Statistics

Based on data science and data analytics stats simplify into below keywords

- 1. Data Gathering
 - -> Extracting the data from different sources and files
- 2. Organising the data
 - -> CLeaning the data based on requirements and Stats
- 3. Summarizing the data
 - -> Representing the data in the form graphical and writting report
- 4. Interprecting the data
 - -> Conculding the data

Statistics

Statistics are of two types

- 1. Descriptive Statistics
- 2. Inferential Statistics

Descriptive Statistics

Performing the below

- 1. Data Gathering
- 2. Organising data
- 3. Summarizing data

On Which data

-> Applying all methods on the Population data

Inferential Statistics

Perofrming below method

- 1. Interprecting data
 - -> We concluding the data

on which data

- -> Applying on sample data which taken from population
 - => Random sample
 - => sequential

Discriptive Statistics

- 1. Measure of central Trendency
- 2. Measure of Dispersion

Measure of Central Trendency

- -> we are finding the middle value
 - 1. mean
 - 2. median
 - 3. mode

Measure of Dispersion

- -> Dispersion Means deviation or difference
 - 1. range
 - 2. standard deviation
 - 3. variance

Quartiles

Loading the Data

In [2]:

```
import numpy as np
import pandas as pd
import seaborn as sns

df = sns.load_dataset('iris')
df.head()
```

Out[2]:

	sepal_length	sepal_width	petal_length	petal_width	species
0	5.1	3.5	1.4	0.2	setosa
1	4.9	3.0	1.4	0.2	setosa
2	4.7	3.2	1.3	0.2	setosa
3	4.6	3.1	1.5	0.2	setosa
4	5.0	3.6	1.4	0.2	setosa

I. Measure of Central Trendency

we are finding the middle value

- 1. mean
- 2. median
- 3. mode
- 4. Relation between mean, median and mode

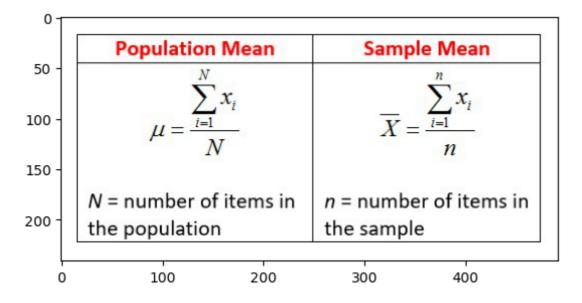
1. Mean

- 1. Mean is nothing but average
- 2. sum of all elements by total number of elements
- 3. Mean is represnted by using mue or xbar
- 4. xbar means sample mean
- 5. mue means poplution mean
- 6. Mean can apply only on Continuous data

Displaying Mean Formula

In [3]:

```
import matplotlib.image as mpimg
import matplotlib.pyplot as plt
# Read Images
img = mpimg.imread(r"C:\Users\divesh\Divesh Classes\Class_3PM\Python\mean.jpeg")
# Output Images
plt.imshow(img)
plt.show()
```



Creating Mean function to apply on the data

```
In [4]:
def mean(data,col):
    m = round(data[col].mean(),2)
    return m
In [5]:
mean(df,'sepal_length')
Out[5]:
5.84
Applying Pandas Mean Function
In [6]:
round(df[['sepal_length','petal_length']].mean(),2)
Out[6]:
sepal_length
                5.84
petal_length
                3.76
dtype: float64
2. Median
    -> Middle value
        -> arange values in the ascending order
        -> find the middle count value
            -> 1,3,2,4,5
                -> 1,2,3,4,5 => 3 => odd count
```

-> 1,2,4,5,6,3

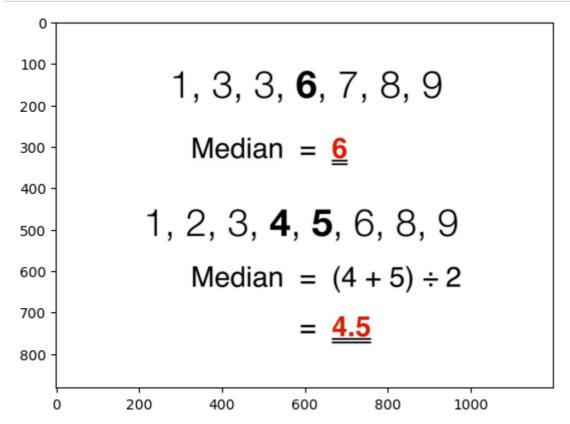
 \rightarrow 1,2,3,4,5,6 \Rightarrow 3,4 \Rightarrow 3+4/2 \Rightarrow 3.5

-> Median going to apply quantitative data

Displaying the Median Formula

```
In [7]:
```

```
# Read Images
img = mpimg.imread(r"C:\Users\divesh\Divesh Classes\Class_3PM\Python\median.jpeg")
# Output Images
plt.imshow(img)
plt.show()
```



Creating Median function to apply on the data

```
In [8]:
```

```
def median(data,col):
    mn = round(data[col].median(),2)
    return mn
```

In [9]:

```
median(df,'sepal_length')
```

Out[9]:

5.8

Applying Pandas Median Function

In [10]:

```
round(df[['sepal_length','petal_length']].median(),2)
```

Out[10]:

sepal_length 5.80 petal_length 4.35 dtype: float64

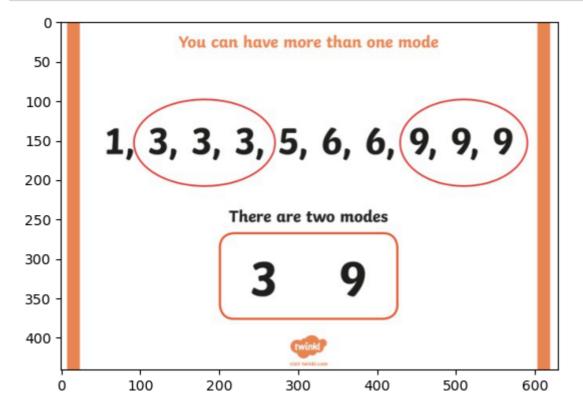
3. Mode

- -> most repeated value
 - -> We can get one or more mode values
 - -> mode apply on Qualitative data and descrete data

Displaying Mode Formula

In [11]:

```
# Read Images
img = mpimg.imread(r"C:\Users\divesh\Divesh Classes\Class_3PM\Python\mode.jpeg")
# Output Images
plt.imshow(img)
plt.show()# Read Images
```



Creating mode Formula

```
In [12]:
def mode(data,col):
    md = data[col].mode()
    return md
In [13]:
mode(df,'species')
Out[13]:
         setosa
1
    versicolor
     virginica
Name: species, dtype: object
Applying by using pandas mode
In [14]:
df['species'].mode()
Out[14]:
0
         setosa
1
     versicolor
     virginica
```

4. Relation between mean median mode

this one we can apply on quantitave data

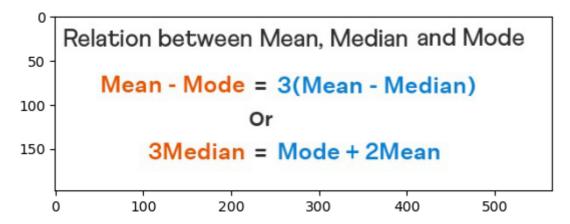
Name: species, dtype: object

mode = 3*median - 2*mean

Displaying the Relation between mean, median and mode formula

In [15]:

```
import matplotlib.image as mpimg
import matplotlib.pyplot as plt
# Read Images
img = mpimg.imread(r"C:\Users\divesh\Divesh Classes\Class_3PM\Python\relation.jpeg")
# Output Images
plt.imshow(img)
plt.show()
```



Creating the mode formula

```
In [16]:
```

```
def mode_qn(data,col):
    mean = round(data[col].mean(),2)
    median = round(data[col].median(),2)
    mode = round(3*median - 2*mean,2)
    return mean,median,mode
```

```
In [17]:
```

```
mode_qn(df,'sepal_length')
Out[17]:
(5.84, 5.8, 5.72)
```

II. Measure of Dispersion

Dispersion means -> Deviation -> difference

- 1. Range
- 2. Standard Deviation
- 3. Variance

1. Range

In set of data, difference between max value and min value

```
-> Range = Max - Min
```

```
In [18]:
```

```
def range(data,col):
    maxi = round(data[col].max(),2)
    mini = round(data[col].min(),2)
    range_a = round(maxi - mini)
    return range_a
```

```
In [19]:
```

```
range(df,'sepal_length')
Out[19]:
```

4

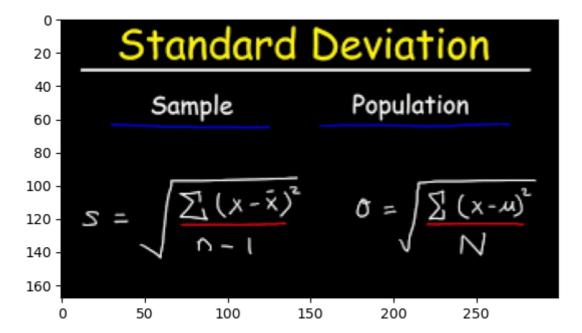
2. Standard Deviation:

Standard Deviation is a measure that used to quantify the amount of variation or dispersion of a set of data.

Displaying the Formula for standard deviation

```
In [20]:
```

```
import matplotlib.image as mpimg
import matplotlib.pyplot as plt
# Read Images
img = mpimg.imread(r"C:\Users\divesh\Divesh Classes\Class_7PM\standard deviation.png")
# Output Images
plt.imshow(img)
plt.show()
```



Creating the standard deviation formula

```
In [21]:
```

```
def std(data,col):
    std = round(data[col].std(),2)
    return std
```

```
In [22]:
```

```
std(df,'sepal_length')
```

Out[22]:

0.83

In [23]:

```
round(df[['sepal_length','sepal_width']].std(),2)
```

Out[23]:

```
sepal_length 0.83
sepal_width 0.44
```

dtype: float64

3. Variance

-> Variance is nothing but square root of standard deviation

Creating the variance formula

```
In [24]:

def variance(data,col):
    var = round(data[col].var(),2)
    return var

In [25]:

variance(df,'sepal_length')

Out[25]:
0.69
```

Applying from the pandas

```
In [26]:
round(df[['sepal_length','sepal_width']].var(),2)

Out[26]:
sepal_length    0.69
sepal_width    0.19
dtype: float64
```

III. Quartile

Data info

In statistics we are dividing data into few equal parts.

```
-> Percentile -> 100
-> Dec -> 10
-> Oct -> 8
-> Quartile -> 4
```

In Pertile and Quartiles only

Quartiles

```
-> Breaking whole data into 4 equal parts
       -> Q1 => 25% -> 25%
       -> Q2 => 25% -> 50%
       -> Q3 => 25% -> 75%
       -> Q4 => 25% -> 100%
In [27]:
def quartile(data,col):
    q1 = round(data[col].quantile(0.25),2)
    q2 = round(data[col].quantile(0.5),2)
    q3 = round(data[col].quantile(0.75),2)
    return q1,q2,q3
In [28]:
quartile(df,'sepal_length')
Out[28]:
(5.1, 5.8, 6.4)
In [29]:
df[['sepal_length','sepal_width']].quantile(0.25)
Out[29]:
sepal_length
                5.1
sepal_width
                2.8
Name: 0.25, dtype: float64
In [30]:
df[['sepal_length','sepal_width']].quantile(0.5)
Out[30]:
sepal_length
                5.8
sepal_width
                3.0
Name: 0.5, dtype: float64
In [31]:
df[['sepal_length','sepal_width']].quantile(0.75)
Out[31]:
sepal_length
                6.4
sepal_width
                3.3
Name: 0.75, dtype: float64
```

In []:		