



How to create giant planets 101

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How to create giant planets ?



Overview:

- Origins of giant planets: two possible formation scenarios
- Process of gas accretion and derived accretion rates
- How do we model gas accretion with Fargo2D1D
- Some results from my work

And please enjoy the macarons !

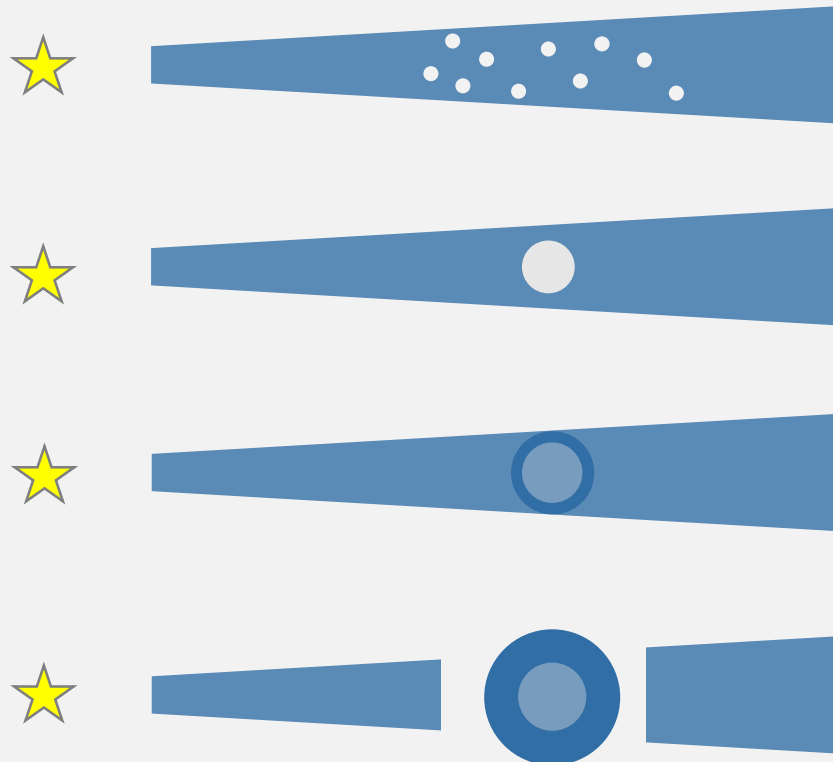


Origin of giant planets

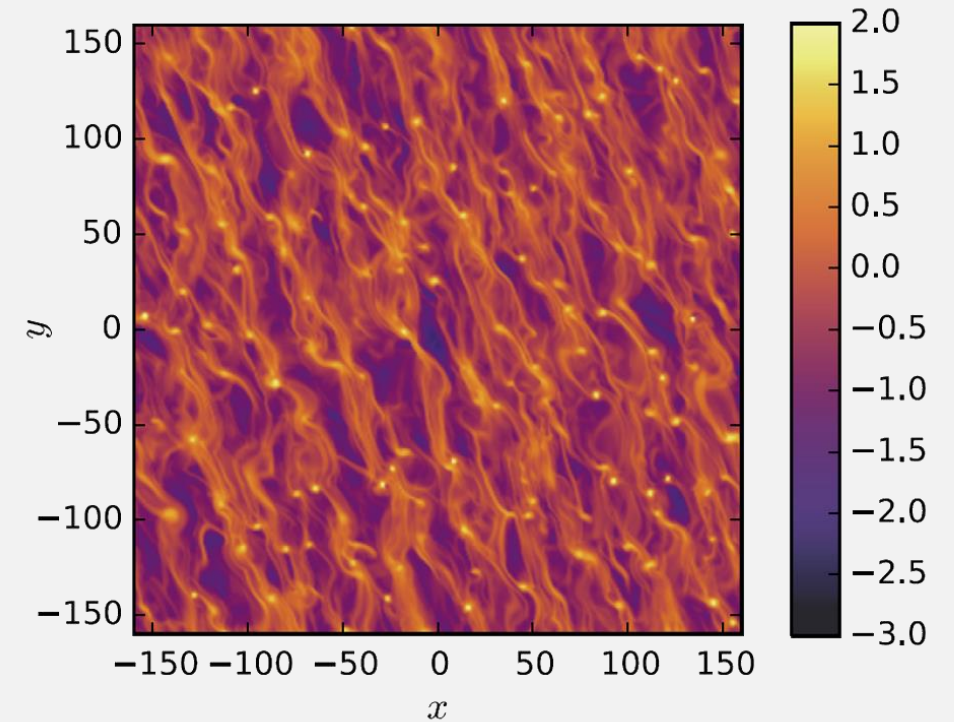


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Core accretion: Pollack et al 1996



Gravitational Instability: Adams et al 1989



Paardekooper, S.J. & Johansen, A. (2018)

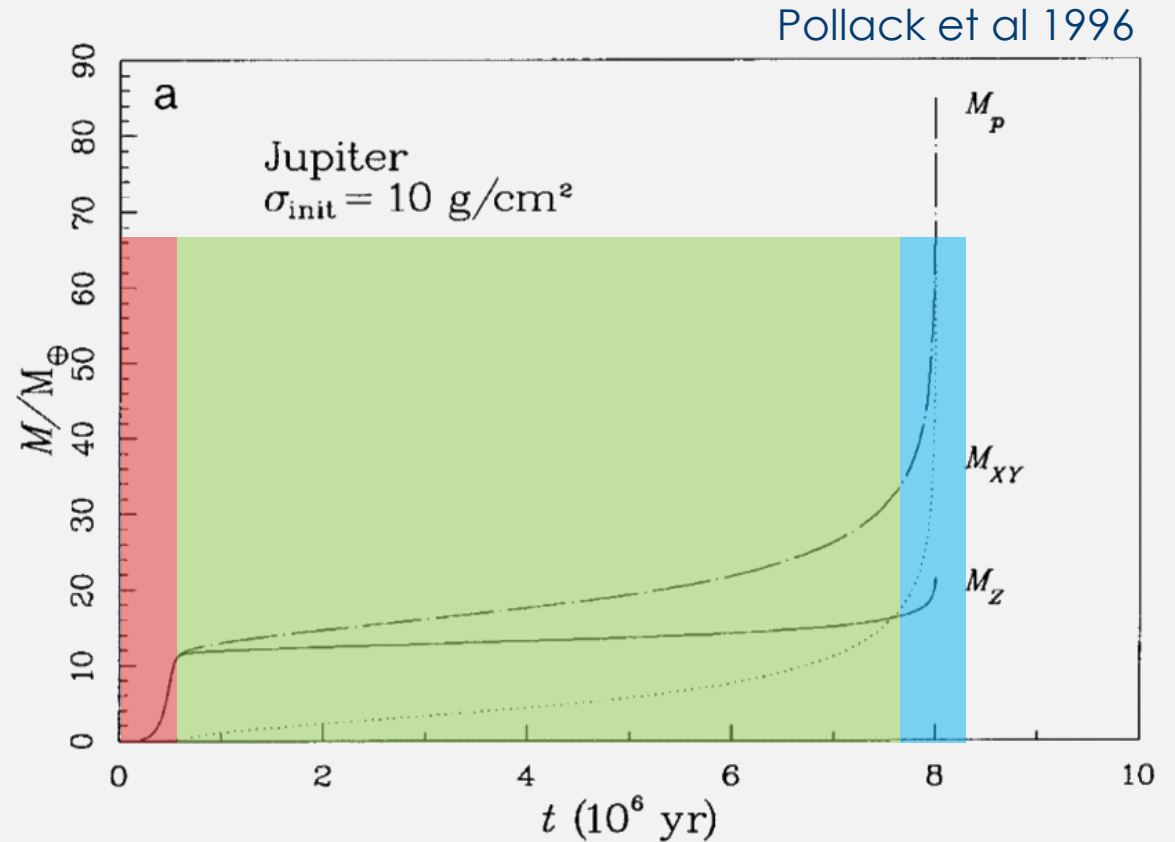
Origin of giant planets



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Core accretion: Pollack et al 1996

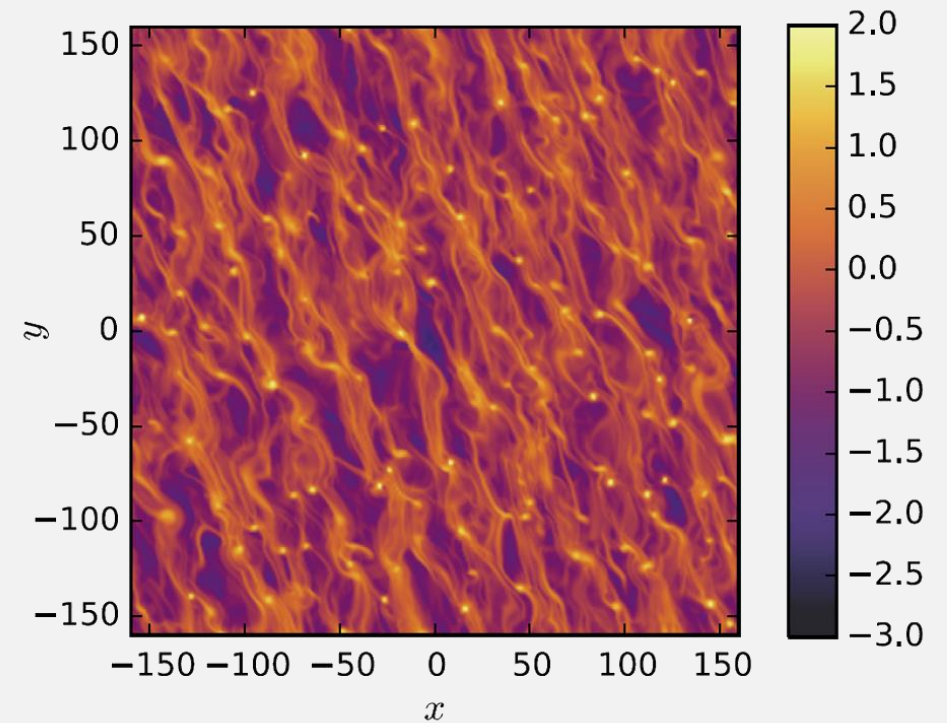
- **Step 1:** Agglomeration of dust/pebbles to form a core
- **Step 2:** When massive enough, slow accretion of gas governed by Kelvin-Helmholtz cooling timescale
- **Step 3:** When $M_{core} \simeq M_{enveloppe} \simeq 10M_{\oplus}$ outer layers of atmosphere collapse allowing more gas to be accreted: Runaway gas accretion



Gravitational Instability: Adams et al 1989

- Massive disks become unstable at large radii
Toomre *stability* criterion $Q = \frac{c_s \Omega}{\pi G \Sigma} > 1$
- Instability causes initial over density,
subject to self-gravity ➡ creating clumps
- If the clumps get rid of potential energy faster
than pressure and differential rotation smooth
them out ➡ collapse into a giant planet

Paardekooper & Johansen 2018



Core accretion:

Pollack et al 1996

Produces:

- Gas giant and terrestrial planets

Pros:

- Can produce terrestrial and ice giants
- Composition can match

Cons:

- How to stop runaway gas accretion ?
- Many stages only partially understood yet

Gravitational Instability:

Adams et al 1989

Produces:

- Massive gas giant planets at large radii

Pros:

- Can explain the formation of the massive cold giant planets observed
- Debated presence of core in Jupiter

Cons:

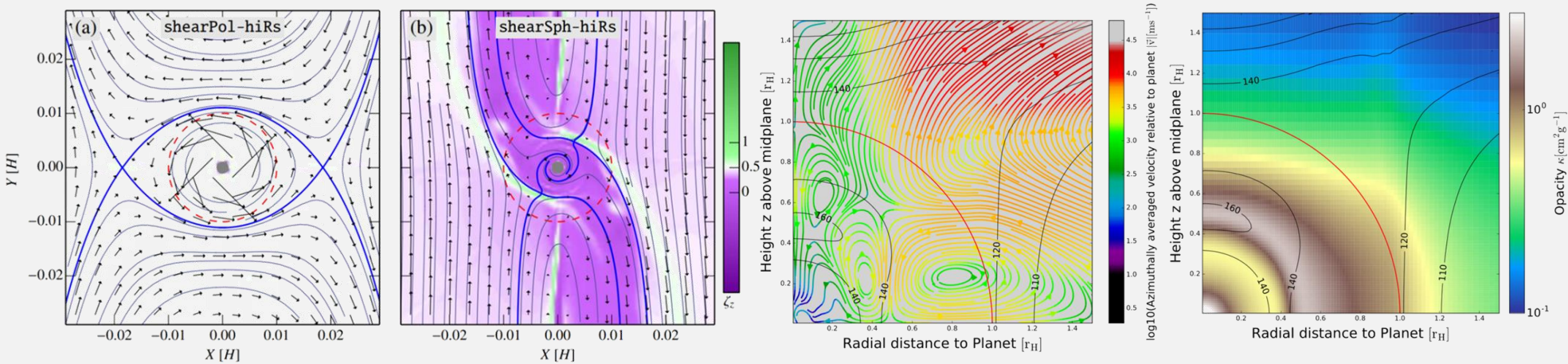
- Require a very massive disk
- Composition does not quite match
- Solar System planets are less massive

Gas accretion complicated ? Noooo ...



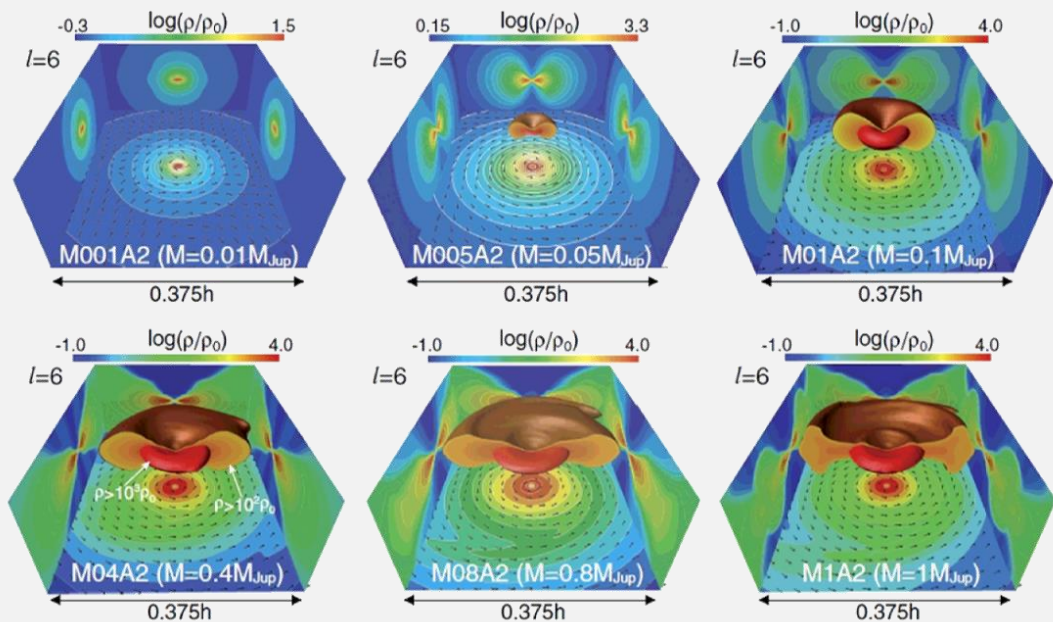
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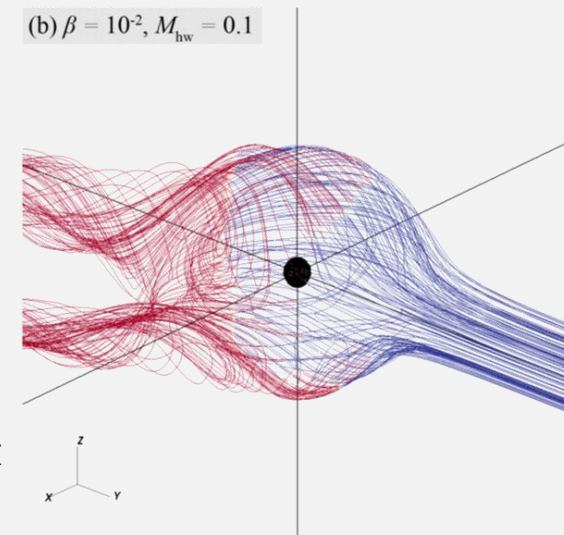
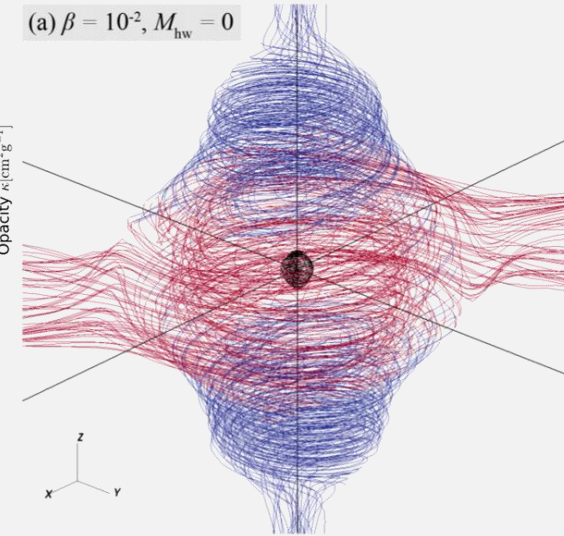
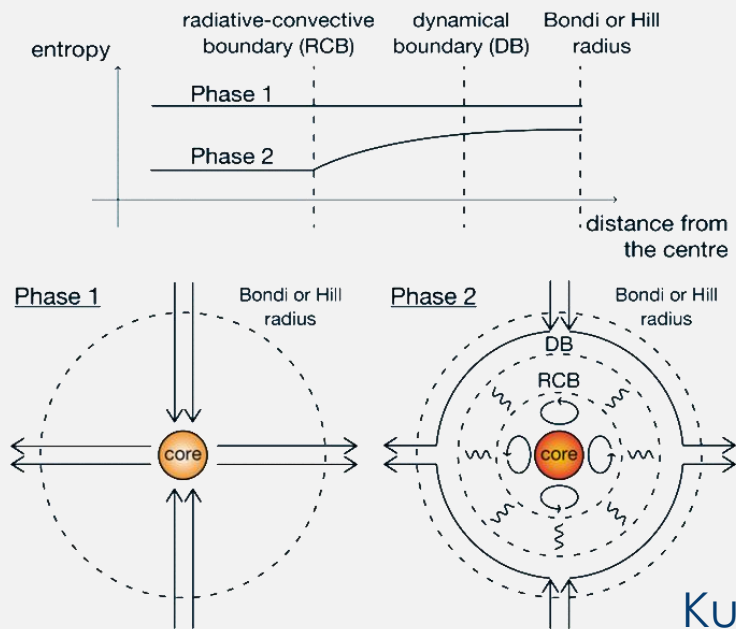


Ormel et al 2015

Schulik et al 2019

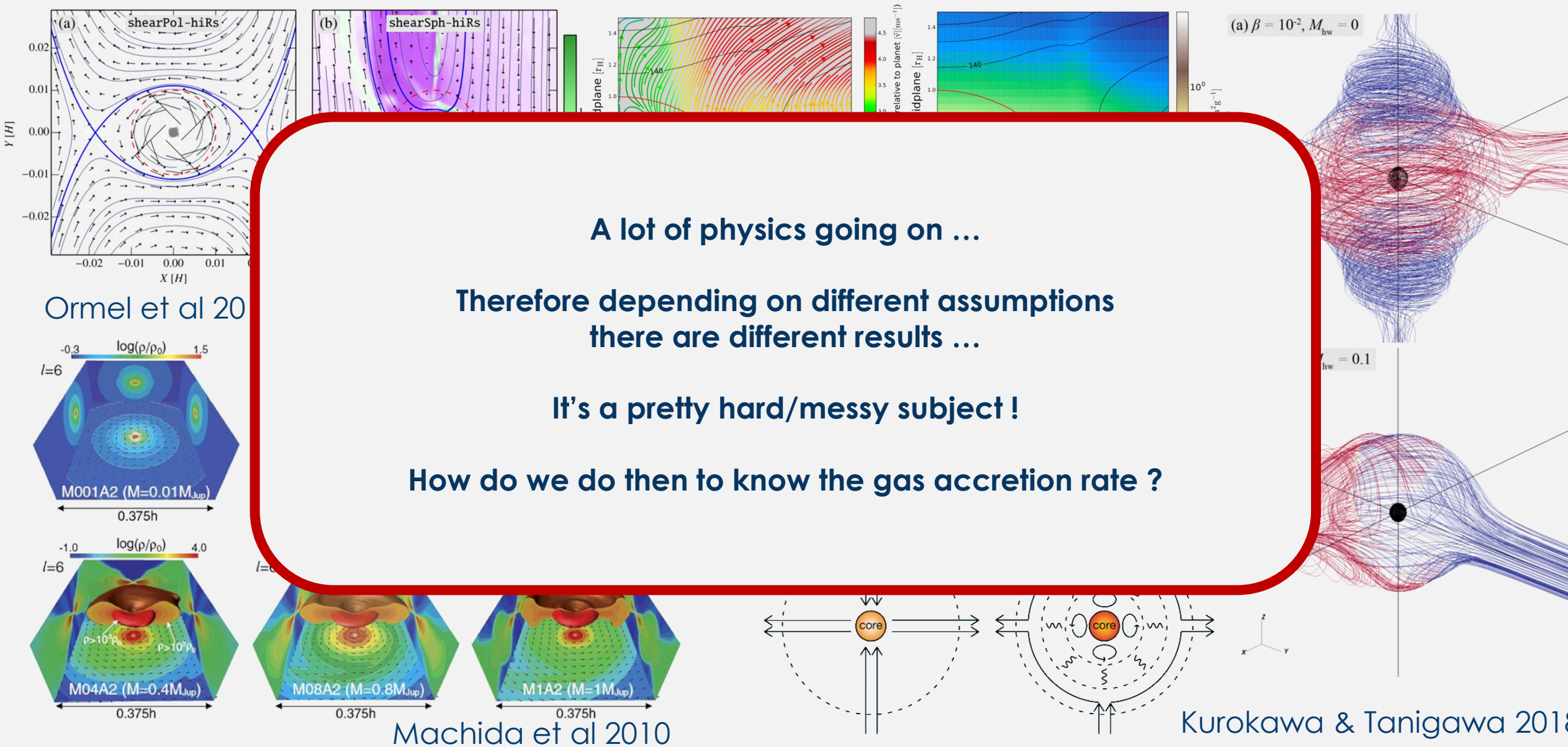


Machida et al 2010



Kurokawa & Tanigawa 2018

Gas accretion complicated ? Noooo ...



Gas accretion rates ?



Paper	$\dot{M}_{runaway}$	Comment
D'Angelo et al 2003	$\sim 10^{-4} M_j/\text{yr}$	
Tanigawa & Ikoma 2007	$\sim 10^{-8} M_j/\text{yr}$	With photoevaporation
Machida et al 2010	$\sim (2 - 6) \cdot 10^{-5} M_j/\text{yr}$	
Tanigawa & Tanaka 2016	$\sim 10^{-8} M_j/\text{yr}$	
Schulik et al 2019	$\sim 10^{-4} M_j/\text{yr}$	
Lambrechts et al 2019	$\sim (10^{-5} - 10^{-6}) M_j/\text{yr}$	$\dot{M}_{flux\ atmosphere}$ $\sim 10^{-4} M_j/\text{yr}$

My work:

- Impact of gas accretion onto the protoplanetary disk
- Not resolving the process of gas accretion itself – different scale
 - ➔ Value of accretion rate is one of my “input” parameters (see slide 11)

How gas accretion is modeled here ?

- 1 planet = 1 gravitational potential from a mass M_{planet}



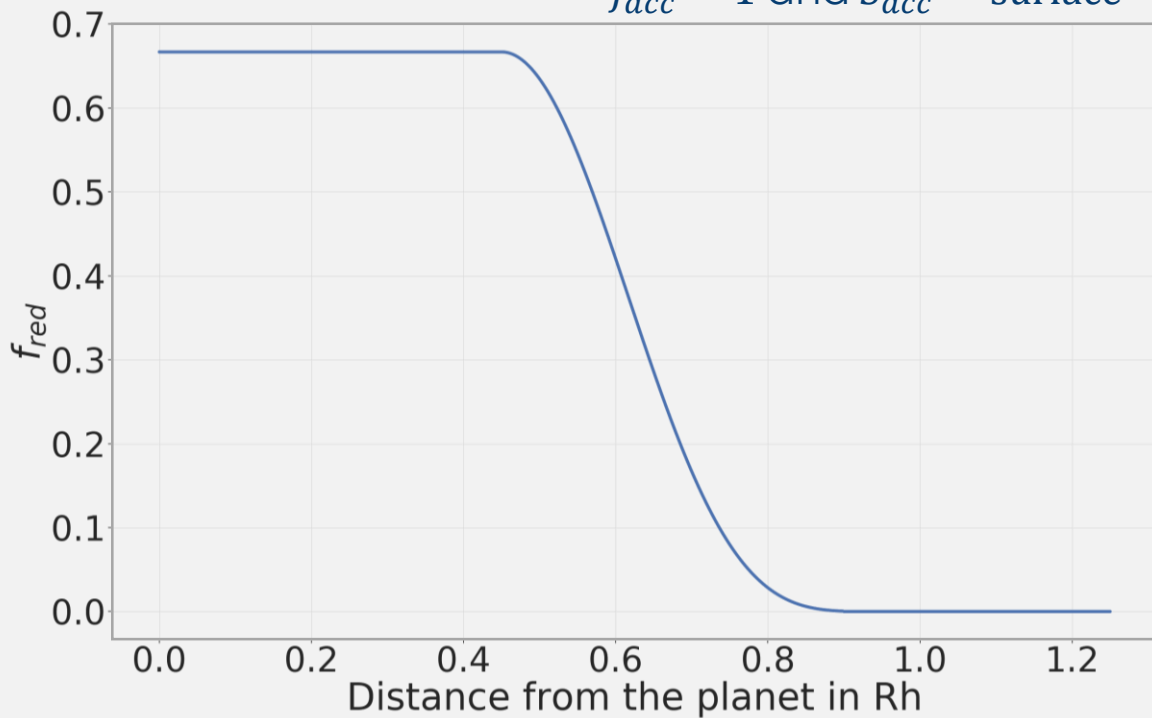
$$M_{disk}(t + dt) = M_{disk}(t) - dM$$

$$M_{planet}(t + dt) = M_{planet}(t) + dM$$

Kley accretion principle (Kley 1999)

$$dM_K = f_{red} \cdot S_{acc} \cdot \Sigma(r, t) \cdot f_{acc} \cdot dt$$

$f_{acc} = 1$ and $S_{acc} = \text{surface}$



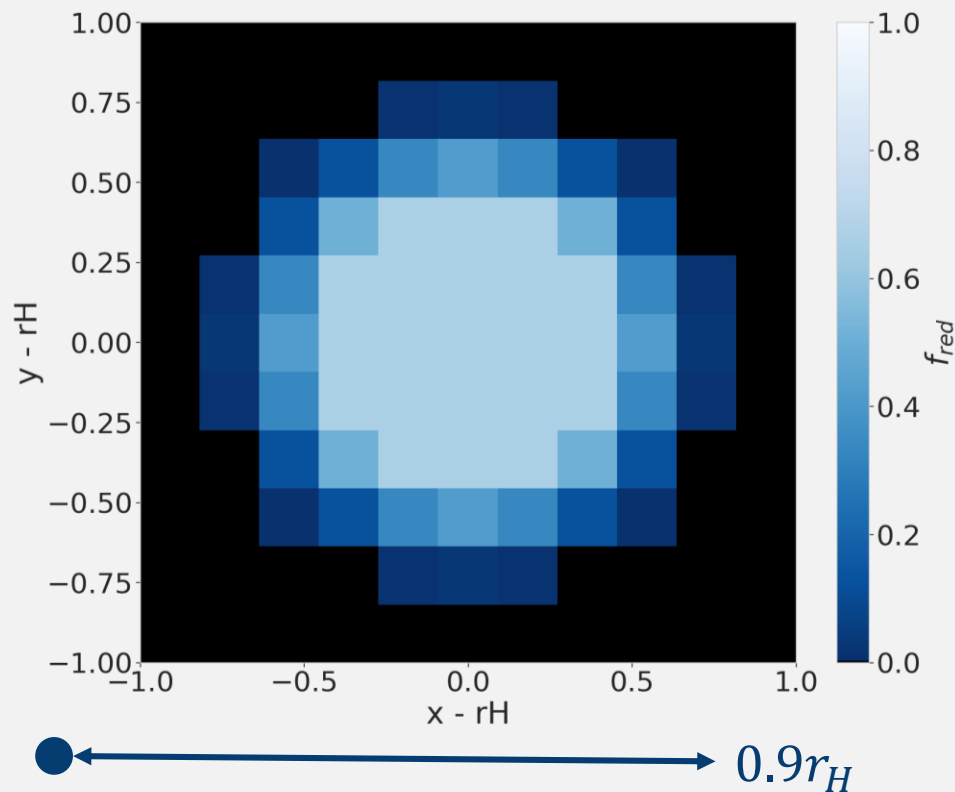
● ←————→ $0.9r_H$

Machida accretion principle (Machida et al 2010)

Kley accretion principle (Kley 1999)

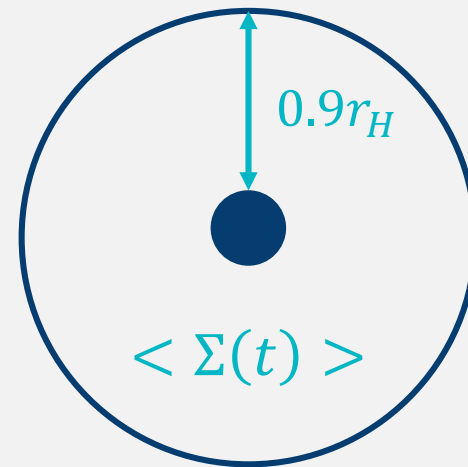
$$dM_K = f_{red} \cdot S_{acc} \cdot \Sigma(r, t) \cdot f_{acc} \cdot dt$$

$$f_{acc} = 1 \text{ and } S_{acc} = \text{surface}$$



Machida accretion principle (Machida et al 2010)

$$dM_M = \Sigma(r, t) \cdot H^2 \Omega \times \min \left(0.14 ; 0.83 \cdot (r_H/H)^{9/2} \right) \cdot dt$$



$$r_H = r_p \left(\frac{m_p}{3M_\star} \right)^{1/3}$$

Machida+ 2010: Derived from 3D simulations without removing gas from the disk

Crida&Bitsch 2017: Used it in 2D simulations (migration + accretion) with $\Sigma(r, t) = \Sigma_0$

Accretion routine at each dt :

- Step 1: Calculation of Kley accretion rate
- Step 2: Calculation of Machida accretion rate
Tuning of Machida's accretion rate ➔ *Exploring different accretion rates*
- Step 3: Checking which accretion rate is the smaller ($dM = dM_{Machida}$ or dM_{Kley})
- Step 4: Removing the gas via Kley's principle with the smaller rate:

$$\text{if } dM_{Kley} > dM_{Machida}: \\ f_{acc} = dM_{Machida}/dM_{Kley}$$

Simulations parameters



Fargo2D1D: locally isothermal

➔ Global viscous evolution of disc

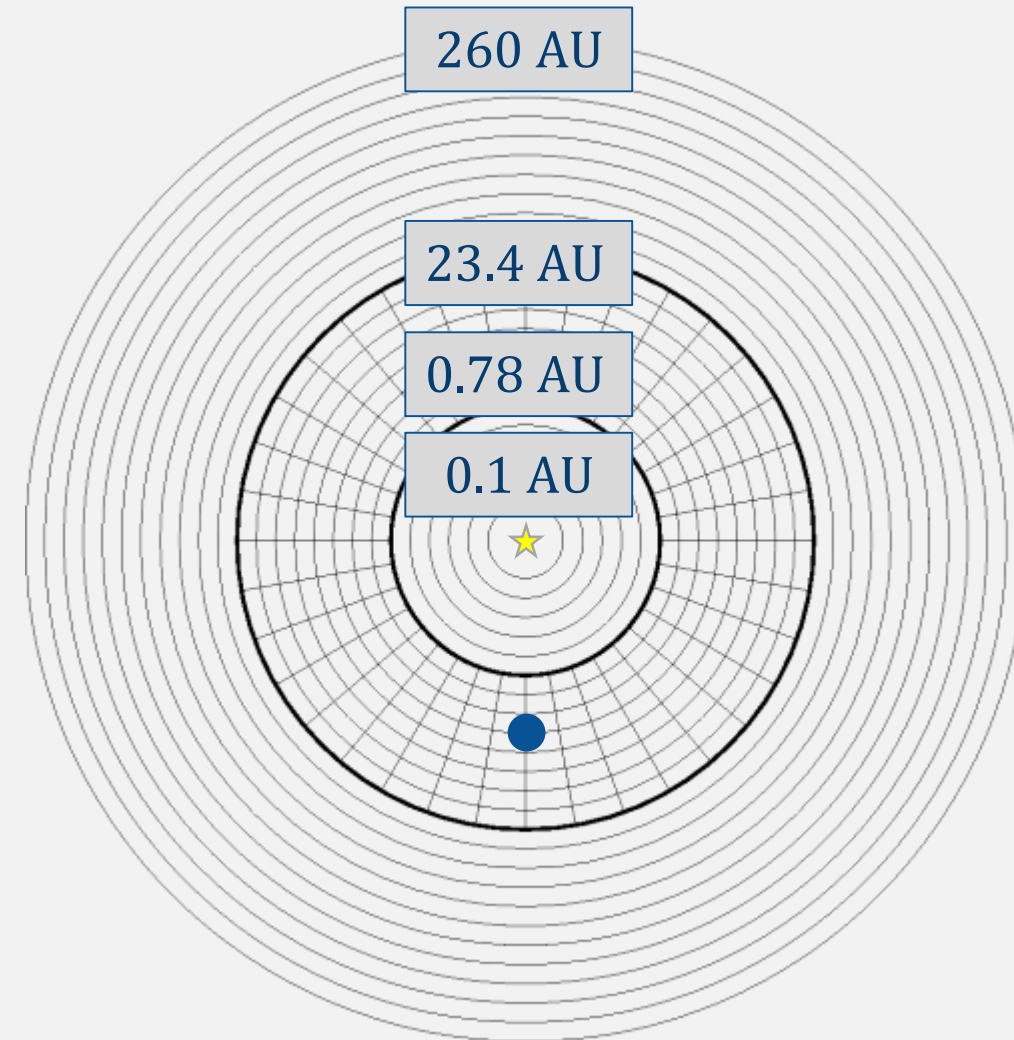
Disc parameters:

$$h = 0.03, 0.05, 0.07 \quad \alpha = 10^{-2}, 5 \cdot 10^{-3}, 10^{-3}, 10^{-4}$$

$$\Sigma \propto r^{-1} \quad \Sigma_0 = 3 \times 10^{-4} \quad M_{disc} = 10\% M_{\star}$$
$$= 93.6 \text{ g/cm}^2$$

Planet initial parameters:

$$M_{planet} = 20M_{\oplus} \quad r = 5.2 \text{ AU} \quad \dot{M}_{Machida} = (0.1, 0.2, 0.5, 1, 2, 5, 10) \times \dot{M}_{Machida}$$



Influence of accretion rate



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Machida factor:

Reduced :10

Reduced :5

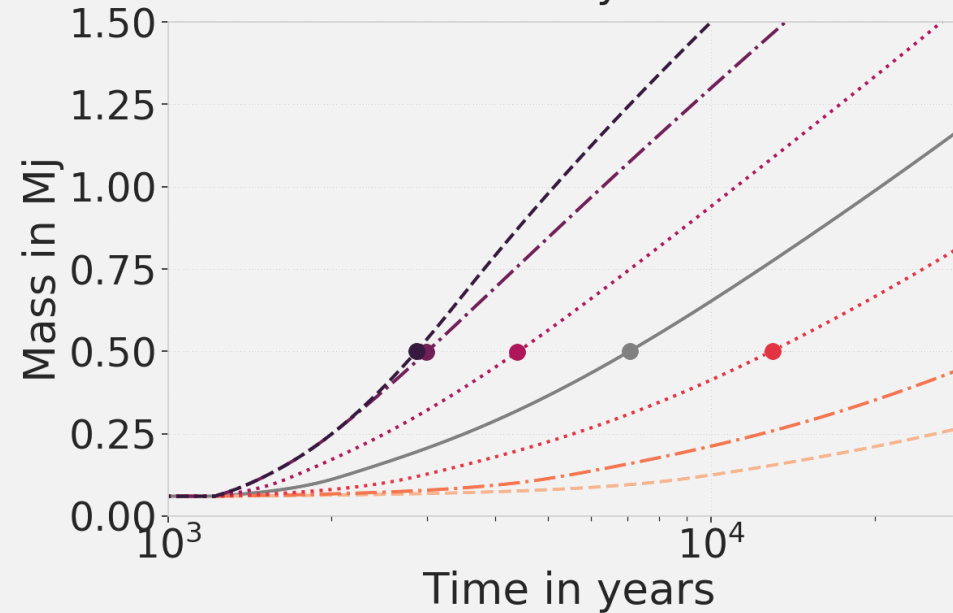
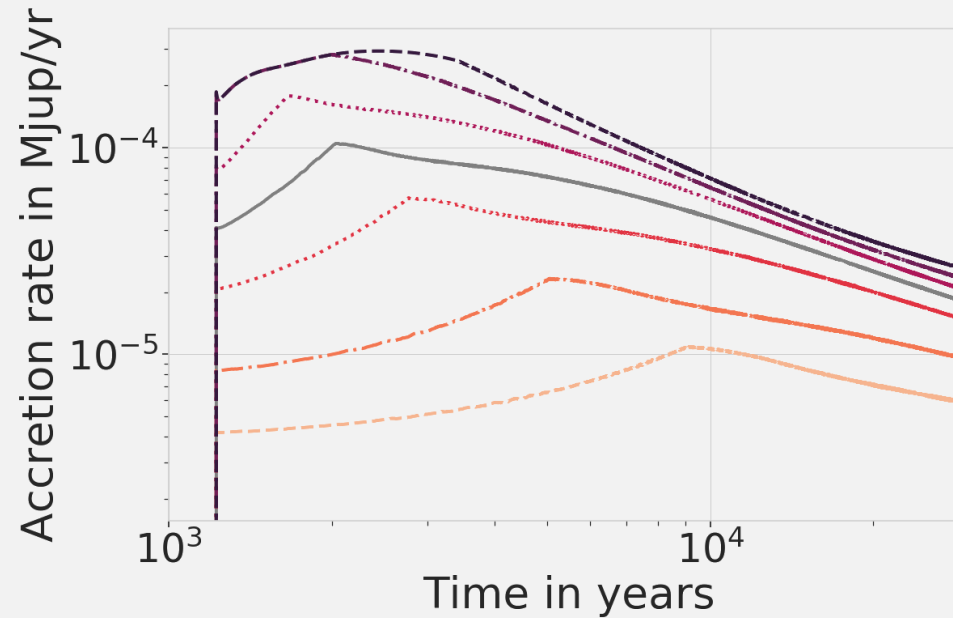
Reduced :2

Nominal

Enhanced x2

Enhanced x5

Enhanced x10



Range in accretion rates obtained:

From $\sim 2 \cdot 10^{-4} M_j/\text{yr}$
to $\sim 6 \cdot 10^{-6} M_j/\text{yr}$

Range in masses obtained:

From $\sim 3 M_j$
to $\sim 0.5 M_j$ in $6 \cdot 10^4$ yrs

➡ Jupiter like planets

Influence of accretion rate



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Machida factor:

Reduced :10

Reduced :5

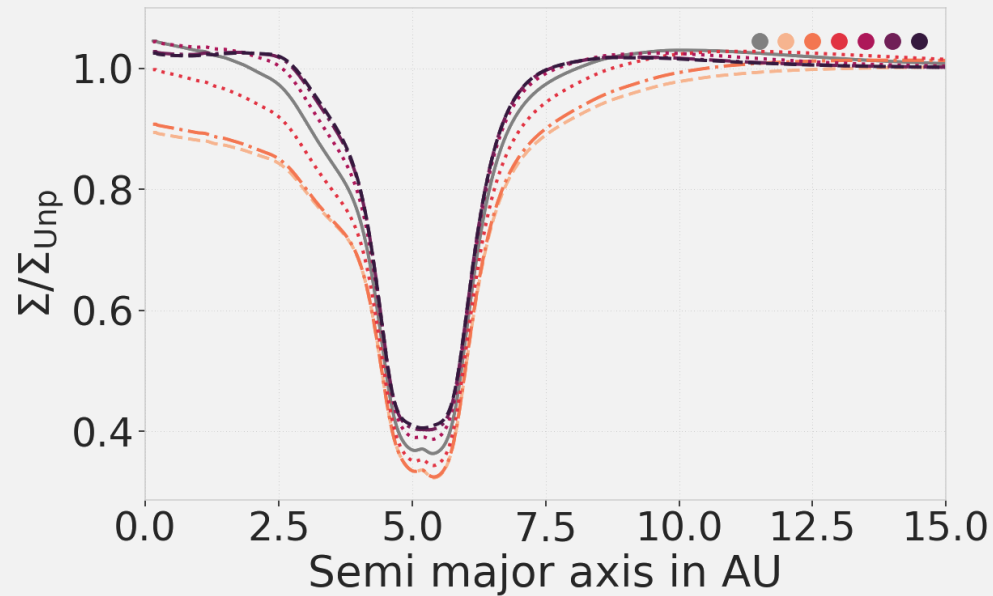
Reduced :2

Nominal

Enhanced x2

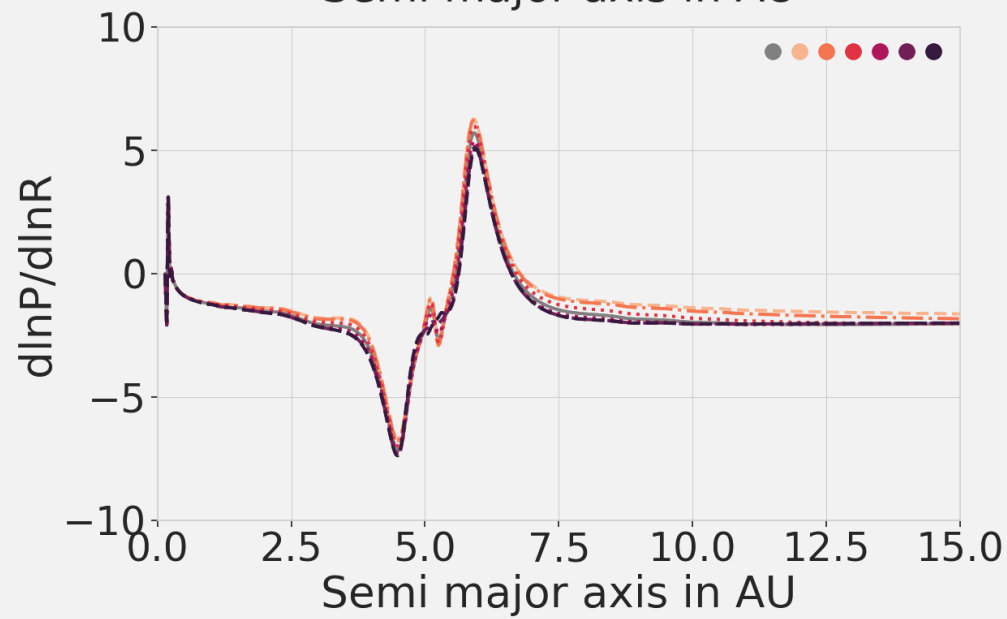
Enhanced x5

Enhanced x10



For $m_p = 0.5 M_j$:

Only small differences in gap shape at the same mass **at this viscosity**



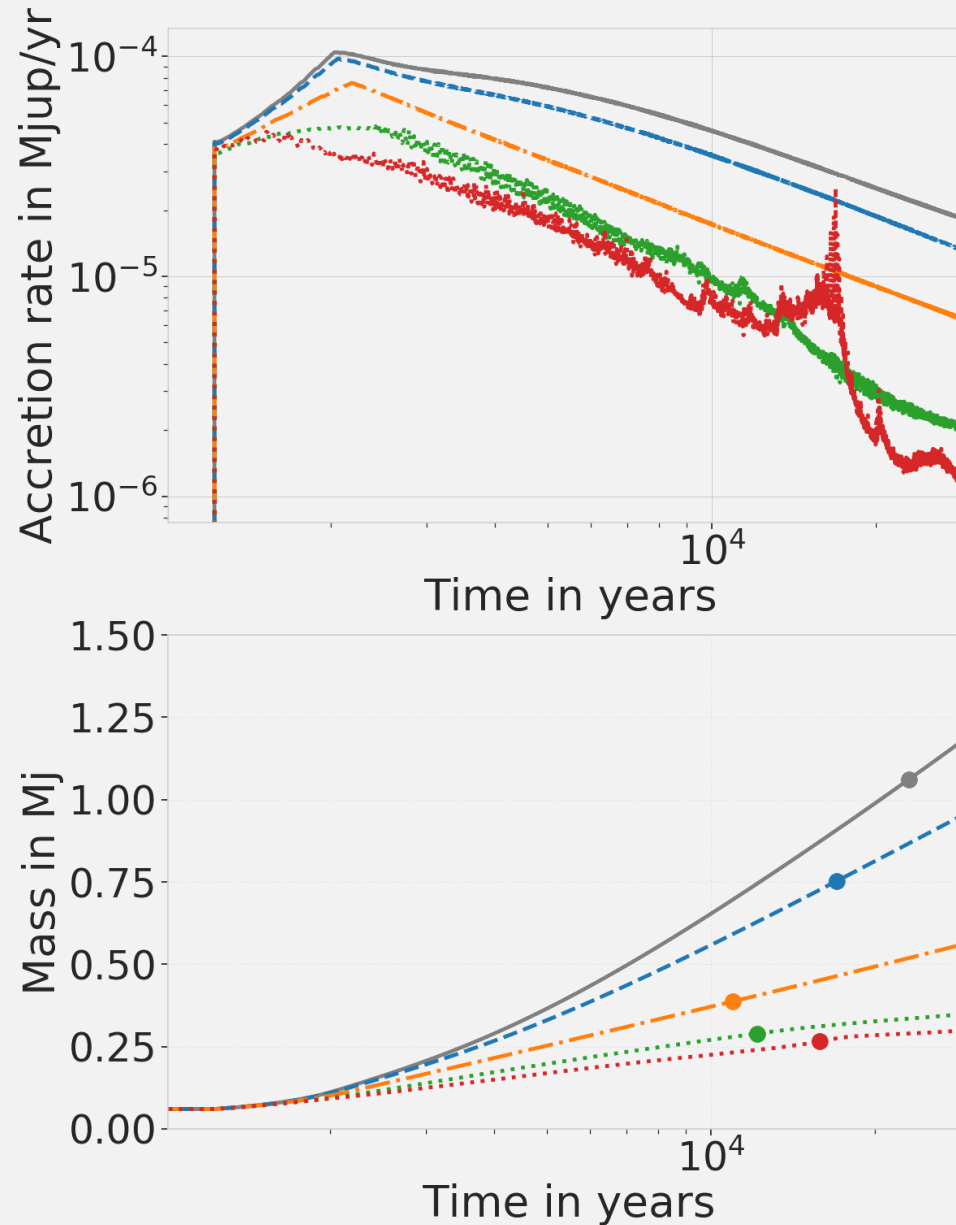
Influence of viscosity



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Alpha viscosity:

$$\begin{aligned}\alpha &= 10^{-2} \\ \alpha &= 5 \cdot 10^{-3} \\ \alpha &= 10^{-3} \\ \alpha &= 10^{-4} \\ \alpha &= 10^{-5}\end{aligned}$$



Viscosity has an influence on how the planet creates a gap via:

- Torques between the planet and the disc
- Refill of gas removed by accretion

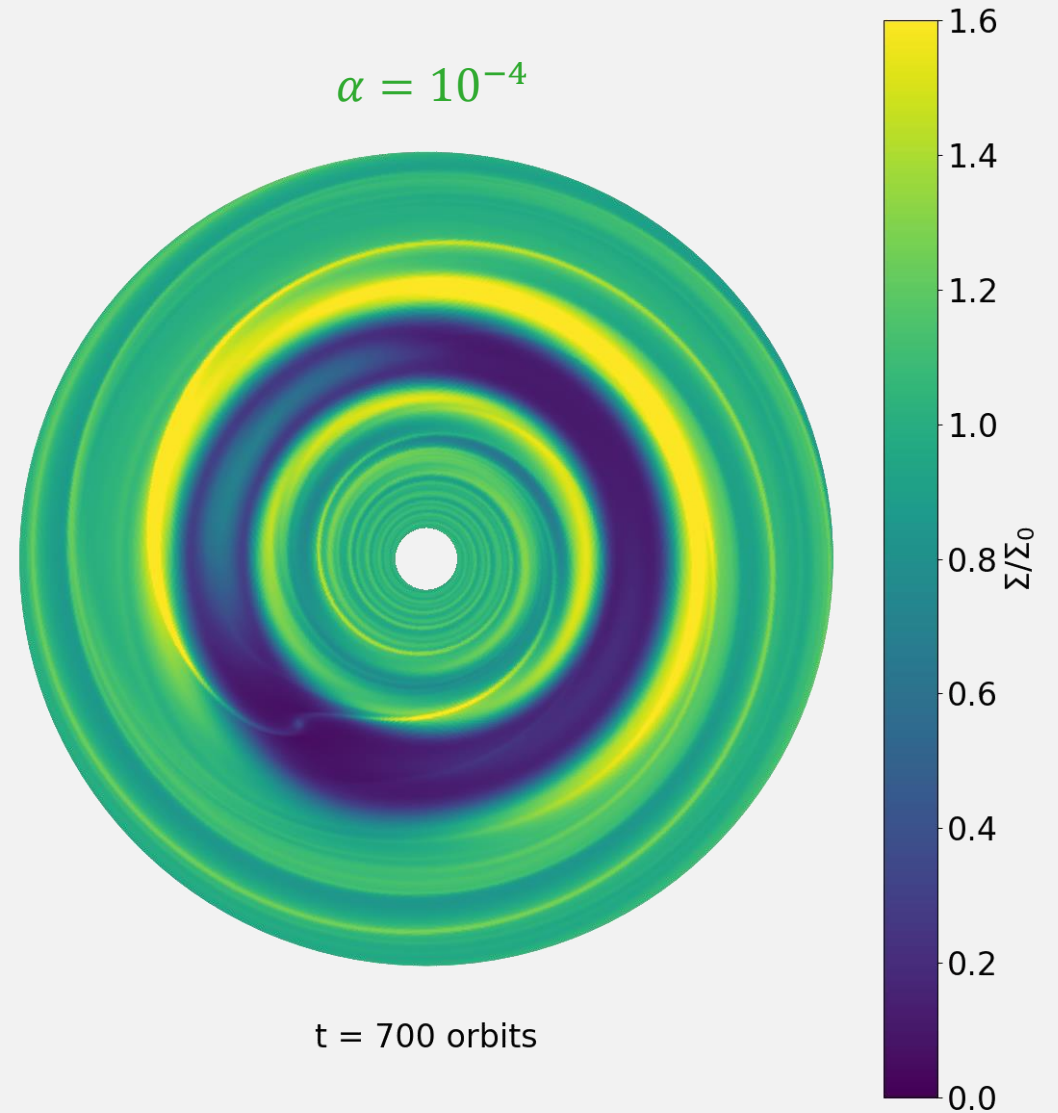
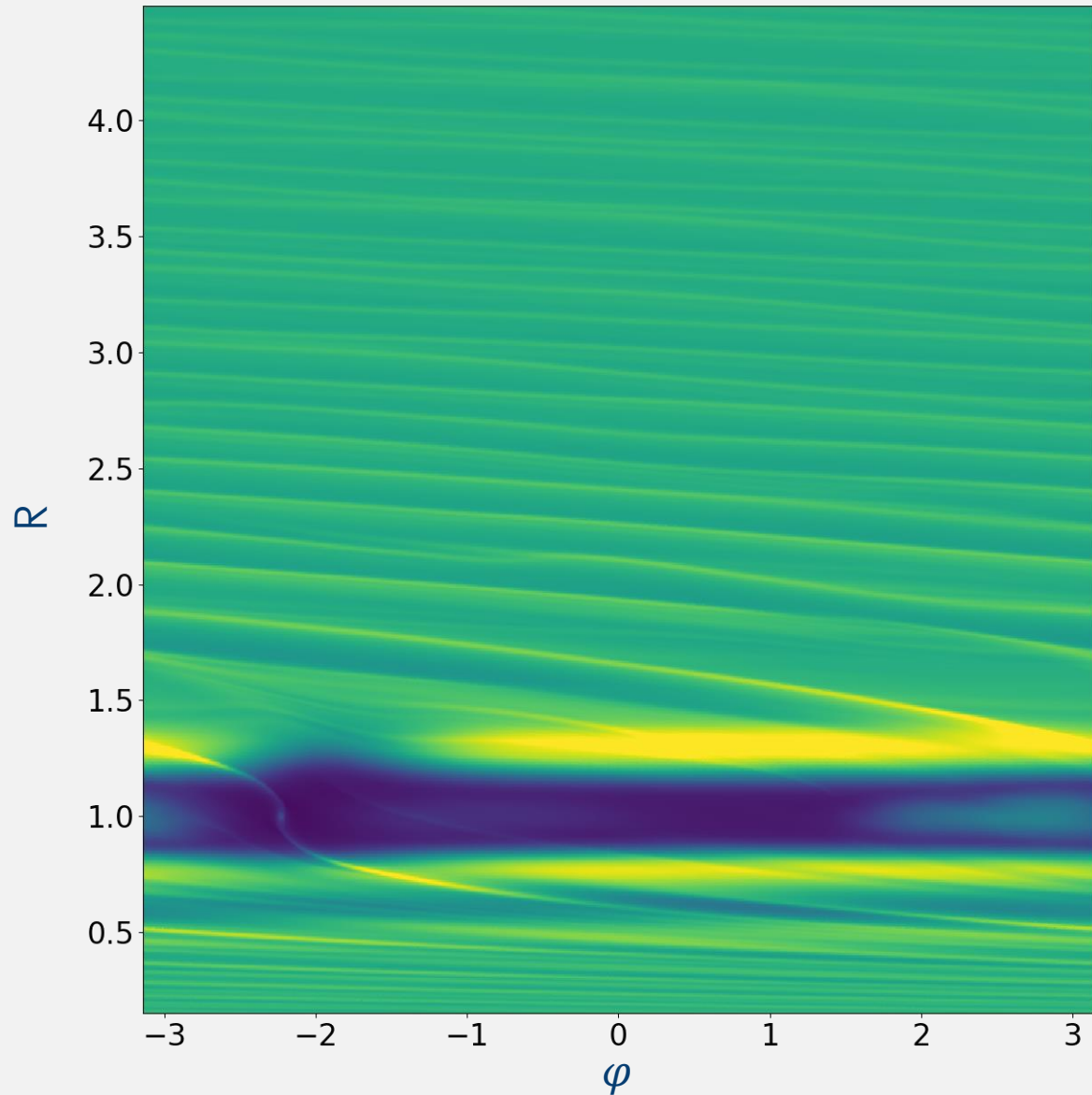
For $\alpha = 10^{-4}$ and $\alpha = 10^{-5}$ presence of vortices. They push material in the vicinity of the planet

➡ oscillations in the accretion rate

Influence of viscosity



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Gap opening mass



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Alpha viscosity:

$$\alpha = 10^{-2}$$

$$\alpha = 5 \cdot 10^{-3}$$

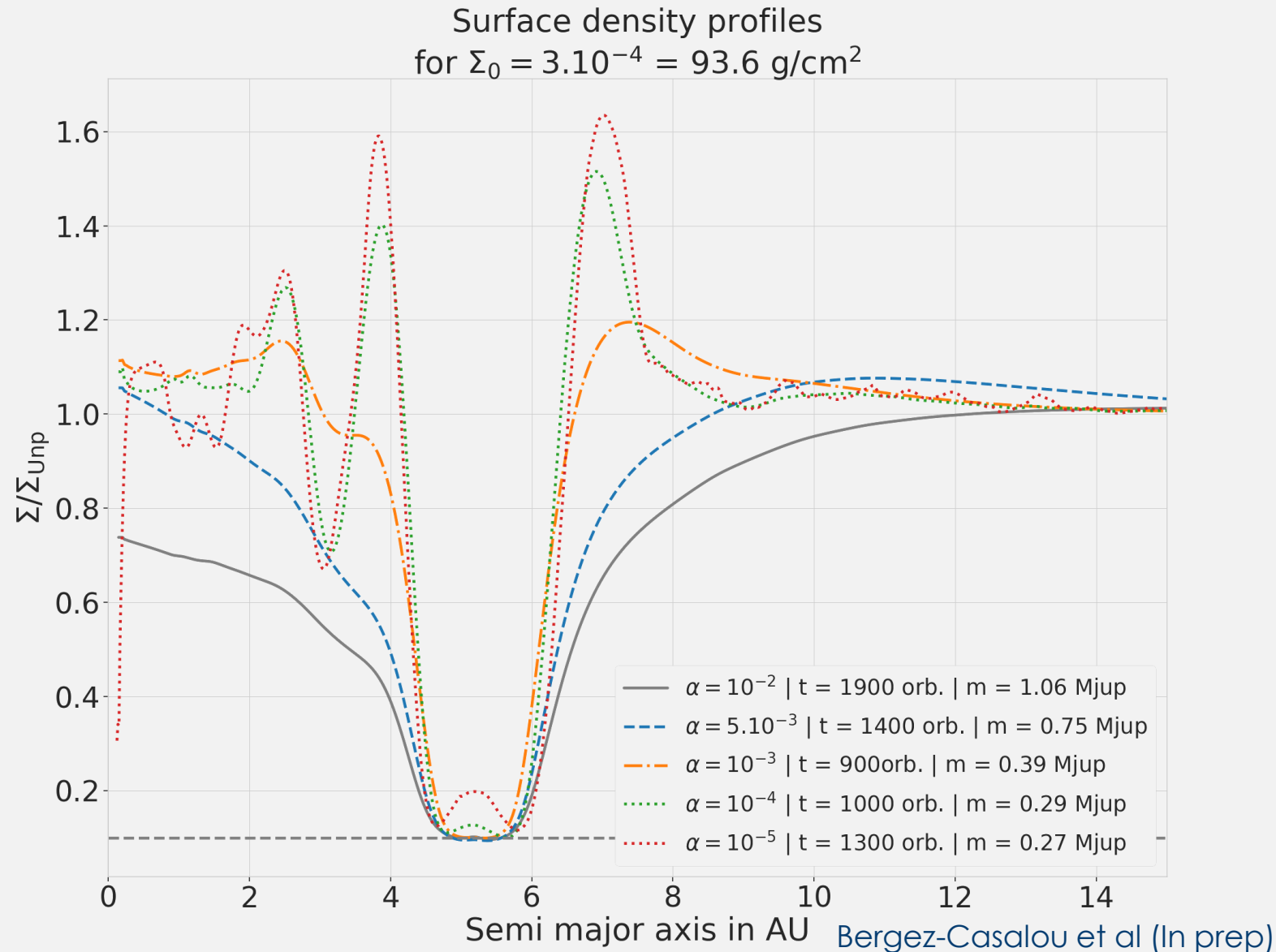
$$\alpha = 10^{-3}$$

$$\alpha = 10^{-4}$$

$$\alpha = 10^{-5}$$

Definition of a gap here:

$$\Sigma_{min} = 0.1 \frac{\Sigma}{\Sigma_{unp}}$$



Gap opening mass



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Timescale fight



When $\tau_{gap} > \tau_{acc}$:

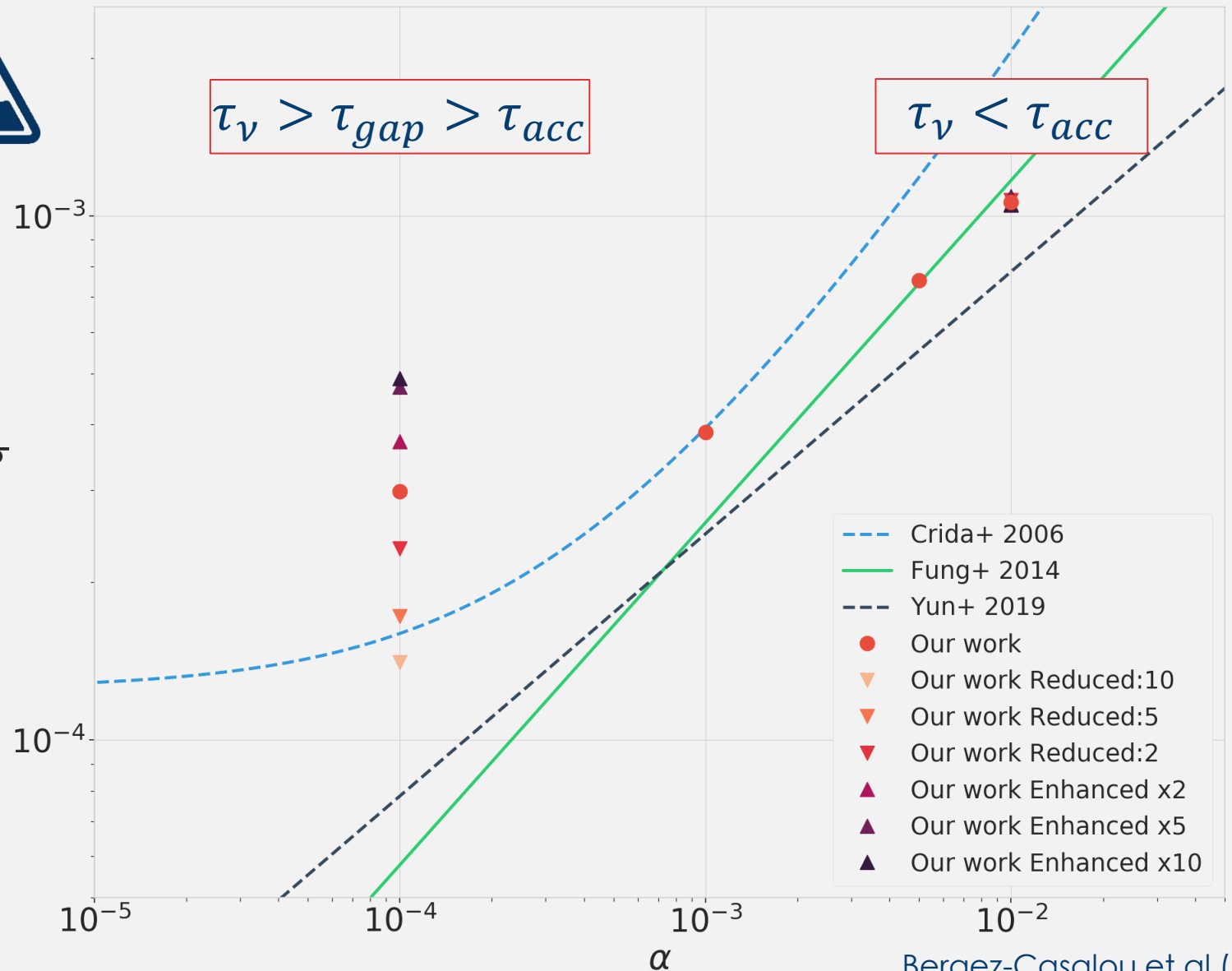
While planet is forming the gap, it is accreting

$$M_{acc,gap} > M_{non\ acc,gap} \quad \sigma$$

When $\tau_v < \tau_{acc}$:

Everything that is accreted by the planet is replenished by viscosity

$$M_{acc,gap} \simeq M_{non\ acc,gap}$$

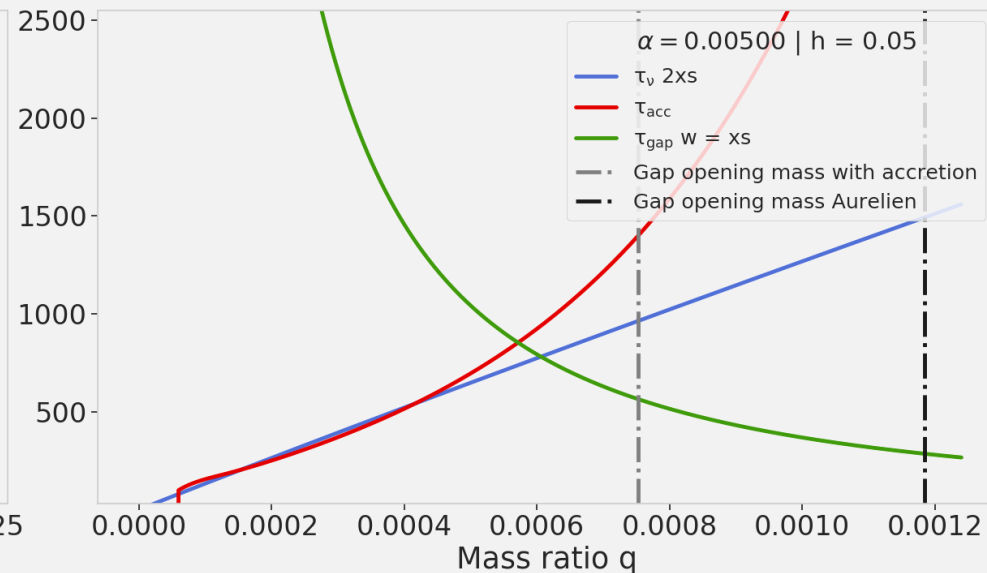
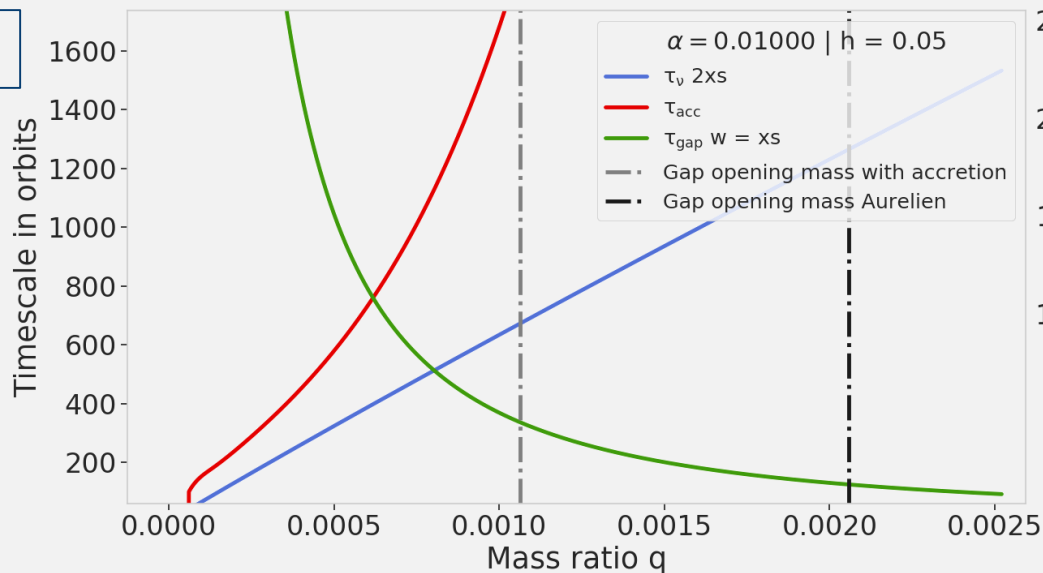


Gap opening mass



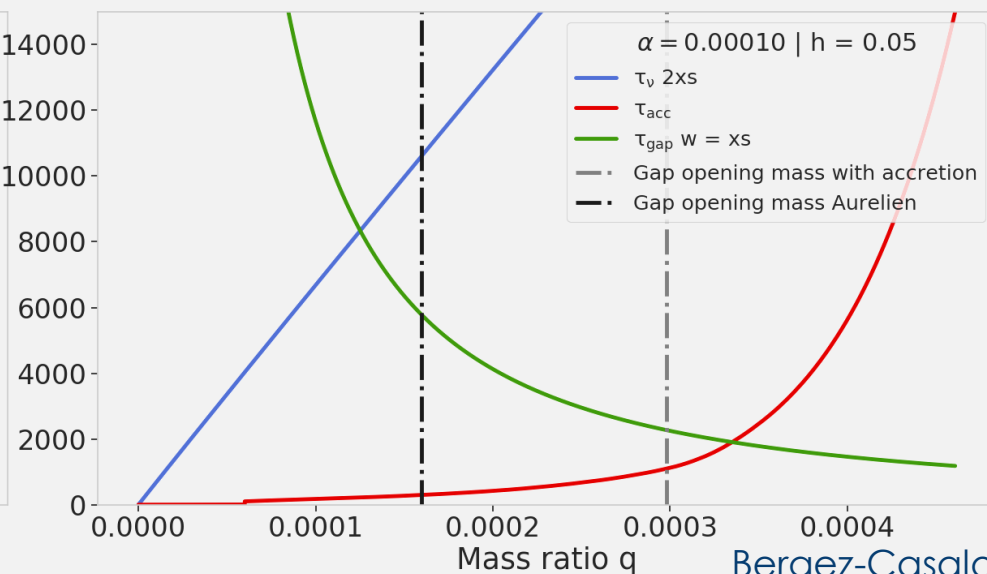
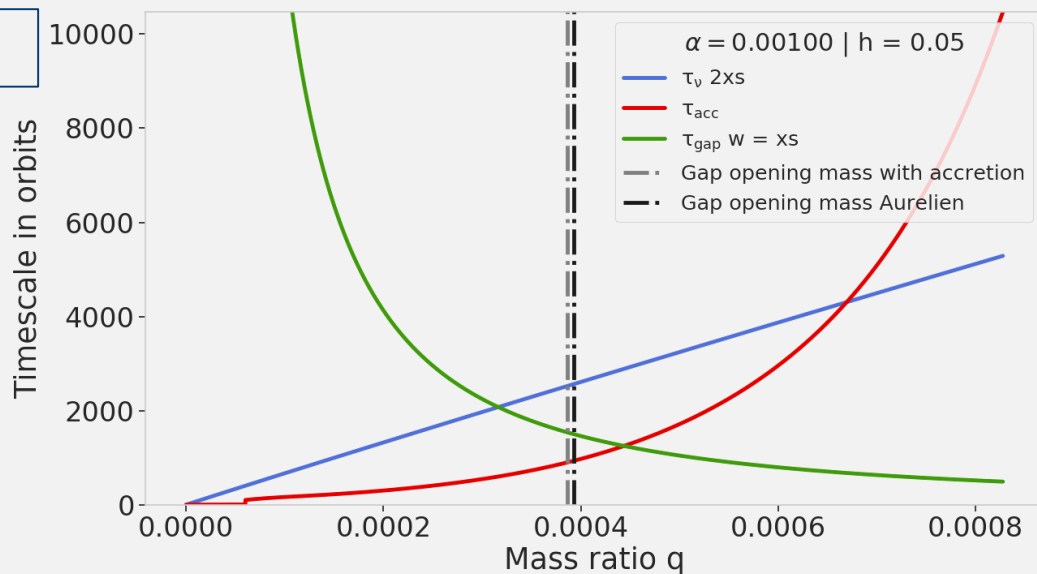
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$$\alpha = 10^{-2}$$



$$\alpha = 5 \cdot 10^{-3}$$

$$\alpha = 10^{-3}$$



$$\alpha = 10^{-4}$$

Review papers:

Core accretion and Gravitational instabilities:

Paardekooper, S.J. & Johansen, A. Space Sci Rev (2018) 214: 38.
<https://doi.org/10.1007/s11214-018-0472-y>

Gravitational instability in disks + planet formation:

K. Kratter, G. Lodato, Annu. Rev. Astron. Astrophys. **54** 271–311 (2016).
<https://doi.org/10.1146/annurev-astro-081915-023307>

Lecture notes:

Armitage, P. J. 2007
<https://arxiv.org/pdf/astro-ph/0701485.pdf>

This is a **chocolatine**



Take home messages

- Gas accretion is a complicated subject, not very well constrained yet. High resolution and complex physics simulations are starting to help us understand the details of gas accretion.
- The disc parameters have a strong impact on gas accretion: presence of vortices at low viscosity pushes material toward the planet.
- With respect to viscosity, gas accretion can change gap opening mass.

Thank you for your attention



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