

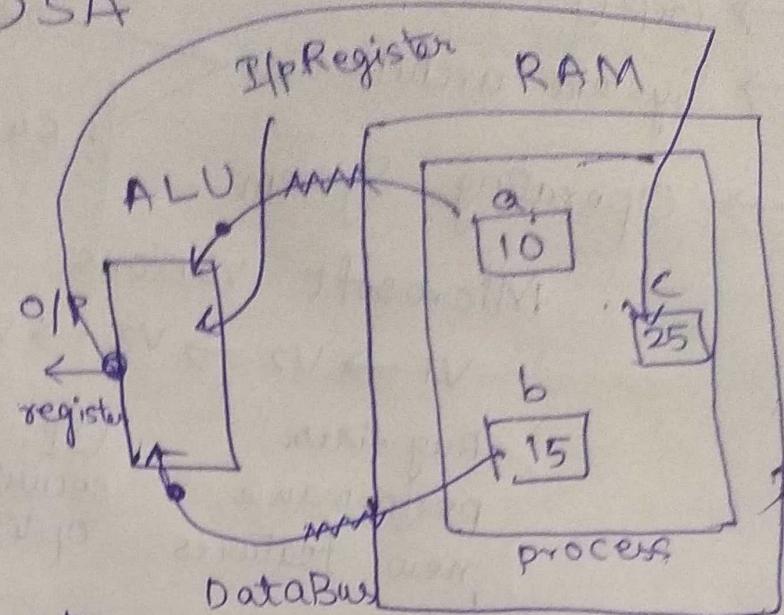
DSA

```

int a = 10
int b = 15
int c = a+b
print c //25
    
```

$10 : \underline{1} \underline{0} \underline{1} \underline{0}$

$15 : \underline{1} \underline{1} \underline{1} \underline{1}$



* ALU made of gates
AND, OR, XOR gates.

System A

$$R = 10^3$$

$$M = 10^6$$

$$G = 10^9$$

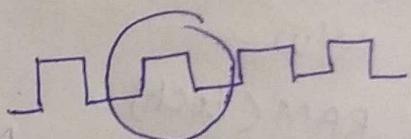
~~1 GHz~~

$$1 \times 10^9 CC/sec$$

System B.

$$2 \text{ GHz}$$

$$2 \times 10^9 CC/sec$$



$$1 CC = 1 \text{ instruction}$$

* processing power, speed

→ memory → RAM size. (Active data)

• If the RAM size

is very less → CS ↑

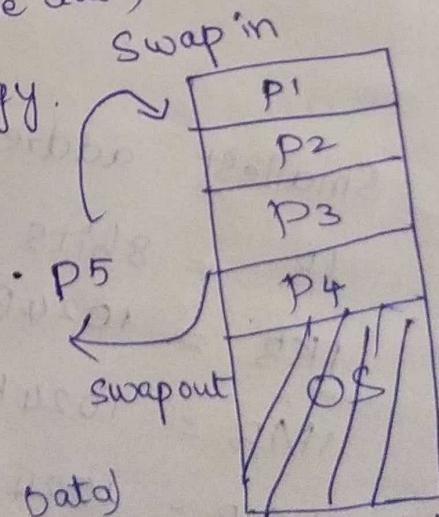
CPU Time ↑ wasted

Thashing.

size. (Inactive data)

HDD technology

magnetic mechanism HDD, SSD → digital mechanism.



context switching.

* Cache memory.

→ GPU

→ System architecture

→ Operating System

Microsoft versions

V1 → V2 → V3 → V4

Bug fixes.

performance

new features

32 bit

64 bit

memory

(TO DO 1) Pyram

* processing power, RAM size

HD
GPU
Architecture
N/W
RAM (tech)

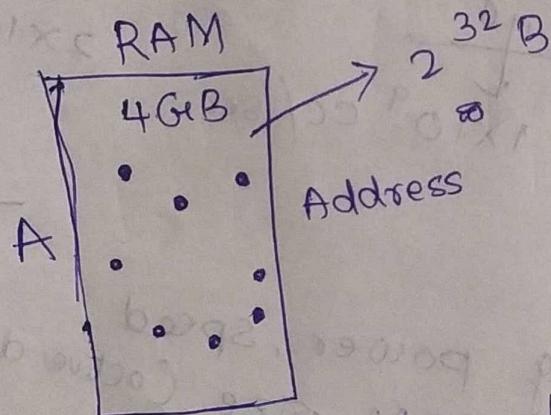
System A
2³²
4 GB

System

B

B.

8 GB



2³² unique,
addresses

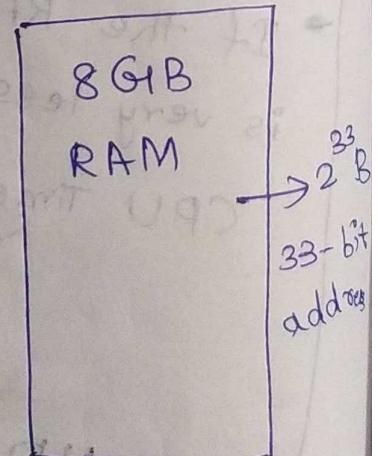
Smallest addressable unit is - 1 Byte.

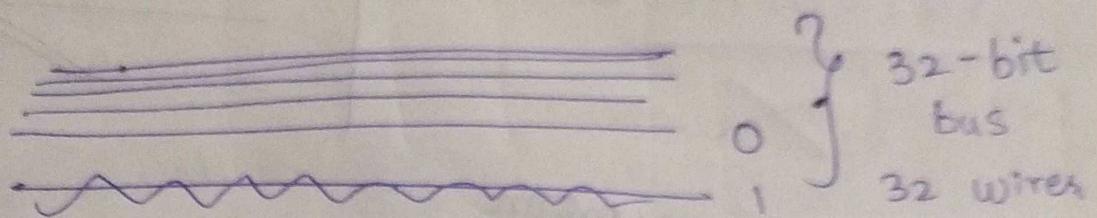
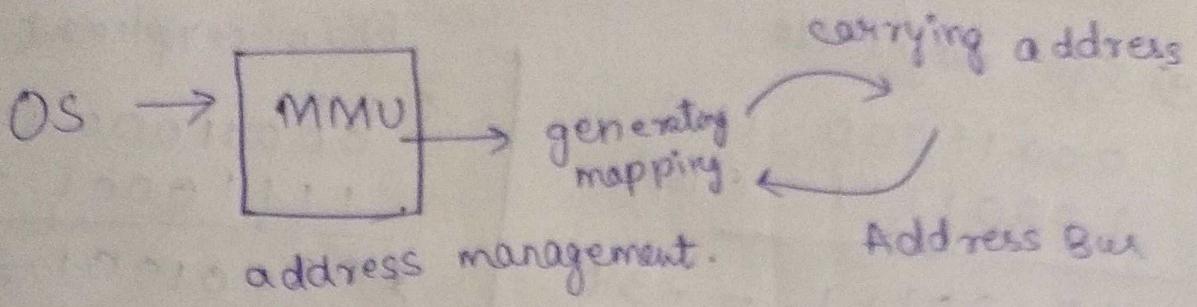
$$1B = 8 \text{ bits}$$

$$1KB = 1024B = 2^{10} \text{ bits}$$

$$1MB = 1024KB = 2^{20} \text{ Bytes}$$

$$1GB = 1024MB = 2^{30} B$$





18 0010010
MSB LSB

18 : 00010010

-18 : 10010010

$\begin{array}{r} \text{sign magnitude} \\ -110 \\ \times \\ -110 \\ \hline \end{array}$

* 2's complement \Rightarrow 1's complement + 1

18 11101101

-18 $\begin{array}{r} +1 \\ \hline 11101101 \\ -128 \quad 64 \quad 32 \quad 16 \quad 8 \quad 4 \quad 2 \quad 1 \\ \hline -18 \end{array}$

carry = S/2
value = S^o/2

18 → 0 0 0 1 0 0 0 0 0
-128 64 32 16 8 4 2 1

0 1 1 0 0 0 1 0

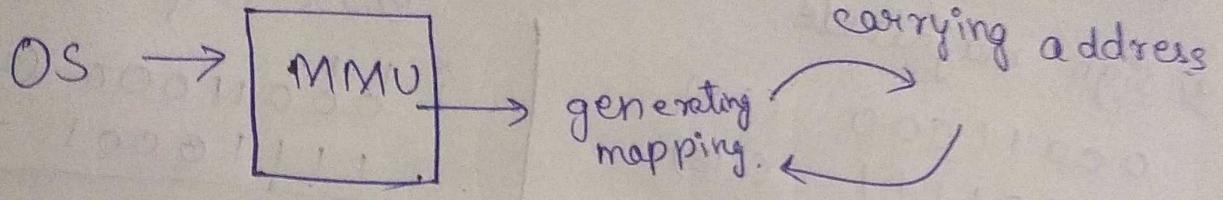
-98 1 0 0 1 1 1 0 → -98

0 0 1 0 1 0 0 1

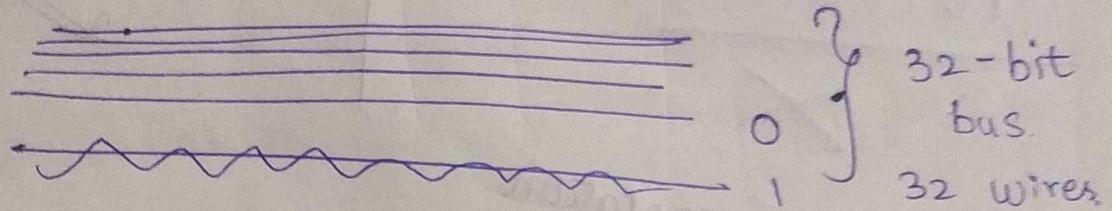
-41 1 1 0 1 0 1 1 1 → -41

0 1 1 0 1 1 1 0

1 0 0 1 0 1 1 1



address management. Address Bus.



~~18 00010010~~
MSB LSB

18 : $\boxed{0} \ 0 \ 0 \ 1 \ 0 \ 0 \ 1 \ 0$

-18 : $\boxed{1} \ 0 \ 0 \ 1 \ 0 \ 0 \ 1 \ 0$

sign magnitude.

2	18
2	9 - 0
2	4 - 1
2	2 - 0
2	1 - 0

* 2's complement \rightarrow 1's complement + 1

18 11101101 ← 1's complement.

$$\begin{array}{r}
 & & & & + 1 \\
 & & & & \hline
 -18 & 1 & 1 & 1 & 0 & 1 & 1 & 0 & \downarrow -18
 \end{array}$$

carry = $s / 2$

value = $s \circ / 2$

18 → $\underline{0} \ \underline{0} \ \underline{0} \ \underline{1} \ \underline{0} \ \underline{0} \ \underline{0} \ \underline{0}$

01100010
10011101

98 01100010

$\begin{matrix} 0 \\ + 1 \end{matrix}$

$\overline{10011110}$

-98 10011110 $\rightarrow -98$

41 00101001

$\begin{matrix} 0 \\ + 1 \end{matrix}$

$\overline{11010111}$

-41 11010111 $\rightarrow -41$

$$\begin{array}{r} 24 + 15 \\ 24 + (-15) \end{array} \quad \left\{ \begin{array}{l} 45 \\ -15 \end{array} \right.$$

a) sign magnitude

$$\begin{array}{r} 00011000 \quad (2^4) \\ 10001111 \quad (-15) \\ \hline 10100111 = -39 \end{array}$$

~~X~~

b) 2's complement

$$\begin{array}{r} 100011000 \quad (2^4) \\ 11110001 \quad -15 \\ \hline 100001001 \rightarrow 9 \end{array}$$

~~✓~~

b) zero representation

$$\begin{array}{ll} 0 \leftarrow 00000000 & \rightarrow 0 \\ (\text{not possible}) \leftarrow 10000000 & \rightarrow -128 \quad \text{✓} \\ -128 \rightarrow 8 \text{ bits} & \downarrow \text{sign magnitude (no representation)} \end{array}$$

* Data Types: Java: 8B C/C++
 4B int → short / long / long long / signed / unsigned
 1B char
 2B float
 8B double / long double
 1B boolean → 0 → F
 1B void

Byte (Java)

bool arr[N]; → ceil[N/8]
 bool arr[N]; → N Bytes
 bool b0, b1, b2, b3, b4 → b.

b: ~~1 0 0 1 1 1~~ } 8 boolean values
 int arr[N/32] → 4 × N/32 ⇒ N/8

- * In a single boolean variable, we have 8 boolean values.
- * To store 8 boolean values, we will use $N/8$.

* variable by default \rightarrow signed.

* msB -ve \rightarrow signed

+ve \rightarrow unsigned.

* Negative values can not be stored in unsigned.

$0 \ 1 \ 1 \ 1$ \rightarrow signed $\rightarrow -8, 7$

$\underline{1} \ \underline{0} \ \underline{0} \ \underline{0}$ \rightarrow unsigned $\rightarrow 0, 15$

$\begin{array}{r} \underline{0} \ \underline{0} \ \underline{0} \ \underline{0} \\ \underline{1} \ \underline{1} \ \underline{1} \ \underline{1} \end{array}$ ↓ ↑
 signed
 +ve -
 MSB
 -ve
 unsigned.

bits

1 \rightarrow

signed.

-1, 0

unsigned

0, 1

2 \rightarrow

-2, 1

0, 3

4 \rightarrow

-8, 7

0, 15

8 \rightarrow

-128, 127

0, 255

N \rightarrow

~~-2ⁿ⁻¹, 2ⁿ⁻¹~~

0, 2^{N-1}

int 32 \rightarrow

~~-2³¹, 2³¹~~

0, 2³²-1

size.

~~-2 × 10⁹, 2 × 10⁹~~

0, 4 × 10⁹-1

Range

Range

- * In a single boolean variable, we have 8 boolean values.
- * To store 8 boolean values, we will use $N/8$.

* variable by default \rightarrow signed.

* MSB -ve \rightarrow signed
+ve \rightarrow unsigned.

* Negative values can not be stored in unsigned.

$0\ 1\ 1\ 1$ \rightarrow signed $\rightarrow -8, 7$

$\underline{1\ 0\ 0\ 0}$ \rightarrow unsigned $\rightarrow 0, 15$

$\begin{array}{r} 0\ 0\ 0\ 0 \\ \hline 1\ 1\ 1\ 1 \end{array}$

↓ ↗

signed
 +ve
 MSB
 -ve
 unsigned.

bits

signed.

unsigned

1

-1, 0

0, 1

2

-2, 1

0, 3

4

-8, 7

0, 15

8

-128, 127

~~0, 2⁸ - 1~~
0 - 255.

N

~~-2ⁿ⁻¹, 2ⁿ⁻¹~~

0, 2^N - 1

int 32

$\rightarrow -2^{31}, 2^{31} - 1$

~~0, 2³² - 1~~

size.

$-2 \times 10^9, 2 \times 10^9 - 1$

~~0, 4 \times 10^9 - 1~~

Range

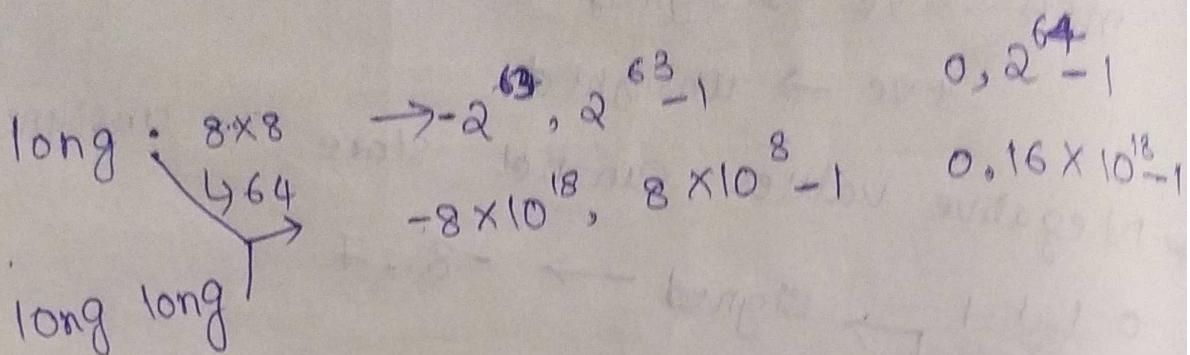
Range.

$$2^x \rightarrow 10^y$$

$$2^{10} = 1024 \approx 10^3$$

$$2^{20} \approx 10^6$$

$$2^{30} \approx 10^9$$



Every problem look like.

- * Test cases
- * array size
- * array elements

2
5
2 - 10 - 15 8 6.
3
5 - 2 18.

main :

Read T

loop(T)

Read I/P

process

print O/P

problem :

int findsum(int arr[], int N)

```
int i, sum=0;  
for(i=0; i<N; i++)  
    sum = sum + arr[i];  
return sum;
```

Sum of elements
in the array
at (tab)
Indentation

constraints: (Important)

$$1 \leq T \leq 100$$

$\text{\\t} \rightarrow \text{tab}$

$\text{\\n} \rightarrow \text{new line.}$

$$1 \leq N \leq 10^3$$

$$-10^5 \leq ar[i] \leq 10^5$$

$$10^3 \times 10^5$$

$$-10^8 \leq \text{sum} \leq 10^8$$

$$10^8$$

* correct data Types

Operators

- 1) Arithmetic operators +, -, *, /, %
- 2) Logical operators &&, ||, !
- 3) Relational operators !=, >, <, <=, >=, !=, ==
- 4) Bitwise operators &, |, ^, ~, <<, >>
- 5) ++, --, ?:, ., sizeof(-)

a	b	a b	a&b	a^b	~a
0	0	0	0	0	1
0	1	1	0	1	1
1	0	1	0	1	0
1	1	1	1	0	0

if there are

odd one's $\rightarrow 1$ } In
even one's $\rightarrow 0$ } XOR.

int $a=12, b=25$

$a = 00000000 0011000$ → 12
 $b = 00000000 0011001$ → 25
(32 bits)

int $c = a/b$: 000011101 → 29

$a \& b$: 00001000 → 8

$a \wedge b$: 00010101 → 21

$\sim a$: 11110011 →

Shift operators: ② Right Shift

a : 00011001 ↘ 12

$a \gg 1$: 00001100 ↘ 12

$a \gg 2$: 00000110 ↘ 12

$a \gg 3$: 00000011 ↘ 12

$a \gg i = a / 2^i$

a : 000001000 (5)

$a \ll 1$: 00001010 (10) ↘ *2

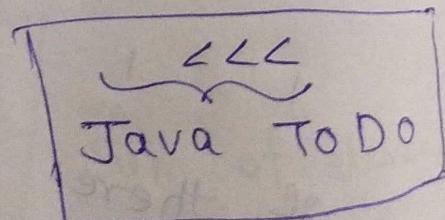
$a \ll = a * 2^i$

$a \ll 2$: 00010100 (20) ↘ *2

$a \ll 3$: 00101000 (40)

$a \ll 100$ → not possible.

int 32 long long int
 64



int a = —, b = —, c = —;

OR operator.

~~a~~

a/b = b/a.

} associative

a/b/c = c/a/b

} commutative

{ AND }
XOR

Y
odd even

$$a \& a = a$$

$$a \& 0 = a$$

$$a | 1 = a \quad a + 1$$

$$a \otimes a = a$$

$$a \otimes 0 = 0$$

$$a \otimes 1 = 0$$

$$a \wedge a = 0$$

$$a \wedge 0 = a.$$

$$a \wedge 1 = a \quad a + 1$$