Quiz:
$$1 ext{True}$$

$$2 ext{ } \theta \left(2^{\ln^2 + 3n}\right)$$

$$3 ext{ } \theta \left(n^5\right)$$

Math foundations

Analysis:
$$Vuntine := count of basic operations$$
.

$$T(n) := worst asse runtine.$$

$$L_i smethes write $T_{in}(n)$$$

for Sequential search,
$$T(n) = 3n+1$$
 or something $\in O(n)$

$$O(g) = \left\{ f \in 2^{\mathbb{N}} \mid \exists_{cro, n_0 \text{ s.t. }} f(n) \leq cg(n) \quad \forall n \geq n_0 \right\}$$

$$O(g) =$$

$$\Theta(g) = O(g) \cap \Omega(g)$$

Theorem: If
$$f_1 \in O(g_1)$$
 and $f_2 \in O(g_2)$ then
$$f_1 + f_2 \in O(g_1 + g_2) = O(\max(g_1, g_2))$$

$$f_1 \cdot f_2 \in O(g_1 \cdot g_2)$$

Proof: easy constant building.

Same theorem for 12.

Perhaps better definitions:

$$O(g) = \{ f \in 2^{10} \mid \lim_{n \to \infty} \frac{f(n)}{J(n)} \neq \infty \}$$

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$$\Theta(g) = O(g) \wedge \Omega(g)$$

$$o\left(g\right) = \left\{f \in 2^{N} \mid \lim_{n \to \infty} \frac{f(n)}{g(n)} = 0\right\}$$

$$\omega(g) = \{ " \qquad "= \infty \}$$

$$\theta(g) = \emptyset$$

for
$$g: \mathbb{N}^k \to \mathbb{N}$$
, $O(g) = \{f: \mathbb{N}^k \to \mathbb{N} \mid \exists c,r>0 \text{ s.t. } f(\vec{n}) \leq g(\vec{n}| \text{ when } |\vec{n}|>r\}$