

How can the structure of ecosystems predict species' survival?

Violeta Calleja Solanas,
Emilio Hernández García &
Sandro Meloni

04 Mar 2022



Emilio Hernández-García



Sandro Meloni





Environmental changes may alter species interactions



Environmental changes may alter species interactions



Biodiversity loss, cascades of extinctions



Environmental changes may alter species interactions



Biodiversity loss, cascades of extinctions

How does an ecosystem break?



Environmental changes may alter species interactions

- ▶ Biodiversity loss, cascades of extinctions

How does an ecosystem break?

- ▶ How does the network break?



Environmental changes may alter species interactions

↳ Biodiversity loss, cascades of extinctions

How does an ecosystem break?

↳ How does the network break?



Predictor of species vulnerability?



STRUCTURE + DYNAMICS

Environmental changes may alter species interactions

→ Biodiversity loss, cascades of extinctions

How does an ecosystem break?

→ How does the network break?



Predictor of species vulnerability?

Predictors typically are...

- general measures of whole network structure

Ex: Fragility, robustness



doi 10.1098/rspb.2001.1767

Complexity and fragility in ecological networks

Ricard V. Solé^{1,2*} and José M. Montoya^{1,3}

Predictors typically are...

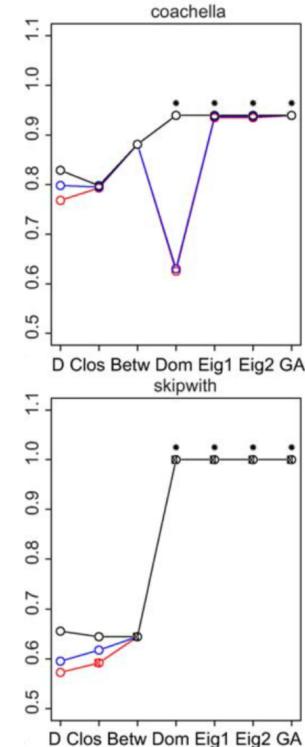
- Static measures

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PLOS COMPUTATIONAL BIOLOGY

Googling Food Webs: Can an Eigenvector Measure Species' Importance for Coextinctions?

Stefano Allesina^{1*}, Mercedes Pascual^{2,3,4}



Predictors typically are...

- Measured over one type of interaction

ARTICLE

<https://doi.org/10.1038/s41467-021-21824-x>

OPEN



An ecological network approach to predict ecosystem service vulnerability to species losses

Aislyn A. Keyes¹✉, John P. McLaughlin², Allison K. Barner³ & Laura E. Dee¹

ARTICLE

Received 21 May 2015 | Accepted 23 Nov 2015 | Published 18 Jan 2016

DOI: 10.1038/ncomms10245

OPEN

Using food-web theory to conserve ecosystems

E. McDonald-Madden¹, R. Sabbadin², E.T. Game³, P.W.J. Baxter^{4,†}, I. Chadès⁵ & H.P. Possingham^{6,7}

Exception: k-core as predictor of collapse in mutualistic communities

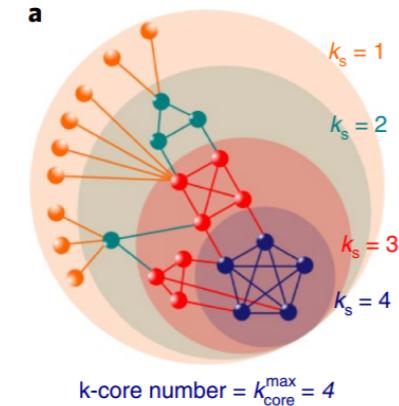
nature physics

ARTICLES

<https://doi.org/10.1038/s41567-018-0304-8>

The k-core as a predictor of structural collapse in mutualistic ecosystems

Flaviano Morone, Gino Del Ferraro and Hernán A. Makse*



Predictors typically are...

- Measured over one type of interaction

ECOLOGY LETTERS

REVIEW AND SYNTHESIS |  Free to Read

The ecological and evolutionary implications of merging different types of networks

Colin Fontaine , Paulo R. Guimarães Jr., Sonia Kéfi, Nicolas Loeuille, Jane Memmott, Wim H. van der Putten, Frank J. F. van Veen, Elisa Thébaud

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ECOLOGY

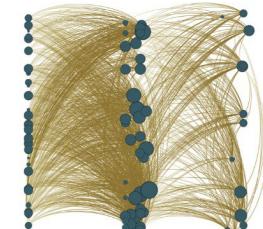
ECOLOGICAL SOCIETY OF AMERICA

Article

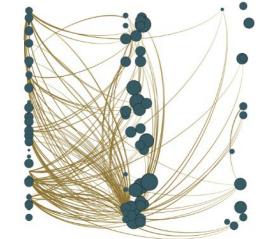
Network structure beyond food webs: mapping non-trophic and trophic interactions on Chilean rocky shores

Sonia Kéfi , Eric L. Berlow, Evie A. Wieters, Lucas N. Joppa, Spencer A. Wood, Ulrich Brose, Sergio A. Navarrete

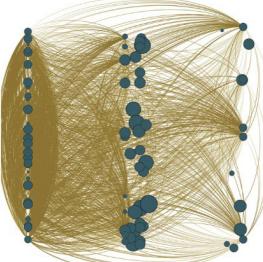
A) Trophic



B) Positive non-trophic



C) Negative non-trophic



Our question:

How do species properties
explain which one survives...

Our question:

How do species properties
explain which one survives
in an ecological network
with an embedded dynamics
and different interactions?

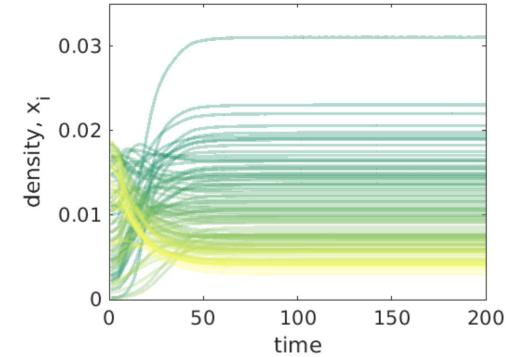
Our question:

How do species properties
explain which one survives
in an ecological network
with an embedded dynamics
and different interactions?

Replicator equation:

$$\dot{x}_i = x_i \left(\sum_j \Lambda_{ij} x_j - \sum_{jk} \Lambda_{jk} x_j x_k \right)$$

local fitness mean fitness



Replicator equation:

$$\dot{x}_i = x_i \left(\sum_j \Lambda_{ij} x_j - \sum_{jk} \Lambda_{jk} x_j x_k \right)$$

local fitness mean fitness

$$\text{intra } \Lambda_{ii} = -1$$

$$\text{inter } \Lambda_{ij} = \alpha A_{ij}$$

Replicator equation:

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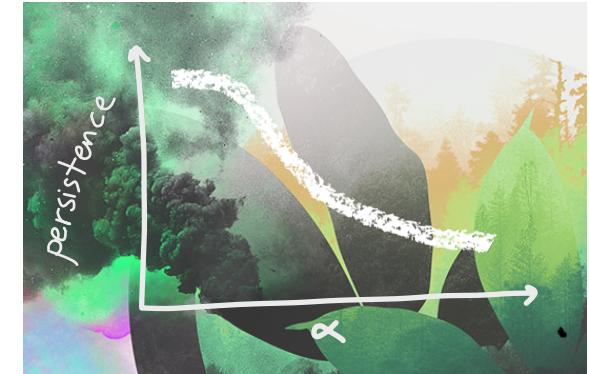
$$\begin{cases} \alpha > 0 & \text{mutualism} \\ \alpha < 0 & \text{competition} \end{cases}$$



Replicator equation:

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intra $\Lambda_{ii} = -1$



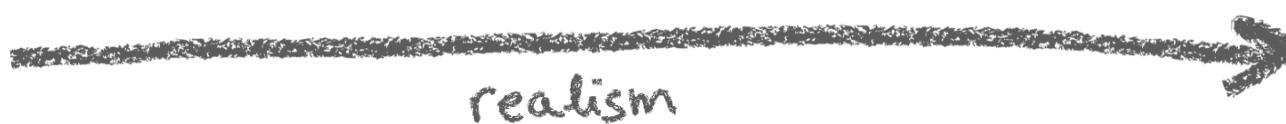
inter $\Lambda_{ij} = \alpha A_{ij}$
 $\Lambda_{ij} = \Lambda_{ji}$

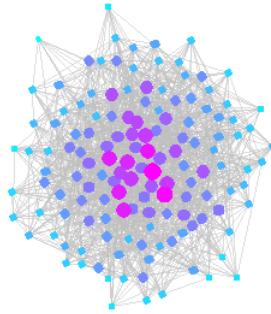
$$\begin{cases} \alpha > 0 & \text{mutualism} \\ \alpha < 0 & \text{competition} \end{cases}$$



Our question:

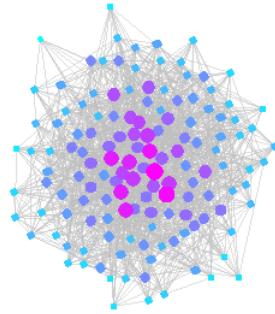
How do species properties
explain which one survives
in an ecological **network** → *types*
with an embedded dynamics
and different interactions?



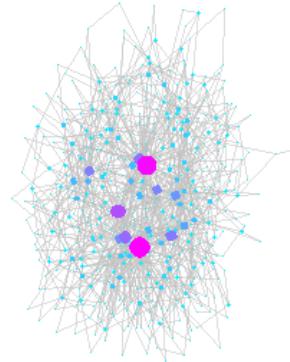
Erdős–Rényi

realism

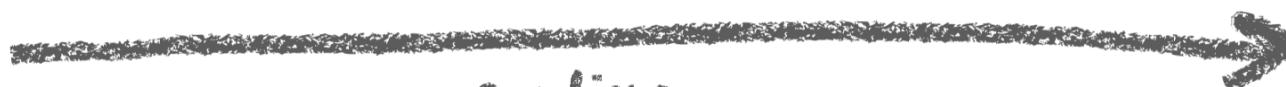
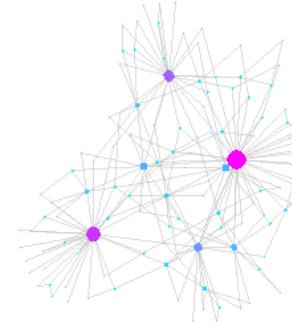
Erdős–Rényi



Barabasi-Albert

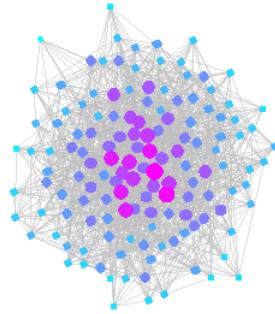


Holme-Kim

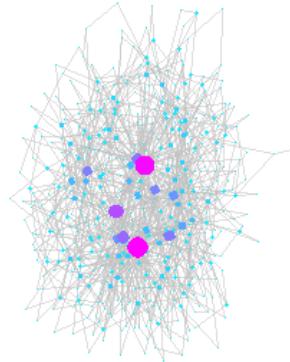


realism

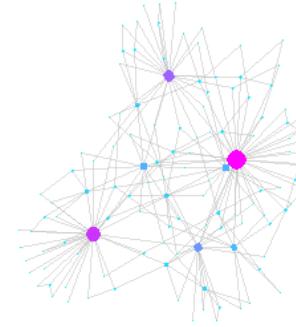
Erdős–Rényi



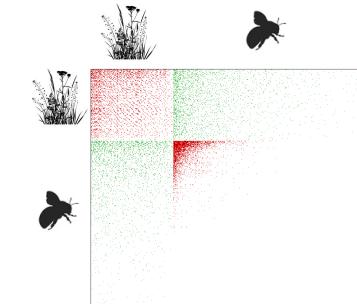
Barabasi-Albert



Holme-Kim



Empirical (Pollination)



realism

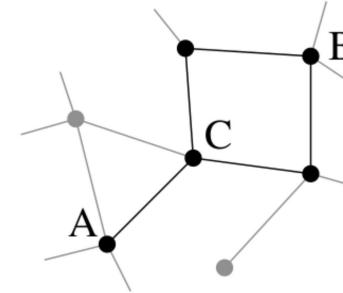
Our question:

How do species **properties**
explain which one survives
in an ecological network
with an embedded dynamics
and different interactions?



Centrality

- Degree
- Betweenness
- Eigenvector
- Page Rank
- ...



Identifying important species: Linking structure and function in ecological networks

Ferenc Jordán^{a,b,*}, Thomas A. Okey^{c,d}, Barbara Bauer^e, Simone Libralato^f

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PLOS COMPUTATIONAL BIOLOGY

Googling Food Webs: Can an Eigenvector Measure Species' Importance for Coextinctions?

Stefano Allesina^{1*}, Mercedes Pascual^{2,3,4}

Characterization of topological keystone species
Local, global and “meso-scale” centralities in food webs

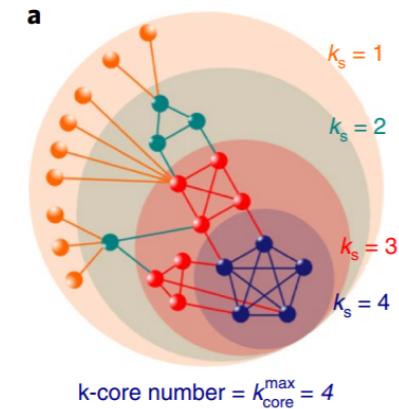
Ernesto Estrada *

Centrality

- Degree
- Betweenness
- Eigenvector
- Page Rank
- ...

Groups of nodes

- K-core
- ...



Centrality

- Degree
- Betweenness
- Eigenvector
- Page Rank
- ...

Groups of nodes

- K-core
- ...

Interactions

- Ratio mutualistic and competitive links
- Competitive degree
- Mutualistic degree



Our question:

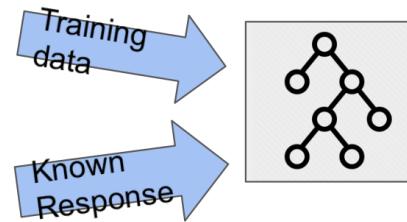
How do species properties
 explain which one survives
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Decision
trees

Decision Trees

Machine Learning algorithms

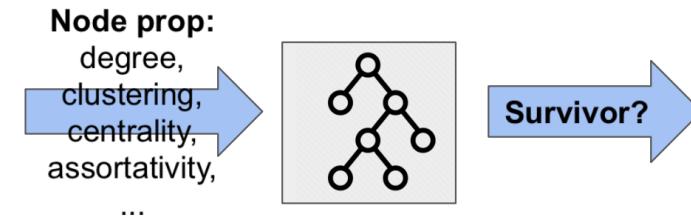
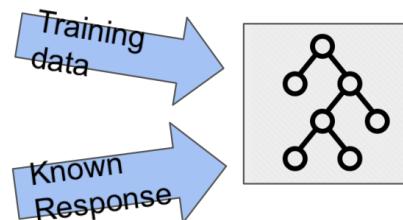
- Simple
- Multiple predictors at the same time
- “Gray boxes”



Decision Trees

Machine Learning algorithms

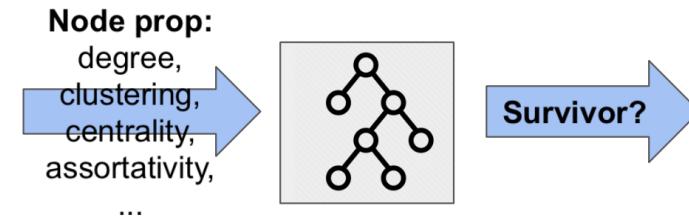
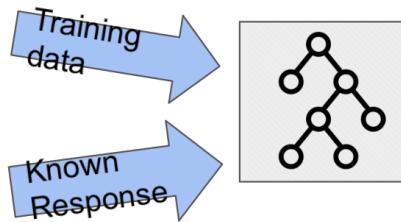
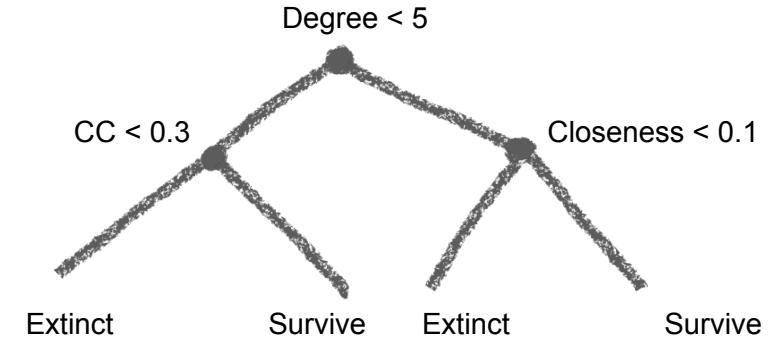
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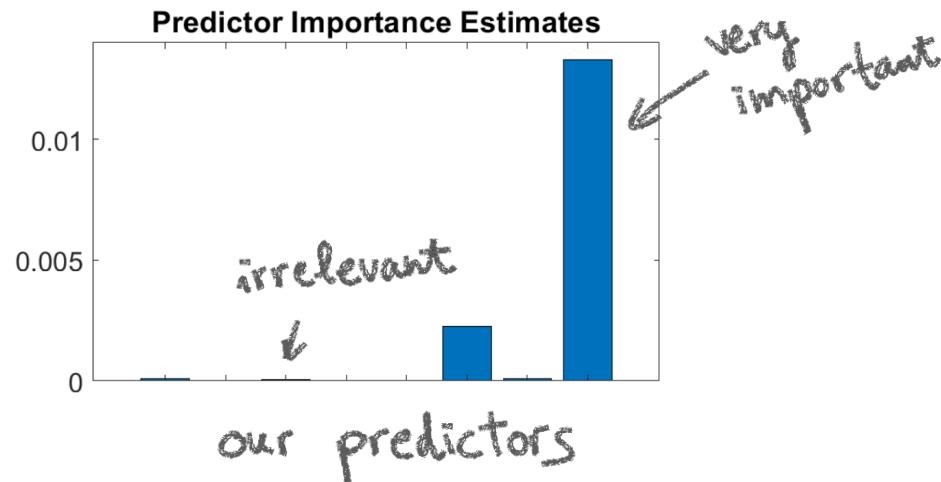
Decision Trees

Machine Learning algorithms

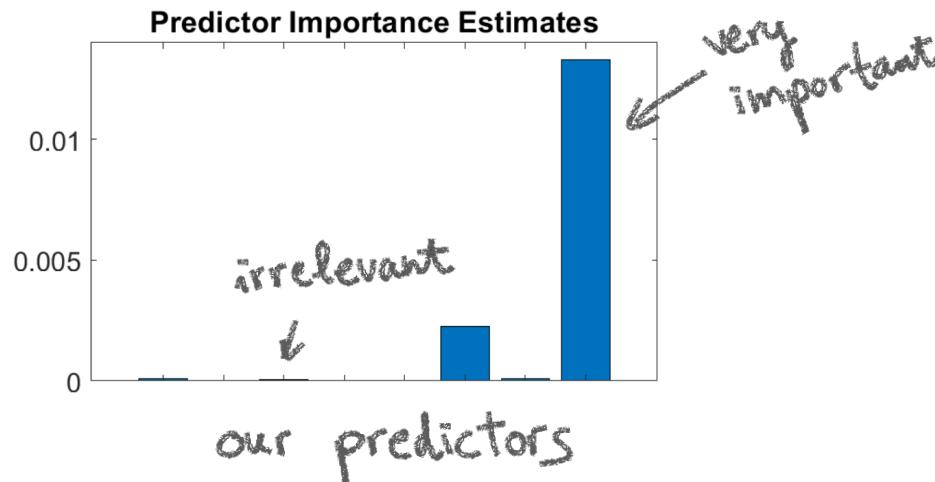
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Decision Trees



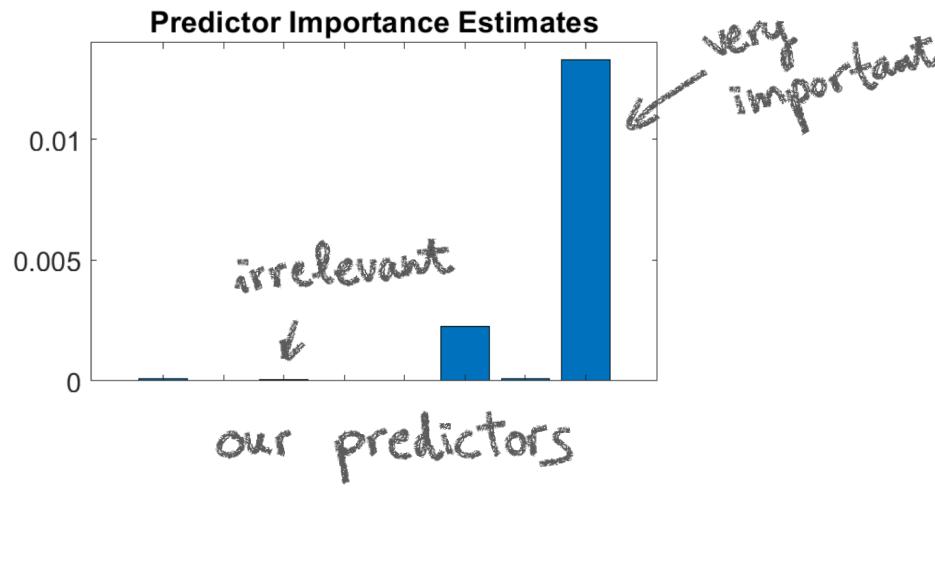
Decision Trees



Classification Confusion Matrix

True Class		
	extinct	survivor
extinct	88.2%	11.8%
survivor	47.9%	52.1%
	extinct	survivor
	Predicted Class	

Decision Trees



Classification Confusion Matrix

True Class		
	extinct	survivor
extinct	88.2%	11.8%
survivor	47.9%	52.1%
	extinct	survivor
	Predicted Class	

false negative

false positive

Our question:

How do species properties
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Basic case:

COMPETITION

$$\alpha < 0$$

- More negative local fitness makes densities decrease faster
- More neighbours lower your fitness (more negative)

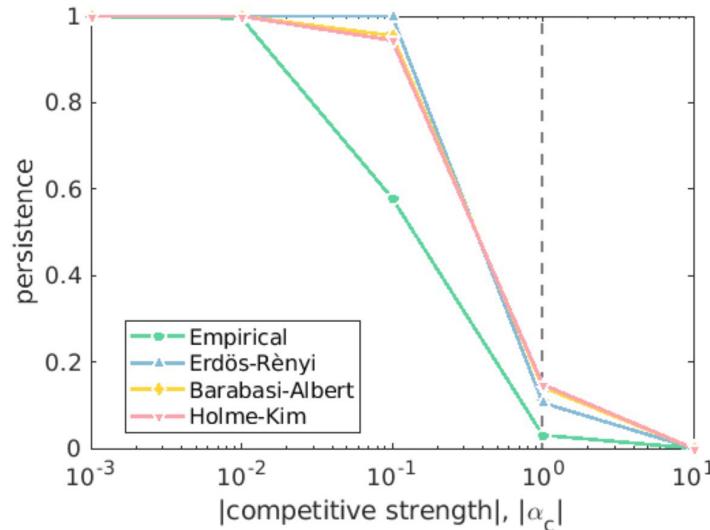
$$\dot{x}_i = x_i \left(\sum_j \Lambda_{ij} x_j - \sum_{jk} \Lambda_{jk} x_j x_k \right)$$

local fitness mean fitness

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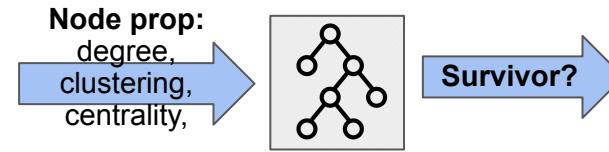
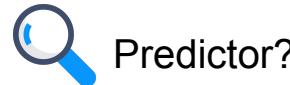
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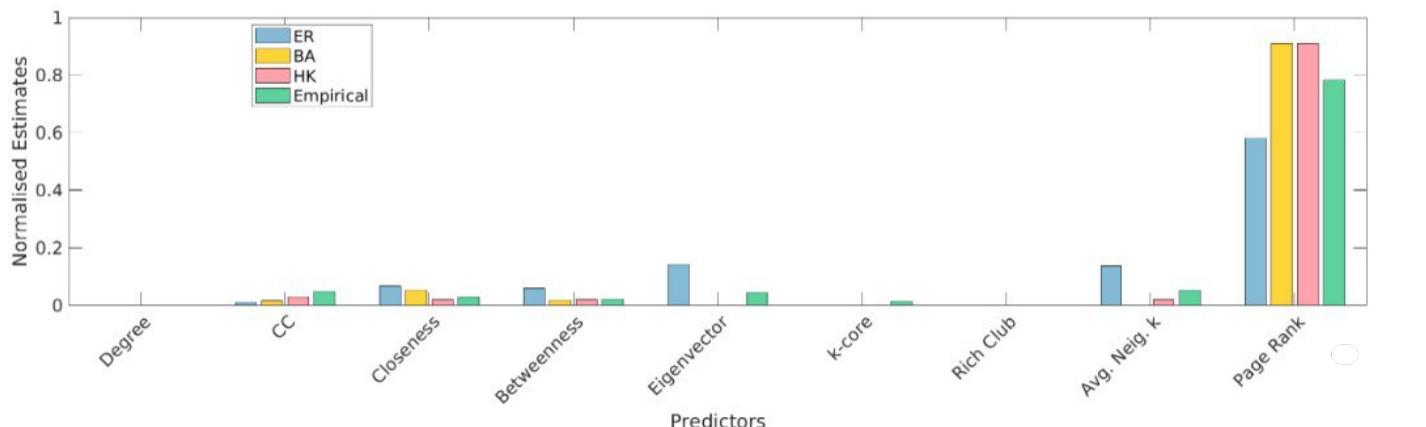
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local fitness mean fitness



Main Predictor = PAGE RANK



Classification Conf	
True Class	Predicted Class
extinct	83.0%
survivor	91.1%

extinct survivor

83.0% 17.0%

8.9% 91.1%

extinct survivor

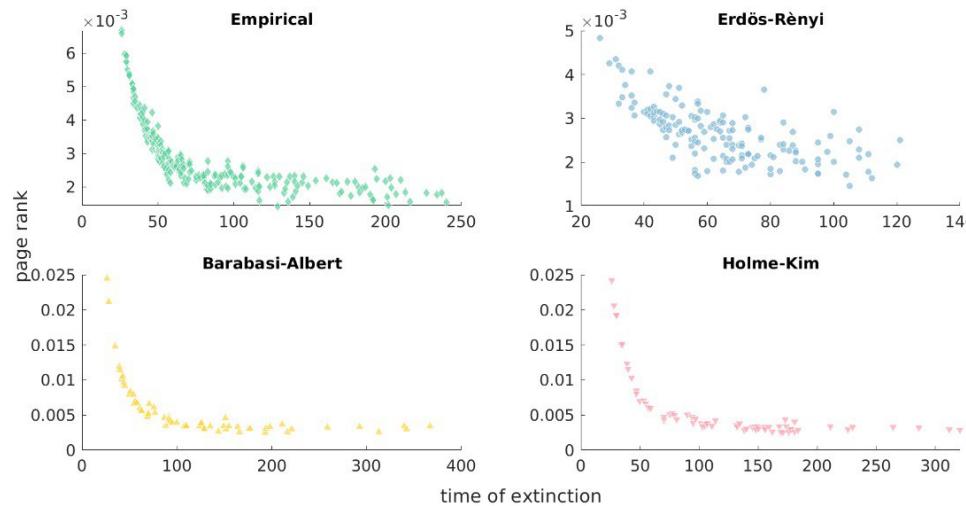
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$$\dot{x}_i = x_i \left(\sum_j \Lambda_{ij} x_j - \sum_{jk} \Lambda_{jk} x_j x_k \right)$$

local fitness mean fitness



Main Predictor = PAGE RANK



Basic case II:

mutualism

$$\alpha > 0$$

- More neighbours increase your fitness

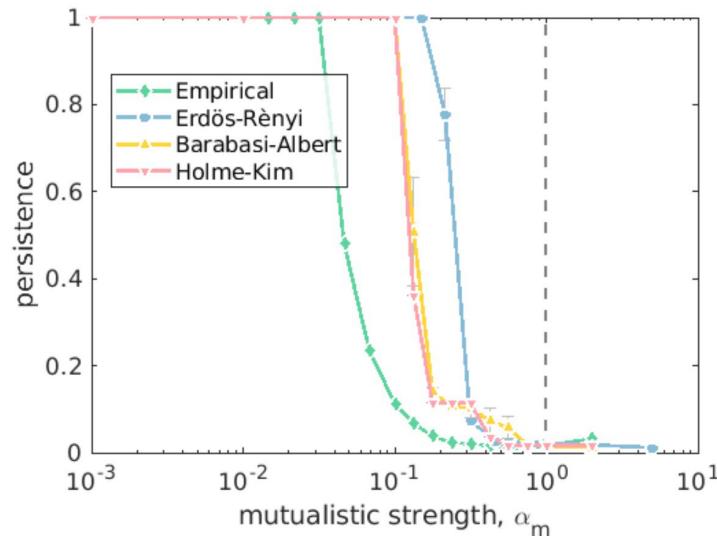
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local fitness mean fitness

- More neighbours increase your fitness

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local fitness mean fitness



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Predictor?

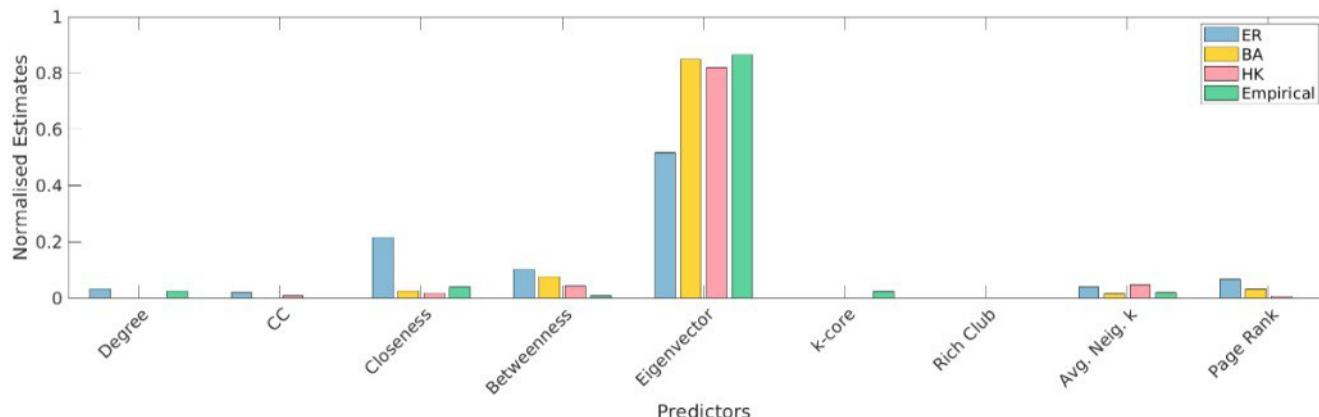
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local fitness mean fitness

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Main Predictor = EIGENVECTOR CENTRALITY



$$\dot{x}_i = x_i \left(\sum_j \Lambda_{ij} x_j - \sum_{jk} \Lambda_{jk} x_j x_k \right)$$

local fitness mean fitness

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		extinct	survivor
True Class	extinct	83.0%	17.0%
	survivor	16.2%	83.8%
	extinct	83.0%	17.0%
	survivor	16.2%	83.8%

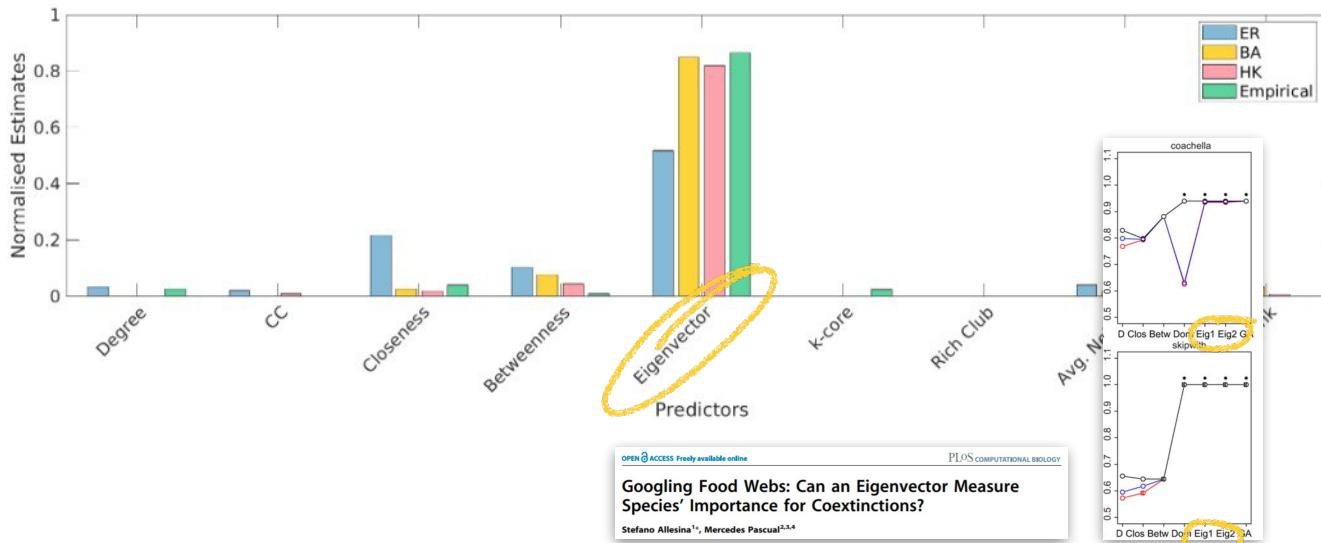
extinct survivor

extinct survivor

- More neighbours increase your fitness



Main Predictor = EIGENVECTOR CENTRALITY

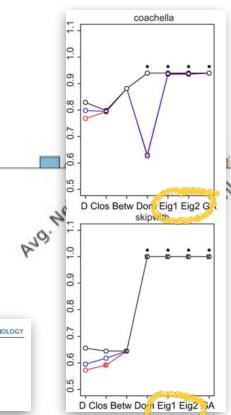


$$\dot{x}_i = x_i \left(\sum_j \Lambda_{ij} x_j - \sum_{jk} \Lambda_{jk} x_j x_k \right)$$

local fitness

mean fitness

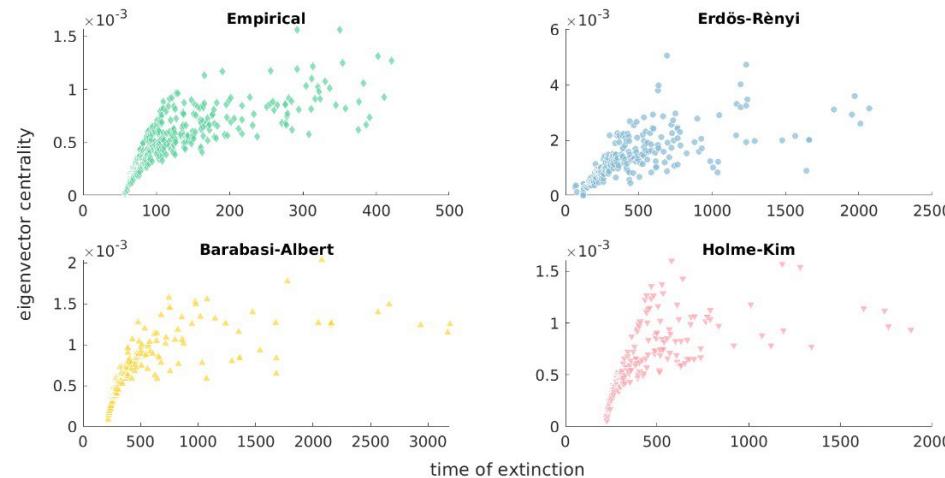
		Classification Conf	
		extinct	survivor
True Class	extinct	83.0%	17.0%
	survivor	16.2%	83.8%
Predicted Class	extinct		
	survivor		



- More neighbours increase your fitness



Main Predictor = EIGENVECTOR CENTRALITY



$$\dot{x}_i = x_i \left(\sum_j \Lambda_{ij} x_j - \sum_{jk} \Lambda_{jk} x_j x_k \right)$$

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COMPETITION & mutualism

COMPETITION & mutualism



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Erdos-Renyi

- Same percentage of competitive links than empiric



Erdos-Renyi

- Same percentage of competitive links than empirical

Empirical network

- Mutualism
- Competition = projected matrix of guilds

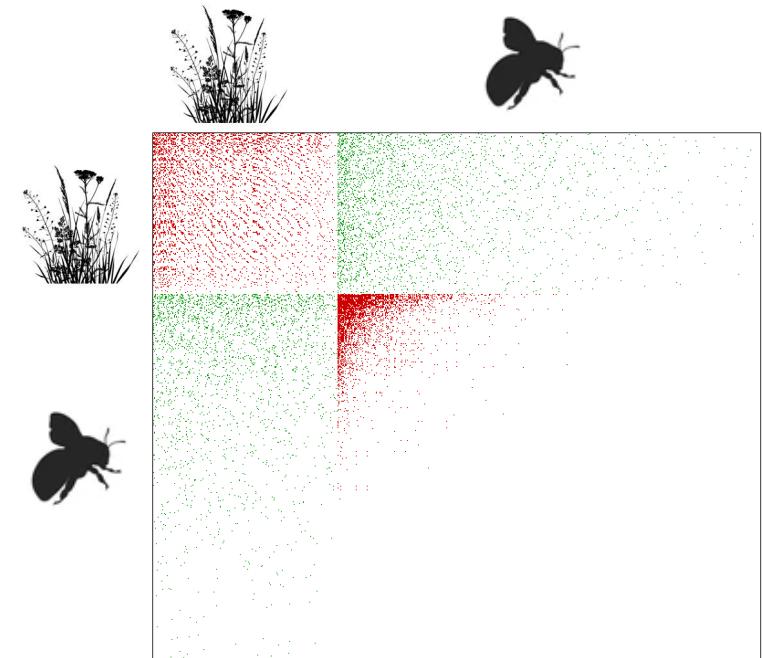


Erdos-Renyi

- Same percentage of competitive links than empirical

Empirical network

- Mutualism
- Competition = projected matrix of guilds
- 1500 species = 456 plants + 1044 pollinators
- Ratio competitive/mutualistic interactions = 1.4

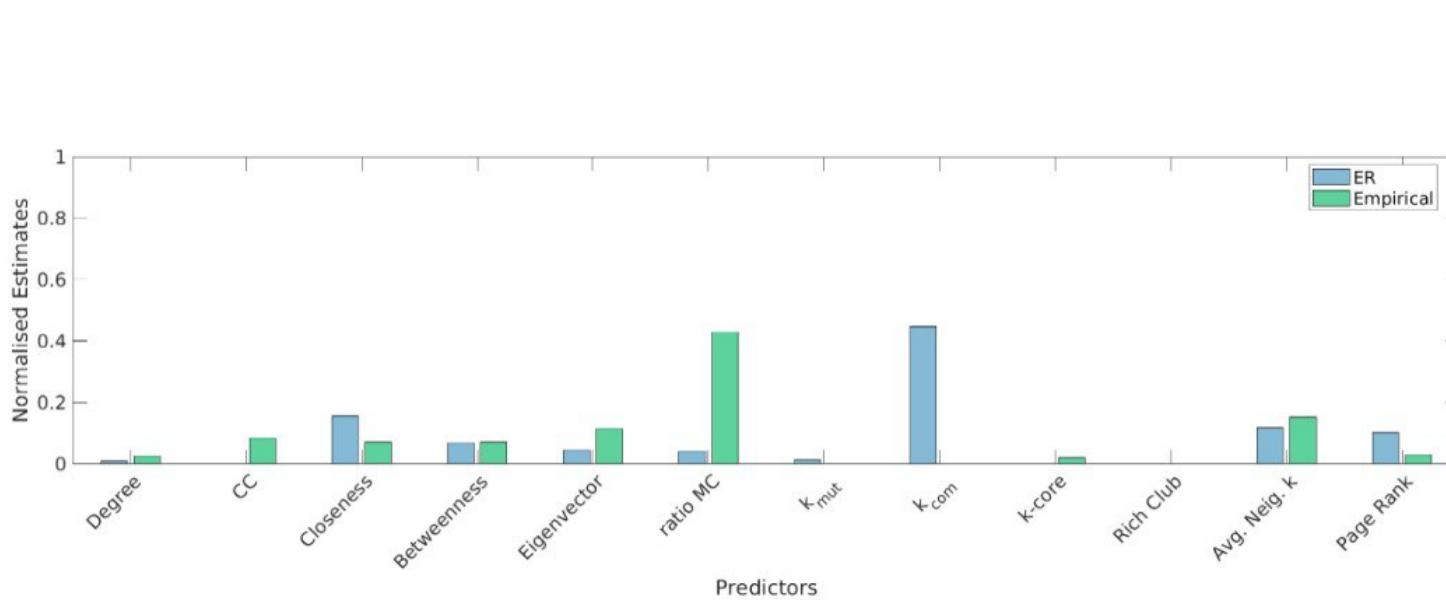


Robertson, C. 1929. Flowers and insects: lists of visitors to four hundred and fifty-three flowers. Carlinville, IL, USA.





Main Predictors = ??



Erdos-Renyi Classification Conf

True Class	extinct	survivor
extinct	69.7%	30.3%
survivor	4.7%	95.3%

extinct survivor

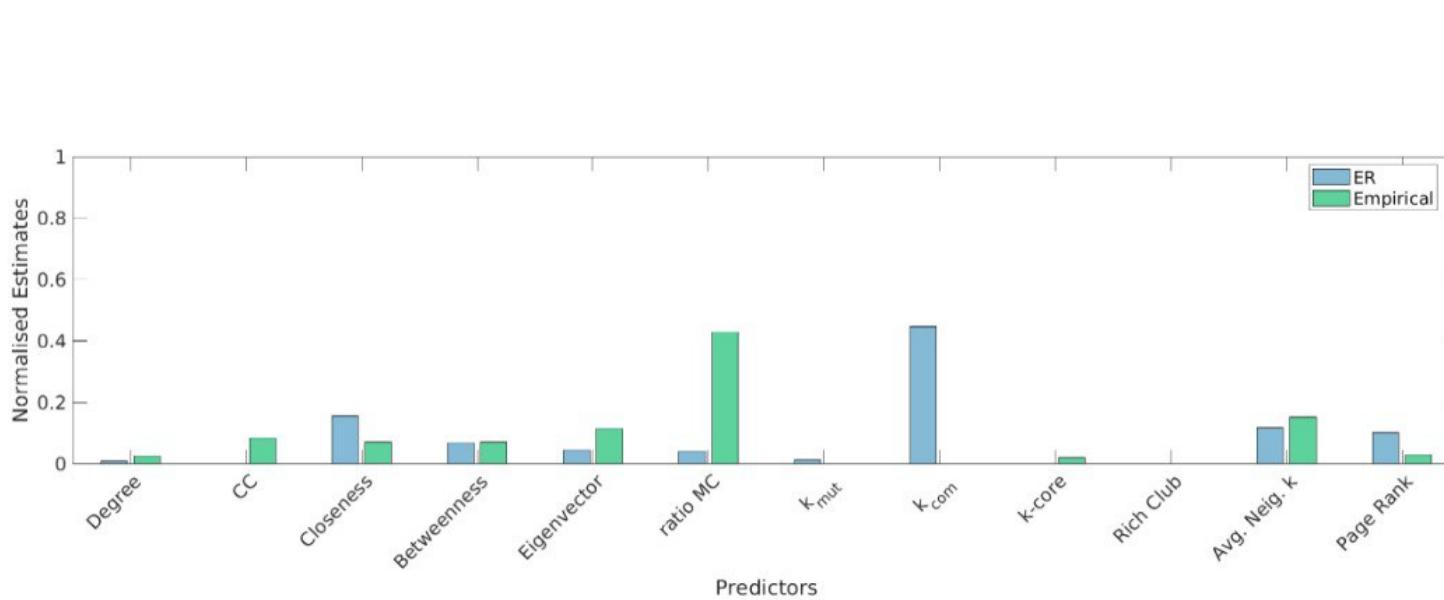
Empirical network Classification Conf

True Class	extinct	survivor
extinct	97.7%	2.3%
survivor	30.6%	69.4%

extinct survivor



Main Predictors = ratio, competitive degree, and others!



		Erdos-Renyi	
		Classification Conf	
True Class	Predicted Class	extinct	survivor
		69.7%	30.3%
survivor	extinct	4.7%	95.3%
	survivor	-	

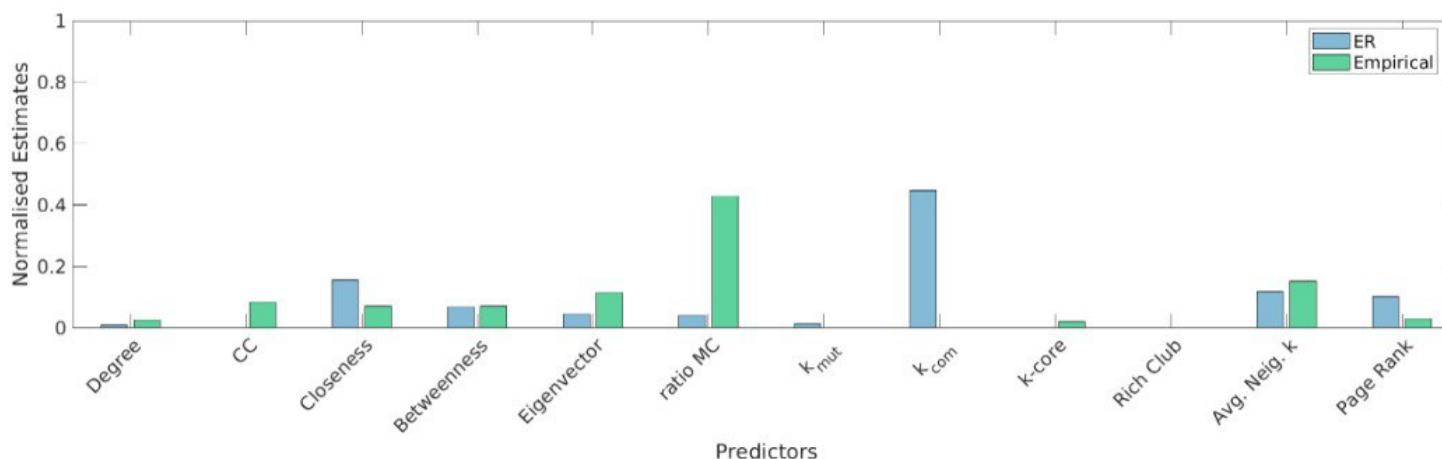
		Empirical network	
		Classification Conf	
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survivor	extinct	30.6%	69.4%
	survivor	-	



Main Predictors = ratio, competitive degree, and others!

Interactions' properties

No a single predictor



Erdos-Renyi
Classification Conf

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extinct survivor
Predicted Class

Empirical network
Classification Conf

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extinct survivor
Predicted Class

Used Machine Learning to identify the best predictors for survival

Used Machine Learning to identify the best predictors for survival

Studied different types of interactions in dynamical ecosystems

Used Machine Learning to identify the best predictors for survival

Studied different types of interactions in dynamical ecosystems

Predictors:

Used Machine Learning to identify the best predictors for survival

Studied different types of interactions in dynamical ecosystems

Predictors:

Now it is complicated! They change with the type of interaction

Used Machine Learning to identify the best predictors for survival

Studied different types of interactions in dynamical ecosystems

Predictors:

Now it is complicated! They change with the type of interaction

With both interactions: interplay between structure and dynamics

Used Machine Learning to identify the best predictors for survival

Studied different types of interactions in dynamical ecosystems

Predictors:

Now it is complicated! They change with the type of interaction

With both interactions: interplay between structure and dynamics

THANK YOU!

Doñana

Species: 205

Plants (Rows):

26

Pollinators (Columns):

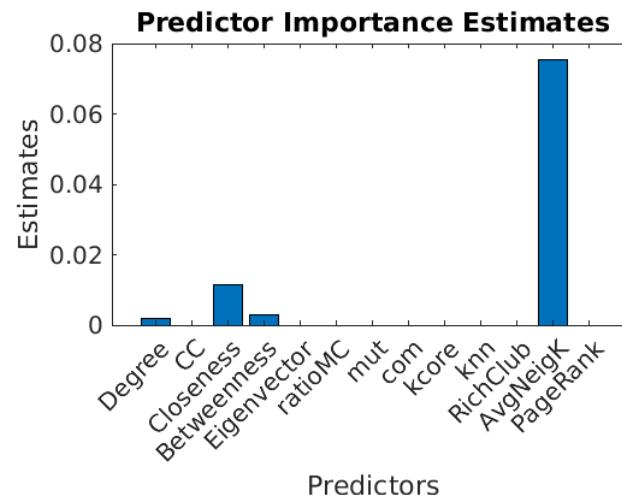
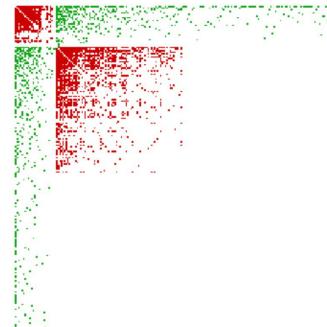
179

Interactions:

412

Connectance:

0.089



Herrera, J. (1988) Pollination relationships in southern spanish mediterranean shrublands. Journal of Ecology 76: 274-287

