

# Number of Islands

Thursday, 8 July 2021 6:59 PM

0 → lands  
1 → water

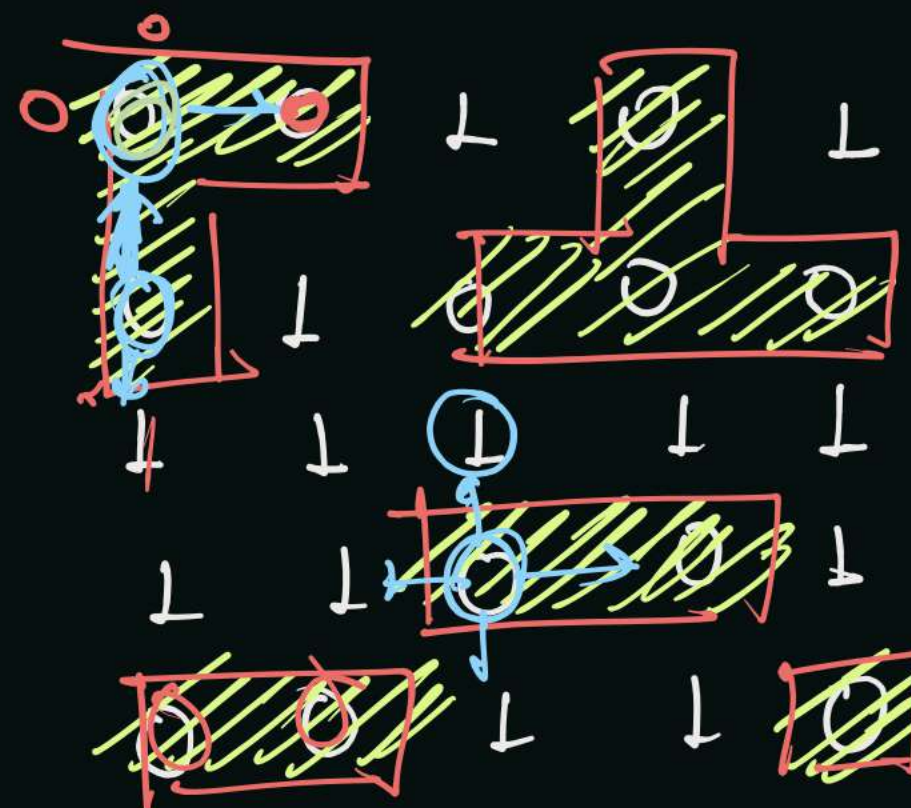
find no. of islands

NOTE:  
Lands are horizontally and vertically connected.

dfs

0	0	1	1	1	1	1
0	0	1	1	1	1	1
1	1	1	1	1	1	1
1	1	0	0	0	1	1
1	1	1	1	0	1	1
1	1	1	1	0	1	1
1	1	1	1	1	1	1
1	1	1	1	1	1	1

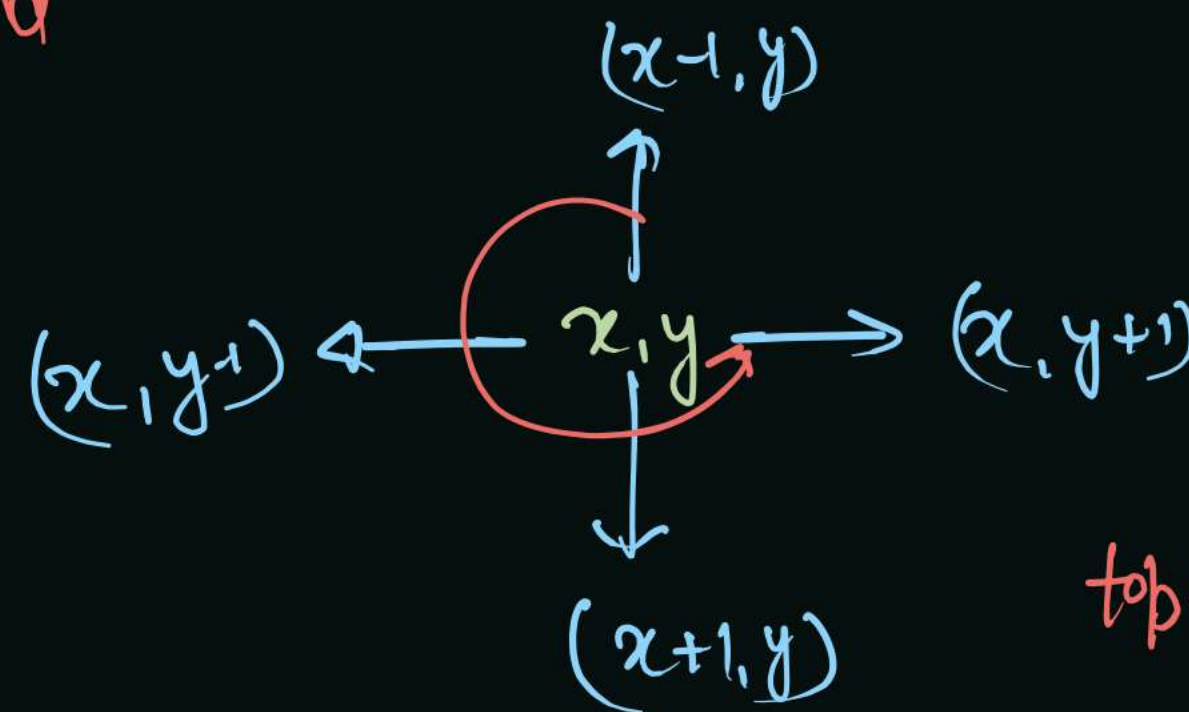
no. of islands = 2



no. of islands = 2

for 4 edges → conditions for edges

- ① → valid index
- ② → land, i.e.  $graph[x][y] == 0$



top → left → down → right

marking - unmarking  
graph[x][y] = -1



# Perfect Friends

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no. of students  
no. of pairs of students

0 1 ✓  
2 3 ✓  
4 5 ✓  
5 6 ✓  
4 6 ✓

these are edges

clubs = 3

counting

pairing of students is such manner so students are from same house.

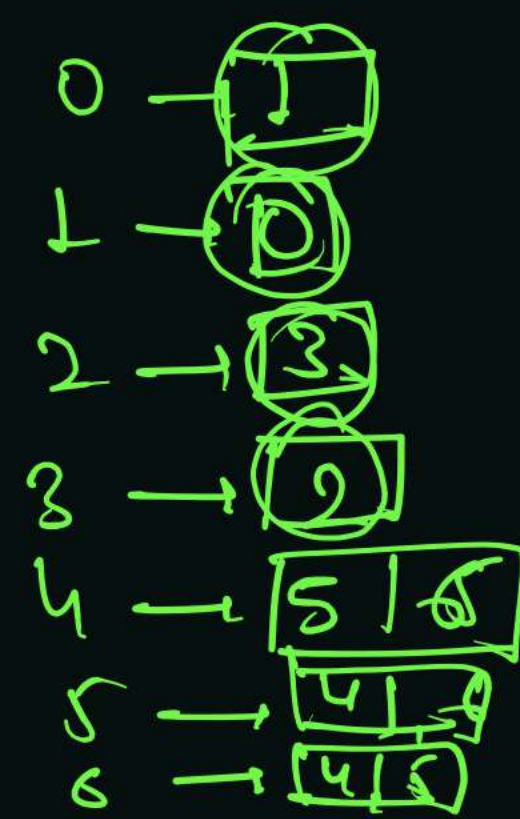
{ {0, 1}, {2, 3}, {4, 5, 6} } connected components

0-2  
0-3  
1-2  
1-3  
4

0-4  
0-5  
0-6  
1-4  
1-5  
1-6  
6

2-4  
2-5  
2-6  
3-4  
3-5  
3-6  
6

16



that no two

count in single club-

a b c d  
↑ ↑ ↑ ↑  
a x b b x c c x d  
a x c b x d  
a x d

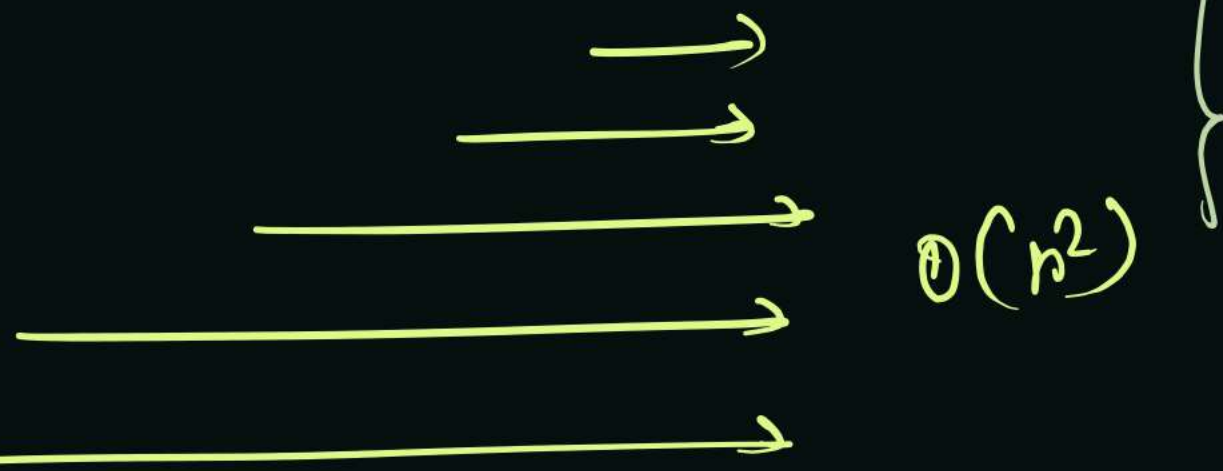
ArrayList<Integer>[] graph



[[0, 1], [2, 3], [4, 5, 6]]

n = no. of components

complexity to find pairs??



```
// System.out.println(comps);
int count = 0;

for(int i = 0; i < comps.size(); i++) {
    int s1 = comps.get(i).size();
    for(int j = i + 1; j < comps.size(); j++) {
        int s2 = comps.get(j).size();
        count += s1 * s2;
    }
}

return count;
```

size of components

a  
 ↓  
 a × b  
 + a × c  
 + a × d  
 + a × e  
 + a × f

+

b  
 + b × c  
 + b × d  
 + b × e  
 + b × f

+

c  
 + c × d  
 + c × e  
 + c × f

+

d  
 + d × e  
 + d × f

+

e  
 + e × f

f  
 -

sum = 0

steps ① res = res + size of i<sup>th</sup> comp.  
 sum = sum + size of i<sup>th</sup> comp.

direction of traversal

Time →  $O(n)$

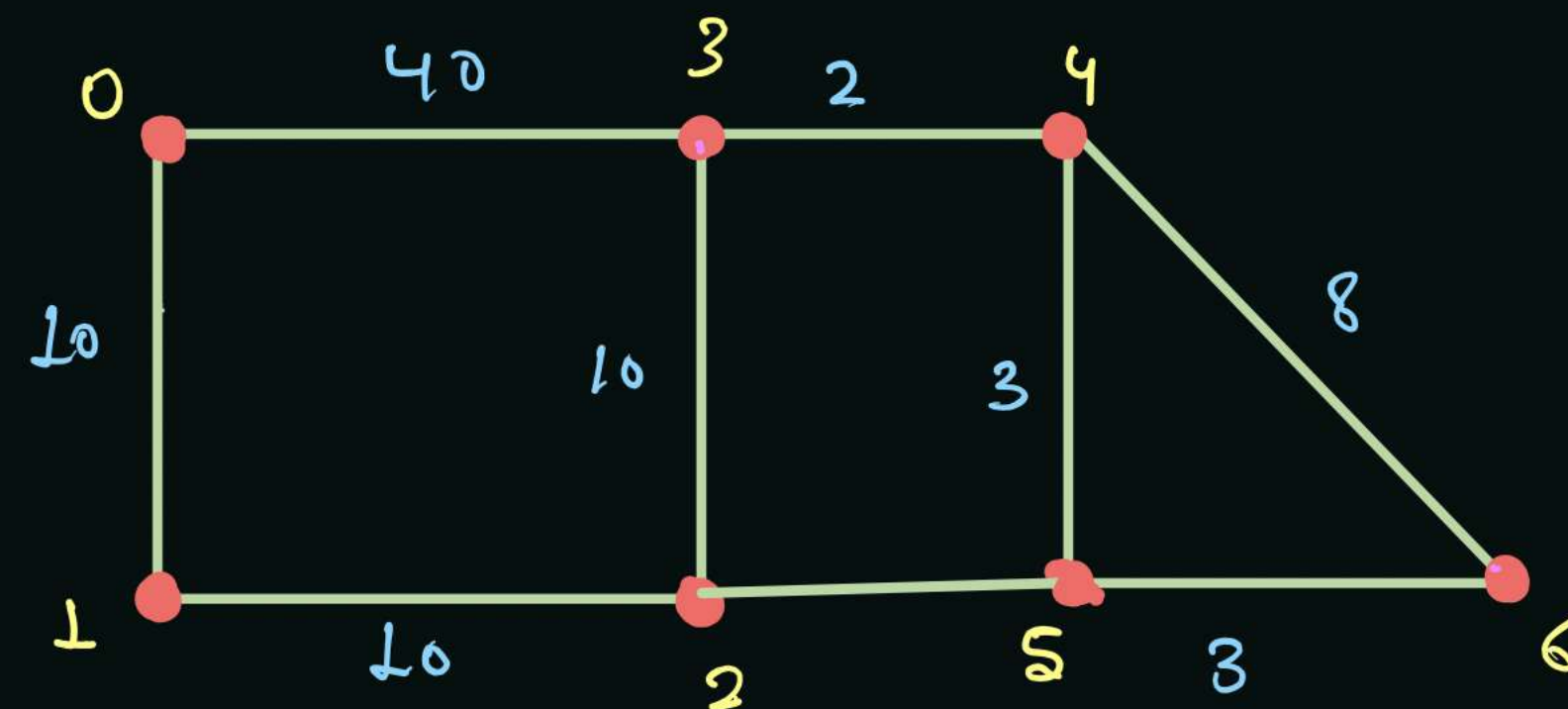
$$a(b+c+d+e+f) + b(c+d+e+f) + c(d+e+f) + d(e+f) + e(f) + 0$$

$c +$ 
 $c(d+e+f)$ 
 $d(e+f)$ 
 $e \times f$ 
 $0 \times 0$



Source dependent problem

Hamiltonian Path :- path from which we can visit all the vertices without visiting any vertex twice.



Hamiltonian cycle :- Hamiltonian path in which we have a back edge from last visited src to original source.

cycle  $\rightarrow$  path\*  
path  $\rightarrow$  path.

Hamiltonian path  $\rightarrow$

$\cong 5 \rightarrow 6 \rightarrow 4 \rightarrow 3 \rightarrow 2 \rightarrow 1 \rightarrow 0$  edge

Hamiltonian cycle

$(5) \rightarrow 6 \rightarrow 4 \rightarrow 3 \rightarrow 0 \rightarrow 1 \rightarrow (2) \rightarrow 5$  \*  
 $(5) \rightarrow 2 \rightarrow 1 \rightarrow 0 \rightarrow 3 \rightarrow 4 \rightarrow (6) \rightarrow 5$  \*  
Edge

Hint  $\rightarrow$  keep original src, why??

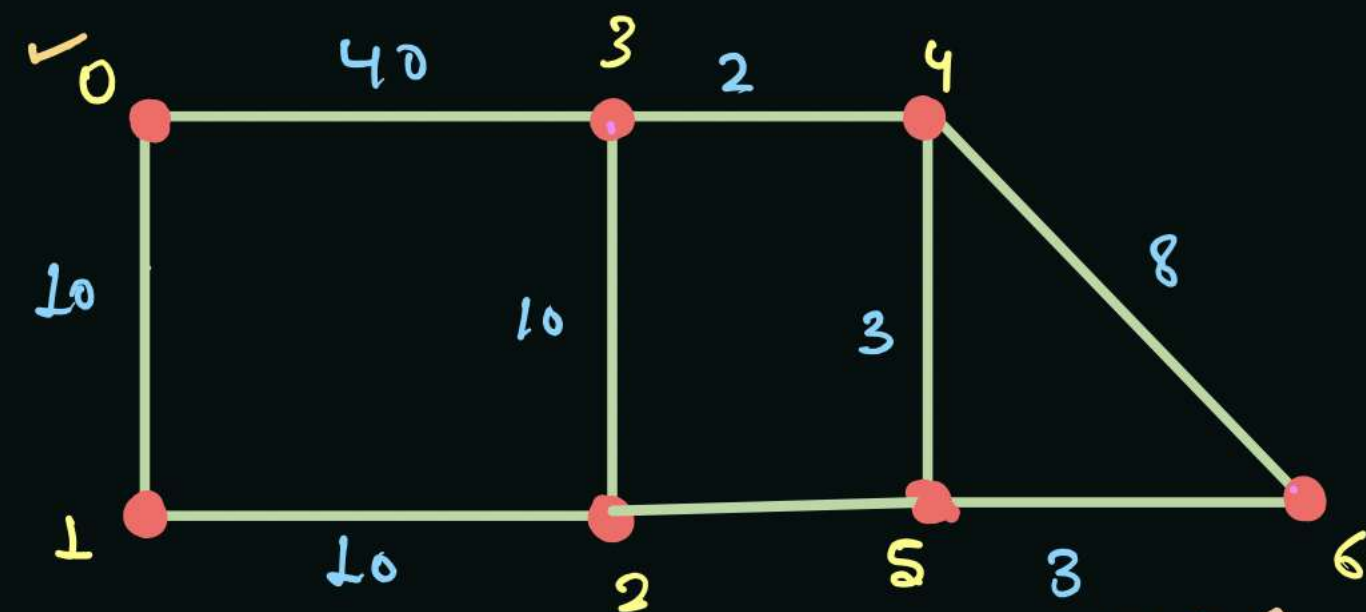


src=0

osrc=0

src, psf, osrc

mark ✓  
unmark ✓



BackEdge  
psf-length-1

✓ 0 1 2 3 4 5 6 To check cycle  
✓ 0 1 2 3 4 6 5  
✓ 0 1 2 5 6 4 3  
✓ 0 3 4 6 5 2 1



src - is Given - (gn terms in Edge)  
Smallest Dist

src = 2

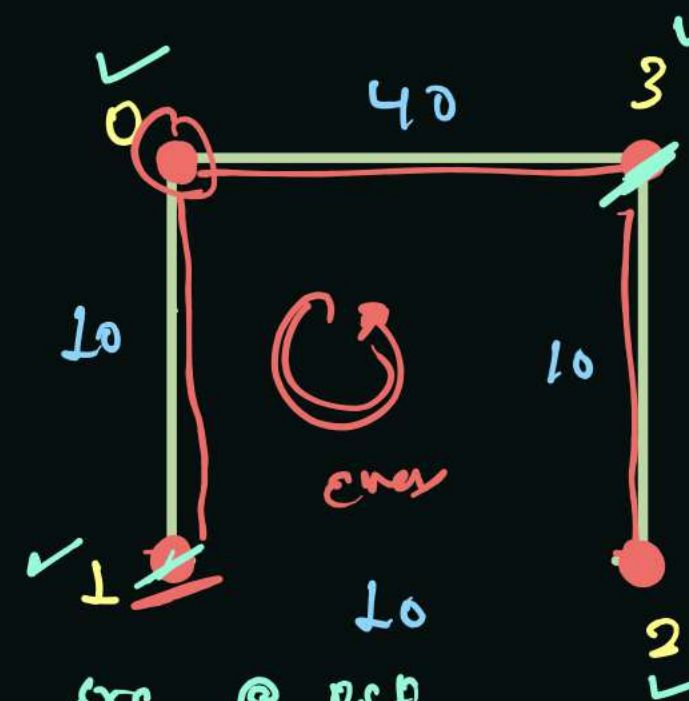
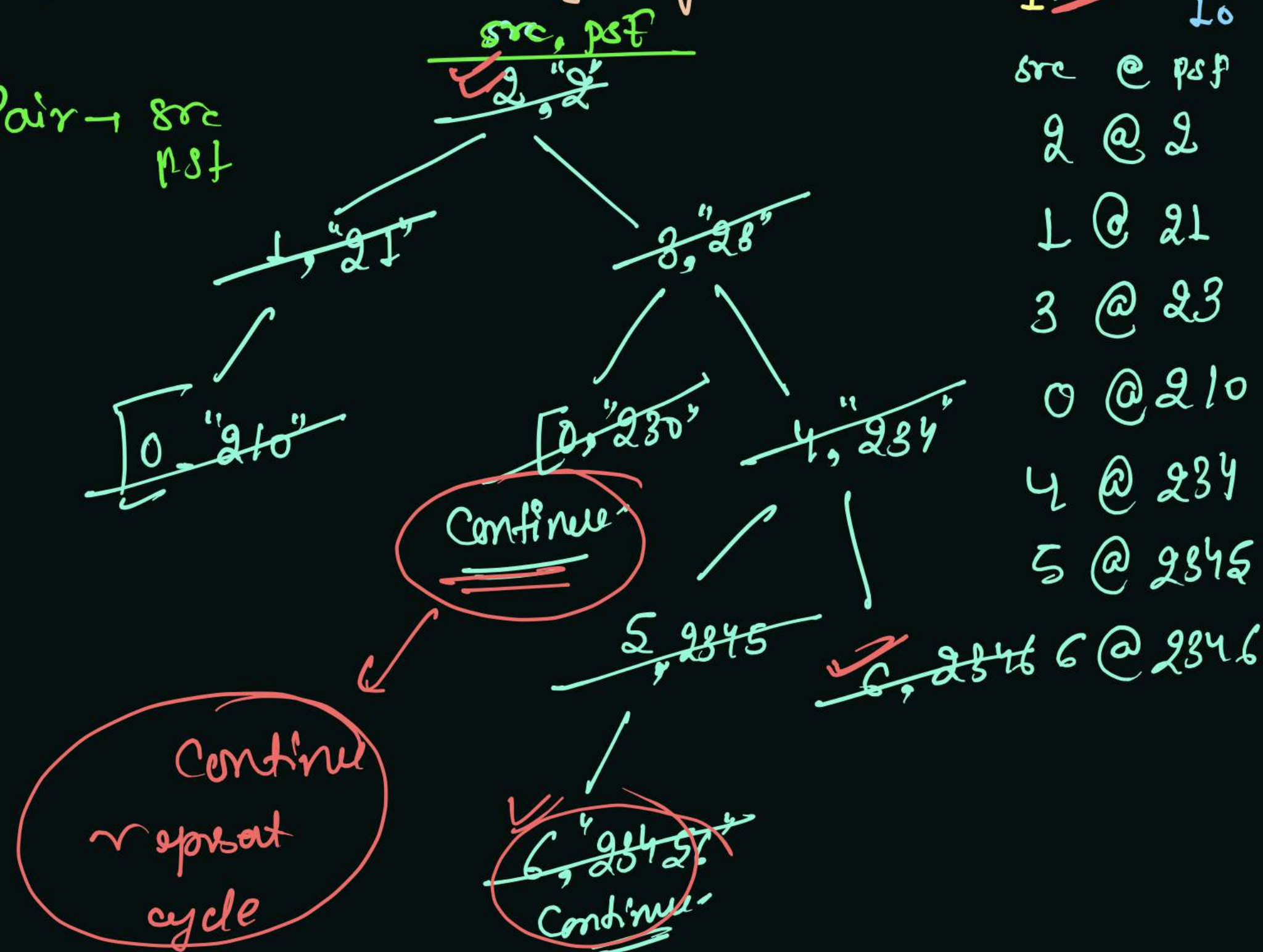
Smallest path. of all the vertex  
from given source in terms of Edge.

Data Structure  
Required - Queue

B Pair  $\rightarrow$  src  
psf

marking  $\rightarrow$

unmark  $\rightarrow$  mark  
marked  $\rightarrow$  continue.



src @ psf

2 @ 2

1 @ 21

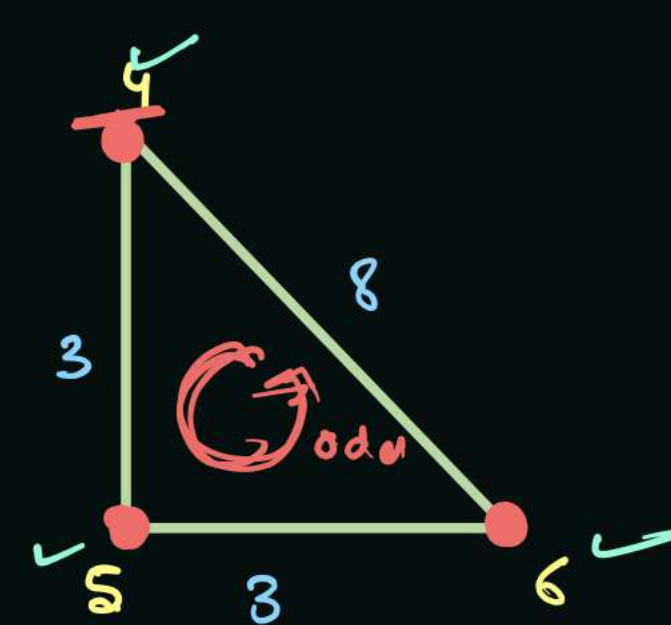
3 @ 23

0 @ 210

4 @ 234

5 @ 2345

6 @ 2346



Steps -

- 1 Get + Remove
- 2 Mark \* ] Level order
- 3 work  $\rightarrow$  print
- 4 Add Neighbour - unvisited



# Searching Algo in Graph →

## Depth First Search

- ① Data structure → Stack
- ② Search in Depth first
- ③ Helpful in gcc concept and all paths concept.
- ④ → topological sort

## Breadth First Searching

- ① Data structure - Queue
- ② Search level wise, or, radially search
- ③ Helpful in level wise traversal
- ④ Smallest distance b/w src to dst in terms of Edges.
- ⑤ → Dijkstra's, etc.

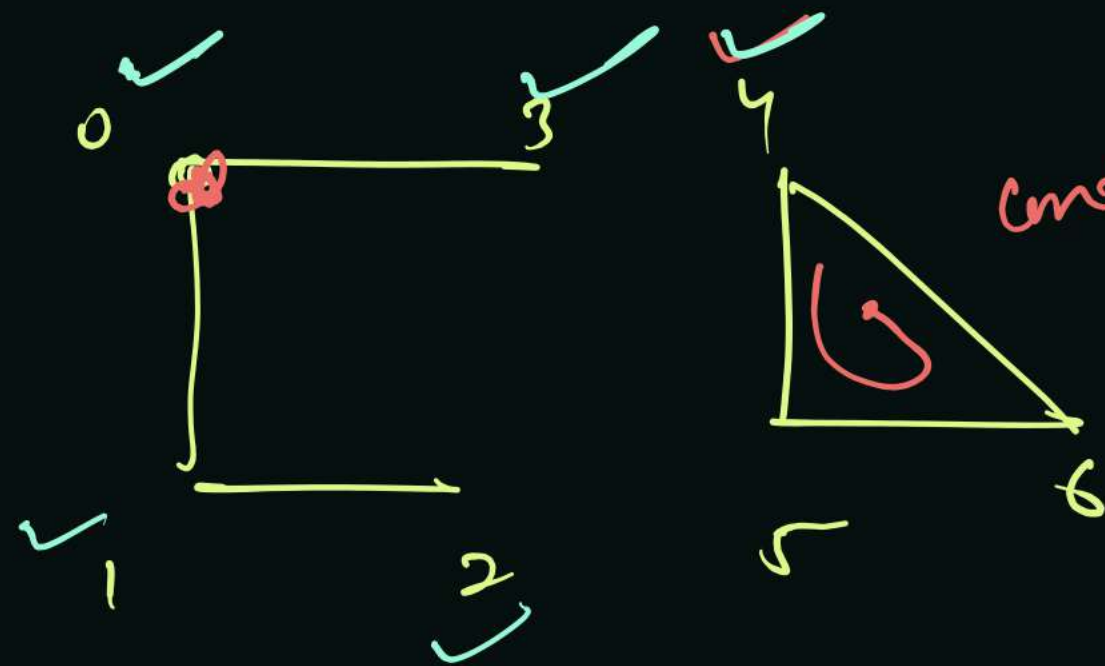
# Is Graph Cyclic

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for graph  
cyclic

- ① main function → ~~iterates~~ on v<sub>tes</sub> and call to BFS (visited)
- ② Helper function → BFS (src received from main cyclic function)



condition → return true