logic return 610 (N-1) 4 fro (N-a); Worling of recursion: grow of N northern mos; Sum(4) int sum(M) & setum sum (3) + 4 1/2(N==1) Setum L Jum (3) setum kum(N-1) 4 N potum sum(2) 9 3 ζ sum(2) setur sum(1) + 2

Blust (T)



Call stack or stack that conform all function Calls.

Sum (+)	
Sum(2)	1
Sum (3)	23
Sum(4)	26
[man()	210

int sum(N) S

inf(N==1)

setum 1

setum (N-1) 4 N

Coul lfack

factorial of N

PM fact (N) \$

if (N=2011N=21)

return f

return fact (N-1) & N

3

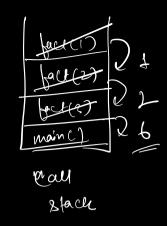
fact(3)

Stun fact(2) & 3

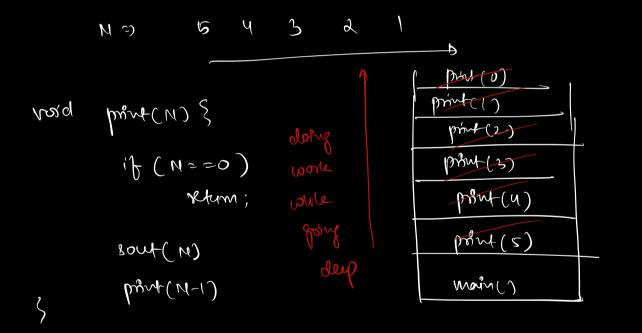
fact(2)

Stun fact(1) & 2

fact(1)



I 1. him a no. N, print all the no. from N to I in decreasing order, using occursion



5 4 3 2 1

Q2, bissen a no. N, print all the no. from I to N in Increasing order, using occurrion

Cn n N 2 5 m 1 d 3 4 5

void inc Print (N) {

if (N==0)

return;

inc print (N-1) ==

mchart (0)	,
suchint (1)	_
luchini(2)	
inclusion (3)	>
Puchint(4)	
fuclimit(s)	
main()	

inc Print (N) §

Nad

enchint(v)	_
quality >	
Puchint(2)	+
meprint(3)	
wain()	

if (N==0)

Rtum;

incprot(N-1)

sout(N)

Puchint(2)

inclint(2)

Puchint(1)

sout(s)

Sout(s)

enchint(1) {

Inchint(0) sout(1)

S

inchint(0) {

23. Corven a string, work a recurrère code to check 1/it is a palindronne

polandronne » WOW

MADAM

LEVEL

1 1 e s

boblean es Palin (str., s, e) §

16 (s)e)

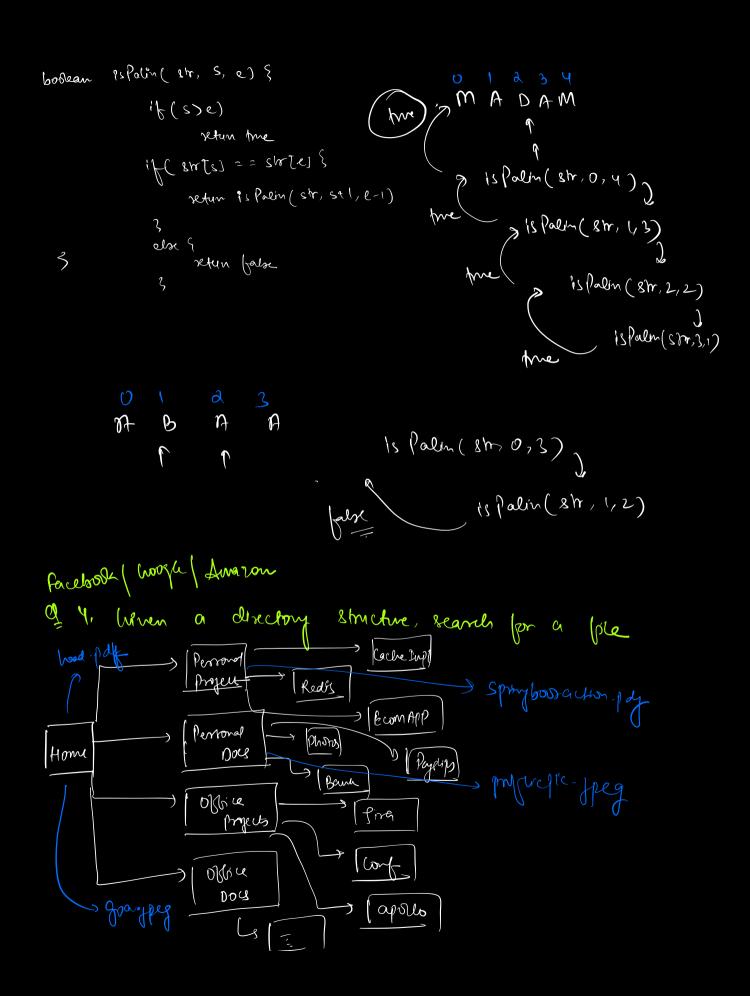
setur the

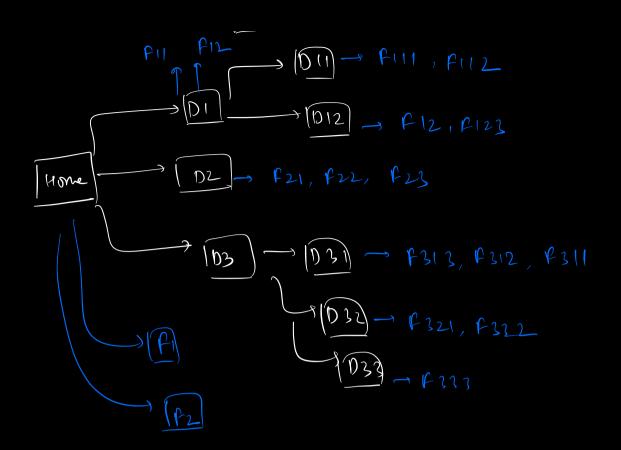
if(smts) == shte) {

setur is Palin (str, sel, e-1)

3 else 9 retur Galse

3





opven Ust (Shong) files = get Au Dir (directory Name)

Wist (Shong) directories = get Au Dir (directory Name)

```
boolean Search ( dir Name , fle Name) }
                Ust(81mg> ples = gernu Piles (dir Name);
                for (1=0; ix ples size(); i++) }
                                                            base
                         if ( plesti) == pie Name) & base

return tre
                list ( string ) dir = get Alldir ( dirName) {
                for (1:0; ix arou(); ita) {
                         if ( search ( dir(i), ple Name)}
                                      styn me
                xfun felse
                                              p<sub>1</sub> b<sub>2</sub> b<sub>3</sub>
Search ( home, F311)
for & Search ( D3, F311)
for Search ( D31, F311)
                                               D31 D32 D33
```

