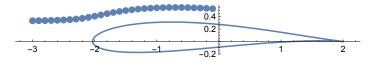
```
(* Vinicio Haro, HW#3: Drawing the Airfoil, STAT 786 *)
 (* ParametricPlot[{Cos[u],Sin[u]},{u,0,2Pi}] *)
dx = -.1;
dy = 0.05;
 (* Define distance *)
d = (Sqrt[(1-dx)^2 + (0-dy)^2]);
ParametricPlot [{(d * Cos[u] - .1), (d * Sin[u] + .05)}, {u, 0, 2 Pi}]
 (* Air Foil *)
 f[x_{-}, y_{-}] = \{(x + x/(x^{2} + y^{2})), (y - y/(x^{2} + y^{2}))\};  foilplot = ParametricPlot [f[d * Cos[u] - .1, d * Sin[u] + .05], {u, 0, 2 Pi}]
g[z_] =
    \left(\left(\frac{\left(z + \operatorname{Sqrt}\left[z^2 - 4\right] - 2\left(\operatorname{dx} + \operatorname{I} \star \operatorname{dy}\right)\right)}{2 \star \operatorname{d}}\right) + \left(\frac{\left(2 \star \operatorname{d}\right)}{\left(z + \operatorname{Sqrt}\left[z^2 - 4\right] - 2\left(\operatorname{dx} + \operatorname{I} \star \operatorname{dy}\right)\right)}\right)\right);
h[z_{-}] = \left( \left( \frac{z - Sqrt[z^{2} - 4] - 2 (dx + I * dy)}{(2 d)} \right) + \left( \frac{(2 d)}{(z - Sqrt[z^{2} - 4] - 2 (dx + I * dy))} \right) \right);
FindRoot[Im[h[-3 + I * y]] = .25, {y, 0}] (*Finding one point*)
                                             1.0
                                             0.5
          -1.0
                            -0.5
                                            -0.5
```

 $\{y \to 0.333324\}$

airlist = {};
guess = 0;

```
For [ i = 0, i \le 29, i++,
 foilpoints = y / . FindRoot[Im[h[-3+i*.1 + I*y]] == .25, {y, guess}];
 guess = foilpoints;
 AppendTo[airlist, {-3+i*.1, foilpoints}];
For [i = 0, i \le 29, i++,
 foilpoints = y / . FindRoot[Im[g[3+i*.1+I*y]] == .25, {y, guess}];
 guess = foilpoints;
AppendTo[airlist, {3 + i * .1 , foilpoints}];
]
```

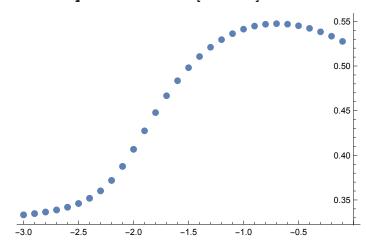
Show[foilplot, secondarylist, PlotRange → All]



foilpoints

0.406715

secondarylist = ListPlot[airlist]



```
(* I'm not sure how to code the B spline formula B(t) =
 (1-t)^2 B1 + 3t(1-t)^2 B2 + 3t^2(1-t)B3 + t^3 B4 *
```