# Case Study - Bike Sharing

# **Context:**

Bike-sharing systems are a new generation of traditional bike rentals where the whole process from membership, rental and return has become automatic. Through these systems, the user can easily rent a bike from a particular position and return to another position. Currently, there are about over 500 bike-sharing programs around the world which are composed of over 500 thousand bicycles. Today, there exists a great interest in these systems due to their important role in traffic, environmental, and health issues.

# **Problem Statement:**

'Travel Along' is a new bike-sharing company and wants to expand its customer count and provide better services at a reasonable cost. They have conducted several surveys and collated the data about weather, weekends, holidays, etc. from the past 2 years.

As a recently hired data scientist at 'Travel Along', you have been asked to analyze the patterns in the data and figure out the key areas which can help the organization to grow and manage the customer demands. Further, you need to use this information to predict the count of bikes shared so that the company can take prior decisions for surge hours.

# **Objective:**

- What are the different factors which affect the target variable? What business recommendations can we give based on the analysis?
- How can we use different ensemble techniques Bagging, Boosting, and Stacking to build a model to predict the count of bikes rented?

# **Data Description:**

The bike-sharing rental process is highly correlated to the environmental and seasonal settings. For instance, weather conditions, precipitation, the day of week, season, the hour of the day, etc. can affect the rental behaviors.

- instant: record index
- dteday : date
- season: season (1:spring, 2:summer, 3:fall, 4:winter)

- yr : year (0: 2011, 1:2012)
- mnth: month (1 to 12)
- hr: hour (0 to 23)
- holiday: whether the day is holiday or not
- weekday: day of the week
- workingday: if day is neither weekend nor holiday then 1, otherwise is 0.
- weathersit:
  - 1: Clear, Few clouds, Partly cloudy
  - 2: Mist + Cloudy, Mist + Broken clouds, Mist + Few clouds, Mist
  - 3: Light Snow, Light Rain + Thunderstorm + Scattered clouds, Light Rain + Scattered clouds
  - 4: Heavy Rain + Ice Pallets + Thunderstorm + Mist, Snow + Fog
- temp: Normalized temperature in Celsius. The values are divided by 41 (max)
- atemp: Normalized feeling temperature in Celsius. The values are divided to 50 (max). The "feel like" temperature relies on environmental data including the ambient air temperature, relative humidity, and wind speed to determine how weather conditions feel to bare skin.
- hum: Normalized humidity. The values are divided by 100 (max)
- windspeed: Normalized wind speed. The values are divided by 67 (max)
- casual: count of casual users
- registered: count of registered users
- cnt: count of total rental bikes including both casual and registered

Note: The first section of the notebook is the section that has been covered multiple times in the previous case studies. For this discussion, this part can be skipped and we can directly refer to this summary of observations from EDA.

## Overview of the dataset

Let's start by importing libraries we need.

```
import warnings
warnings.filterwarnings("ignore")

import numpy as np
import pandas as pd
import seaborn as sns
import matplotlib.pyplot as plt
from sklearn.tree import DecisionTreeRegressor
from sklearn.ensemble import BaggingRegressor,RandomForestRegressor, GradientBoosti
from xgboost import XGBRegressor
from sklearn import metrics
from sklearn.model_selection import GridSearchCV, train_test_split
```

```
data=pd.read_csv("hour.csv")
```

#### View the first 5 rows of the dataset.

Ιn	[3]:	data.head()

Out[3]:		instant	dteday	season	yr	mnth	hr	holiday	weekday	workingday	weathersit	temp	ate
	0	1	2011- 01-01	1	0	1	0	0	6	0	1	0.24	0.28
	1	2	2011- 01-01	1	0	1	1	0	6	0	1	0.22	0.2
	2	3	2011- 01-01	1	0	1	2	0	6	0	1	0.22	0.2
	3	4	2011- 01-01	1	0	1	3	0	6	0	1	0.24	0.28
	4	5	2011- 01-01	1	0	1	4	0	6	0	1	0.24	0.28

#### Check data types and number of non-null values for each column.

```
In [4]: data.info()
```

16 cnt

memory usage: 2.3+ MB

```
Data columns (total 17 columns):
# Column Non-Null Count Dtype
--- -----
              -----
0
   instant 17379 non-null int64
1 dteday 17379 non-null object
2 season 17379 non-null int64
              17379 non-null int64
3 yr
             17379 non-null int64
4 mnth
5
             17379 non-null int64
   hr
6 holiday 17379 non-null int64
7 weekday 17379 non-null int64
8 workingday 17379 non-null int64
9 weathersit 17379 non-null int64
10 temp 17379 non-null float64
11 atemp 17379 non-null float64
12 hum 17379 non-null float64
13 windspeed 17379 non-null float64
14 casual
              17379 non-null int64
15 registered 17379 non-null int64
```

dtypes: float64(4), int64(12), object(1)

<class 'pandas.core.frame.DataFrame'>
RangeIndex: 17379 entries, 0 to 17378

• We can see that there are total of 17 columns and 17,379 rows in the dataset.

17379 non-null int64

• All columns' data type is either integer or float except one column - 'dteday' which is of the object type.

• The number of non-null values of each column is equal to the number of total rows in the dataset i.e. no null value. We can further confirm this using isna() method.

```
In [5]:
         data.isna().sum()
Out[5]: instant
         dteday
                       0
         season
                       0
         yr
                       0
         mnth
                       0
         hr
         holiday
                       0
         weekday
                       0
         workingday
                       0
         weathersit
                       0
         temp
                       0
         atemp
         hum
         windspeed
                       0
         casual
                       0
         registered
                       0
         cnt
                       0
         dtype: int64
```

• There are no missing values in the data.

#### **Summary of the dataset**

```
In [6]: # Summary of continuous columns
         data[['temp','atemp','hum','windspeed','cnt']].describe().T
Out[6]:
                     count
                                             std min
                                                         25%
                                                                  50%
                                                                           75%
                                mean
                                                                                    max
             temp 17379.0
                             0.496987
                                        0.192556 0.02 0.3400
                                                                0.5000
                                                                         0.6600
                                                                                  1.0000
            atemp 17379.0
                             0.475775
                                        0.171850 0.00
                                                     0.3333
                                                                0.4848
                                                                         0.6212
                                                                                  1.0000
                             0.627229
              hum 17379.0
                                        0.192930 0.00 0.4800
                                                                0.6300
                                                                         0.7800
                                                                                  1.0000
         windspeed 17379.0
                             0.190098
                                        0.122340 0.00
                                                      0.1045
                                                                0.1940
                                                                         0.2537
                                                                                  0.8507
               cnt 17379.0 189.463088 181.387599 1.00 40.0000 142.0000 281.0000 977.0000
```

- The mean and median value of temperature is approx 0.50
- The mean and median value for 'atemp' is approx 0.47 and 0.48 respectively
- The mean and median value for 'hum' is approx 0.627 and 0.63 respectively
- Wind speed has some extreme values at the right end
- The target variable seems to have skewed distribution as higher values are on the right. We will explore this further.

#### Number of unique values in each column

```
In [7]: data.nunique()
Out[7]: instant
                    17379
       dteday
                     731
        season
                        4
                        2
       yr
       mnth
                       12
       hr
                       24
                      2
       holiday
       weekday
                       7
       workingday
                        2
       weathersit
                       4
        temp
                       50
                       65
        atemp
        hum
                      89
                      30
       windspeed
        casual
                      322
                      776
        registered
                      869
        dtype: int64
```

- We can drop 'instant' column as it is an ID variable and will not add value to the model.
- We can drop 'dteday' column as it just contains dates of 731 days i.e. 2 years. This will not add value to the model.

```
In [8]: #Dropping two columns from the dataframe
data.drop(columns=['instant','dteday'], inplace=True)
```

#### Number of observations in each category

```
In [9]: cat_cols=['season','yr','holiday','workingday','weathersit']

for column in cat_cols:
    print(data[column].value_counts())
    print('-'*30)
```

```
3
   4496
2
  4409
  4242
   4232
Name: season, dtype: int64
  8734
   8645
Name: yr, dtype: int64
_____
  16879
1
    500
Name: holiday, dtype: int64
   11865
    5514
Name: workingday, dtype: int64
-----
   11413
   4544
   1419
3
       3
Name: weathersit, dtype: int64
```

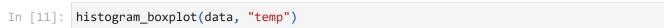
- The number of observations from year 0 i.e. 2011 is slightly more than the number of observations from year 1 i.e. 2012.
- As expected, the number of non-holidays and working days are much higher than the number of holidays and non-working days respectively.
- We have only 3 observations where weathersit=4 and most common is 1 i.e. clear or partly cloudy.

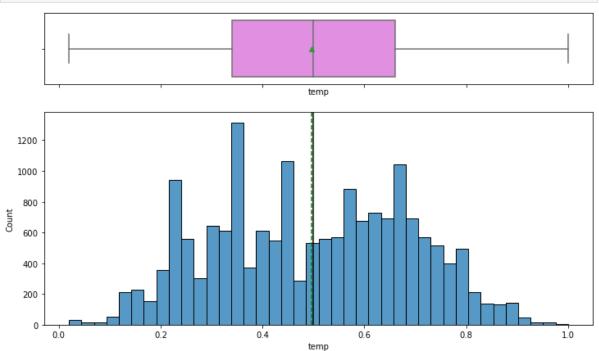
## **EDA**

# Univariate analysis

```
sharex=True, # x-axis will be shared among all subplots
    gridspec_kw={"height_ratios": (0.25, 0.75)},
    figsize=figsize,
) # creating the 2 subplots
sns.boxplot(
    data=data, x=feature, ax=ax_box2, showmeans=True, color="violet"
) # boxplot will be created and a star will indicate the mean value of the col
sns.histplot(
    data=data, x=feature, kde=kde, ax=ax_hist2, bins=bins, palette="winter"
) if bins else sns.histplot(
    data=data, x=feature, kde=kde, ax=ax_hist2
) # For histogram
ax_hist2.axvline(
    data[feature].mean(), color="green", linestyle="--"
  # Add mean to the histogram
ax_hist2.axvline(
    data[feature].median(), color="black", linestyle="-"
) # Add median to the histogram
```

#### **Observations on temperature**

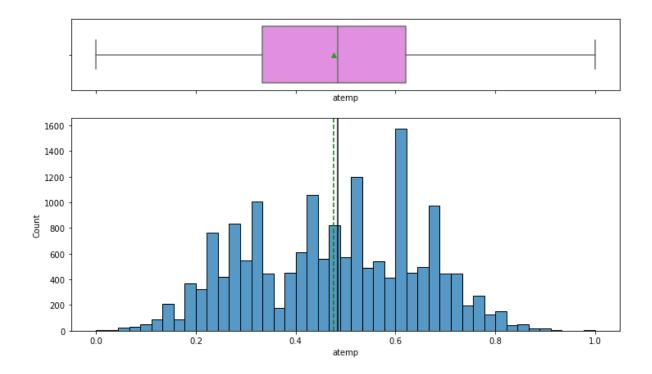




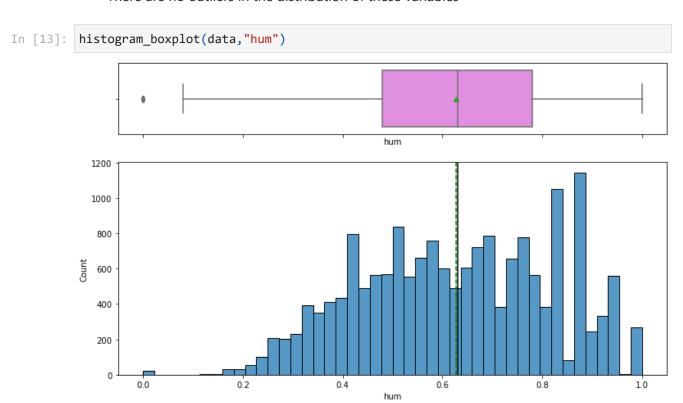
- The temperature has an approx symmetric distribution with mean and median equal to 0.5
- As evident from the boxplot, there are no outliers in the distribution for this variable

#### Observations on 'feel like temperature'

```
In [12]: histogram_boxplot(data, "atemp")
```

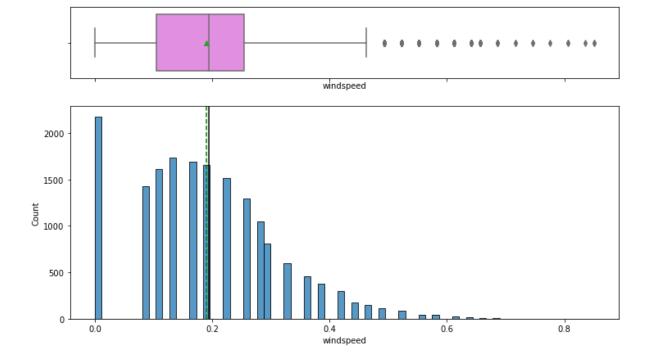


- Same as temperature, the distribution for feel like the temperature is also symmetrically distributed
- There are no outliers in the distribution of these variables



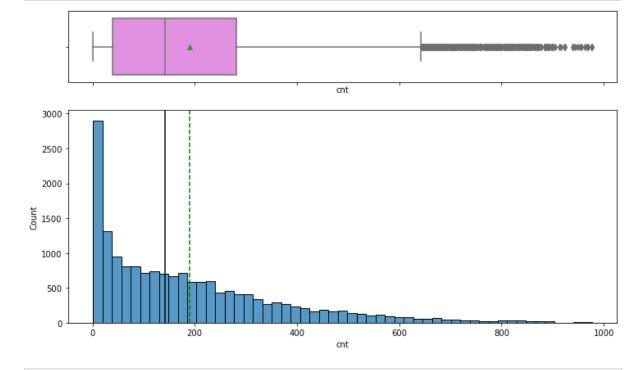
- Most of the values are concentrated in the middle i.e. 0.4 to 0.8
- Humidity with the value equal to 0 is an outlier
- The distribution is approx normally distributed with mean and median equal to 0.63

#### In [14]: histogram\_boxplot(data,'windspeed')



- Wind speed has a right-skewed distribution and 0 has the highest count among all observations
- Distribution is not symmetric but mean and median are approx equal with a value equal to 0.19
- There are many outliers in this variable

In [15]: histogram\_boxplot(data,'cnt')



```
data['cnt'].nlargest()

Out[16]: 14773     977
     14964     976
     14748     970
     14725     968
     15084     967
     Name: cnt, dtype: int64
```

- The target variable i.e. the count of bikes rented has a right-skewed distribution
- The range of values is very large with many observations being less than 10 counts and some being greater than 900 count
- As evident from the boxplot, there are many outliers

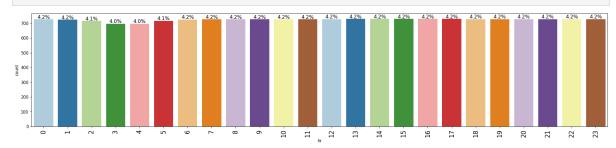
#### Function to create barplots that indicate percentage for each category

```
In [17]: # function to create labeled barplots
         def labeled_barplot(data, feature, perc=False, n=None):
             Barplot with percentage at the top
             data: dataframe
             feature: dataframe column
             perc: whether to display percentages instead of count (default is False)
             n: displays the top n category levels (default is None, i.e., display all level
             total = len(data[feature]) # length of the column
             count = data[feature].nunique()
             if n is None:
                 plt.figure(figsize=(count + 1, 5))
             else:
                 plt.figure(figsize=(n + 1, 5))
             plt.xticks(rotation=90, fontsize=15)
             ax = sns.countplot(
                 data=data,
                 x=feature,
                 palette="Paired",
                 order=data[feature].value_counts().index[:n].sort_values(),
             for p in ax.patches:
                 if perc == True:
                     label = "{:.1f}%".format(
                         100 * p.get_height() / total
                     ) # percentage of each class of the category
                 else:
                     label = p.get_height() # count of each level of the category
                 x = p.get_x() + p.get_width() / 2 # width of the plot
                 y = p.get_height() # height of the plot
```

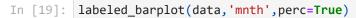
```
ax.annotate(
    label,
    (x, y),
    ha="center",
    va="center",
    size=12,
    xytext=(0, 5),
    textcoords="offset points",
) # annotate the percentage

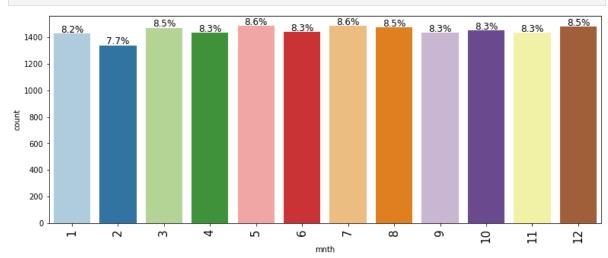
plt.show() # show the plot
```

In [18]: labeled\_barplot(data, "hr",perc=True)



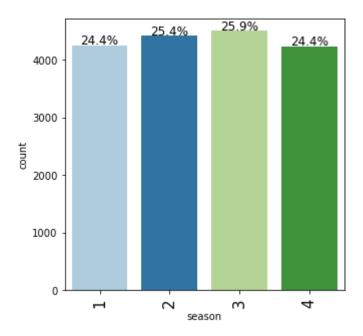
• Each hour i.e. 0 to 23 has approx 4% observations in the data





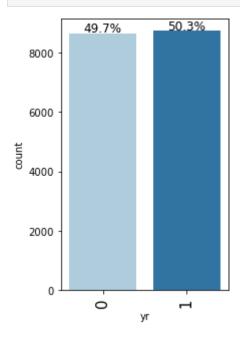
- Each month i.e. 1 to 12 has approx 8.5% observations in the data
- Month 2 has slightly less number of observations compared to other months

```
In [20]: labeled_barplot(data,'season',perc=True)
```



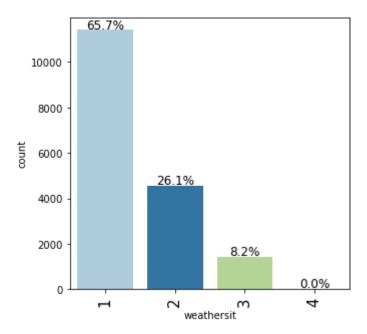
• Each season has approx 24% observations in the data

In [21]: labeled\_barplot(data,'yr',perc=True)



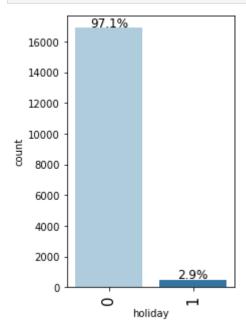
• Both years have approx equal number of observations in the data

In [22]: labeled\_barplot(data,'weathersit',perc=True)



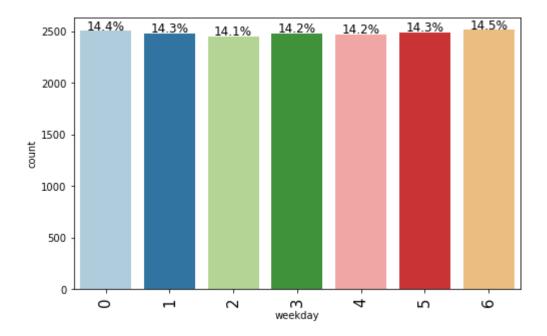
- Season 1 has the highest percentage of observations i.e. 65.7%
- Season 2 and season 3 have 26.1% and 8.2% observations respectively
- We saw earlier that season 4 has only 3 observations in the data. Here, it shows 0% observations due to rounding off.

### In [23]: labeled\_barplot(data,'holiday',perc=True)



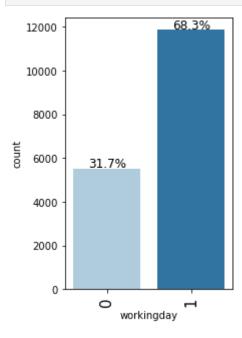
- As expected the percentage for non-holidays is much more than holidays.
- There are 97% non-holidays observations and only 3% for holidays

In [24]: labeled\_barplot(data,'weekday',perc=True)



• Each weekday i.e. 0 to 6 has approx 14% observations in the data.

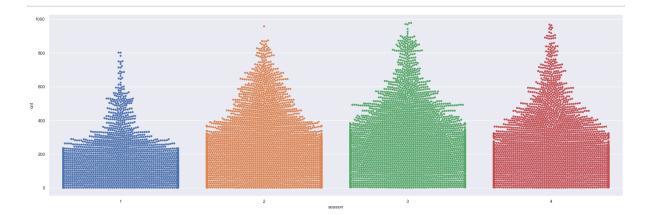
In [25]: labeled\_barplot(data,'workingday',perc=True)



- As expected, the number of observations for working days is higher than the number of observations for non-working days.
- There are approx 68% observations for working days and 32% observations for nonworking days.

# **Bivariate analysis**

```
In [26]: sns.set(rc={'figure.figsize':(21,7)})
sns.catplot(x="season", y="cnt", kind="swarm", data=data, height=7, aspect=3);
```

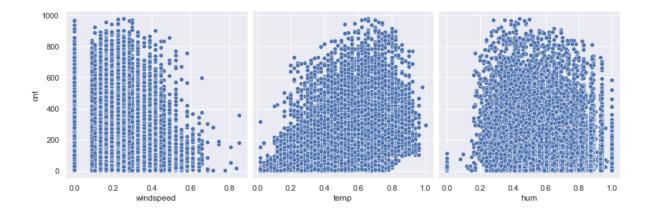


- The lowest number of bikes are rented in the first season
- The highest number of bikes are shared in 3rd season
- This can be due to the relatively high temperature in season 1 i.e. spring as compared to season 3 i.e. fall

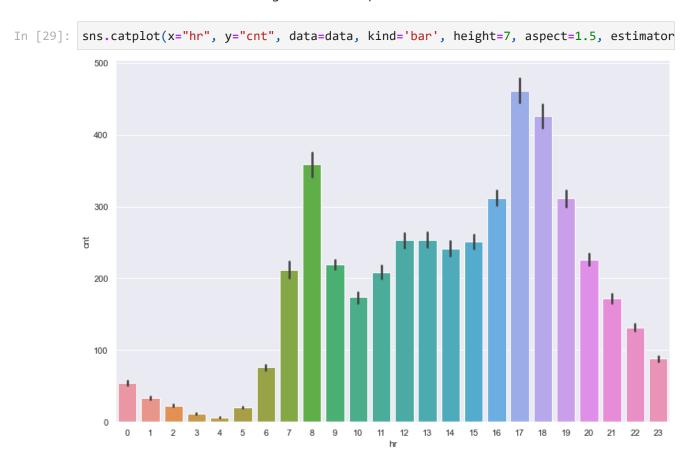
```
In [27]: sns.set(rc={'figure.figsize':(21,7)})
sns.catplot(x="weekday", y="cnt", kind="swarm", data=data, height=7, aspect=3);
```

- Weekends i.e. weekday=0 and weekday=6 have a low count of bikes rented and it is less varying.
- Working days have a higher count of bikes rented and have more variation in the count and there are some outliers for days from 1 to 5.
- This can be due to closed schools/offices on weekends.

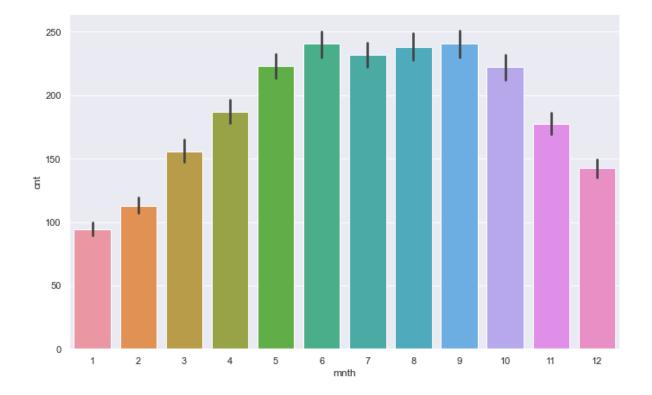
```
In [28]: sns.pairplot(
    data,
        x_vars=["windspeed", "temp", "hum"],
        y_vars=["cnt"],
        height=4,
        aspect=1
        );
```



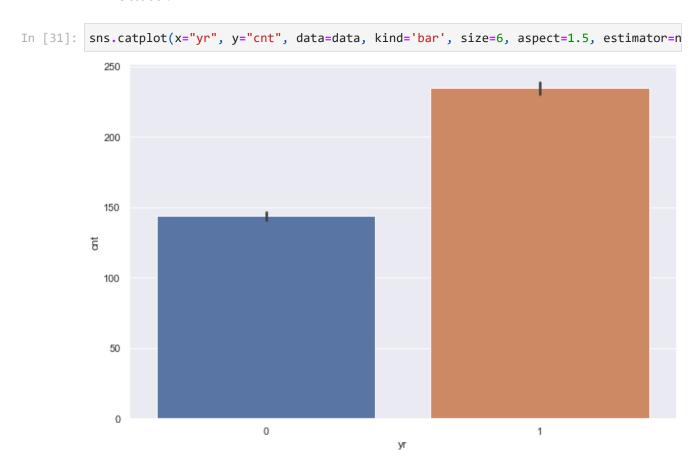
- We can see that count of bikes rented is low when the temperature is very low or very high. The same is true for humidity.
- Count of bikes rented is high when wind speed is low.



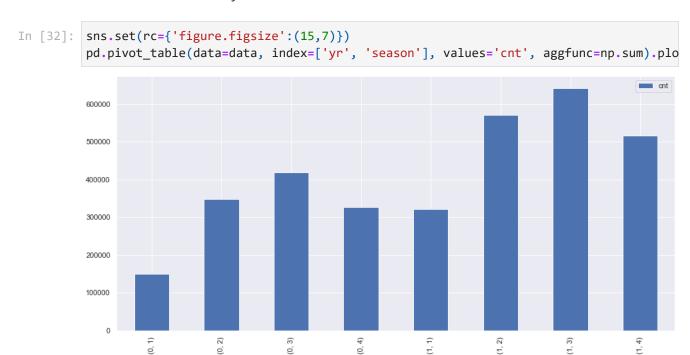
- We can see the average number of bikes rented is high at 8 AM and 5-6 PM, this can be due to office/school/college timings.
- The average number of bikes rented is very low for night time i.e. 12 AM to 5 AM.



- The average number of bikes rented is low for months December, January, February. This can be due to the cold weather in these months.
- The average number of bikes rented is consistently high for months from May to October.



- The average count of bikes rented is high for the year 2012 as compared to 2011.
- Let's check this for each season of both years and observe if the count in each season has increased or in just 1 or 2 seasons.

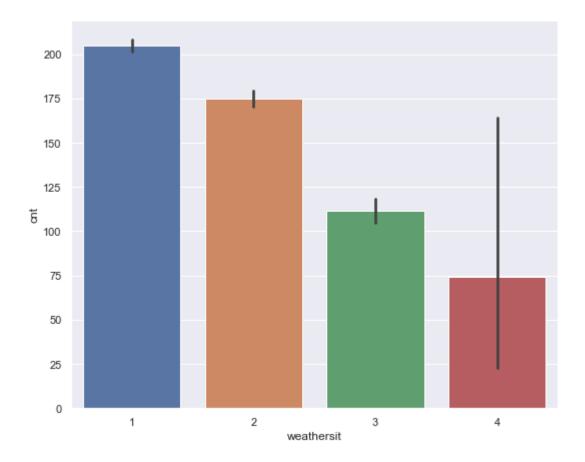


• We can see that number of bikes rented is higher in the year 2012 for each season as compared to seasons in 2011.

vr.season

• This shows that bike-sharing is becoming more popular with time.

```
In [33]: sns.catplot(x="weathersit", y='cnt', kind='bar', data=data, size=6, aspect=1.25, es
```



- As expected, the average count of bikes rented is much higher on clear or partly cloudy days compared to snowy or rainy days.
- This implies that the average count of bikes rented is hugely affected by the weather.

season	1	-0.011	0.83	-0.0061	-0.0096	-0.0023	0.014	-0.015	0.31	0.32	0.15	-0.15	0.12	0.17	0.18
уг	-0.011	1	-0.01	-0.0039	0.0067	-0.0045	-0.0022	-0.019	0.041	0.039	-0.084	-0.0087	0.14	0.25	0.25
,.		·													
mnth	0.83	-0.01	1	-0.0058	0.018	0.01	-0.0035	0.0054	0.2	0.21	0.16	-0.14	0.068	0.12	0.12
hr	-0.0061	-0.0039	-0.0058	1	0.00048	-0.0035	0.0023	-0.02	0.14	0.13	-0.28	0.14	0.3	0.37	0.39
holiday	-0.0096	0.0067	0.018	0.00048	1	-0.1	-0.25	-0.017	-0.027	-0.031	-0.011	0.004	0.032	-0.047	-0.031
weekday	-0.0023	-0.0045	0.01	-0.0035	-0.1	1	0.036	0.0033	-0.0018	-0.0088	-0.037	0.012	0.033	0.022	0.027
workingday	0.014	-0.0022	-0.0035	0.0023	-0.25	0.036	1	0.045	0.055	0.055	0.016	-0.012	-0.3	0.13	0.03
weathersit	-0.015	-0.019	0.0054	-0.02	-0.017	0.0033	0.045	1	-0.1	-0.11	0.42	0.026	-0.15	-0.12	-0.14
temp	0.31	0.041	0.2	0.14	-0.027	-0.0018	0.055	-0.1	1	0.99	-0.07	-0.023	0.46	0.34	0.4
atemp	0.32	0.039	0.21	0.13	-0.031	-0.0088	0.055	-0.11	0.99	1	-0.052	-0.062	0.45	0.33	0.4
hum	0.15	-0.084	0.16	-0.28	-0.011	-0.037	0.016	0.42	-0.07	-0.052	1	-0.29	-0.35	-0.27	-0.32
windspeed	-0.15	-0.0087	-0.14	0.14	0.004	0.012	-0.012	0.026	-0.023	-0.062	-0.29	1	0.09	0.082	0.093
casual	0.12	0.14	0.068	0.3	0.032	0.033	-0.3	-0.15	0.46	0.45	-0.35	0.09	1	0.51	0.69
registered	0.17	0.25	0.12	0.37	-0.047	0.022	0.13	-0.12	0.34	0.33	-0.27	0.082	0.51	1	0.97
ant	0.18	0.25	0.12	0.39	-0.031	0.027	0.03	-0.14	0.4	0.4	-0.32	0.093	0.69	0.97	1
	season	уг	mnth	hr	holiday	weekday	workingday	weathersit	temp	atemp	hum	windspeed	casual	registered	ant

- We can see that temperature and feel like temperature are almost perfectly correlated
- Month and season have a high positive correlation among them
- As count is the addition of two columns Casual and registered. We can drop these two
  columns because if we have casual and registered count then making a model won't
  make sense as we can simply add them. We would not have these 2 columns while
  predicting new observations

# **Summary of EDA**

#### **Data Description:**

- Dependent variable is "cnt" which is representing the count of bikes rented and it is of object data type.
- dteday is of object data type while rest of the features are either integer or float.
- There are no missing values in the dataset.

#### **Data Cleaning:**

- Instant is an ID variable so it is dropped from the data.
- We can drop 'dteday' column as it just contains dates of 731 days i.e. 2 years. This will not add value to the model.

#### **Observations from EDA:**

• Temperature: It has an approximately symmetric distribution with mean and median equal to 0.5.

- Feel like temperature: It is having a fairly symmetrical distribution with no outliers.
- Hum: Humidity is normally distributed with a mean and median equal to 0.63.
- Windspeed: It is having a right-skewed distribution. Even though the distribution is unsymmetric but mean and median are approximately equal to 0.19
- cnt: The target variable is right-skewed with having a good number of outliers.
- hr: It is having equal distribution throughout.
- mnth: Each month is having almost 8.5% of observations.
- season: Each season has approx 24% of data.
- yr: Each year is having 50% of the observations.
- Weathersit: Season 1 is having a maximum percentage of observations. (66% almost)
- holiday: As expected the percentage for non-holidays is much more than holidays.
- weekday: Each weekday is having approx 14% of observations.
- Workingday: The number of observations for working days(68%) is higher than the non-working days.

#### • Count with season

■ The lowest number of bikes are rented in the first season and the highest in 3rd season. A high temperature in season 1 might be the reason for this.

#### • Count with Weekdays

Weekday 0 and 6 are having a low count of bikes rented. Working days having more count of rented bikes with more variation in the same. The reason might be due to the closing of schools and offices on weekends.

#### Count with windspeed, temp, and hum

When temperature is very low count of bikes rented is very low or very high. While in low wind speed the count is high.

#### Count with hour

At 8 AM and 5-6PM the count of rented bikes is high. This is due to office, school or college timings.

#### · Count with month

 For December, January, February average number of bikes is low. The expected reason is cold weather. From May to October average number of rented bikes is high.

#### Count with year

■ In 2012 the count of bikes rented is higher than that in 2011 in each season. This shows the bike-sharing is becoming more popular in 2012.

#### • Count with year and season

In clear days(without cloud) the average count of bikes rented is much higher than snowy or rainy days. It shows that weather affects count of rental bikes.

#### Count with weathersit

■ Temperature and feel like temperature are deeply correlated, Month and season have a high positive correlation.

#### Actions for data pre-processing:

As count is the addition of two columns - Casual and registered. We can drop these two
columns because if we have casual and registered count then making a model won't
make sense as we can simply add them. We would not have these 2 columns while
predicting new observations

```
In [35]: #Dropping columns - casual and registered
data.drop(columns=['casual','registered'], inplace=True)
```

# Split the dataset

```
In [36]: # Separating features and the target column
    X = data.drop('cnt', axis=1)
    y = data['cnt']

In [37]: # Splitting the data into train and test sets in 70:30 ratio
    X_train, X_test, y_train, y_test = train_test_split(X, y, test_size=0.30, random_st)

In [38]: X_train.shape, X_test.shape

Out[38]: ((12165, 12), (5214, 12))
```

We have 12,165 observations in the train set and 5,214 observations in the test set.

# **Building Models**

- We'll fit different models on the train data and observe their performance.
- We'll try to improve that performance by tuning some hyperparameters available for that algorithm.
- We'll use GridSearchCv for hyperparameter tuning and r\_2 score to optimize the model.

- R-square Coefficient of determination is used to evaluate the performance of a regression model. It is the amount of the variation in the output dependent attribute which is predictable from the input independent variables.
- Let's start by creating a function to get model scores, so that we don't have to use the same codes repeatedly.

```
In [39]: # function to compute adjusted R-squared
         def adj r2 score(predictors, targets, predictions):
             r2 = r2_score(targets, predictions)
             n = predictors.shape[0]
             k = predictors.shape[1]
             return 1 - ((1 - r2) * (n - 1) / (n - k - 1))
         # function to compute MAPE
         def mape_score(targets, predictions):
             return np.mean(np.abs(targets - predictions) / targets) * 100
         # function to compute different metrics to check performance of a regression model
         def model_performance_regression(model, predictors, target):
             Function to compute different metrics to check regression model performance
             model: regressor
             predictors: independent variables
             target: dependent variable
             # predicting using the independent variables
             pred = model.predict(predictors)
             r2 = r2_score(target, pred) # to compute R-squared
             adjr2 = adj_r2_score(predictors, target, pred) # to compute adjusted R-squared
             rmse = np.sqrt(mean_squared_error(target, pred)) # to compute RMSE
             mae = mean_absolute_error(target, pred) # to compute MAE
             mape = mape_score(target, pred) # to compute MAPE
             # creating a dataframe of metrics
             df_perf = pd.DataFrame(
                 {
                     "RMSE": rmse,
                     "MAE": mae,
                     "R-squared": r2,
                     "Adj. R-squared": adjr2,
                     "MAPE": mape,
                 },
                 index=[0],
             return df_perf
```

```
model : classifier to predict values of X
# defining an empty list to store train and test results
score list=[]
pred_train = model.predict(X_train)
pred_test = model.predict(X_test)
train_r2=metrics.r2_score(y_train,pred_train)
test_r2=metrics.r2_score(y_test,pred_test)
train_rmse=np.sqrt(metrics.mean_squared_error(y_train,pred_train))
test_rmse=np.sqrt(metrics.mean_squared_error(y_test,pred_test))
#Adding all scores in the list
score_list.extend((train_r2,test_r2,train_rmse,test_rmse))
# If the flag is set to True then only the following print statements will be d
if flag==True:
    print("R-sqaure on training set : ",metrics.r2_score(y_train,pred_train))
    print("R-square on test set : ",metrics.r2_score(y_test,pred_test))
    print("RMSE on training set : ",np.sqrt(metrics.mean_squared_error(y_train,
    print("RMSE on test set : ",np.sqrt(metrics.mean_squared_error(y_test,pred_
# returning the list with train and test scores
return score_list
```

# **Decision Tree Model**

```
In [41]: dtree=DecisionTreeRegressor(random_state=1)
         dtree.fit(X_train,y_train)
Out[41]: DecisionTreeRegressor(random state=1)
In [42]: from sklearn.metrics import r2 score, mean squared error, mean absolute error
In [43]: | dtree_model_train_perf=model_performance_regression(dtree, X_train,y_train)
         print("Training performance \n",dtree_model_train_perf)
         Training performance
                 RMSE MAE R-squared Adj. R-squared
                                                               MAPF
         0 0.442409 0.005754 0.999994
                                                0.999994 0.004256
In [44]: | dtree_model_test_perf=model_performance_regression(dtree, X_test,y_test)
         print("Testing performance \n",dtree_model_test_perf)
         Testing performance
                  RMSF
                            MAE R-squared Adj. R-squared
                                                                 MAPF
         0 60.827833 35.107787 0.892227
                                                  0.891979 38.03325
```

• The Decision tree model with default parameters is overfitting the train data.

• Let's see if we can reduce overfitting and improve performance on test data by tuning hyperparameters.

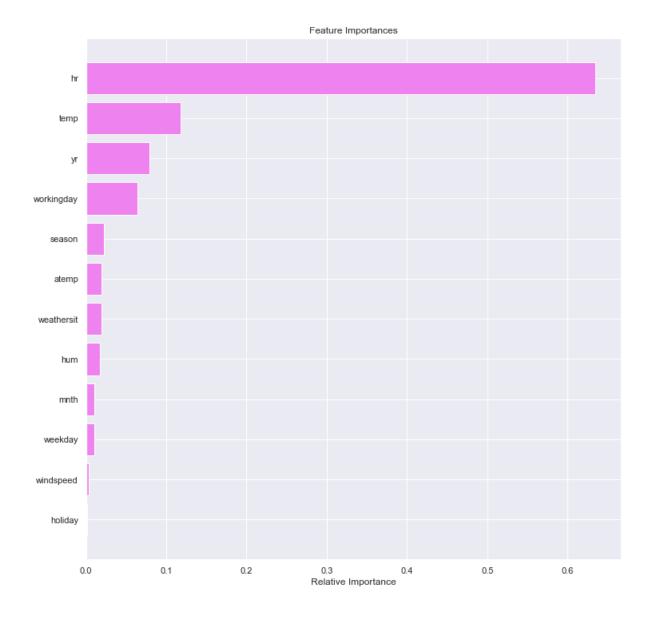
## **Hyperparameter Tuning**

```
In [45]: # Choose the type of classifier.
         dtree_tuned = DecisionTreeRegressor(random_state=1)
         # Grid of parameters to choose from
         parameters = {'max_depth': list(np.arange(2,20)) + [None],
                      'min_samples_leaf': [1, 3, 5, 7, 10],
                      'max_leaf_nodes' : [2, 3, 5, 10, 15] + [None],
                      'min_impurity_decrease': [0.001, 0.01, 0.1, 0.0]
                     }
         # Type of scoring used to compare parameter combinations
         scorer = metrics.make_scorer(metrics.r2_score)
         # Run the grid search
         grid_obj = GridSearchCV(dtree_tuned, parameters, scoring=scorer,cv=5)
         grid_obj = grid_obj.fit(X_train, y_train)
         # Set the clf to the best combination of parameters
         dtree_tuned = grid_obj.best_estimator_
         # Fit the best algorithm to the data.
         dtree tuned.fit(X train, y train)
Out[45]: DecisionTreeRegressor(max_depth=14, min_impurity_decrease=0.1,
                              min samples leaf=5, random state=1)
In [46]: dtree_tuned_model_train_perf = model_performance_regression(dtree_tuned, X_train,y_
         print("Training performance \n",dtree_model_train_perf)
         Training performance
                RMSE MAE R-squared Adj. R-squared
                                                              MAPE
         0 0.442409 0.005754 0.999994 0.999994 0.004256
In [47]: dtree_tuned_model_test_perf = model_performance_regression(dtree_tuned, X_test,y_te
         print("Testing performance \n",dtree_tuned_model_test_perf)
         Testing performance
                 RMSE MAE R-squared Adj. R-squared
                                                                 MAPE
         0 54.969957 31.841364 0.911985 0.911782 38.356397
```

- The overfitting is reduced after hyperparameter tuning and the test score has increased by approx 2%.
- RMSE is also reduced on test data and the model is generalizing better than the decision tree model with default parameters.

#### Plotting the feature importance of each variable

```
#(normalized) total reduction of the criterion brought by that feature. It is also
         print(pd.DataFrame(dtree_tuned.feature_importances_, columns = ["Imp"], index = X_t
                          Imp
         hr
                     0.634942
                     0.117441
         temp
         yr
                     0.079271
         workingday 0.063920
         season
                     0.022164
                     0.019463
         atemp
         weathersit 0.019460
         hum
                     0.017227
         mnth
                     0.010498
         weekday
                     0.010009
         windspeed
                     0.003882
         holiday
                     0.001724
In [49]: feature_names = X_train.columns
         importances = dtree_tuned.feature_importances_
         indices = np.argsort(importances)
         plt.figure(figsize=(12,12))
         plt.title('Feature Importances')
         plt.barh(range(len(indices)), importances[indices], color='violet', align='center')
         plt.yticks(range(len(indices)), [feature_names[i] for i in indices])
         plt.xlabel('Relative Importance')
         plt.show()
```



 hr is the most important feature, in addition to temp and yr, for tuned decision tree model

## **Random Forest Model**

```
Testing performance

RMSE MAE R-squared Adj. R-squared MAPE
0 44.56215 26.192368 0.942159 0.942026 32.748634
```

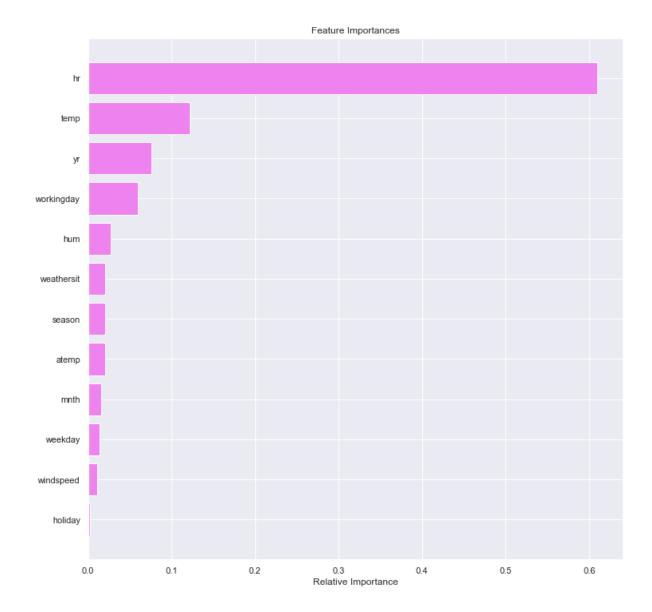
- Random forest is giving a good r2 score of 94% on the test data but it is slightly overfitting the train data.
- Let's try to reduce this overfitting by hyperparameter tuning.

## **Hyperparameter Tuning**

```
In [53]: # Choose the type of classifier.
         rf_tuned = RandomForestRegressor(random_state=1)
         # Grid of parameters to choose from
         parameters = {
                         'max_depth':[4, 6, 8, 10, None],
                         'max features': ['sqrt','log2',None],
                         'n_estimators': [80, 90, 100, 110, 120]
         # Type of scoring used to compare parameter combinations
         scorer = metrics.make_scorer(metrics.r2_score)
         # Run the grid search
         grid_obj = GridSearchCV(rf_tuned, parameters, scoring=scorer,cv=5)
         grid_obj = grid_obj.fit(X_train, y_train)
         # Set the clf to the best combination of parameters
         rf_tuned = grid_obj.best_estimator_
         # Fit the best algorithm to the data.
         rf_tuned.fit(X_train, y_train)
Out[53]: RandomForestRegressor(max_features=None, n_estimators=120, random_state=1)
In [54]: rf_tuned_model_train_perf = model_performance_regression(rf_tuned, X_train, y_train
         print("Training performance \n",rf tuned model train perf)
         Training performance
                  RMSE MAE R-squared Adj. R-squared
         0 16.160093 9.622604 0.99191 0.991902 11.73432
In [55]: rf tuned model test perf = model performance regression(rf tuned, X test, y test)
         print("Testing performance \n",rf_tuned_model_test_perf)
         Testing performance
                RMSE MAE R-squared Adj. R-squared
                                                             MAPE
         0 44.5806 26.202363 0.942111 0.941977 32.734172
```

• No significant change in the result. The result is almost the same before or after the hyperparameter tuning.

```
In [56]: # importance of features in the tree building ( The importance of a feature is comp
         #(normalized) total reduction of the criterion brought by that feature. It is also
         print(pd.DataFrame(rf_tuned.feature_importances_, columns = ["Imp"], index = X_trai
                         Imp
         hr
                    0.610116
         temp
                    0.121773
                    0.076295
         yr
         workingday 0.059489
         hum
                    0.026844
         weathersit 0.020962
         season
                  0.020876
                  0.020670
         atemp
                  0.016153
         mnth
         weekday 0.013539
         windspeed 0.010510
         holiday
                    0.002774
In [57]: feature_names = X_train.columns
         importances = rf_tuned.feature_importances_
         indices = np.argsort(importances)
         plt.figure(figsize=(12,12))
         plt.title('Feature Importances')
         plt.barh(range(len(indices)), importances[indices], color='violet', align='center')
         plt.yticks(range(len(indices)), [feature_names[i] for i in indices])
         plt.xlabel('Relative Importance')
         plt.show()
```



• hr is the most important feature, in addition to temp and yr, for the tuned random forest model.

# **Boosting Models**

# **AdaBoost Regressor**

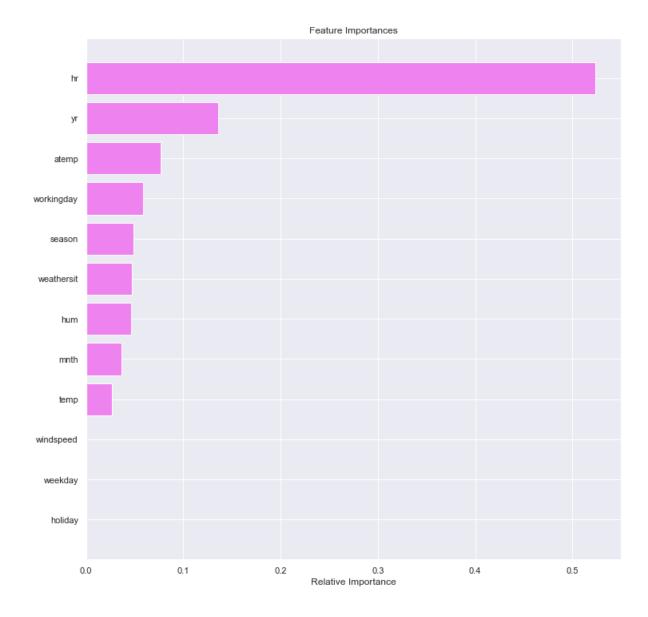
 AdaBoost is generalizing well but it is giving poor performance, in terms of r2 score as well as RMSE, as compared to the decision tree and random forest model.

## **Hyperparameter Tuning**

```
In [61]: # Choose the type of classifier.
         ab_tuned = AdaBoostRegressor(random_state=1)
         # Grid of parameters to choose from
         parameters = {'n_estimators': np.arange(10,100,10),
                       'learning_rate': [1, 0.1, 0.5, 0.01],
         # Type of scoring used to compare parameter combinations
         scorer = metrics.make_scorer(metrics.r2_score)
         # Run the grid search
         grid_obj = GridSearchCV(ab_tuned, parameters, scoring=scorer,cv=5)
         grid_obj = grid_obj.fit(X_train, y_train)
         # Set the clf to the best combination of parameters
         ab_tuned = grid_obj.best_estimator_
         # Fit the best algorithm to the data.
         ab_tuned.fit(X_train, y_train)
Out[61]: AdaBoostRegressor(learning_rate=1, n_estimators=30, random_state=1)
In [62]: ab_tuned_model_train_perf = model_performance_regression(ab_tuned, X_train,y_train)
         print("Training performance \n",ab_tuned_model_train_perf)
         Training performance
                  RMSE MAE R-squared Adj. R-squared
                                                                   MAPE
         0 103.326379 80.468809 0.669247
                                                 0.66892 195.189129
In [88]: ab_tuned_model_test_perf = model_performance_regression(ab_tuned, X_test,y_test)
         print("Testing performance \n",ab_tuned_model_train_perf)
         Testing performance
                   RMSE
                              MAE R-squared Adj. R-squared
                                                                   MAPE
         0 104.430458 81.015165 0.682343
                                              0.68161 207.467888
```

 We can see that there is no significant improvement in the model after hyperparameter tuning.

```
In [64]: # importance of features in the tree building
         print(pd.DataFrame(ab_tuned.feature_importances_, columns = ["Imp"], index = X_trai
                          Imp
         hr
                     0.523674
                     0.135837
         yr
         atemp
                     0.076841
         workingday 0.058274
         season
                     0.049087
         weathersit 0.047040
         hum
                   0.046359
         mnth
                   0.036370
                     0.026518
         temp
         holiday 0.000000
         weekday
                     0.000000
         windspeed
                     0.000000
In [65]: feature_names = X_train.columns
         importances = ab_tuned.feature_importances_
         indices = np.argsort(importances)
         plt.figure(figsize=(12,12))
         plt.title('Feature Importances')
         plt.barh(range(len(indices)), importances[indices], color='violet', align='center')
         plt.yticks(range(len(indices)), [feature_names[i] for i in indices])
         plt.xlabel('Relative Importance')
         plt.show()
```



• hr is the most important feature here, followed by yr and atemp.

# **Gradient Boosting Regressor**

```
Testing performance

RMSE MAE R-squared Adj. R-squared MAPE
0 74.173279 49.691124 0.83975 0.83938 100.149788
```

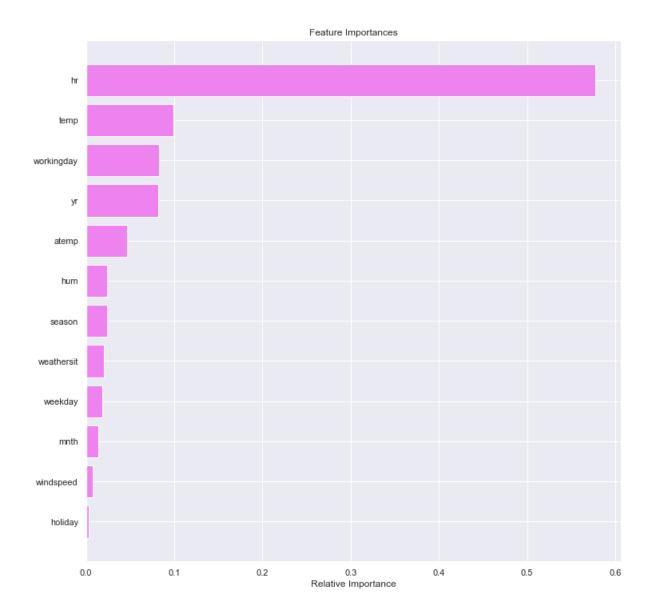
• Gradient boosting is generalizing well and giving decent results but not as good as random forest.

## **Hyperparameter Tuning**

```
In [69]: # Choose the type of classifier.
         gb_tuned = GradientBoostingRegressor(random_state=1)
         # Grid of parameters to choose from
         parameters = {'n_estimators': np.arange(50,200,25),
                       'subsample':[0.7,0.8,0.9,1],
                       'max_features':[0.7,0.8,0.9,1],
                       'max_depth':[3,5,7,10]
         # Type of scoring used to compare parameter combinations
         scorer = metrics.make_scorer(metrics.r2_score)
         # Run the grid search
         grid_obj = GridSearchCV(gb_tuned, parameters, scoring=scorer,cv=5)
         grid_obj = grid_obj.fit(X_train, y_train)
         # Set the clf to the best combination of parameters
         gb_tuned = grid_obj.best_estimator_
         # Fit the best algorithm to the data.
         gb_tuned.fit(X_train, y_train)
Out[69]: GradientBoostingRegressor(max_depth=7, max_features=0.9, n_estimators=175,
                                  random_state=1, subsample=0.7)
In [70]: gb_tuned_model_train_perf = model_performance_regression(gb_tuned, X_train,y_train)
         print("Training performance \n",gb_tuned_model_train_perf)
         Training performance
                       MAE R-squared Adj. R-squared
                  RMSF
                                                                  MAPE
         0 22.272348 14.726501 0.984632
                                                  0.984617 23.168969
In [71]: | gb_tuned_model_test_perf = model_performance_regression(gb_tuned, X_test, y_test)
         print("Testing performance \n",gb_tuned_model_test_perf)
         Testing performance
                  RMSF
                            MAE R-squared Adj. R-squared
                                                               MAPE
                                                  0.955421 36.01227
         0 39.076262 24.101884 0.955524
```

- We can see that the model has improved significantly in terms of r2 score and RMSE.
- The r2 score has increased by approx 12% on the test data.
- RMSE has decreased by more than 30 for the test data.

```
In [72]: # importance of features in the tree building ( The importance of a feature is comp
         #(normalized) total reduction of the criterion brought by that feature. It is also
         print(pd.DataFrame(gb_tuned.feature_importances_, columns = ["Imp"], index = X_trai
                          Imp
         hr
                    0.577712
         temp
                     0.099255
         workingday 0.083006
         yr
                     0.081833
                    0.046505
         atemp
                    0.024214
         hum
         season
                   0.024071
         weathersit 0.020767
         weekday
                   0.018315
         mnth
                    0.013716
         windspeed 0.007647
         holiday
                    0.002959
In [73]: feature_names = X_train.columns
         importances = gb_tuned.feature_importances_
         indices = np.argsort(importances)
         plt.figure(figsize=(12,12))
         plt.title('Feature Importances')
         plt.barh(range(len(indices)), importances[indices], color='violet', align='center')
         plt.yticks(range(len(indices)), [feature_names[i] for i in indices])
         plt.xlabel('Relative Importance')
         plt.show()
```



- hr is the most important feature
- temp, yr and workingday have almost equal importance

# **XGBoost Regressor**

```
In [74]: xgb_estimator=XGBRegressor(random_state=1)
xgb_estimator.fit(X_train,y_train)
Out[74]: XGBRegressor(base score=0.5, booster='gbtree', colsample bylevel=1,
```

```
In [75]: xgb_estimator_model_train_perf = model_performance_regression(xgb_estimator, X_trai
print("Training performance \n",xgb_estimator_model_train_perf)
```

```
Training performance

RMSE MAE R-squared Adj. R-squared MAPE
0 27.214945 17.680308 0.977055 0.977032 29.490325

In [76]: xgb_estimator_model_test_perf = model_performance_regression(xgb_estimator, X_test, print("Testing performance \n",xgb_estimator_model_test_perf)

Testing performance

RMSE MAE R-squared Adj. R-squared MAPE
0 41.356427 25.804078 0.950182 0.950067 41.83796
```

 XGBoost with default parameters is giving almost as good results as the tuned gradient boosting model.

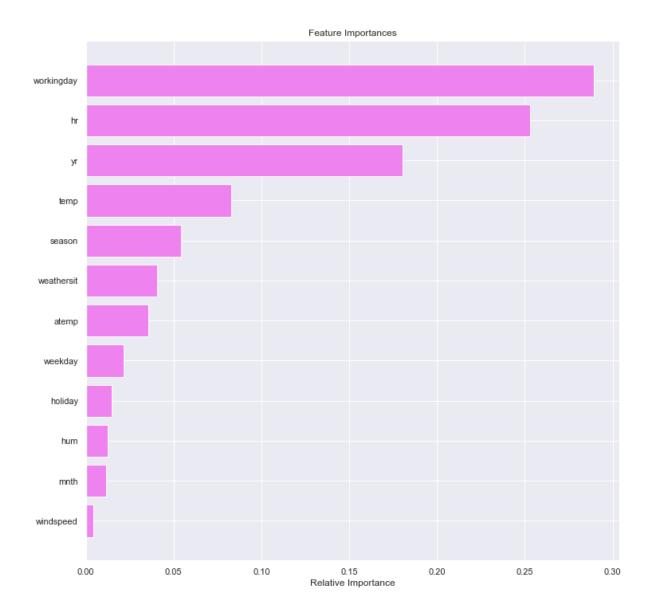
## **Hyperparameter Tuning**

```
In [77]: # Choose the type of classifier.
         xgb_tuned = XGBRegressor(random_state=1)
         # Grid of parameters to choose from
         parameters = { 'n estimators': [75,100,125,150],
                        'subsample':[0.7, 0.8, 0.9, 1],
                        'gamma':[0, 1, 3, 5],
                        'colsample_bytree':[0.7, 0.8, 0.9, 1],
                        'colsample_bylevel':[0.7, 0.8, 0.9, 1]
                        }
         # Type of scoring used to compare parameter combinations
         scorer = metrics.make_scorer(metrics.r2_score)
         # Run the grid search
         grid_obj = GridSearchCV(xgb_tuned, parameters, scoring=scorer,cv=5)
         grid_obj = grid_obj.fit(X_train, y_train)
         # Set the clf to the best combination of parameters
         xgb_tuned = grid_obj.best_estimator_
         # Fit the best algorithm to the data.
         xgb tuned.fit(X train, y train)
```

```
Out[77]: XGBRegressor(base_score=0.5, booster='gbtree', colsample_bylevel=0.8, colsample_bynode=1, colsample_bytree=1, gamma=1, gpu_id=-1, importance_type='gain', interaction_constraints='', learning_rate=0.300000012, max_delta_step=0, max_depth=6, min_child_weight=1, missing=nan, monotone_constraints='()', n_estimators=150, n_jobs=8, num_parallel_tree=1, random_state=1, reg_alpha=0, reg_lambda=1, scale_pos_weight=1, subsample=1, tree_method='exact', validate_parameters=1, verbosity=None)
```

```
In [78]: xgb_tuned_model_train_perf = model_performance_regression(xgb_tuned, X_train, y_tra
print("Training performance \n",xgb_tuned_model_train_perf)
```

```
Training performance
                            MAE R-squared Adj. R-squared
                                                                   MAPE
         0 24.198253 15.806928
                                   0.981859
                                                   0.981842 28.513527
In [79]: xgb_tuned_model_test_perf = model_performance_regression(xgb_tuned, X_test, y_test)
         print("Testing performance \n",xgb_tuned_model_test_perf)
         Testing performance
                  RMSE
                              MAE R-squared Adj. R-squared
                                                                   MAPE
         0 40.738742 25.837159
                                   0.951659
                                                   0.951547 43.831514
In [80]: # importance of features in the tree building ( The importance of a feature is comp
         #(normalized) total reduction of the criterion brought by that feature. It is also
         print(pd.DataFrame(xgb_tuned.feature_importances_, columns = ["Imp"], index = X_tra
                          Imp
         workingday 0.289411
         hr
                     0.252782
                     0.180462
         yr
         temp
                     0.082915
         season
                     0.054046
         weathersit 0.040526
         atemp
                     0.035576
                     0.021362
         weekday
         holiday
                     0.014707
         hum
                     0.012433
         mnth
                     0.011668
         windspeed
                     0.004111
In [81]: feature names = X train.columns
         importances = xgb_tuned.feature_importances_
         indices = np.argsort(importances)
         plt.figure(figsize=(12,12))
         plt.title('Feature Importances')
         plt.barh(range(len(indices)), importances[indices], color='violet', align='center')
         plt.yticks(range(len(indices)), [feature_names[i] for i in indices])
         plt.xlabel('Relative Importance')
         plt.show()
```



• In XGBoost, workingday is the most important feature followed by features - hr and yr

# **Stacking Model**

Now, let's build a stacking model with the tuned models - decision tree, random forest, and gradient boosting, then use XGBoost to get the final prediction.

```
Out[83]: StackingRegressor(cv=5,
                           estimators=[('Decision Tree',
                                        DecisionTreeRegressor(max_depth=14,
                                                              min_impurity_decrease=0.1,
                                                              min_samples_leaf=5,
                                                              random_state=1)),
                                       ('Random Forest',
                                        RandomForestRegressor(max_features=None,
                                                              n_estimators=120,
                                                              random_state=1)),
                                       ('Gradient Boosting',
                                        GradientBoostingRegressor(max_depth=7,
                                                                  max features=0.9,
                                                                  n_estimators=175,
                                                                  random_state=1,
                                                                  subsa...
                                                        importance_type='gain',
                                                        interaction_constraints=None,
                                                        learning rate=None,
                                                        max_delta_step=None,
                                                        max_depth=None,
                                                        min_child_weight=None,
                                                        missing=nan,
                                                        monotone_constraints=None,
                                                        n estimators=100, n jobs=None,
                                                        num_parallel_tree=None,
                                                        random_state=1, reg_alpha=None,
                                                        reg_lambda=None,
                                                        scale_pos_weight=None,
                                                        subsample=None, tree_method=None,
                                                        validate_parameters=None,
                                                        verbosity=None))
In [84]: | stacking_estimator_model_train_perf = model_performance_regression(stacking_estimat
         print("Training performance \n", stacking_estimator_model_train_perf)
         Training performance
                  RMSE MAE R-squared Adj. R-squared
                                                                  MAPF
         0 23.272893 14.272256 0.98322
                                                   0.983204 15.89583
In [85]: stacking estimator model test perf = model performance regression(stacking estimato
         print("Testing performance \n", stacking_estimator_model_test_perf)
         Testing performance
                  RMSF
                                                                   MAPF
                              MAE R-squared Adj. R-squared
         0 41.413999 24.715628
                                 0.950043
                                                   0.949928 29.427916
         Comparing all models
In [86]: # training performance comparison
```

```
In [86]: # training performance comparison

models_train_comp_df = pd.concat(
       [dtree_model_train_perf.T, dtree_tuned_model_train_perf.T, rf_estimator_model_t
       ab_regressor_model_train_perf.T,ab_tuned_model_train_perf.T,gb_estimator_model_
       xgb_estimator_model_train_perf.T,xgb_tuned_model_train_perf.T,stacking_estimato
```

```
axis=1,
)

models_train_comp_df.columns = [
    "Decision Tree",
    "Decision Tree Tuned",
    "Random Forest Estimator",
    "Random Forest Tuned",
    "Adaboost Regressor",
    "Adaboost Tuned",
    "Gradient Boost Estimator",
    "Gradient Boost Tuned",
    "XGB",
    "XGB Tuned",
    "Stacking Classifier"
]

print("Training performance comparison:")
models_train_comp_df
```

Training performance comparison:

Out[86]:

		Decision Tree	Decision Tree Tuned	Random Forest Estimator	Random Forest Tuned	Adaboost Regressor	Adaboost Tuned	Gradient Boost Estimator	Gradient Boost Tuned
	RMSE	0.442409	36.442792	16.167421	16.160093	104.441843	104.430458	71.874590	22.272348
	MAE	0.005754	22.525337	9.641324	9.622604	80.996029	81.015165	48.518039	14.726501
	R- squared	0.999994	0.958856	0.991902	0.991910	0.662067	0.682343	0.839959	0.984632
	Adj. R- squared	0.999994	0.958816	0.991894	0.991902	0.661733	0.681610	0.839801	0.984617
	MAPE	0.004256	28.657314	11.757327	11.734320	185.877344	207.467888	92.152544	23.168969

```
In [91]: # Testing performance comparison
         models_test_comp_df = pd.concat(
             [dtree_model_test_perf.T, dtree_tuned_model_test_perf.T, rf_estimator_model_test_
             ab_regressor_model_test_perf.T,ab_tuned_model_test_perf.T,gb_estimator_model_te
             xgb_estimator_model_test_perf.T,xgb_tuned_model_test_perf.T,stacking_estimator_
             axis=1,
         models_test_comp_df.columns = [
             "Decision Tree",
             "Decision Tree Tuned",
             "Random Forest Estimator",
             "Random Forest Tuned",
             "Adaboost Regressor",
             "Adaboost Tuned",
             "Gradient Boost Estimator",
             "Gradient Boost Tuned",
             "XGB",
             "XGB Tuned",
```

```
"Stacking Classifier"
]

print("Testing performance comparison:")
models_test_comp_df
```

Testing performance comparison:

Out[91]:

	Decision Tree	Decision Tree Tuned	Random Forest Estimator	Random Forest Tuned	Adaboost Regressor	Adaboost Tuned	Gradient Boost Estimator	Gradier Boos Tune
RMSE	60.827833	54.969957	44.562150	44.580600	105.415729	104.430458	74.173279	39.07626
MAE	35.107787	31.841364	26.192368	26.202363	81.468364	81.015165	49.691124	24.10188
R- squared	0.892227	0.911985	0.942159	0.942111	0.676321	0.682343	0.839750	0.95552
Adj. R- squared	0.891979	0.911782	0.942026	0.941977	0.675574	0.681610	0.839380	0.95542
MAPE	38.033250	38.356397	32.748634	32.734172	196 403082	207 467888	100.149788	36.01227

- The tuned gradient boosting model is the best model here. It has the highest r2 score of approx 95.5% and the lowest RMSE of approx 39 on the test data.
- Gradient boosting, XGBoost, and stacking regressor are the top 3 models. They are all giving a similar performance.

```
In [92]: # So plot observed and predicted values of the test data for the best model i.e. tu
fig, ax = plt.subplots(figsize=(8, 6))
y_pred=gb_tuned.predict(X_test)
ax.scatter(y_test, y_pred, edgecolors=(0, 0, 1))
ax.plot([y_test.min(), y_test.max()], [y_test.min(), y_test.max()], 'k--', lw=3)
ax.set_xlabel('Observed')
ax.set_ylabel('Predicted')
ax.set_title("Observed vs Predicted")
plt.grid()
plt.show()
```

# Observed vs Predicted 800 600 200 0 200 400 600 800 1000

- We can see that points are dense on the line where predicted is equal to the observed.
- This implies that most of the predicted values are close to the true values with some exceptions as seen in the plot.

# **Business Recommendations**

- We can use this predictive model for any season and environmental parameters (which
  we know in advance) and can predict the count of the bikes to be rented. The ability to
  predict the number of hourly users can allow the entities (businesses/governments) that
  oversee these systems to manage them more efficiently and cost-effectively.
- More bikes can be made available for the fall and winter seasons as the number of bikes rented is high in these seasons.
- As the number of bikes rented is high for day timings compared to night timings, similarly, fall and winter seasons have more surges compared to other seasons. We can choose differential prices of bikes accordingly.
- As most of the rentals are for commuting to workplaces and colleges daily, company can launch more stations near busy workplaces or schools/colleges to reach out to their main customers.
- Number of bikes rented is heavily dependent on the weather. So, we should adjust the number of available bikes in an area based on the weather forecast.
- Maintenance activities for bikes can be done at night due to low usage of bikes during the nighttime.

	the low count on holidays or weekends.	
In [ ]:		

• Company can provide offers or coupons like a monthly subscription to compensate for