

$n = 6$
 $k = 3$ R, G, B

$n \rightarrow$ house
 $k \rightarrow$ colors

no. of possible ways to paint house
 so that atmost two consecutive house have
 same color??

	0	1	2	3	4	5
Last two have same color	0	$\frac{RR}{GG}$ $\frac{BB}{BB}$ 3	* $\frac{RGG}{RBB}$ $\frac{GRR}{GBB}$ $\frac{BRR}{BGG}$ 6	18	48	---
Last two have diff color	R G B 3	$\frac{RG}{RB}$ $\frac{GR}{GB}$ $\frac{BR}{BG}$ 6	$\frac{RRG}{RRB}$ $\frac{GGR}{GGB}$ $\frac{BBR}{BBG}$ $\frac{RGR}{RGB}$ RBR RBG GRR GRG GBR GBG BRB BRG 18	$(6+18) * (k-1)$ 48	---	---

final = $dp[0][n-1] + dp[1][n-1]$ Ans
 $dp[0][i] = dp[1][i-1]$
 $dp[1][i] = (dp[0][i-1] + dp[1][i-1]) * (k-1)$ Sum

Tiling with 2×1

Saturday, 3 July 2021

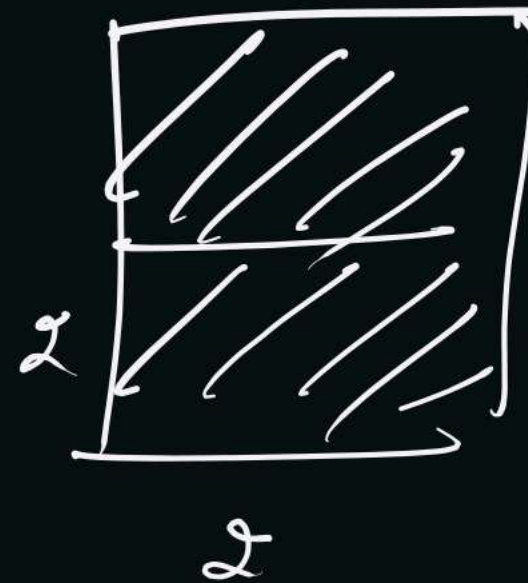
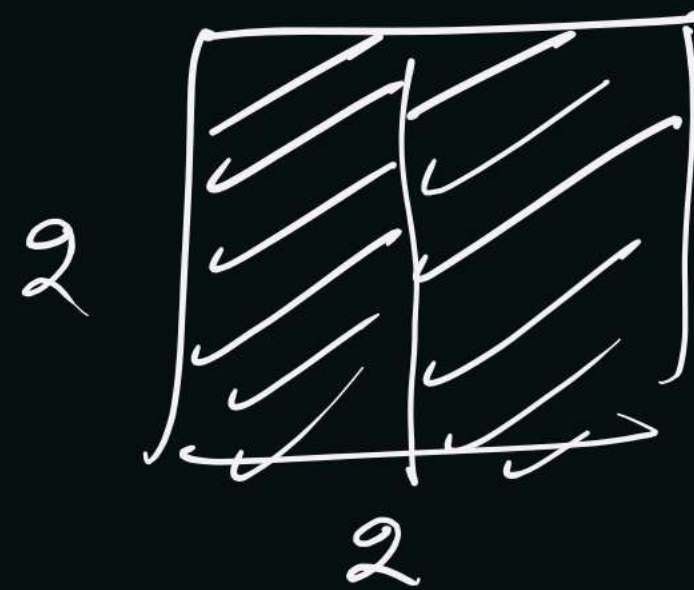
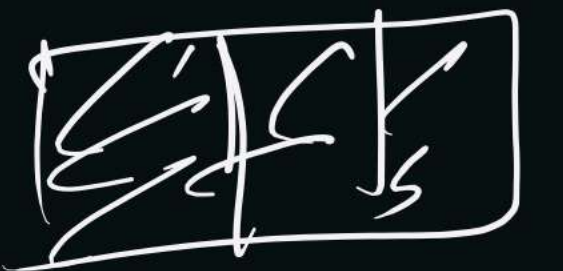
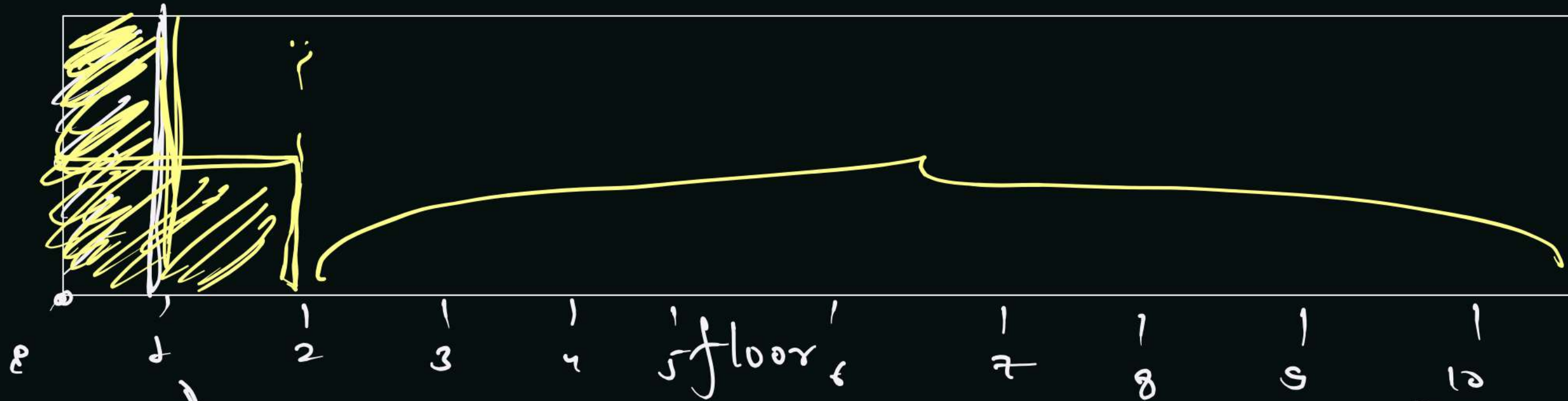
10:16 AM



vertical

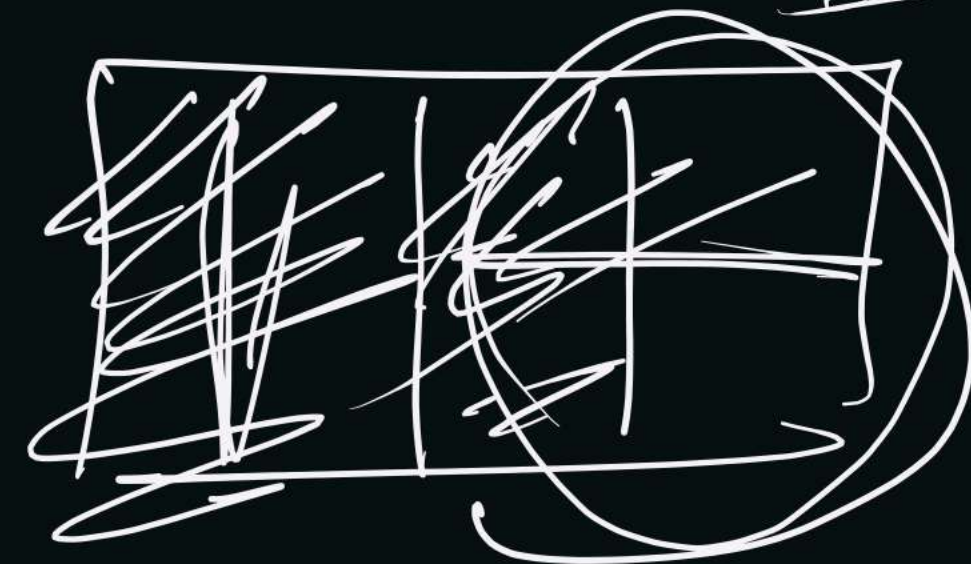
horizontally

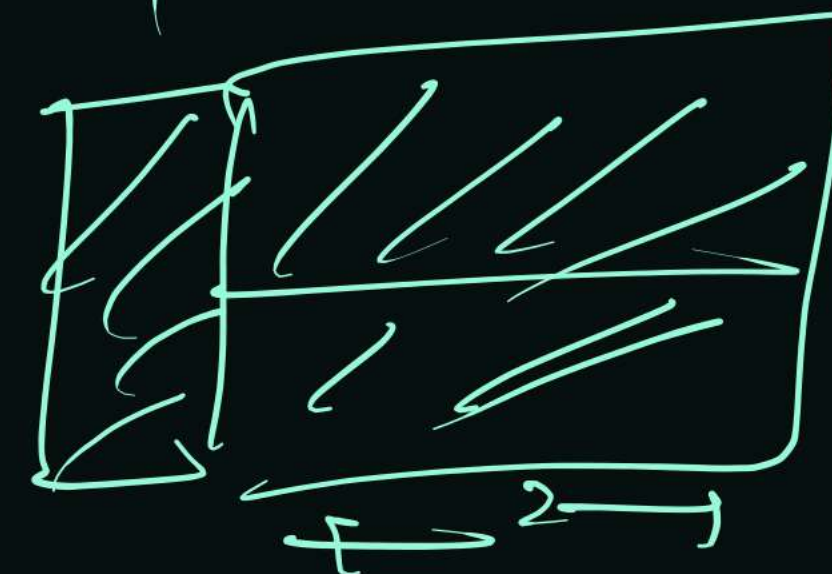
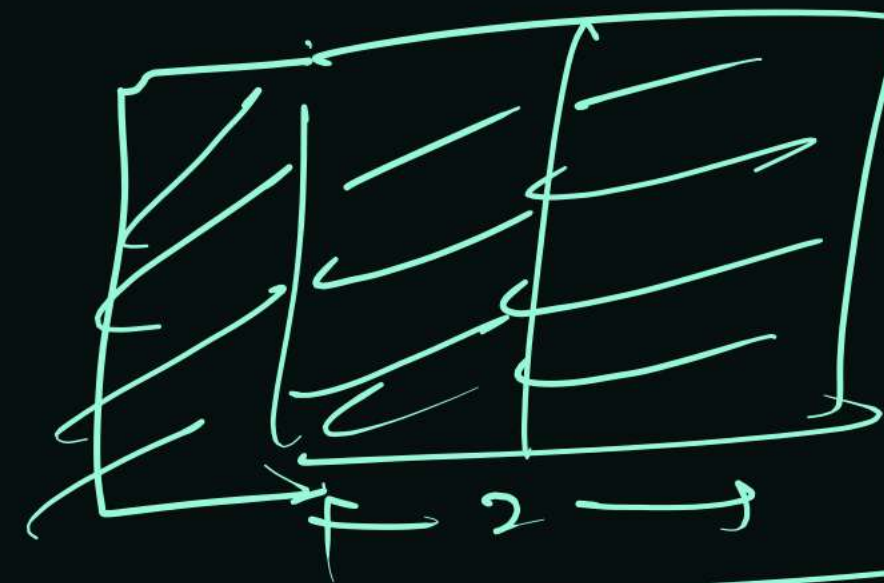
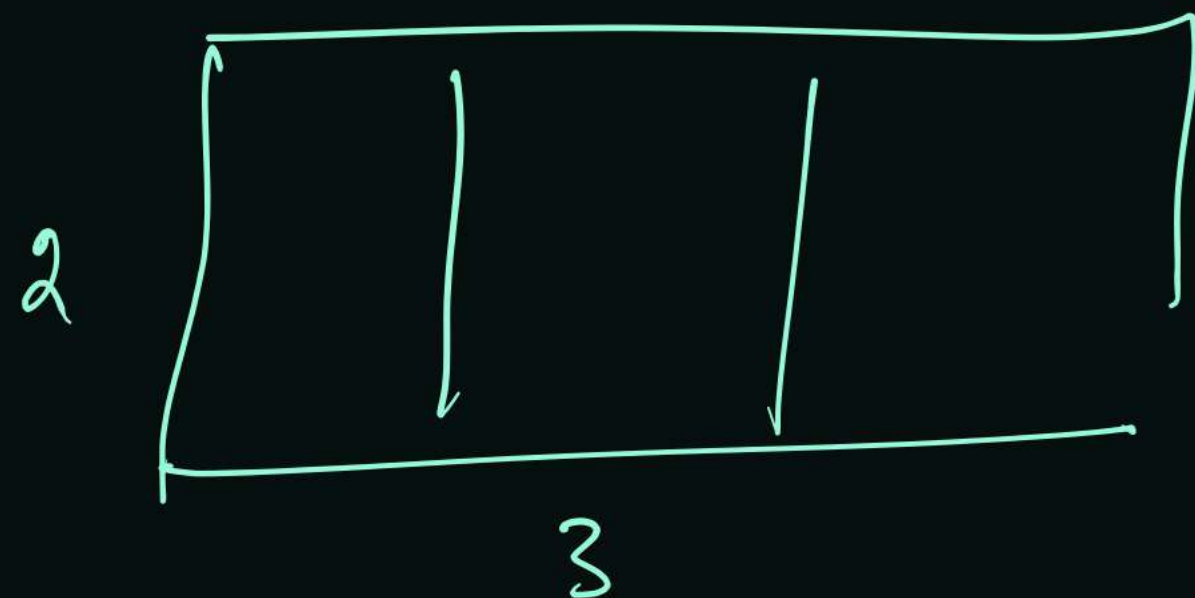
total no. of ways.
for tiling
 $2 \times n$ floor



vertical

$n=3$

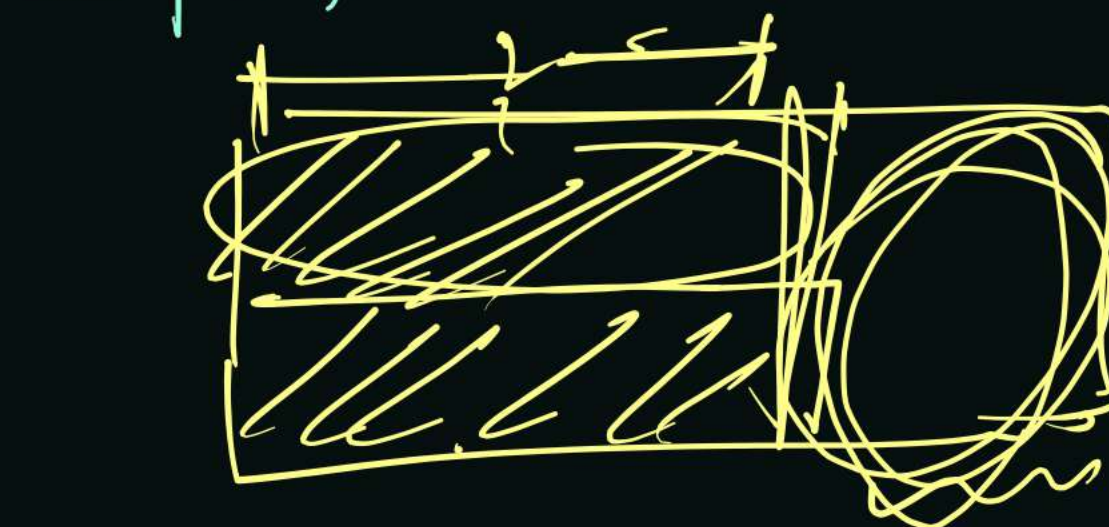




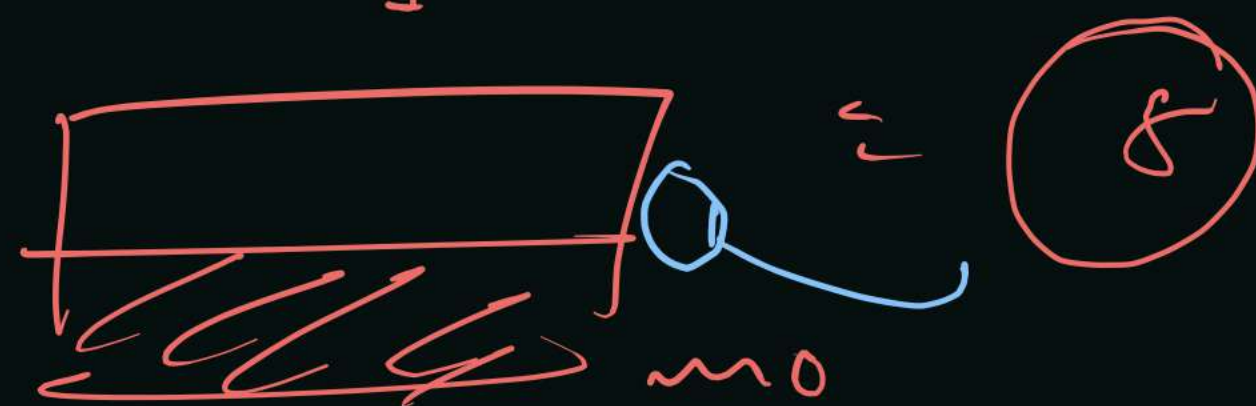
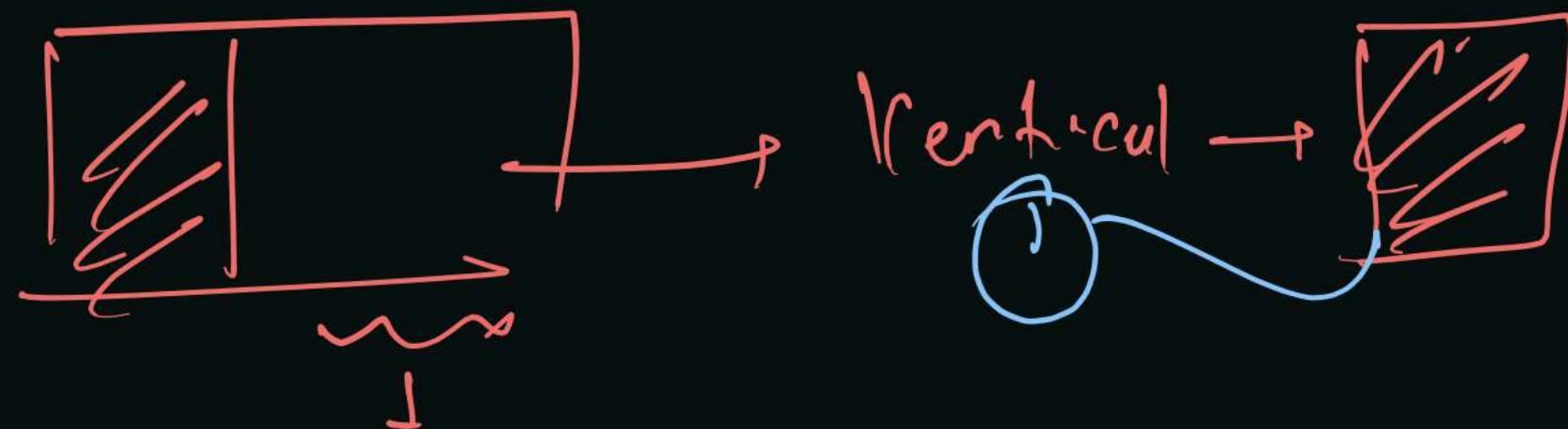
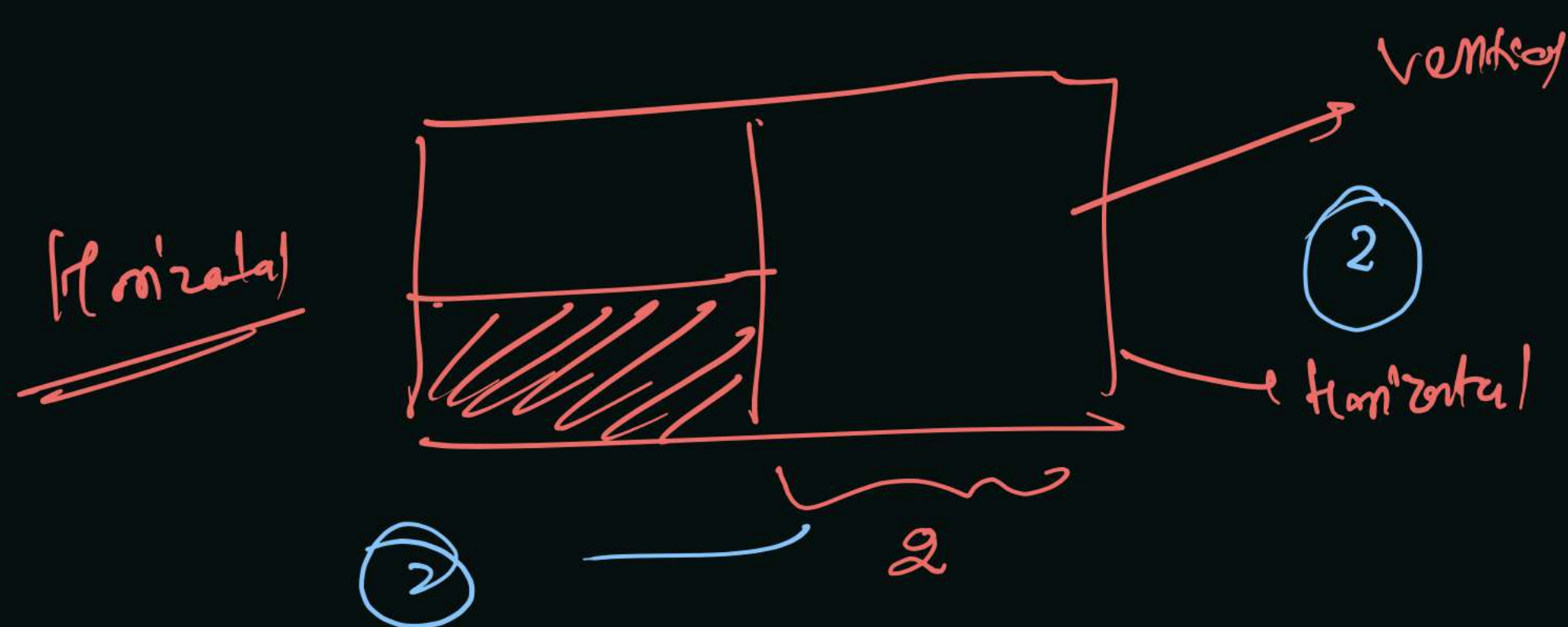
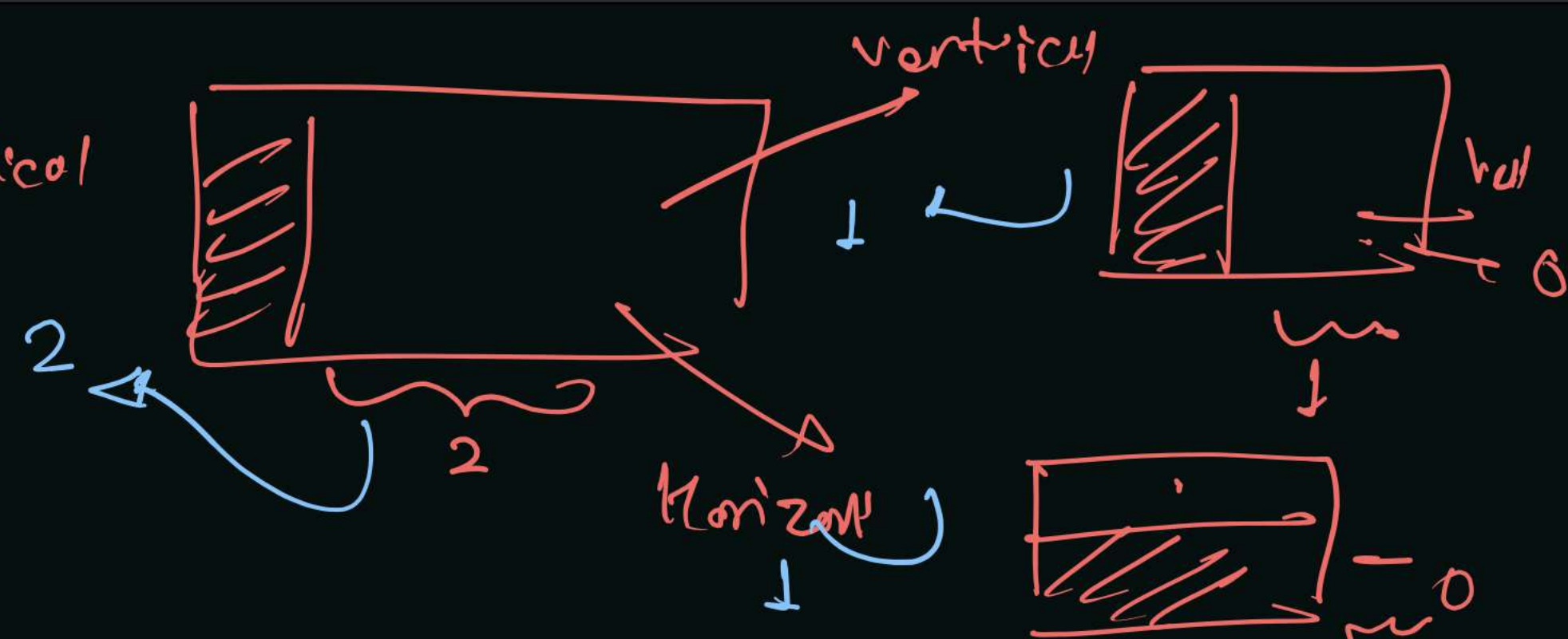
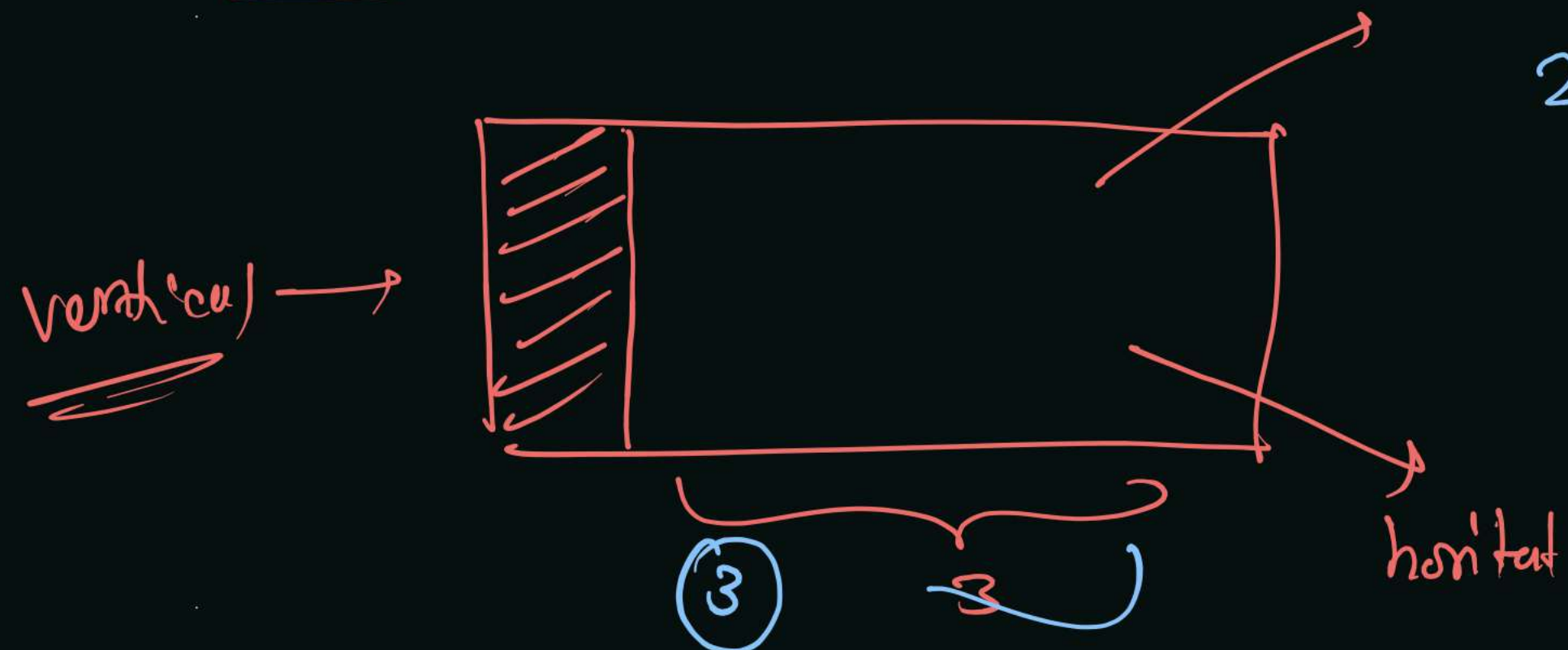
Vertical tile



Horizontal tile



$n = 4$



How to formulate 2×1 Tiling -

Vertical Arrangement + Horizontal

$$f(n) = f(n-1) + f(n-2)$$

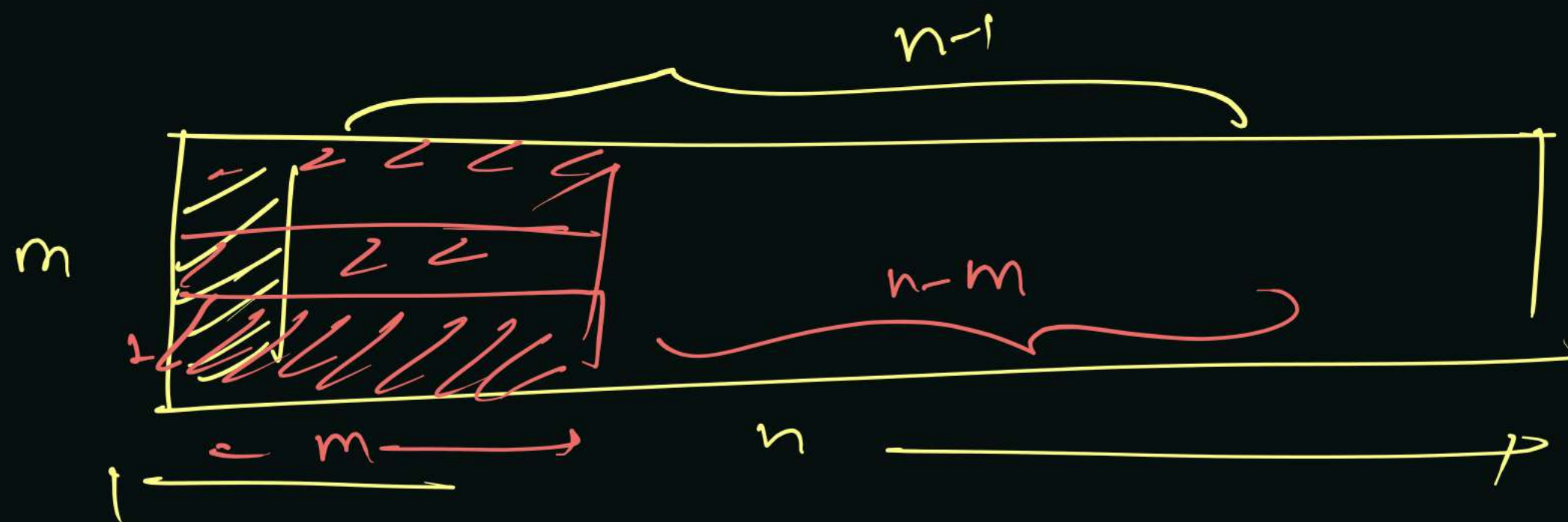
$$\boxed{f(n) = f(n-1) + f(n-2)} \longrightarrow \underline{\underline{\text{fibonacci series}}}$$

Tiling with M*1

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floor : $m \times n$

tile $\rightarrow m \times 1$
 → horizontally
 → vertically



vertical

vertically

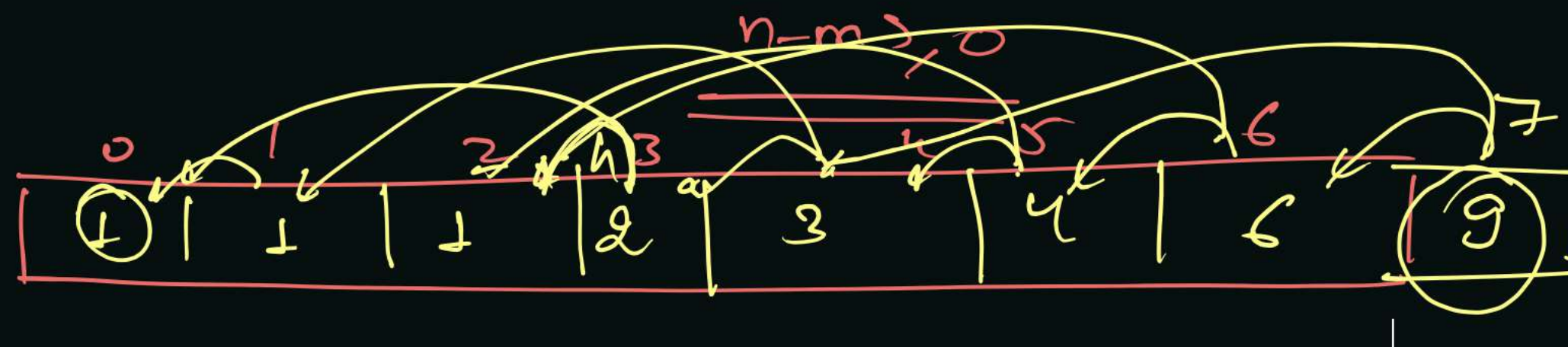
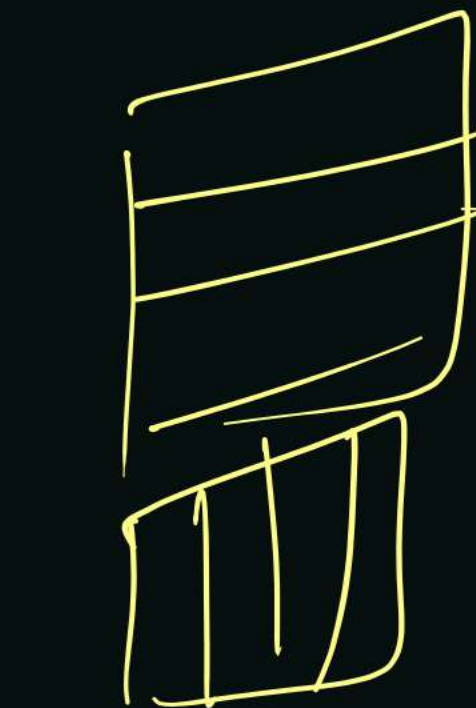
horizontal

$$f(n) = \underline{f(n-1)} + \underline{f(n-m)}$$

dp

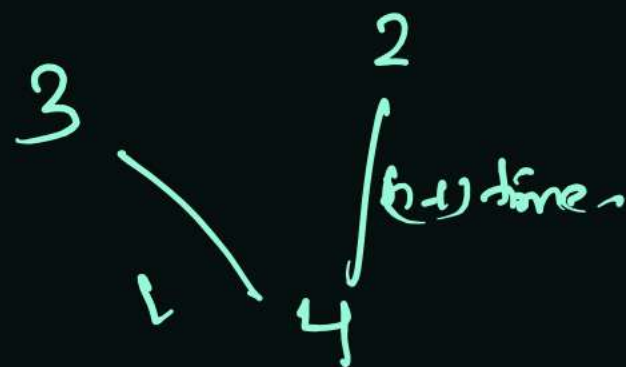
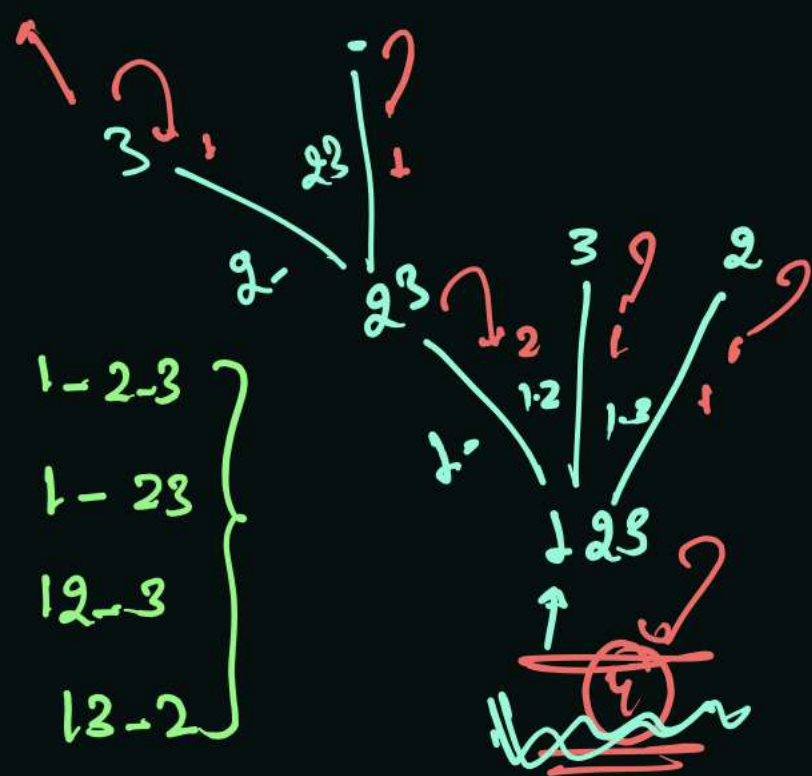
$m=3$

$n=7$



no. of possible ways of grouping.
so that they can stay single or
can pair up with someone.

count = ✓
possibility printing t



1-2-3-4

1-2-34

1-28-4

1-24-3

12-3-4

12-34

13-2-4

13-24

14-2-3

14-23

10

1- 2-3

1-23

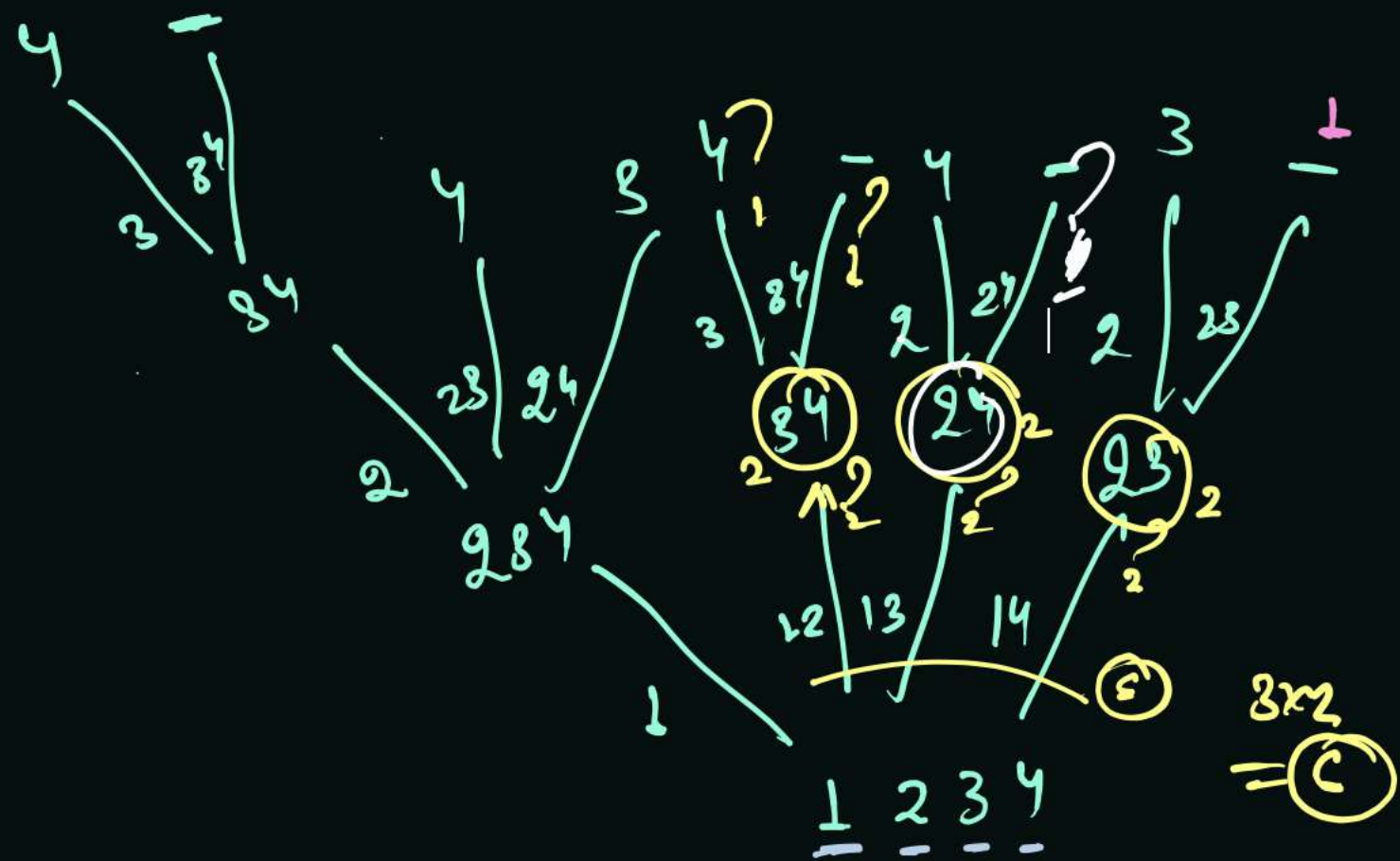
12-3

13 - 2

Formula \rightarrow

$$f(n) = f(n-1) + (n-1) f(n-2)$$

How to formula →



1-2-3-4

1-2-34

1-23-4

1-24-3

12-3-4

12-34

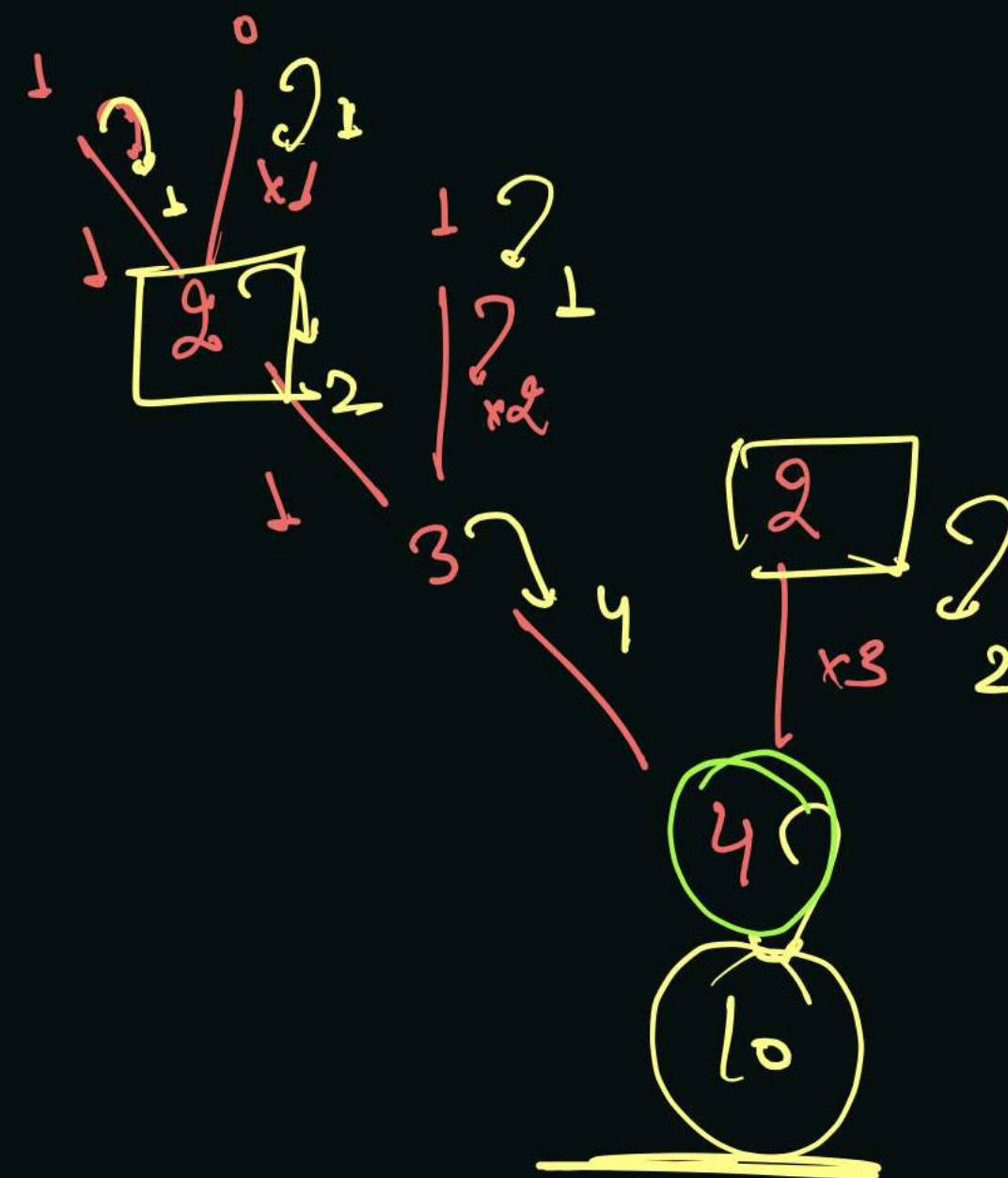
13-2-4

13-24

14-2-3

14-23

(10)



$$f(0) = 1$$

$$f(1) = 1$$

$$dp[i] = dp[i-1] + (i-1) * dp[i-2]$$

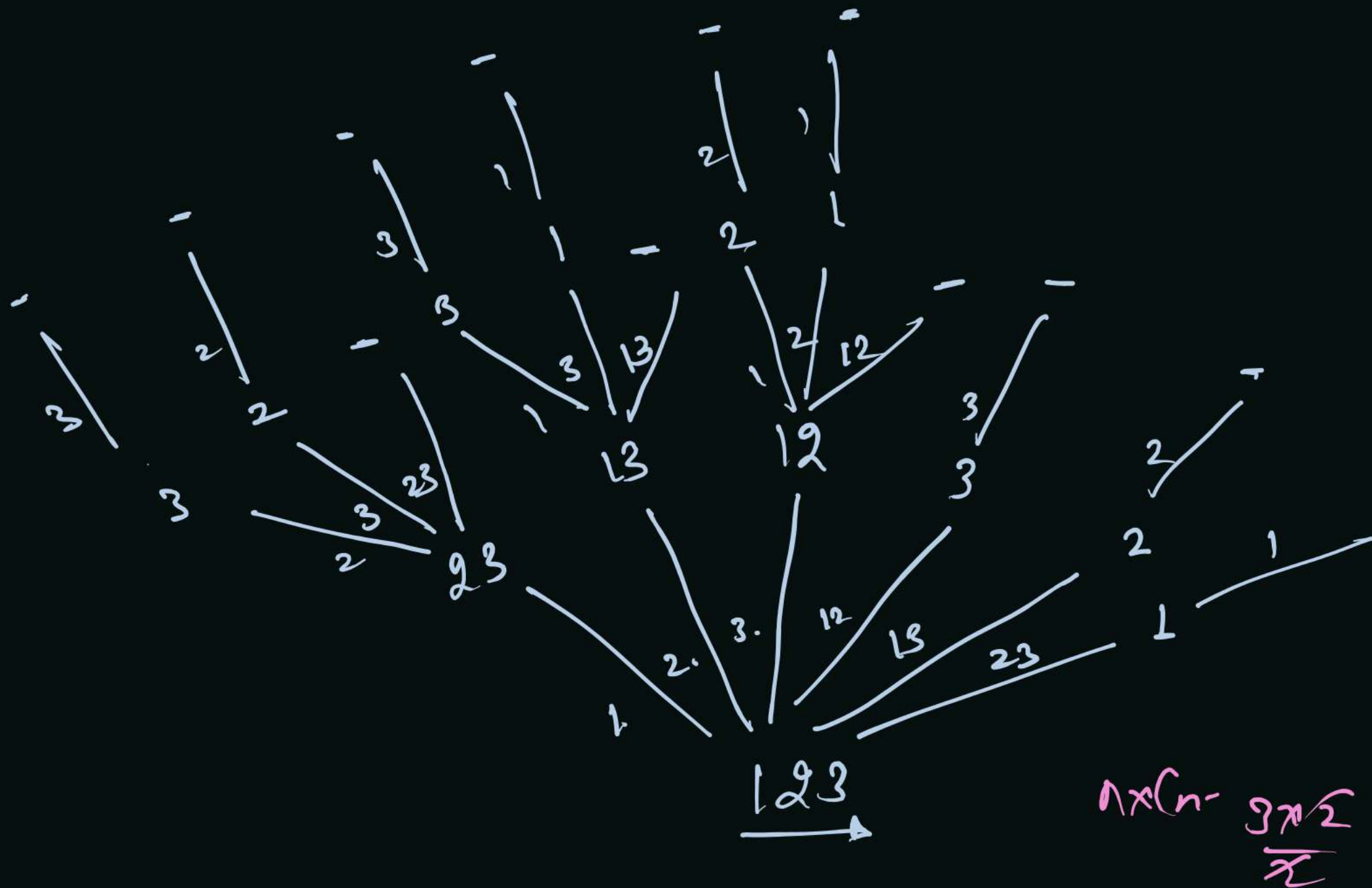
$$f(n) = f(n-1) + (n-1) * f(n-2)$$

→ combination

To print permutation →

$$f(n) = n + f(n-1) + \frac{n \times (n-1) \times f(n-2)}{2}$$

permutation



$$\frac{n!}{(n-2)! 2!}$$

$$= \frac{n \times (n-1) \times (n-2)!}{2}$$