Week 14 Classwork/Homework Assignment

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For the assignment, you will submit the compiled pdf document as both a pdf. Make sure that the compiled documents will display all the required code to get your results.

The assignment is due Tuesday November 28 at 3:30 PM.

- 1. Compare and contrast stochastic and deterministic models. Make sure you discuss what they do and assume, when they are appropriate to use and
- 2. Outline Gillespie's direct method algorithm.
- 3. Assuming a deterministic model plot the trajectory of the density-dependent population model. What happens to the population over time.

$$\frac{dN}{dt} = (b_0 - b_1 N)N - (d_0 + d1N)N \tag{1}$$

Using the parameters and initial conditions

Table 1. Parameter values and initial condition for questions 3 and 5.

Parameter	Value
b0	1
b1	0.001
d0	0.5
d1	0.004
N0	1

- 4. Convert the deterministic model into a stochastic model using Gillespie's direct method algorithm.
- 5. Plot the trajectory of 50 simulations using the parameters found in Table 1. For each simulation allow the simulation to run for 500 steps.
- 6. Modify the algorithm to no longer require a number of time steps but rather will end the simulation when the population goes extinct.
- 7. Determine the probability that a population goes extinct within 50 time steps using the parameters found in table 2? At any time?
- Table 2. Parameter values and initial conditions for question 7.

Parameter	Value
b0	1
b1	0.001
d0	0.5
d1	0.004
N0	1

8. Using the zombie outbreak model from the previous case studies, write a stochastic model. Develop and address 2 problems or questions using this model.

$$\frac{dS}{dt} = bS - mS - aSZ \tag{2}$$

$$\frac{dS}{dt} = bS - mS - aSZ$$

$$\frac{dU}{dt} = aSZ - zU$$

$$\frac{dZ}{dt} = zU - kSZ$$

$$\frac{dD}{dt} = kSZ + mS$$
(2)

(3)

$$\frac{dZ}{dt} = zU - kSZ \tag{4}$$

$$\frac{dD}{dt} = kSZ + mS \tag{5}$$