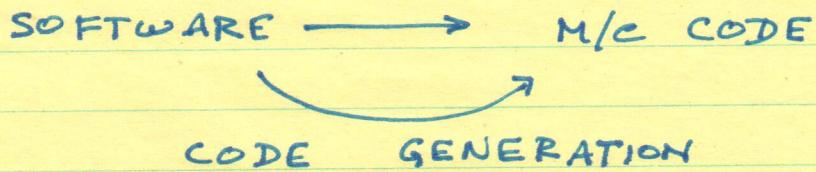


The UNIVERSAL machine

↓
ALAN TURING
(CHARLES BABBAGE)

ADA
LOVELACE



1-REGISTER MACHINE
1 LOCUS OF COMPUTATION
+ MEMORY

X : variable name \rightarrow memory loc.
 $1, 2, 3, \dots$: memory locations

LOAD X put the value in
memory location X into the accumulator

STORE $X \rightarrow$ puts the value in the acc.
into location named by X

STORE n

ADD X, n ADD n

MUL X, n MUL n

n : an integer naming
a memory location

$$A * B + C$$

LOAD A

MUL B

ADD C

ACC

↓

A

A * B

A * B + C

$$A * B + C * D$$

LOAD A

A

MUL B

A * B

STORE 1

A * B

LOAD C

C

MUL D

C * D

ADD 1

C * D + A * B

$$A + B * C$$

LOAD A

~~LOAD A'~~

STORE 1

~~ADD B~~

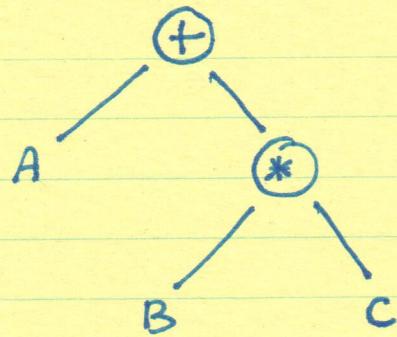
LOAD B

~~MUL C~~

MUL C

ADD 1

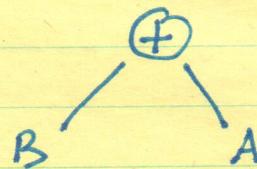
The code can only be generated
from the expression tree.



CODEGEN is done by traversing this tree
RECURSIVELY!

But the CODEGEN needs to keep some contextual information.

At the node A I should do
LOAD A
or should I?



At node A you should do
ADD A

Our codegen code generator will have
2 arguments : (context tag, tree)

- = : starting fresh
- * : doing a MUL
- + : doing a Plus

codegen(=, A) \rightarrow LOAD A
 codegen(+, A) \rightarrow ADD A
 codegen(*, A) \rightarrow MUL A

PARSER $A+B$

$\text{codegen}(=, A \oplus B) \rightarrow \text{codegen}(=, A); \text{codegen}(+, B)$

in general
 $\text{codegen}(=, A \oplus B) \rightarrow \text{codegen}(=, L); \text{codegen}(+, R)$

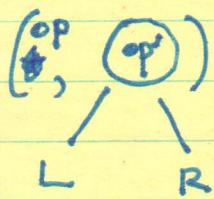
$\text{codegen}(=, L \oplus R) \rightarrow \text{codegen}(=, L), \text{codegen}(+, R)$

What if we have

$\text{codegen}(+, A \oplus B \otimes C) \rightarrow \text{need temp. storage}$

keep a global variable tempstore
 its value is the memory location just used.

Using temp. storage:

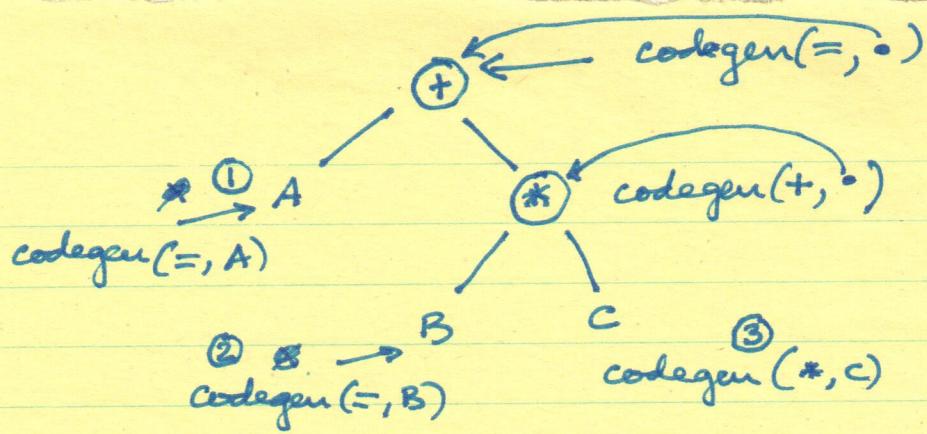


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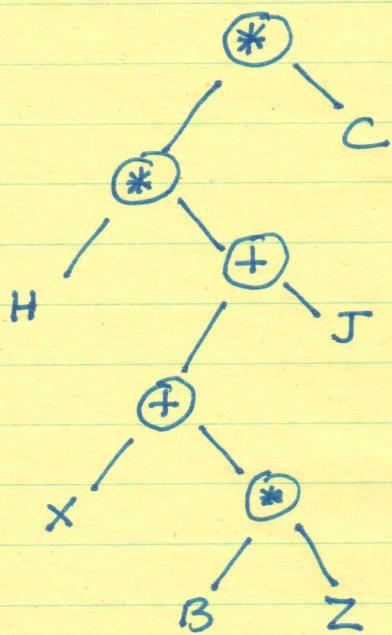
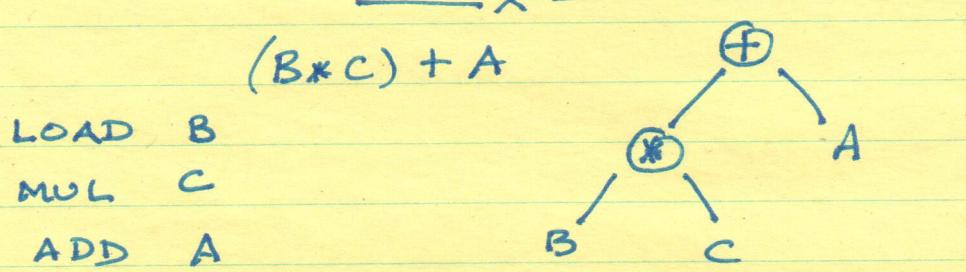
tempstore := tempstore + 1;
print ("STORE", tempstore);
codegen(=, L); } These are recursive calls
codegen(op', R); } They work by magic
if op = '+' then print ("ADD", tempstore)
else if op = '*' then print ("MUL", tempstore)
else else "error"
tempstore := tempstore - 1
  
```

TOP LEVEL CALL $\text{codegen}(=, \text{TREE})$

$A + B * C$
 LOAD A ✓
 STORE I ✓
 LOAD B ✓
 MUL C ✓
 ADD I ✓

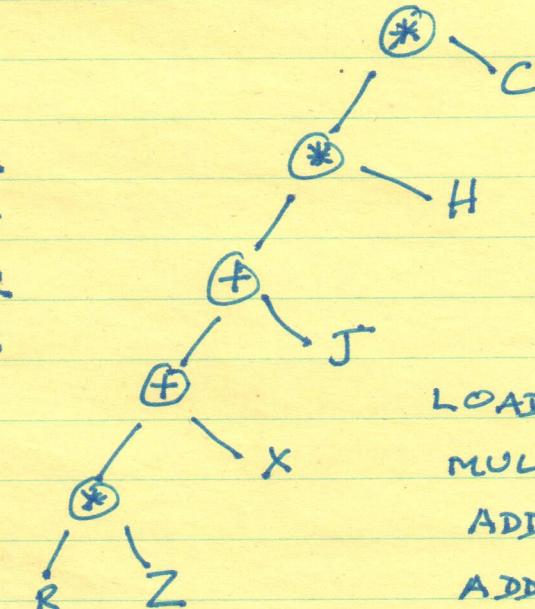


$$A + (B + (C + \dots)) \dots$$



LOAD H
 STORE I
 LOAD X
 STORE Z
 LOAD B
 MUL Z
 ADD Z
 ADD J
 MUL I
 $\underline{\text{MUL C}}$
 10 steps

2 extra
memory cells



LOAD B
 MUL Z
 ADD X
 ADD J
 MUL H
 $\underline{\text{MUL C}}$
 6 steps

no extra memory