

Lugar Geométrico - CT 11317

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1)

$$\angle DBA = 60^\circ$$

$$\angle OBA = 30^\circ$$

$$\text{Sum. } 30^\circ + 1$$

$\angle OBA$

$$\begin{matrix} 1 & \cancel{\times} & 1 \\ 2 & \cancel{OB} \end{matrix}$$

$$OB = 2$$

2)

$$NTP = 180^\circ - 50^\circ = 130^\circ \quad MNP + NPM = 2^\circ (TPN + PNT)$$

$$MNP + NPM = 2^\circ (50^\circ)$$

$$NTP + TPN + PNT = 180$$

$$MNP + NPM = 100^\circ$$

$$130^\circ + TPN + PNT = 180$$

$$TPN + PNT = 180^\circ - 130^\circ \quad NMP + MNP + NPM = 180^\circ$$

$$TPN + PNT = 50^\circ$$

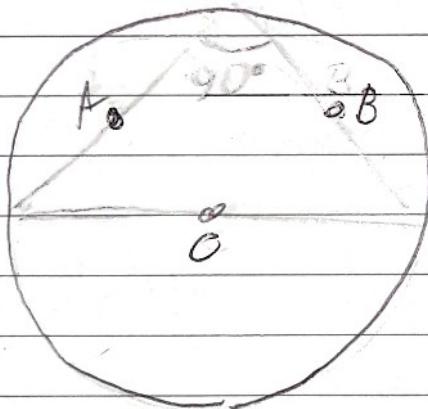
$$NMP + 100^\circ = 180^\circ$$

$$NMP = 80^\circ$$

$$TPN = \frac{MNP}{2}$$

$$PNT = \frac{NPM}{2}$$

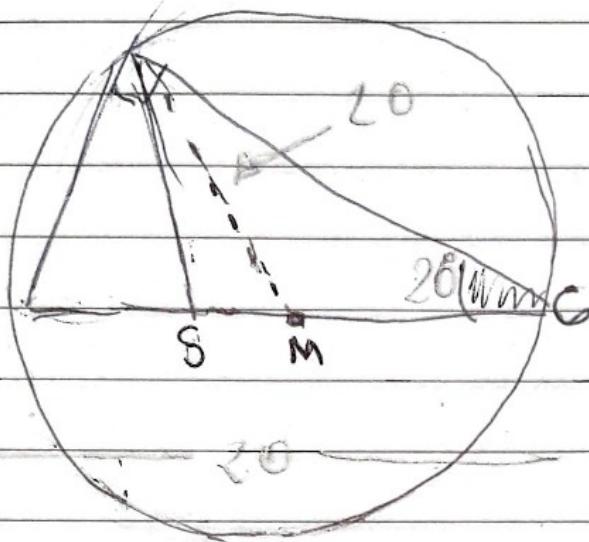
3)



O triângulo construído por um lado e um ângulo nô de 90° , logo ele é um triângulo retângulo

Resp: (B)

5)



$$\hat{S}AM = \hat{SAC} - \hat{MAC}$$

$$\hat{S}AM = 90^\circ - 20^\circ$$

$$\hat{S}AM = 70^\circ$$

A) hipotenusa = 10
Hipotenusa = 100

$$\hat{BAG} = \hat{BMC}$$

$$\hat{BMC} = 180^\circ$$

$$BG = \text{Hipotenusa}$$

$$AM = \text{base}$$

$$AM = \frac{BG}{2}$$

ΔAMG isósceles

$$\hat{MAC} = \hat{MCA} = 20^\circ$$

$$AM = \frac{BG}{2}$$

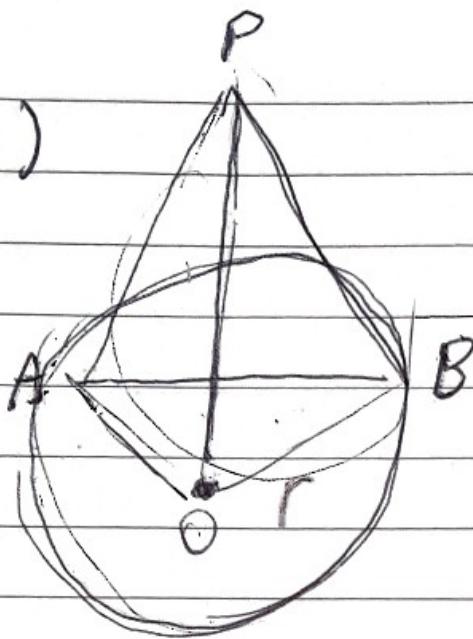
AS é Bisetriz de \hat{A}

$$AM = 10$$

$$\hat{A} = 90^\circ$$

$$\hat{CAS} = 45^\circ$$

6)



$$\angle APB = \angle BPA = \angle PAB = 60^\circ$$

$$\angle DPA = \angle BPA = 30^\circ$$

$$\sin \angle DPA = \frac{OA}{PO}$$

$$\frac{1}{2} \times r \over PO$$

$$PO = 2r$$