CDAC DEEP LEARNING WORKSHOP

Introduction to Deep Learning

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Relevance

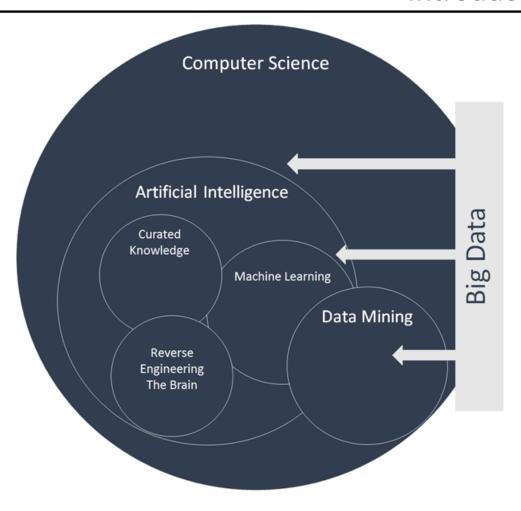
AlphaGo: The Recent Sensation





Machine Learning (vs) Artificial Intelligence

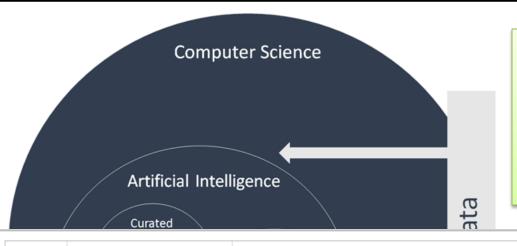
Introduction



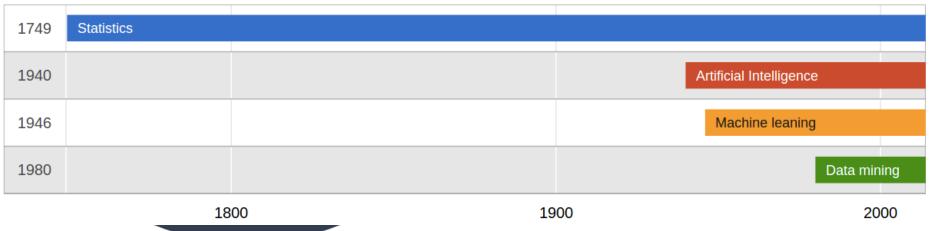


Machine Learning (vs) Artificial Intelligence

Introduction



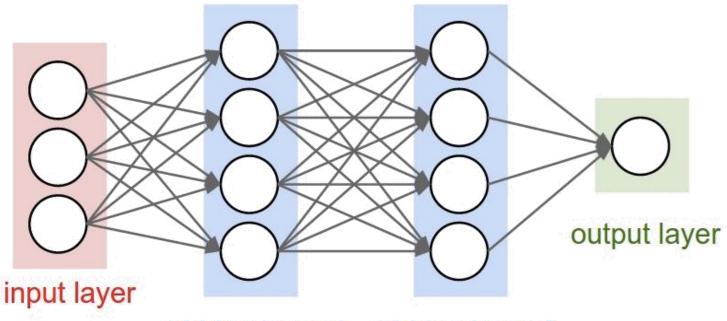
Deep learning: A sub-area of machine learning, that is today understood as representation learning





Introduction

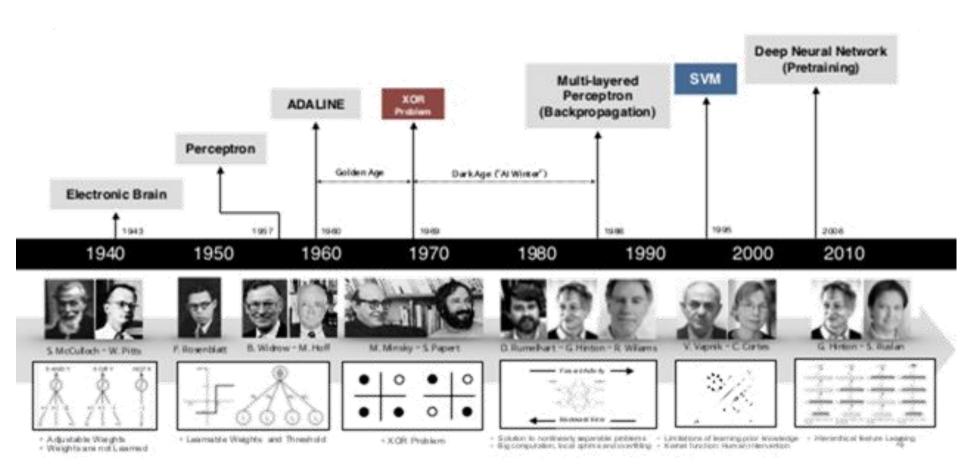
- Rebirth of neural networks
- Inspired by the human brain (networks of neurons)



hidden layer 1 hidden layer 2



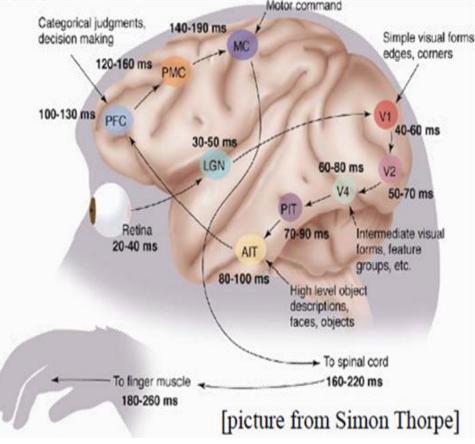
History





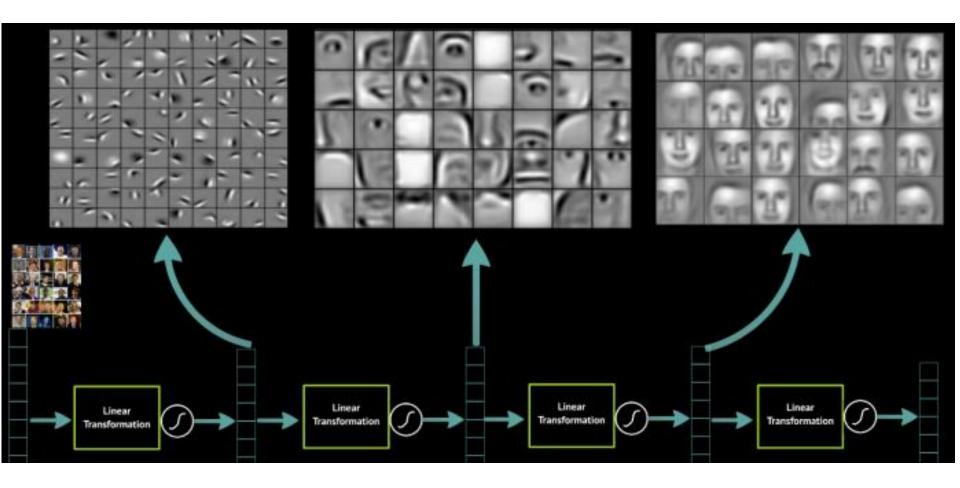
Why is it successful?

- Learns representations of data that are useful (Other ML algorithms are "shallow")
- Similar to the human brain
- Then, why was it not successful earlier (in the 90)
 - Computational power
 - Data power



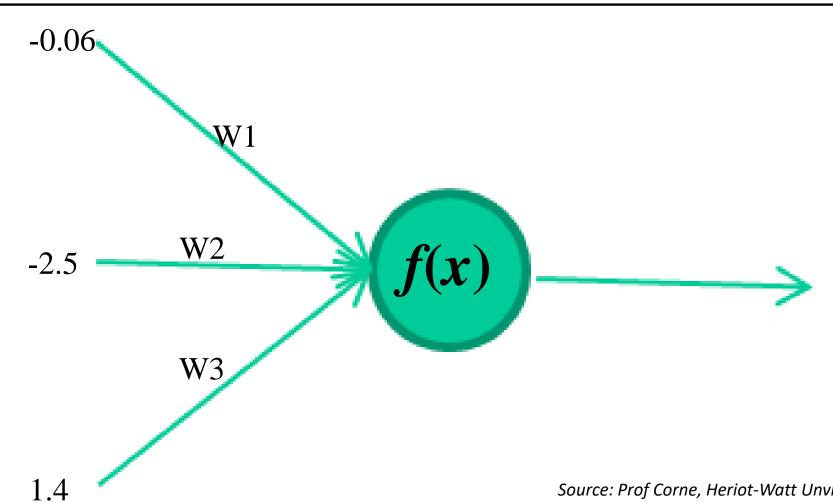


Why is it successful?











How do they learn?

-0.06

W1

-2.5 <u>W2</u>

W3



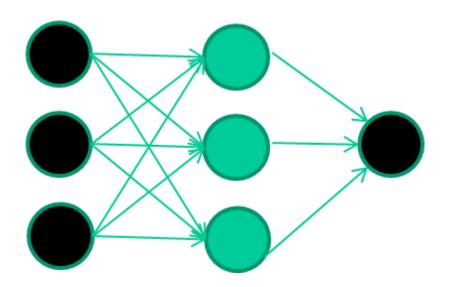
 $x = -0.06 \times 2.7 + 2.5 \times 8.6 + 1.4 \times 0.002 = 21.34$

1.4

How do they learn?

A dataset

Fields			class		
1.4	2.7	1.9	O		
3.8	3.4	3.2	O		
6.4	2.8	1.7	1		
4.1	0.1	0.2	0		
etc					



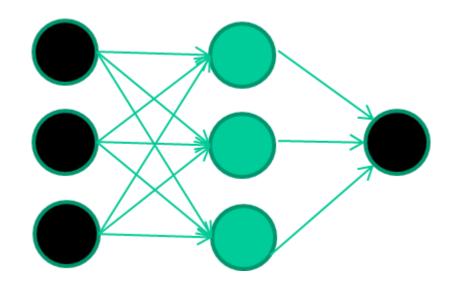


How do they learn?

Training data

Fiel	class		
1.4	2.7	1.9	0
3.8	3.4	3.2	0
6.4	2.8	1.7	1
4.1	0.1	0.2	0
etc			

Initialise with random weights



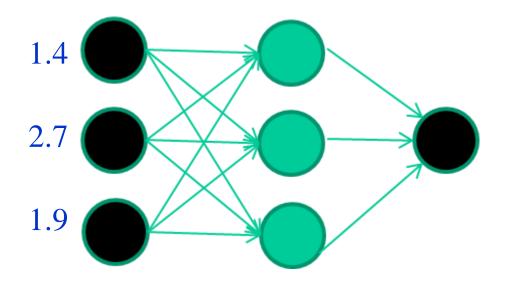


How do they learn?

Training data

<u>Fields</u>		<u>class</u>
1.4 2.7	1.9	0
3.8 3.4	3.2	0
6.4 2.8	1.7	1
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etc		

Present a training pattern



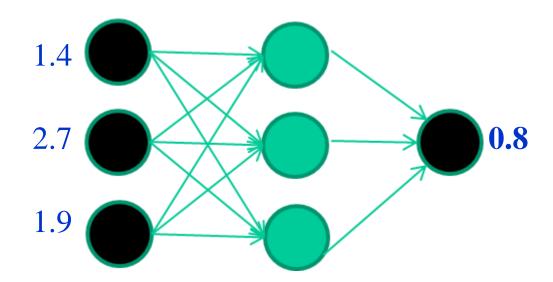


How do they learn?

Training data

<u> Fields</u>	<u>class</u>	
1.4 2.7	1.9	0
3.8 3.4	3.2	0
6.4 2.8	1.7	1
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etc		

Feed it through to get output



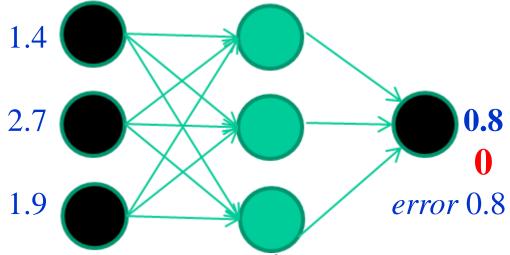


How do they learn?

Training data

Fields	class	
1.4 2.7	1.9	0
3.8 3.4	3.2	0
6.4 2.8	1.7	1
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etc		

Compare with target output



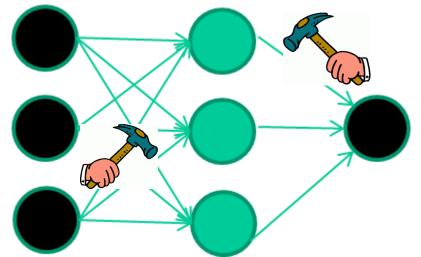


How do they learn?

Training data

_Fiel	<u>lds</u>		class
1.4	2.7	1.9	0
3.8	3.4	3.2	0
6.4	2.8	1.7	1
4.1	0.1	0.2	0
etc			

Adjust weights based on error



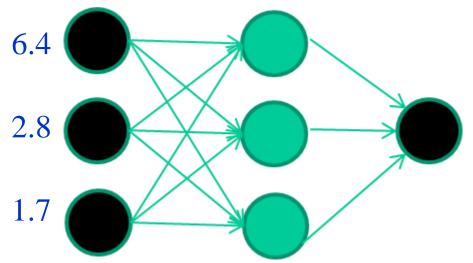


How do they learn?

Training	data
----------	------

Fields			class
1.4	2.7	1.9	0
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Present a training pattern



Source: Prof Corne, Heriot-Watt Unviersity, UK

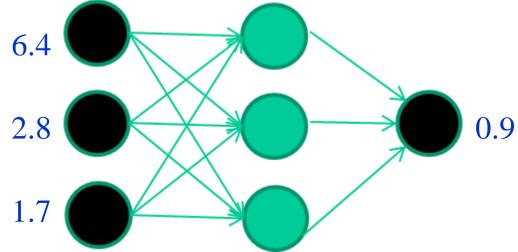


etc ...

How do they learn?

Trair	ning	data	
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etc			

Feed it through to get output



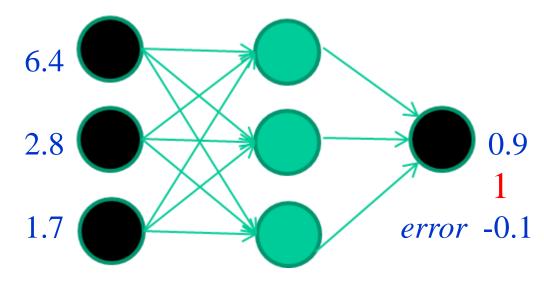


How do they learn?

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Compare with target output

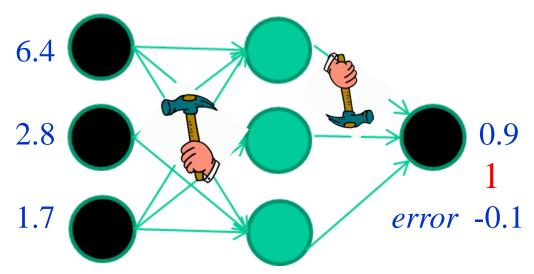




How do they learn?

Tra	ining	data	
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Adjust weights based on error





How do they learn?

Training data

1.4 2.7 1.9

Fields class

3.8 3.4 3.2 0

6.4 2.8 1.7 1

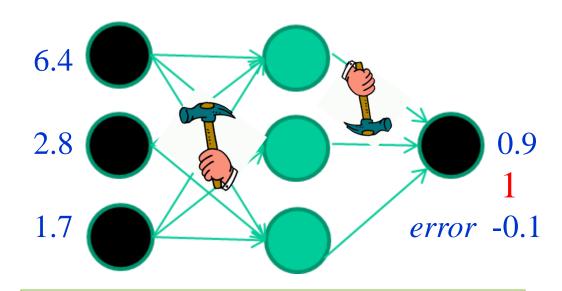
4.1 0.1 0.2 0

etc ...

Repeat this thousands, maybe millions of times – each time taking a random training instance, and making slight weight adjustments, reduce the error

Source: Prof Corne, Heriot-Watt Unviersity, UK

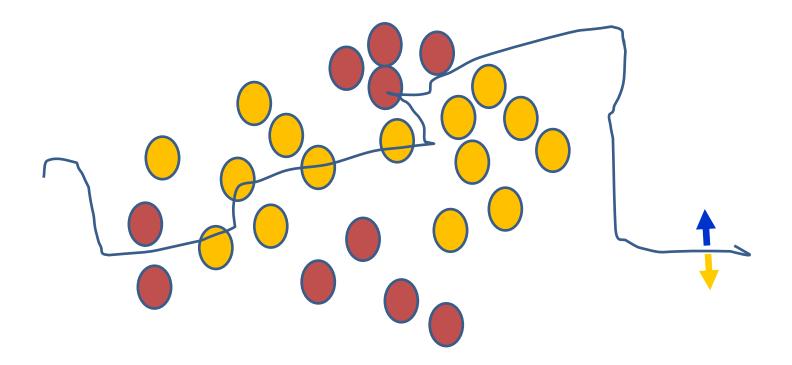
And so on

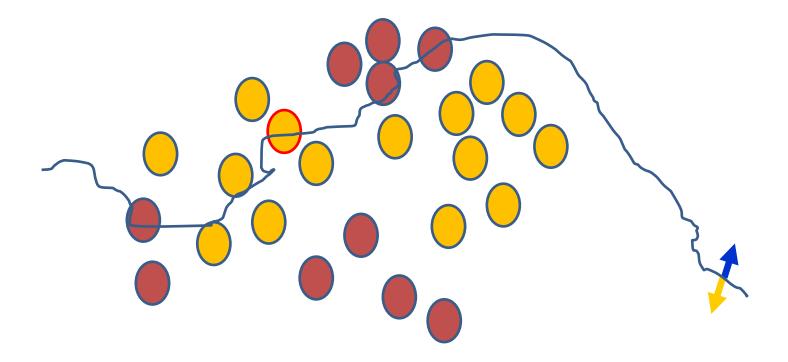


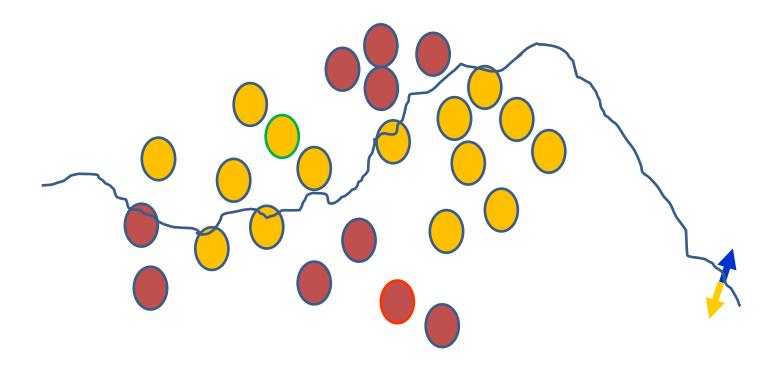
Called "Gradient Descent"

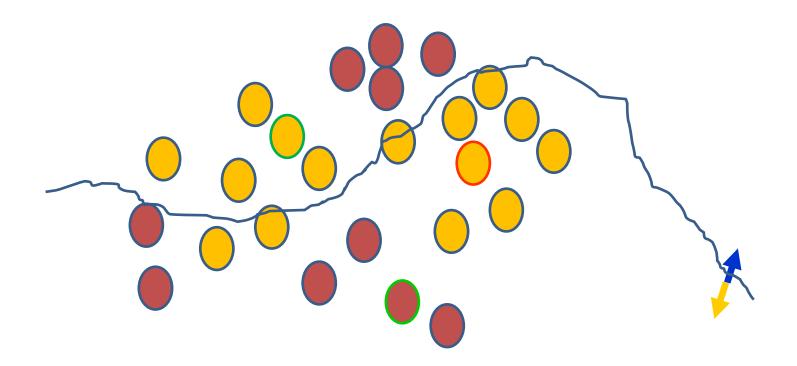


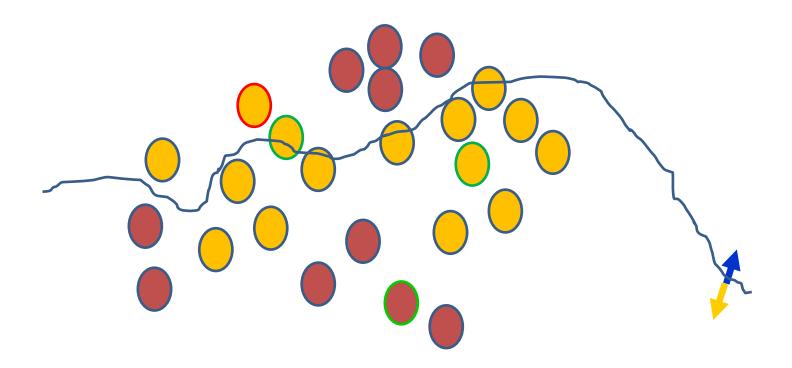
Initial random weights







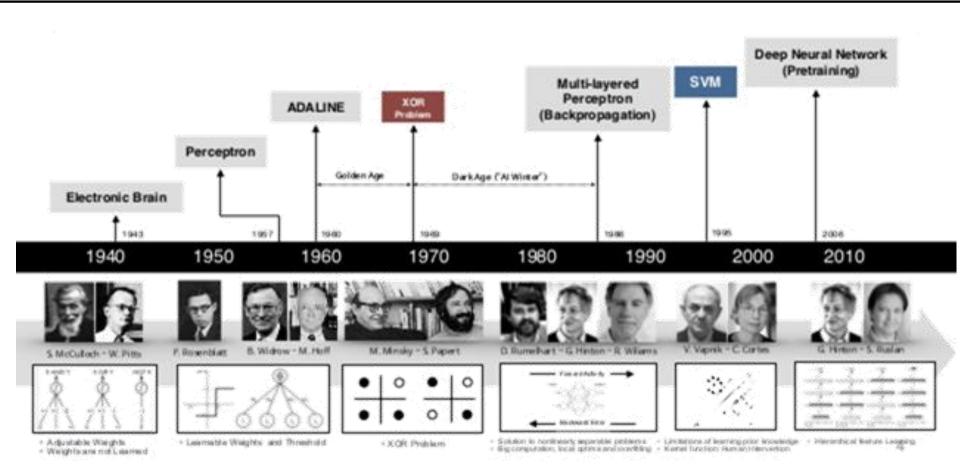




Eventually



History of Neural Networks



- Extension of perceptrons to multiple layers
- 1. Initialize network with random weights
- 2. For all training cases (called examples):
 - a. Present training inputs to network and calculate output
 - b. For <u>all layers</u> (starting with output layer, back to input layer):
 - i. Compare network output with correct output (error function)
 - ii. Adapt weights in current layer



- Method for learning weights in feed-forward (FF) nets
- Can't use Perceptron Learning Rule
 - no teacher values are possible for hidden units
- Use gradient descent to minimize the error
 - propagate deltas to adjust for errors backward from outputs to hidden layers to inputs



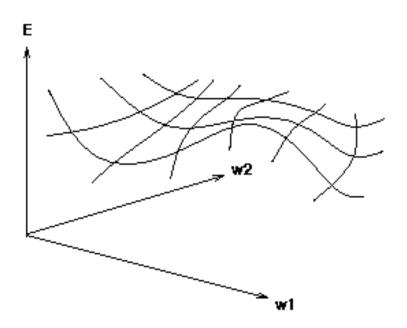
- The idea of the algorithm can be summarized as follows:
- 1. Computes the **error term for the output units** using the observed error.
- 2. From output layer, repeat
 - propagating the error term <u>back to the previous layer</u> and updating the weights <u>between the two layers</u> until the earliest hidden layer is reached.



- Initialize weights (typically random!)
- Keep doing epochs
 - For each example e in training set do
 - forward pass to compute
 - O = neural-net-output(network,e)
 - miss = (T-O) at each output unit
 - backward pass to calculate deltas to weights
 - update all weights
 - end
 - until tuning set error stops improving

Gradient Descent

- Think of the N weights as a point in an N-dimensional space
- Add a dimension for the observed error
- Try to minimize your position on the "error surface"





Compute deltas

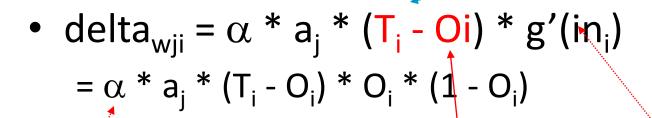
Neural Networks Training: Backpropagation

Gradient Descent

- Trying to make error decrease the fastest
- Compute:
 - Grad_E = [dE/dw1, dE/dw2, . . ., dE/dwn]
- Change i-th weight by
 - delta_{wi} = -*lr* * dE/dwi
 - Ir or α learning rate: generally starts with Derivatives of error for weights 1E-1 or 10^{-1}
- We need a derivative!
- Activation function must be continuous, differentiable, non-decreasing, and easy to compute

Updating Hidden-to-Output

We have teacher supplied desired values



for sigmoid the derivative is,
$$g'(x) = g(x) * (1 - g(x))$$

derivative

alpha

Here we have general formula with derivative, next we use for sigmoid



Making Choices

Backpropagation

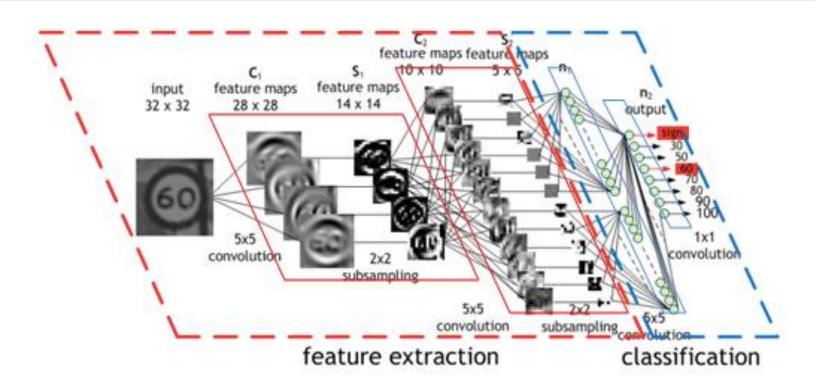
- How do we pick α or lr?
 - Tuning set, or
 - Cross validation, or
 - Small for slow, conservative learning
 - for Deep learning typically is 1e-1
- How many hidden layers?
 - Too few ==> can't learn
 - Too many ==> poor generalization
- How big a training set?
 - Determine your target error rate, e; Success rate is 1- e
 - Typical training set approx. n/e, where n is the number of weights in the net
 - Example:
 - e = 0.1, n = 80 weights; Training set size 800



Deep Learning Architectures

Variants

Convolutional Neural Networks for Image and Video Understanding

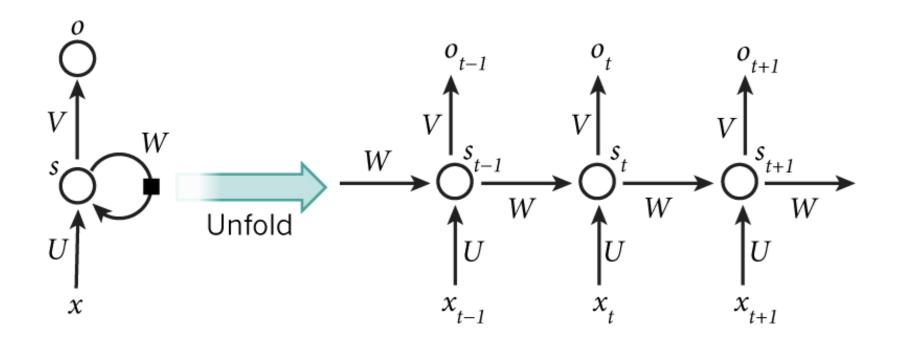




Deep Learning Architectures

Variants

Recurrent Neural Networks for Time Series and Sequence Data Understanding





Applications and Successes

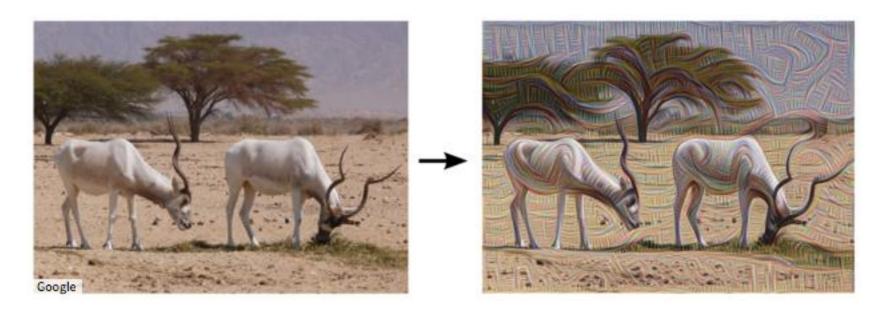
 AlexNet (Object Recognition): The network that catapulted the success of deep learning in 2012



Stepping to even higher levels of intelligence

From generation to imagination

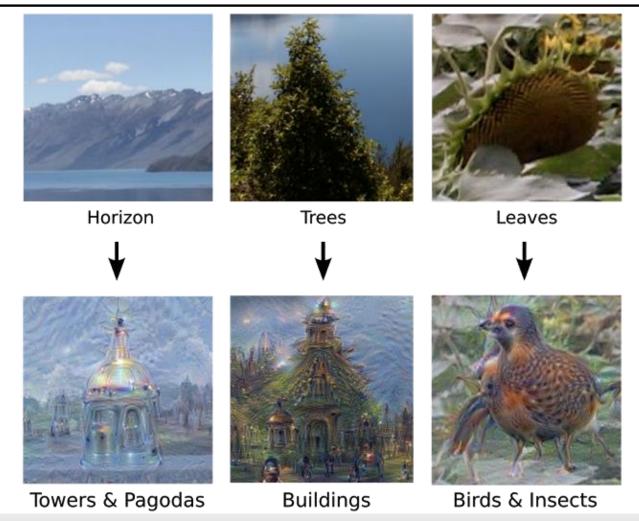
- Deep dreaming/hallucination
 - https://www.youtube.com/watch?v=oyxSerkkP4o





Stepping to even higher levels of intelligence

From generation to imagination





Stepping to even higher levels of intelligence

From generation to imagination

Deep colorization





What's cutting edge?

Recent Trends

- Limitless applications
 - Any application where you would like to learn from data
 - When do you choose deep networks against shallow ML models?
- Neural network compression
- Specialized hardware for deep learning
 - Movidius (http://www.movidius.com/) deep learning accelerator



More?

Where to look?

- One-stop shop
 - https://github.com/ChristosChristofidis/awesome-deep-learning
- Check this out for hours of fun and amazement
 - http://fastml.com/deep-nets-generating-stuff/
- Books (on Deep Learning)
 - http://www.deeplearningbook.org
 - http://neuralnetworksanddeeplearning.com/
- Programming
 - Theano/Pylearn2, Caffe, Torch (used in Google, Facebook and other companies), TensorFlow – recent initiative of Google, Keras

