

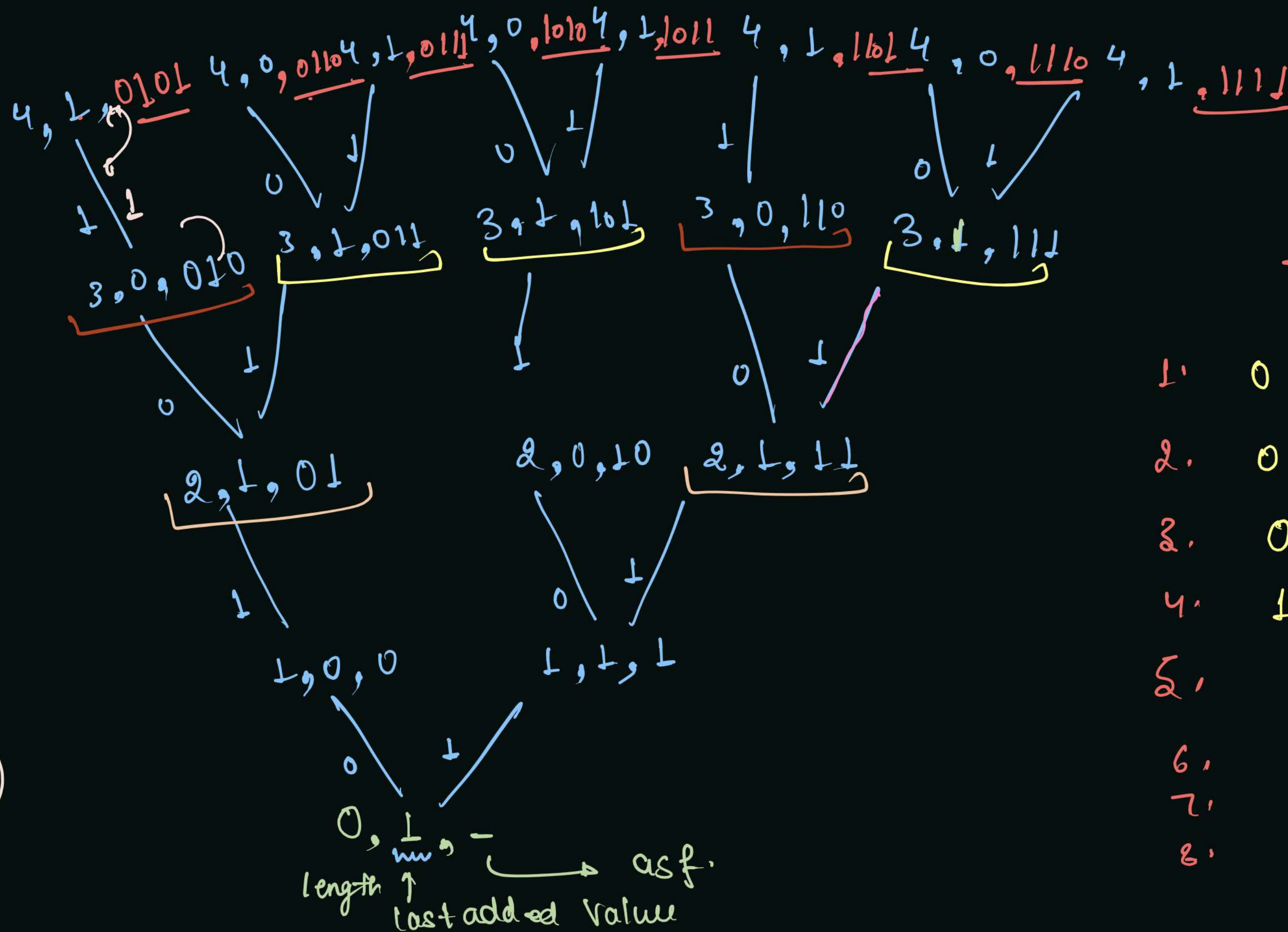
Count Binary Strings

Sunday, 27 June 2021 7:25 PM

n=4.

No. of ways to print Binary String.
have no consecutive zero

$2 \times 2 + 2 \times 2$
all possible.
 $\rightarrow 16 =$



strings.

1. 0101
2. 0110
3. 0111
4. 1010
5. 1011
6. 1101
7. 1110
8. 1111

have
no
consecutive
zeros

get
length: (4)
get] →

A hand-drawn diagram of a 4x4 grid. The columns are labeled 0 and 1 at the top. The rows are labeled p, 2, 3, and 7 on the left. Arrows indicate a path starting from the bottom-left cell (7, p), moving right to (7, 1), then up to (0, 1), and finally right to (1, 1).

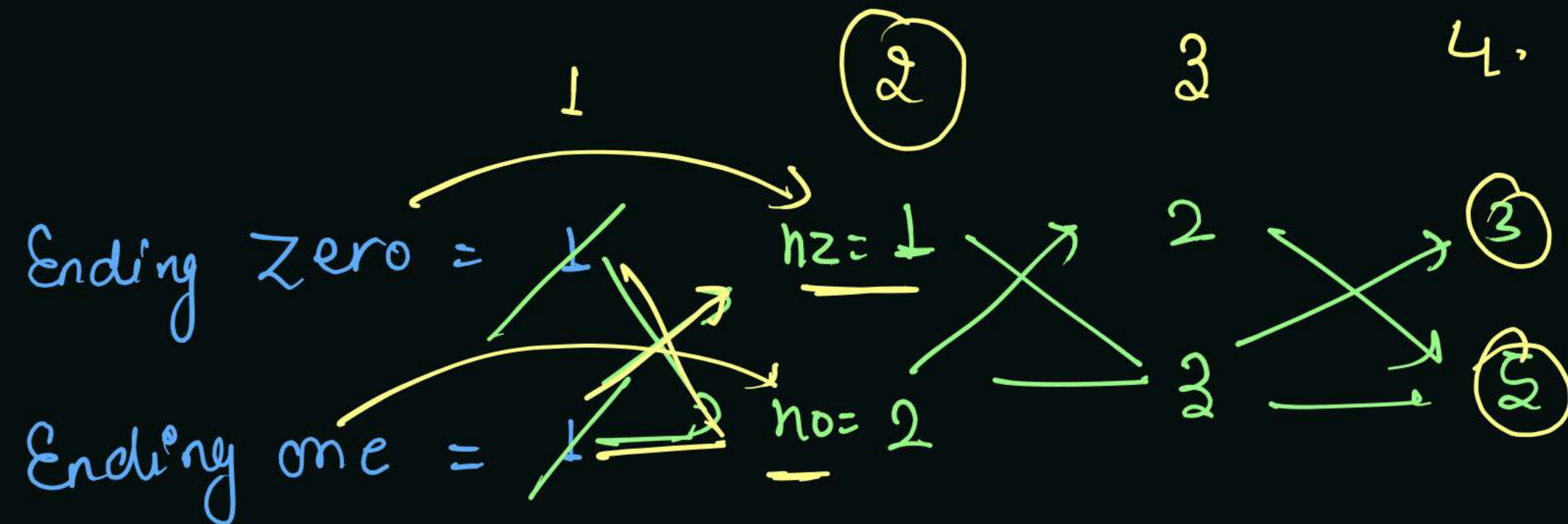
$$\begin{aligned} \text{ap}[0][0] &= 1 \\ \text{ap}[1][0] &= 1 \end{aligned}$$


Final Answer

$$\begin{array}{c} \xrightarrow{\quad} \\ (8) + (5) = (8) \end{array}$$

$$\begin{aligned} dp[n][0] &= dp[n-1][1]; \\ dp[n][1] &= dp[n-1][0] + dp[n-1][1]; \end{aligned}$$

Optimised Approach



$$\text{final Result} = \frac{3+5}{2} = 8$$

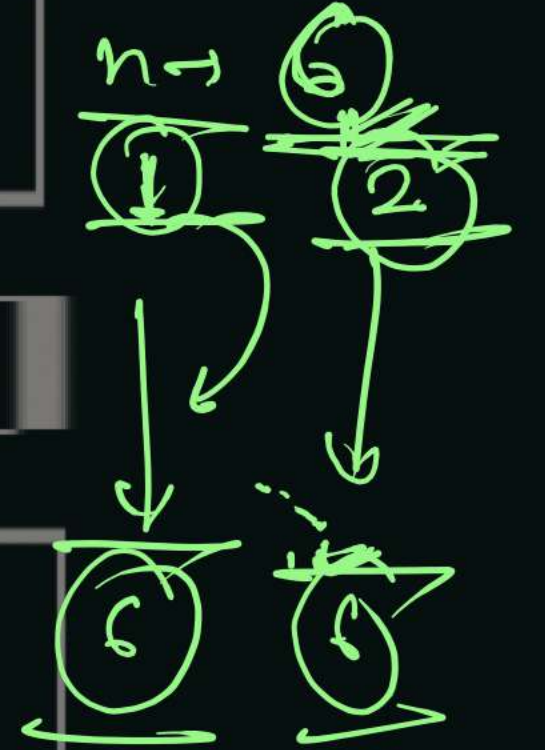
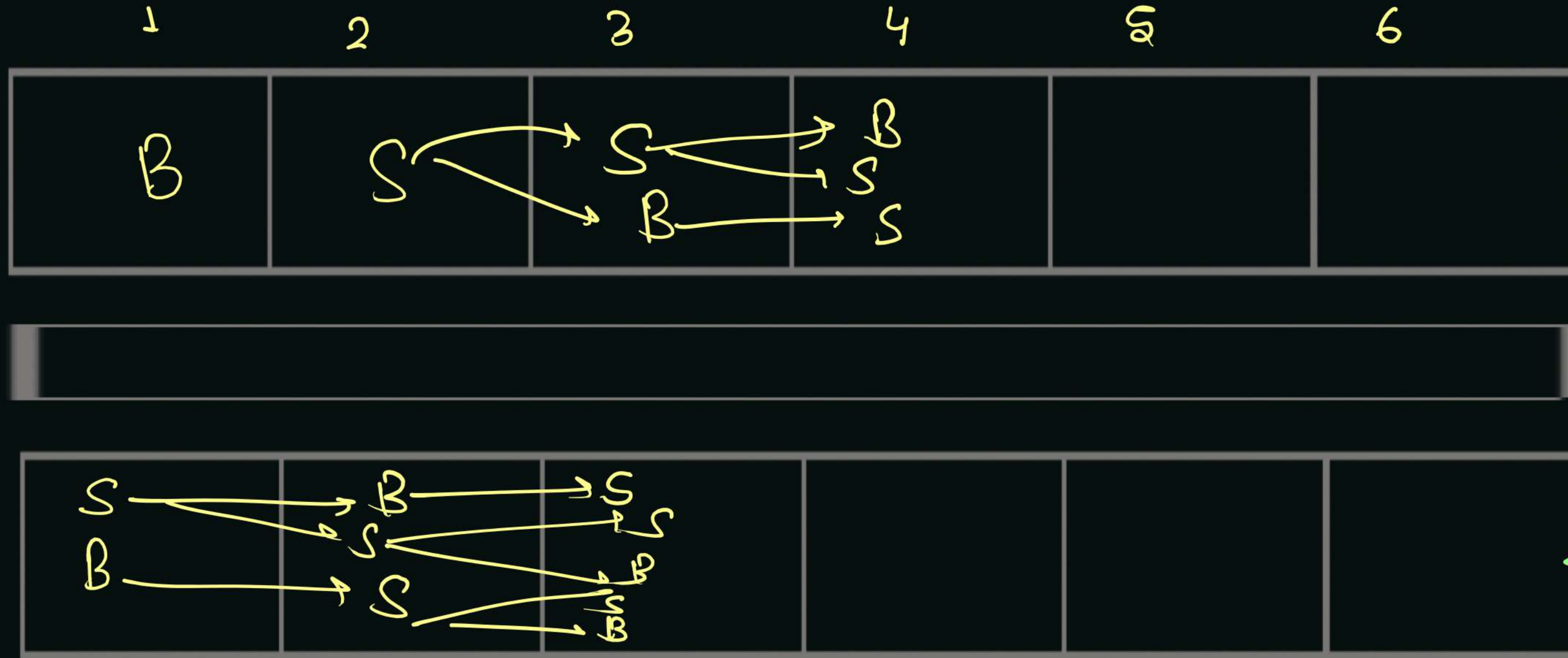
```
public static int countBinaryString_c  
    int zero = 1;  
    int one = 1;  
  
    for(int i = 2; i <= n; i++) {  
        int n_zero = one;  
        int n_one = one + zero;  
  
        zero = n_zero;  
        one = n_one;  
    }  
  
    return one + zero;  
}
```

Arrange Buildings

Tuesday, 29 June 2021 7:55 PM

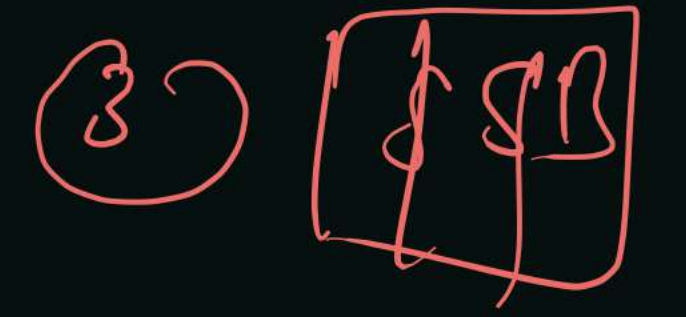
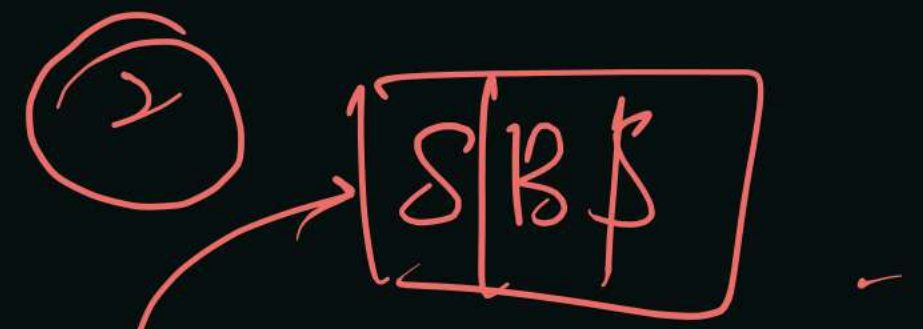
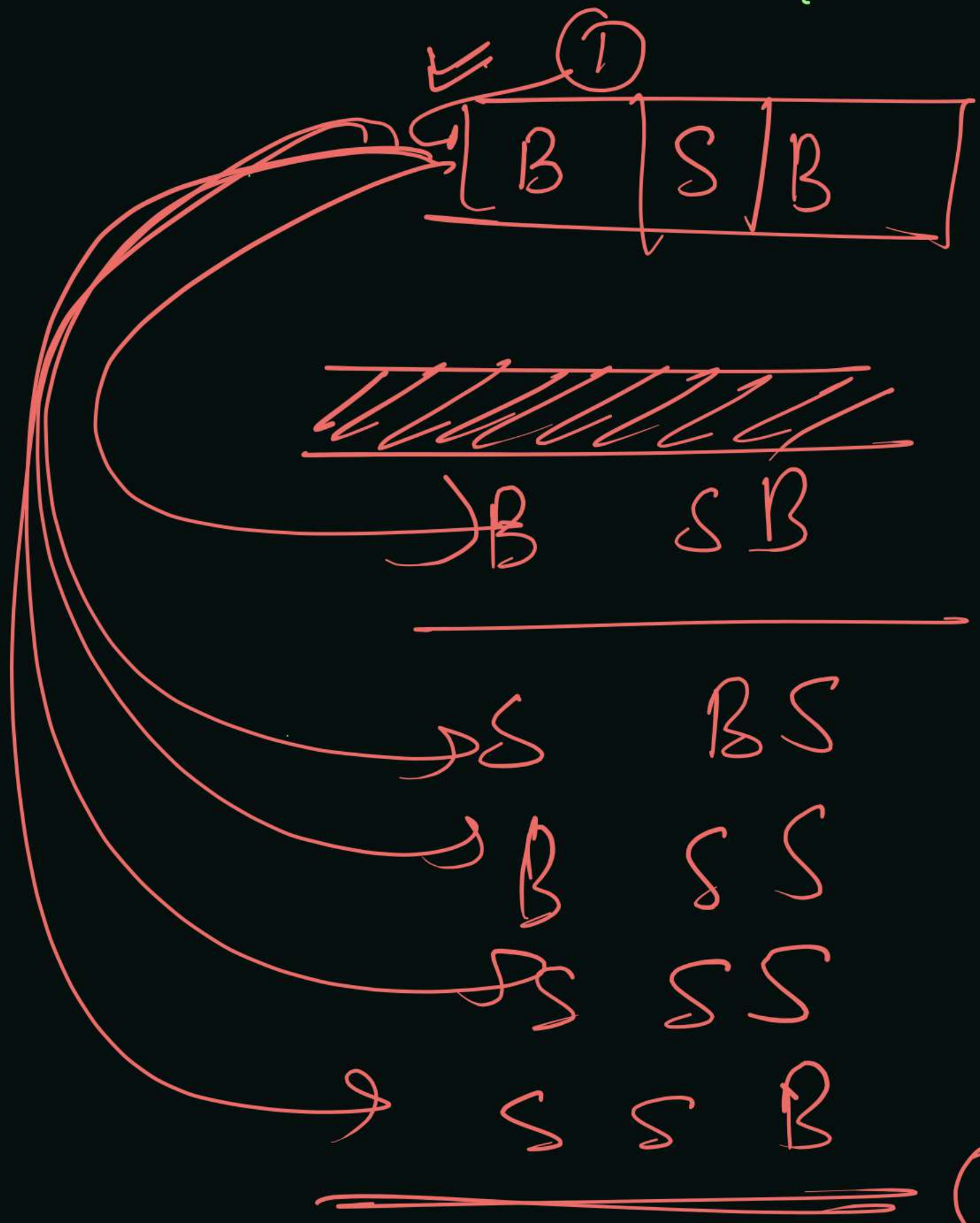
{ no. of possible ways to arrange 6 length of string with no consecutive zero. } already done.

no. of possible ways to arrange no consecutive building.



Building space } contractor two consecutive building or not there in both side of Road

✓ B S B , S B S , B S S , S S S , S S B



result ≠ result



B S B

S B S

B S S

S S S

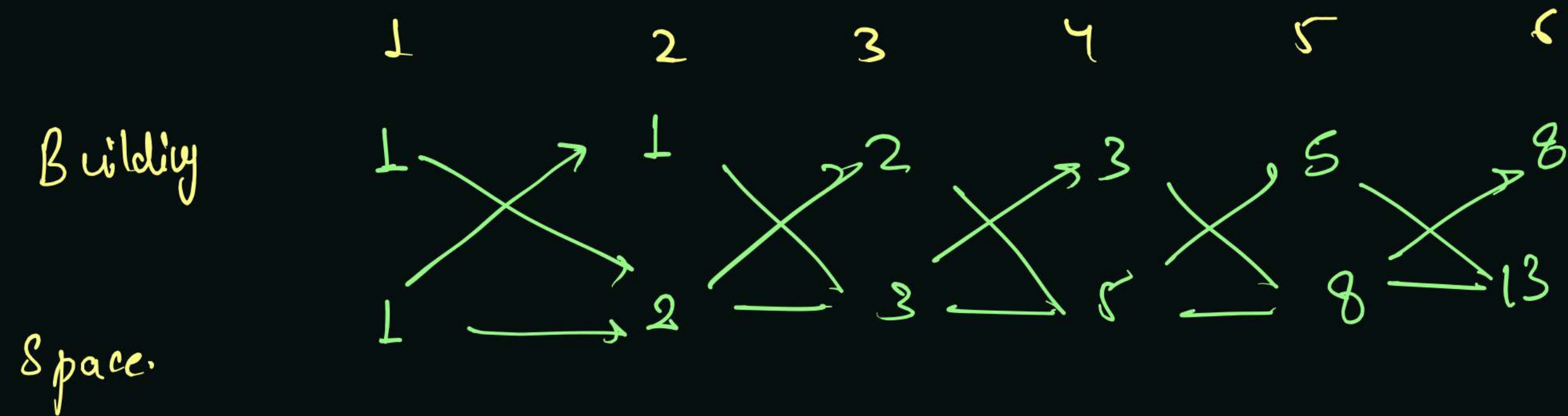
S S B

⑤

⑥

⑦ = ⑧

Result in single side for $n=6$



$$\begin{aligned} \text{final result} &= 13 + 8 \\ \text{for single side} &= 21 \end{aligned}$$

$$\text{for both side} = 21 \times 21 = \underline{\underline{441}}$$

Count Encodings

Tuesday, 29 June 2021

7:55 PM

$n = 1\ 2\ 3\ 2\ 3$
 $index = 0\ 1\ 2\ 3\ 4$

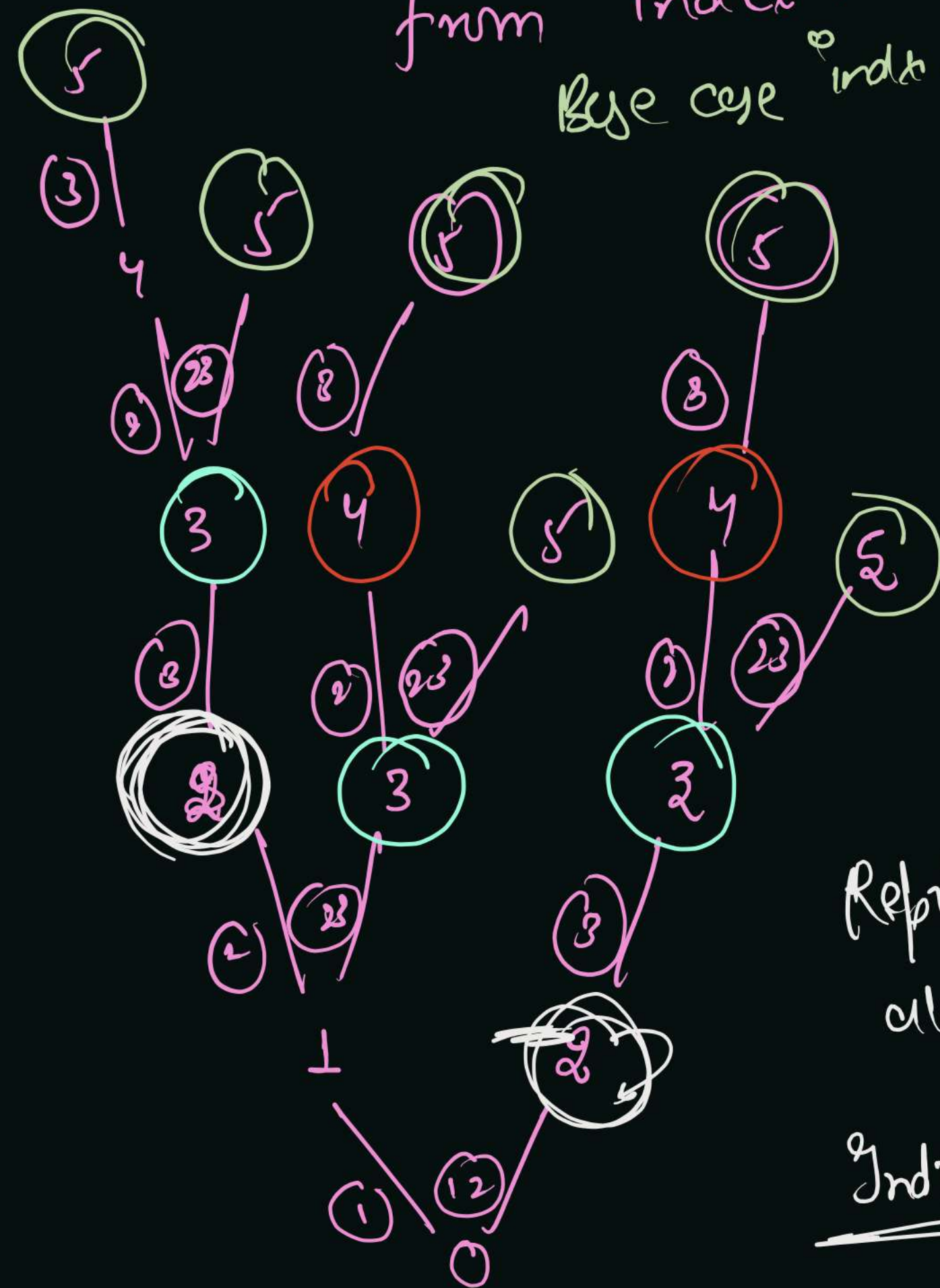
10/6



$1+2+3+2+3 \rightarrow abcbe$
 $1+2+3+23 \rightarrow abcw$
 $1+23+2+3 \rightarrow awbc$
 $1+23+23 \rightarrow aww$
 $12+3+2+3 \rightarrow lcbe$
 $12+3+23 \rightarrow lcw$

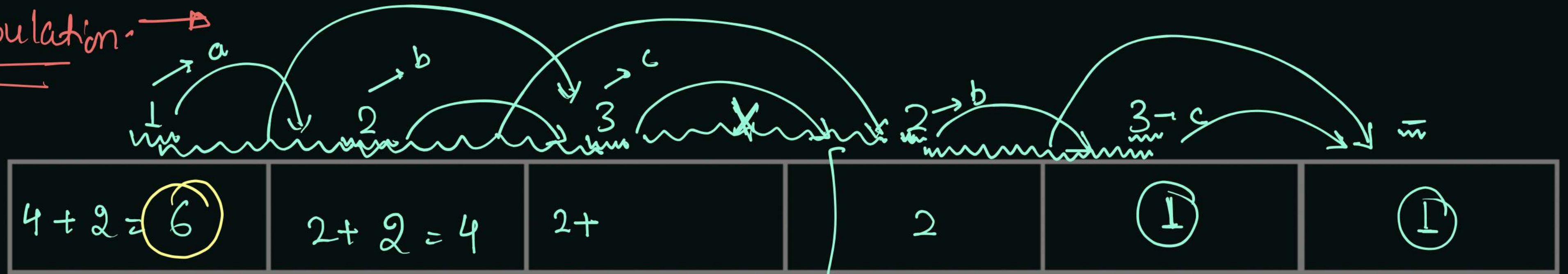
substring can be replace

from index
 Base case $index == string.length()$
 Indep



Repetition
 along
Index

tabulation →



abc bc
abc w
aw bc
aw w

lc bc
lc w

bc bc
bc w
w bc
w w

cb c
cw

bc
w

c

-

think about it??

NOTE: Direction is matter
here or not??

Final Result = 6

