

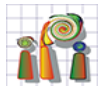
# Photogrammetric Computer Vision

Photogrammetric Computer Vision (PCV)

Lab 3


Background Subtraction

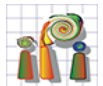
Lin Chen



# Lab 3 - content

## Image Sequence Analysis: Background Subtraction

- Model background using the “Single Gaussian” model
- Sequential estimation of the parameters (mean and variance)
- Background/foreground labelling process
- Noise reduction in the labels 
- Evaluation of two different values for the learning rate
- Discussion of the results

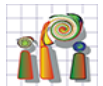


# Given Data

- Image sequence of a surveillance camera in a station (see last slide)
  - Image sequence "S1 (Take 1-C)" (Cam 3) of PETS 2006 Benchmark data
  - <http://www.cvg.reading.ac.uk/PETS2006/data.html>
- M-file containing a framework for reading the sequence where you can start from



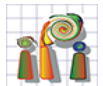
# *Background Subtraction: Single Gaussian*



# Single Gaussian

## Key Idea

- Learn background model from past  $n$  frames
- Background modeled as a single Gaussian
- Parameters of Gaussian Distribution  $N(\mathbf{x}|\mu_{\mathbf{x}}, \sigma_{\mathbf{x}}^2)$ 
  - Mean  $\mu_{\mathbf{x}}$  and variance  $\sigma_{\mathbf{x}}^2$
- Probability that a pixel is background:  $p(\mathbf{x}) = N(\mathbf{x}|\mu_{\mathbf{x}}, \sigma_{\mathbf{x}}^2)$
- Parameters are estimated for **every** pixel



# Single Gaussian

- Parameters can be estimated recursively

$$\mu_n = (1 - \alpha)\mu_{n-1} + \alpha \cdot g(\mathbf{x})$$



$$\sigma_n^2 = (1 - \alpha)\sigma_{n-1}^2 + \alpha \cdot (\mu_n - g(\mathbf{x}))^T (\mu_n - g(\mathbf{x}))$$

- $\alpha$  is called *learning rate*
  - Evaluate your results for  $\alpha_1 = 1/50$  and  $\alpha_2 = 1/1400$



# Single Gaussian

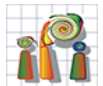
- Background model changes continuously
  - E.g. adaptive to gradual illumination changes
- Use variance as a local threshold

$$\Delta g = |g(\mathbf{x}, t) - \mu(\mathbf{x})|$$

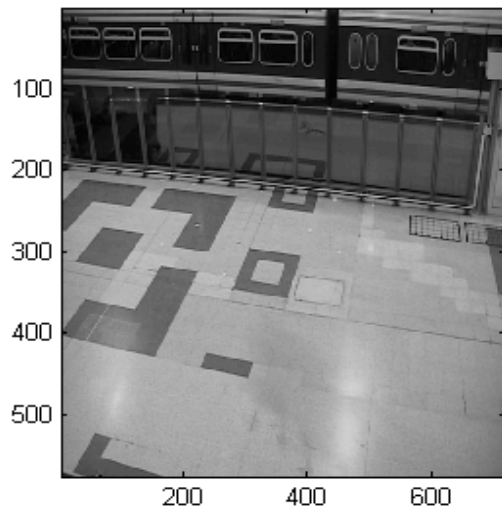
$$\Delta g \begin{cases} > 2.5 \cdot \sigma(\mathbf{x}) & \text{foreground} \\ < 2.5 \cdot \sigma(\mathbf{x}) & \text{background} \end{cases}$$

... to label foreground/background pixels in each frame

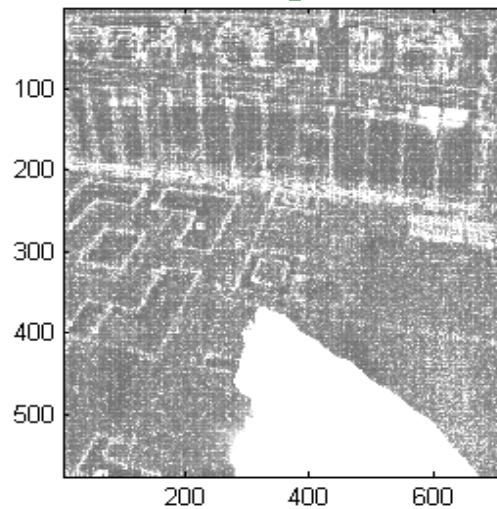
- Reduce noise in the resulting label images by morphological operations (dilation followed by erosion if BG code is 1 and FG is 0)



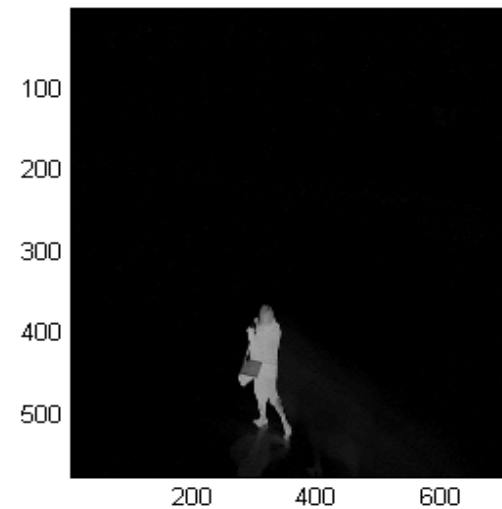
# Example



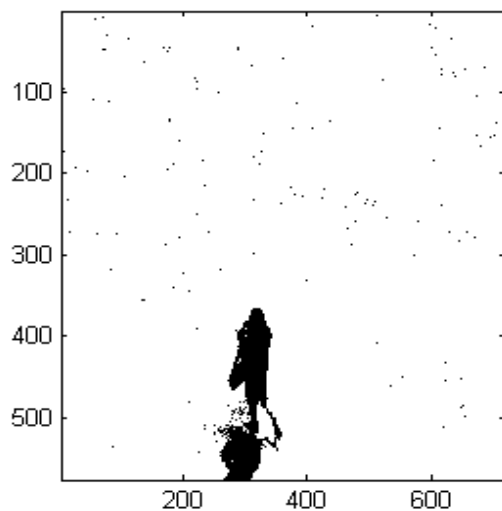
Mean



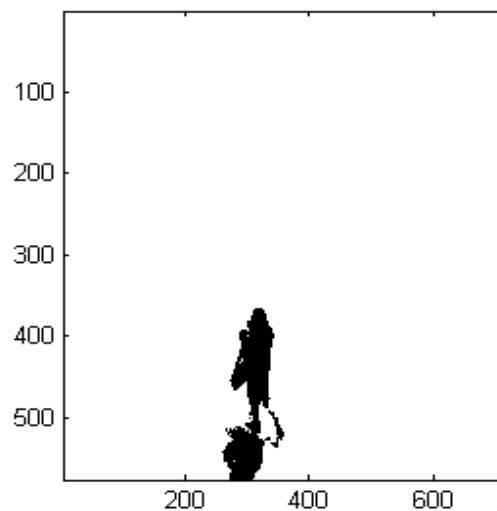
Variance



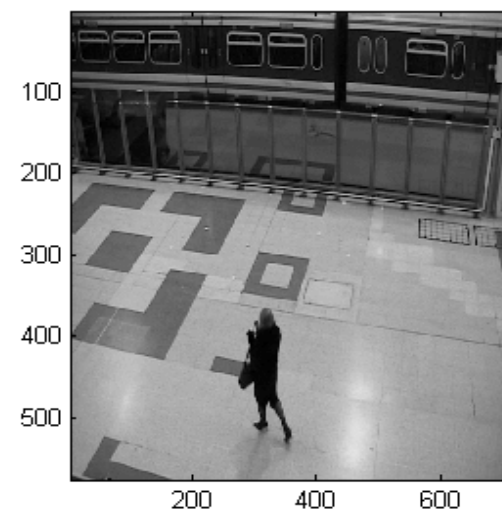
Delta



Mask



Mask without noise

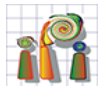


Input image



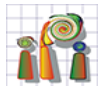
# Discussion

- The implementation of the background subtraction algorithm is to be applied to the given image sequence.
- As a result we expect images for 2 different frames with  $\alpha = 1/50$ :
  - the background mean image,
  - the background variance image,
  - the difference image of mean background and current frame,
  - the binary foreground/background mask
- The obtained results are to be discussed with the two values for  $\alpha$  (care should be taken about shadows, reflections, people/things standing still, etc.) and explain why certain cases turn out with a wrong label.



# Hints

- Work in grayscale intensity images
- **Don't use loops!** (only one to iterate the images)
- Use matrix indexing and vectorized operations instead!  
E.g.: ***bg(delta\_g > 2.5\*sqrt(sigma\_square)) = 0*** or  
element wise square like ***.^2***
- Initialize  $\mu_x$  with the grayvalues of the first image
- Initialize  $\sigma_x$  with a value of, e.g., 10 for every pixel
- Use *imagesc* for graphical output
- Use *drawnow* to wait for the figure to plot



Deadline for the submission of results:  
January 30<sup>th</sup>, 2020

*The image sequence can be downloaded from my  
Dropbox Account:*

[https://www.dropbox.com/sh/whf5haze25mqtlq/AADgfsXLggl1hDOlsFbho8G\\_a?dl=0](https://www.dropbox.com/sh/whf5haze25mqtlq/AADgfsXLggl1hDOlsFbho8G_a?dl=0)

*Submission of **written report** with answers to the  
questions in printed form*

*and **Matlab code** to Lin Chen*

**chen@ipi.uni-hannover.de**

