manual implementation of Sgd

```
In [80]: import warnings
         warnings.filterwarnings("ignore")
         import numpy as np
         import pandas as pd
         from sklearn.model selection import train test split
         from sklearn.datasets import load boston
         boston=load boston()
In [81]: data=boston.data
         print(data.shape)
         target=boston.target
         print(target.shape)
         (506, 13)
         (506,)
In [82]: data=pd.DataFrame(data,columns=boston.feature_names)
         data.head()
Out[82]:
```

		CRIM	ZN	INDUS	CHAS	NOX	RM	AGE	DIS	RAD	TAX	PTRATIO	В
()	0.00632	18.0	2.31	0.0	0.538	6.575	65.2	4.0900	1.0	296.0	15.3	396.90
•	I	0.02731	0.0	7.07	0.0	0.469	6.421	78.9	4.9671	2.0	242.0	17.8	396.90
2	2	0.02729	0.0	7.07	0.0	0.469	7.185	61.1	4.9671	2.0	242.0	17.8	392.83
;	3	0.03237	0.0	2.18	0.0	0.458	6.998	45.8	6.0622	3.0	222.0	18.7	394.63
4	1	0.06905	0.0	2.18	0.0	0.458	7.147	54.2	6.0622	3.0	222.0	18.7	396.90

In [83]: data.describe()

Out[83]:

	CRIM	ZN	INDUS	CHAS	NOX	RM	A
count	506.000000	506.000000	506.000000	506.000000	506.000000	506.000000	506.0000
mean	3.593761	11.363636	11.136779	0.069170	0.554695	6.284634	68.57490
std	8.596783	23.322453	6.860353	0.253994	0.115878	0.702617	28.14886
min	0.006320	0.000000	0.460000	0.000000	0.385000	3.561000	2.900000
25%	0.082045	0.000000	5.190000	0.000000	0.449000	5.885500	45.02500
50%	0.256510	0.000000	9.690000	0.000000	0.538000	6.208500	77.50000
75%	3.647423	12.500000	18.100000	0.000000	0.624000	6.623500	94.07500
max	88.976200	100.000000	27.740000	1.000000	0.871000	8.780000	100.0000

In [84]: data = (data - data.mean())/data.std()
 data.head()

Out[84]:

		CRIM	ZN	INDUS	CHAS	NOX	RM	AGE	DIS	
(0	-0.417300	0.284548	-1.286636	-0.272329	-0.144075	0.413263	-0.119895	0.140075	-0
•	1	-0.414859	-0.487240	-0.592794	-0.272329	-0.739530	0.194082	0.366803	0.556609	-0
2	2	-0.414861	-0.487240	-0.592794	-0.272329	-0.739530	1.281446	-0.265549	0.556609	-0
(3	-0.414270	-0.487240	-1.305586	-0.272329	-0.834458	1.015298	-0.809088	1.076671	-0
4	4	-0.410003	-0.487240	-1.305586	-0.272329	-0.834458	1.227362	-0.510674	1.076671	-0

In [85]: data["VALUE"] =target
 data.head()

```
Out[85]:
                CRIM
                            ΖN
                                  INDUS
                                            CHAS
                                                                RM
                                                                                  DIS
                                                      NOX
                                                                        AGE
          0 -0.417300 | 0.284548 | -1.286636 | -0.272329 | -0.144075 | 0.413263 | -0.119895 | 0.140075 | -0.
          1 -0.414859 -0.487240 -0.592794 -0.272329 -0.739530 0.194082 0.366803 0.556609 -0
          2 -0.414861 -0.487240 -0.592794 -0.272329
                                                  -0.739530 | 1.281446 | -0.265549 | 0.556609 | -0
          3 -0.414270 | -0.487240 | -1.305586 | -0.272329 | -0.834458 | 1.015298 | -0.809088 | 1.076671
          4 -0.410003 -0.487240 -1.305586 -0.272329 -0.834458 1.227362 -0.510674 1.076671
In [86]: #we are taking that whole dataframe with x and y becoz of sampling the
           correct data
          Y = data["VALUE"]
          X = data.drop("VALUE", axis = 1)
In [87]: from sklearn.model selection import train test split
          x train, x test, y train, y test = train test split(X, Y, test size =
          0.3)
          print(x train.shape, x test.shape, y train.shape, y test.shape)
          (354, 13) (152, 13) (354,) (152,)
In [88]: x train["VALUE"] = y train
In [89]: #https://www.kaggle.com/premvardhan/stocasticgradientdescent-implementa
          tion-lr-python
          def error function(b, m, features, target):
              sumofError = 0
              for i in range(0, len(features)):
                  x = features
                  v = target
                  sumofError += (y[:,i] - (np.dot(x[i] , m) + b)) ** 2
              return sumofError / len(x)
In [90]: #https://www.kaggle.com/premvardhan/stocasticgradientdescent-implementa
```

```
tion-lr-python
def manual gradient decent(w0, b0, train data, x test, y test, learning
rate):
   n iter = 700
   partial deriv m = 0
   partial deriv b = 0
   cost train = []
   cost test = []
   for j in range(1, n iter):
       # Train sample we are taking the sample dataframe to get x and
y as same sorted values
       x train sample = train data.sample(160)
       y = np.asmatrix(x train sample["VALUE"])
       x = np.asmatrix(x train sample.drop("VALUE", axis = 1))
       for i in range(len(x)):
            partial_deriv_m += np.dot(-2*x[i].T , (y[:,i] - np.dot(x[i])
 , w0) + b0))
            partial deriv b += -2*(y[:,i] - (np.dot(x[i] , w0) + b0))
       w1 = w0 - learning_rate * partial_deriv_m
       b1 = b0 - learning rate * partial deriv b
       if (w0==w1).all():
            break
        else:
            w0 = w1
            b0 = b1
           learning rate = learning rate/2
       error train = error_function(b0, w0, x, y)
        cost train.append(error train)
        error test = error function(b0, w0, np.asmatrix(x test), np.asm
atrix(y test))
```

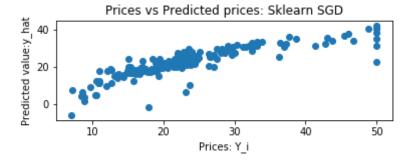
```
cost test.append(error test)
             return w0, b0, cost train, cost test
In [91]: #as per in
         learning rate = 0.001
         w0 \text{ random} = np.random.normal(0,1,13)
         w0 = np.asmatrix(w0 random).T
         b0 = np.random.rand()
         optimal w, optimal b, cost train, cost test = manual gradient decent(w0
         , b0, x_train, x_test, y_test, learning_rate)
         print("Coefficient: {} \n y intercept: {}".format(optimal w, optimal b
         Coefficient: [[-1.02032106]
          [ 0.49019189]
          [-0.70222783]
          [ 1.85169007]
          [-1.35385686]
          [ 3.83131196]
          [ 0.86425597]
          [-3.13822588]
          [ 1.46911404]
          [ 0.486209071
          [-2.40092123]
          [ 0.2023733 ]
          [-4.872240641]
          y intercept: [[21.73169692]]
         SKLEARN SGD
In [92]: import warnings
         warnings.filterwarnings("ignore")
         import numpy as np
```

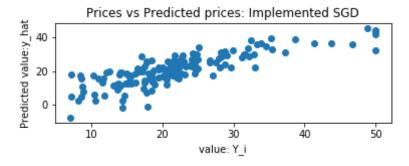
import pandas as pd

```
from sklearn.model selection import train test split
         from sklearn.datasets import load boston
         boston=load boston()
In [93]: data=boston.data
         target=boston.target
In [94]: #defining the variable
         X=data
         Y=target
In [95]: #spliting the data into train and test
         X train, X test, Y train, Y test = train test split(X, Y, test size =
         0.33, random state=10)
         print(X train.shape)
         print(X test.shape)
         print(Y train.shape)
         print(Y test.shape)
         (339, 13)
         (167, 13)
         (339,)
         (167,)
In [96]: #standardising the data
         from sklearn.preprocessing import StandardScaler
         sc=StandardScaler()
         X train=sc.fit transform(X train)
         X test=sc.transform(X test)
In [97]: from sklearn.linear model import SGDRegressor
         from sklearn.metrics import mean squared error, r2 score
         sqd = SGDRegressor()
         sgd.fit(X train, Y train)
         Y pred = sgd.predict(X test)
         #co efficient
```

```
w=sgd.coef
Out[97]: array([-0.929211 , 0.79455267, -0.25964558, 0.43805506, -0.55796146,
                 2.94442338, 0.04536379, -1.60041586, 0.83639864, -0.66800707,
                 -1.60734169, 1.23982162, -3.23711953)
In [98]: #intercepts
          y inter=sqd.intercept
          y inter
Out[98]: array([21.42210671])
In [99]: print("Mean squared error: %.2f" % mean_squared error(Y test, Y pred))
         Mean squared error: 28.30
In [100]: error = error function(optimal b, optimal w, np.asmatrix(x test), np.as
          matrix(y test))
          print("Mean squared error: %.2f" % (error))
          Mean squared error: 30.81
          MANUAL V/S SKLEARN
In [101]: import matplotlib.pyplot as plt
          %matplotlib inline
          plt.figure(1)
          plt.subplot(211)
          plt.scatter(Y test, Y pred)
          plt.xlabel("Prices: Y i")
          plt.ylabel("Predicted value:y hat")
          plt.title("Prices vs Predicted prices: Sklearn SGD")
          plt.show()
          # Implemented SGD
          plt.subplot(212)
```

```
plt.scatter([y_test], [(np.dot(np.asmatrix(x_test), optimal_w) + optima
l_b)])
plt.xlabel("value: Y_i")
plt.ylabel("Predicted value:y_hat")
plt.title("Prices vs Predicted prices: Implemented SGD")
plt.show()
```





EXPLANATION

1. manual

- 1. first we loaded the boston data and boston target.
- 2. manually standardised the data.
- 3. we created the data frame like data and target is in one frame only.

- 4. we defined variable x and y from dataframe only and we splitted it into train and test data.
- 5. why we created dataframe with x and y variable because we wont use full data to get optimized so we randomly uses that x and y . so if we didn't use dataframe with x and y .if we choose randomly x and y means dependent and independent variable changes orderly.
- 6. so we taken the random choice as n=160, we converge w* until it will get iterated until wj=wk if we get wj=wk means it will get function is break . if it didn"t converge means it get iterated with learning rate =learning rate/2 for each iteration.
- 7. we taken randomly because to reduce cost of time .
- 8. we initially we randomly take weights and b and with learning rate =0.001 and no.iteration =700.

2. sklearn

- 1. we load the boston data and boston target.
- 2. we splitting the data into train and test randomly.
- 3. we standardised the data into fit_transform for train and transform for test.
- 4. we fitted x_train into sgd algorithm.
- 5. we compared both mse values for manual and sklearn