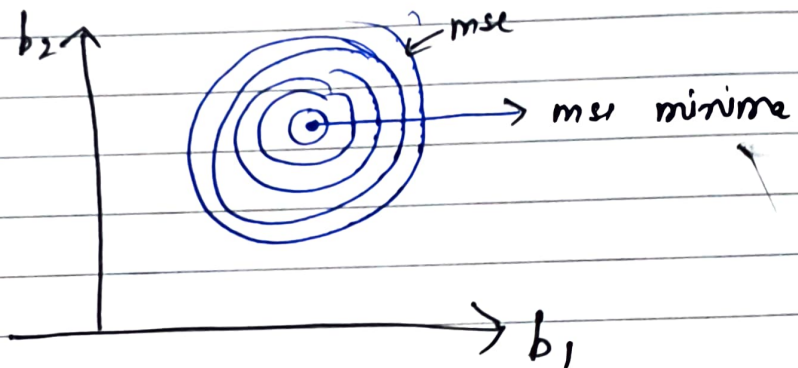


INTUITION FOR RIDGE

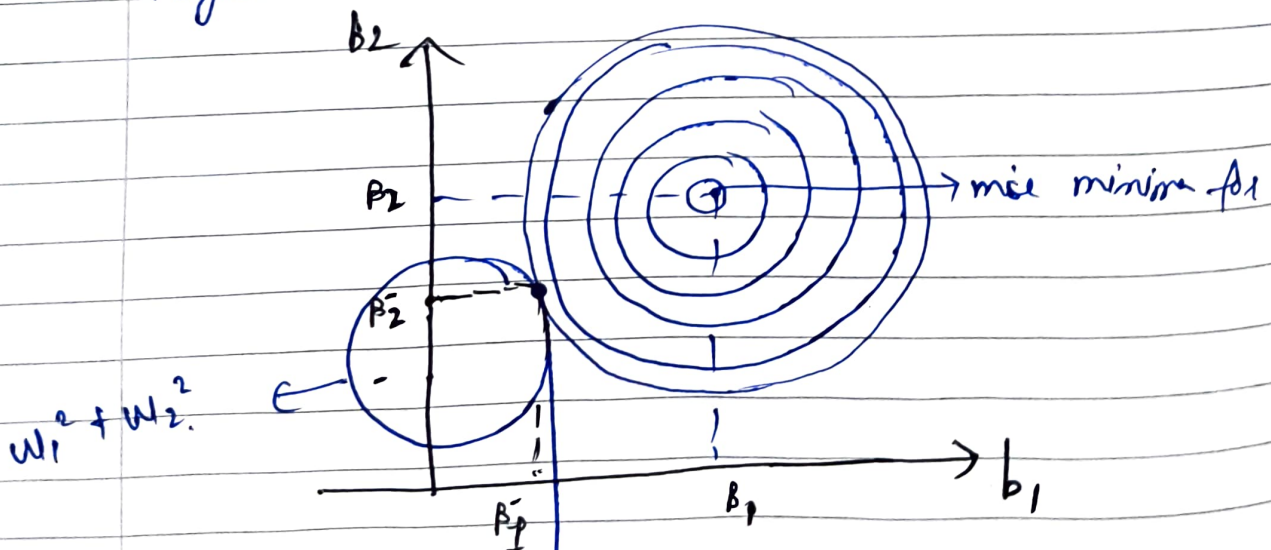
- Loss $f_n = \text{mse} + \lambda ||W||^2$
- let's say we have 2 inputs, \therefore 3 weights $\rightarrow w_0, w_1, w_2$
- $\therefore \text{Loss } f_n = \text{mse} + \lambda (w_1^2 + w_2^2)$

plotting b_1 b_2 and mse loss f_n



plotting regularized / penalty term of ridge.

\rightarrow Ridge term $\rightarrow \lambda (w_1^2 + w_2^2) \rightarrow$ make a circle



\downarrow At points where mse & circle (regularized penalty term) is intersecting

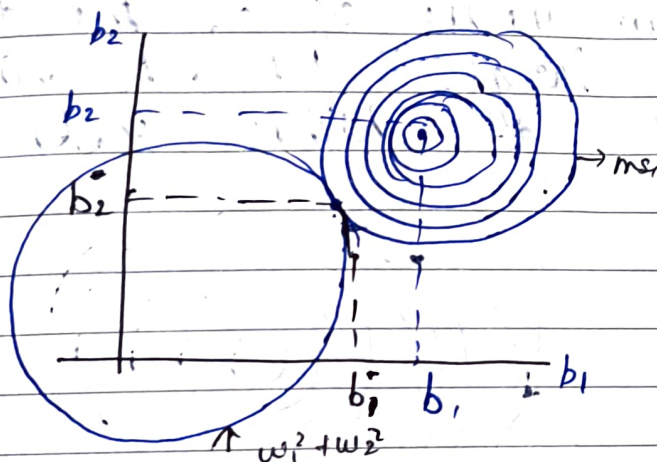
will consider the solution (minima), not the max minima.

And if you notice, when both are interacting i.e. the B_1 & B_2 values are low / decreased.

Effect of λ on circle ($w_1^2 + w_2^2$)

① ~~high~~ \rightarrow low λ

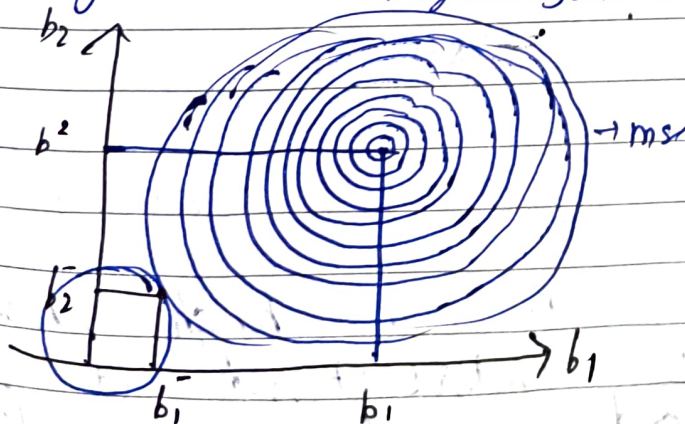
- For low value of λ , the circle will be large, \therefore value of B_1 & B_2 will not decrease at such rate



For high value of λ

② High λ

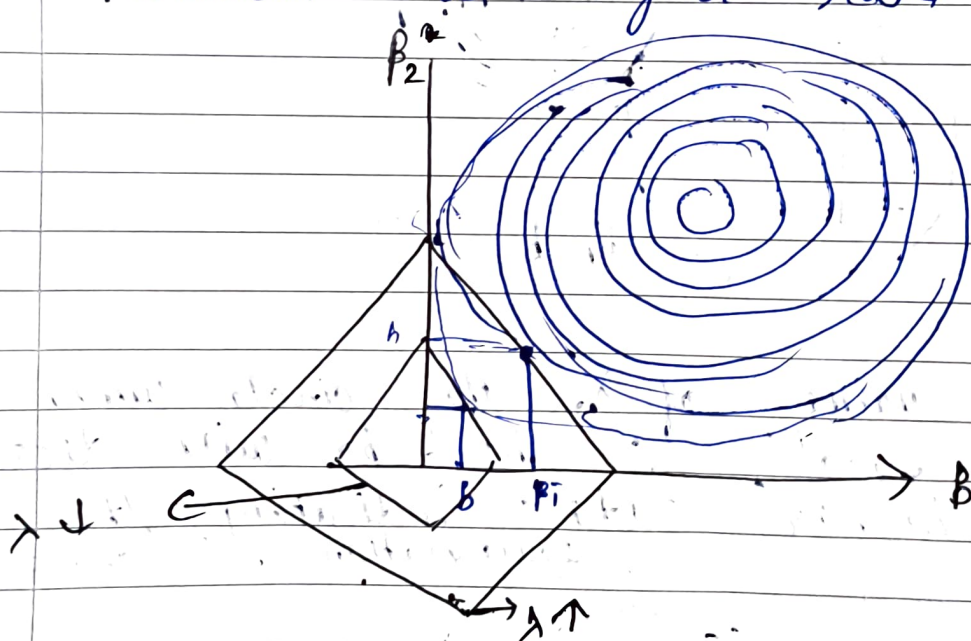
- For high value of λ , the circle will be very small, \therefore b_1 & b_2 will decrease at higher rate, indicating the regularization is strong.



As you can see for large value of λ , B_1 & B_2 decreases too much.

INTUITION FOR LASSO

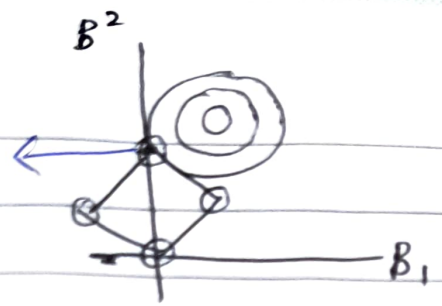
- Loss $f^n = \text{mse} + \underbrace{|\beta_1 + \beta_2|}_{\text{penalty term}}$
- Unlike Ridge, Lasso makes diamond like structures
- For high value of λ , the diamond is small. $\therefore \beta_1$ & β_2 will be reduced at higher rate.
- For low value of λ , the diamond will be large. $\therefore \beta_1$ & β_2 will not be reduced at higher rate.



Why lasso creates sparsity?

As, there is a high chance of mse intersecting at edges of diamond. and at edges β_1 & β_2 are zero.

Ex1 here β_1 is zero.



Ex2

